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## TASEF-2 : A Computer Program for Temperature Analysis of Structures Exposed to Fire

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1979

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*Citation for published version (APA):*

Wickström, U. (1979). *TASEF-2 : A Computer Program for Temperature Analysis of Structures Exposed to Fire*. (Report / Lund Institute of Technology, Lund, Sweden, Department of Structural Mechanics; Vol. 79-2). Lund Institute of Technology.

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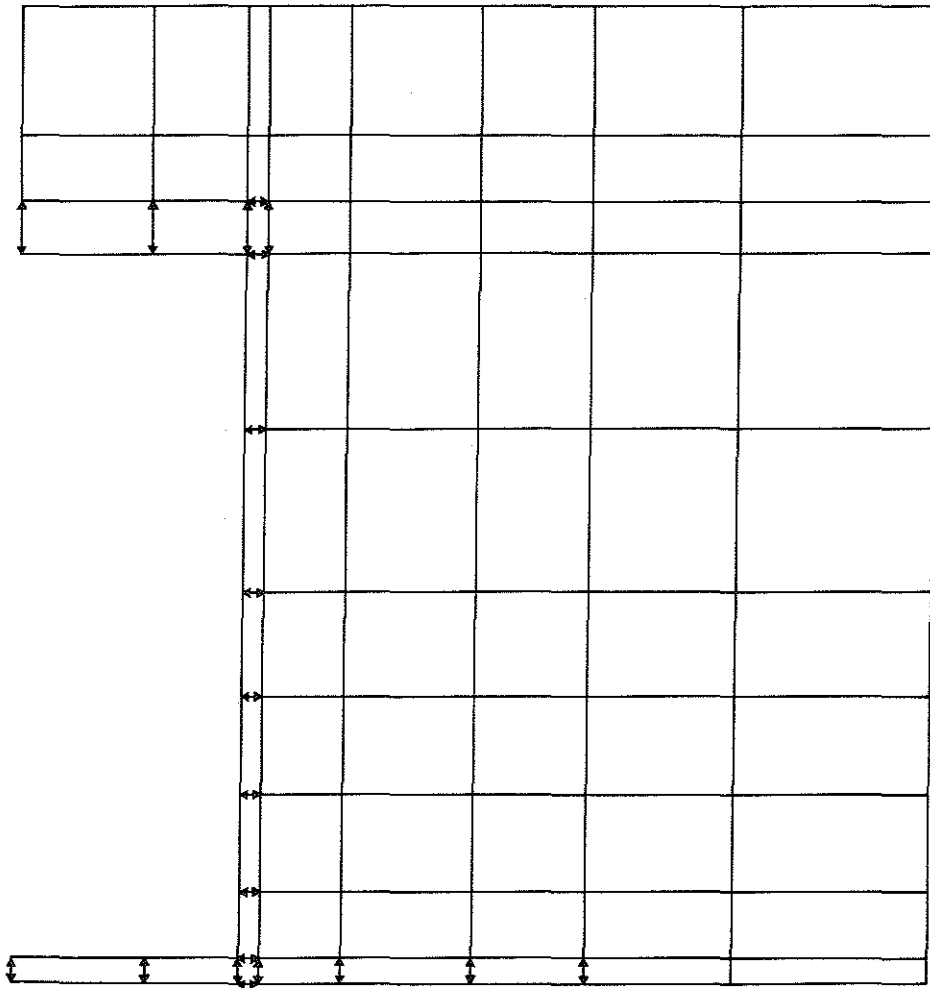
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TASEF-2 - A COMPUTER PROGRAM FOR  
TEMPERATURE ANALYSIS OF STRUCTURES  
EXPOSED TO FIRE



LUND INSTITUTE OF TECHNOLOGY      LUND      SWEDEN

DEPARTMENT OF STRUCTURAL MECHANICS

REPORT No. 79-2

TASEF-2 - A Computer Program for Temperature Analysis  
of Structures Exposed to Fire

Ulf Wickström

## ACKNOWLEDGEMENTS

The people who work in the Division of Structural Mechanics and Concrete Construction here in Lund have helped to create an atmosphere in which I could finish the work reported in this dissertation. For this they deserve my heartfelt thanks.

Professor Ove Pettersson has for many years been both in the fore- and background of my work. As head of this Division and as advisor for my doctoral work, his example has helped me to define my goals as a research engineer.

Professor Hans Petersson has graciously and carefully reviewed the manuscript of this work again and again as it has evolved. Hans has the gift of making one believe that requests for advice are never an imposition and that he gains as much from any interchange as does the student. While I cannot believe this to be true in my case, I thank him both for his criticisms, but especially for his patience and time.

I also wish to acknowledge Judith Sanders for her proficient assistance in editing this report and her patience in encouraging and supporting me in my endeavor.

Tarja Aunola and Bo Zadig typed the report and drew the figures, and advised me on the design of the tables and figures.

The project has been partly sponsored by the National Swedish Council for Building Research.

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## 1. INTRODUCTION

A nonlinear heat flow equation must be solved to predict the distribution of temperature in a structure exposed to fire. Since analytical solutions of such equations exist only for idealized cases, numerical schemes that incorporate either the finite element or finite difference method have generally been employed to approximate heat conduction [1-5].

Ödeen computed temperature distribution in homogeneous concrete cross-sections exposed to fire [1] using a program based on the finite difference method. Latent heat due to evaporation of water was considered in the calculation, but only structures with simple geometries were analyzed. Based on work by Wilson et al. [2,3] the finite element programs FIRES-T [4] and later FIRES-T3 [5] were developed for analyzing thermal response of structures exposed to fire. An implicit backward difference time integration scheme is used in these programs. Computation therefore often becomes unnecessarily expensive, and materials with latent heat - for instance humid concrete - cannot be analyzed accurately.

In this report TASEF-2 (Temperature Analysis of Structures Exposed to Fire - Two Dimensional Version) a computer program based on the finite element method is described. Structures comprised of one or more materials and structures that enclose voids can be analyzed. Heat transferred by convection and radiation at the boundaries can be modeled. The explicit forward difference time integration scheme used in TASEF-2 facilitates consideration of latent heat in the calculation of temperature in materials such as humid concrete. The maximum length of the time increment that can be used without inducing numerical instability is discussed, and some procedures to avoid very short time steps are suggested. In the present version of the program two-dimensional rectangular elements are used; input of the geometry and generation of the finite element mesh have been automated.



In the report, the theoretical model and solution techniques are derived, the organization of the computer program is explained, and a commentary on practical aspects of using the program is made. Several examples are analyzed using TASEF-2 and calculated temperatures are in some cases compared to experimental results. The report contains fully annotated input instructions, and a listing of the program.

## 2. HEAT TRANSFER ANALYSIS

### 2.1 Basic Equations

The governing equations for heat conduction are the heat balance equilibrium equation

$$\underline{\nabla} \underline{q} + \dot{e} - Q = 0 \quad (2.1)$$

and the Fourier law

$$\underline{q} = -\underline{k} \underline{\nabla} T \quad (2.2)$$

where  $\underline{q}$  is the heat flow vector,  $\dot{e} = \frac{\partial e}{\partial t}$  the rate of specific volumetric enthalpy change,  $Q$  the rate of internally generated heat per unit volume,  $\underline{k}$  a symmetric positive definite thermal conductivity matrix,  $T$  temperature, and  $t$  time. For isotropic materials

$$\underline{k} = k \underline{I} \quad (2.3)$$

where  $k$  is thermal conductivity, and  $\underline{I}$  the identity matrix. The gradient operator  $\underline{\nabla}$  is defined as

$$\underline{\nabla} = \begin{bmatrix} \frac{\partial}{\partial x} \\ \frac{\partial}{\partial y} \\ \frac{\partial}{\partial z} \end{bmatrix} \quad (2.4)$$

where  $x$ ,  $y$ , and  $z$  are Cartesian coordinates. Equation (2.2) is substituted into Equation (2.1) to yield the transient heat flow equation

$$-\underline{\nabla}^T (\underline{k} \underline{\nabla} T) + \dot{e} - Q = 0 \quad (2.5)$$

Specific volumetric enthalpy is by definition

$$e = \int_{T_0}^T c_p dT + \sum_i \ell_i \quad (2.6)$$

where  $T_0$  is a reference temperature, usually zero,  $c$  specific heat,  $\rho$  density, and  $\ell_i$  latent volumetric heat due to phase changes at various temperature levels. The time derivative of

$$\dot{e} = c_p \dot{T} \quad (2.7)$$

where  $\dot{T} = \frac{\partial T}{\partial t}$  is rate of temperature change. Substitution of Equation (2.7) into Equation (2.5) yields the conventional form of the transient heat flow equation

$$-\nabla^T (\underline{k} \nabla T) + c_p \dot{T} - Q = 0 \quad (2.8)$$

Nominal specific volumetric heat  $\overline{c_p}$  will be defined by the equation

$$e = \overline{c_p} T \quad (2.9)$$

In Figure 2.1 specific volumetric enthalpy is plotted versus temperature for a material with latent heat indicated by a step  $\ell$  in the curve. The tangential and secantial or nominal volumetric specific heats,  $c_p$  and  $\overline{c_p}$ , respectively, are then as shown in Figure 2.1. Note that at the temperature  $T_\ell$ , where the enthalpy curve is stepped, the value of  $c_p$  is undefined while the value of  $\overline{c_p}$  is always finite.

## 2.2 Initial and Boundary Conditions

Initial and boundary conditions must be specified in order to solve Equations (2.5) or (2.8). An initial condition is given by specifying the distribution of temperature in a body at a reference time zero. Boundary con-

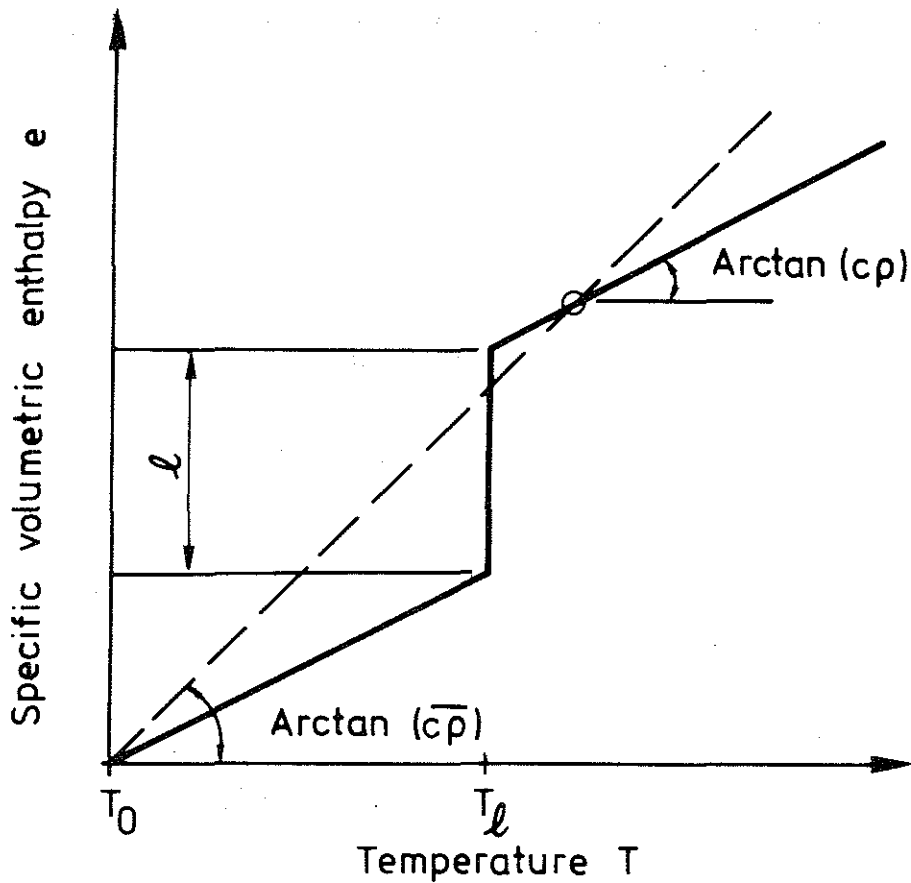


Figure 2.1. Definitions of specific volumetric heat

ditions are prescribed as temperature or heat flow on parts of the boundary  $\partial V_T$  and  $\partial V_q$ , respectively. The total boundary is then defined by

$$\partial V = \partial V_T + \partial V_q \quad (2.10)$$

Temperature on the boundary  $\partial V_T$  of a body is specified as

$$T = T(x, y, z, t) \quad (2.11)$$

Heat flow normal to a surface must satisfy the heat balance equation

$$q_n = \underline{n}^T \underline{q} = -\underline{n}^T \underline{k} \underline{\nabla} T \quad (2.12)$$

where  $\underline{n}$  is the outward normal to the surface. Specified heat flow on  $\partial V_q$  therefore is

$$\hat{q}_n = -\underline{n}^T \underline{k} \underline{\nabla} T \quad (2.13)$$

where  $\hat{q}_n$  is prescribed heat flow.

At free surfaces heat is transferred by convection and radiation. These phenomena are complex and difficult to model, but approximate formula can be used. Convection heat transfer is thus calculated as

$$\hat{q}_n^C = \beta (T_s - T_g)^\gamma \quad (2.14)$$

where  $\hat{q}_n^C$  is the rate of heat transferred by convection,  $\beta$  and  $\gamma$  are the convection factor and power, respectively, and  $T_s$  and  $T_g$  are the surface and surrounding gas temperatures, respectively.

Radiation heat flux from a surface is approximated by

$$\hat{q}_n^R = \epsilon_r \sigma (\bar{T}_s^4 - \bar{T}_g^4) \quad (2.15)$$

where  $\sigma$  is the Stefan-Boltzmann constant, and  $\bar{T}_s$  and  $\bar{T}_g$  are absolute surface temperature and absolute surrounding gas temperature, respectively. Resultant emissivity  $\epsilon_r$  varies with surface properties and geometric configuration. If the surface considered is small compared with a surrounding environment at uniform temperature  $T_g$ , resultant emissivity will be equal to surface emissivity  $\epsilon_s$  [6]. When assessing radiation between flames and structures in fire engineering design, resultant emissivity is sometimes calculated assuming radiation between two infinitely long parallel planes [7]; thus,

$$\epsilon_r = \frac{1}{1/\epsilon_s + 1/\epsilon_g - 1} \quad (2.16)$$

where  $\epsilon_g$  is appropriate gas or flame emissivity.

The total heat flux at a boundary is calculated by adding the contributions of convection and radiation:

$$\hat{q}_n = \hat{q}_n^c + \hat{q}_n^r \quad (2.17)$$

### 3. FINITE ELEMENT APPROXIMATION

#### 3.1 Solution Techniques

Since analytical solutions of heat transfer problems are feasible only for linear applications with simple geometries and boundary conditions, a numerical method is used to solve the heat balance equation stated in Chapter 2 for temperature distribution in structural elements. The finite element method is used since it is general with respect to geometry, material properties, and boundary conditions. Nonlinear boundary conditions and the temperature dependence of material properties can be considered when the finite element method described in this chapter is used to analyze temperature distribution in fire-exposed structural elements.

#### 3.2 Basic Approximations

In the finite element method of analysis a solid continuum is idealized by an assemblage of discrete elements. These elements may be of variable size and shape, and connected at a finite number of nodal points. The element boundaries are often linear, although if isoparametric elements are used, curved boundaries can be considered.

The temperature field within each element is approximated by a set of interpolation or shape functions  $N_i$ , chosen so as to define temperature uniquely within each finite element in terms of its nodal temperatures  $T_i$ . Temperature is thus approximated as

$$T = \sum_i N_i(x,y,z) T_i(t) = \underline{N} \underline{T} \quad (3.1)$$

The time differentiation of the temperature is

$$\dot{T} = \underline{N} \dot{\underline{T}} \quad (3.2)$$

Each shape function  $N_i$  is constructed so that it has the value 1 at node  $i$  and is zero at all other nodes. In elements adjacent to node  $i$ ,  $N_i$  takes values less than unity, and in other elements it vanishes [8].

### 3.3 Matrix Equilibrium Equations for Transient Heat Conduction

The heat balance equilibrium equation for transient heat conduction in matrix form can be derived by various methods. The method of weighted residuals will be used here. Thus, Equation (2.9) is substituted into the heat balance equation, Equation (2.5); the resulting expression is multiplied by a weighting function  $v$  and integrated over the body [8]:

$$\int_V v (-\underline{\nabla}^T \underline{k} \underline{\nabla} T + \frac{\partial}{\partial t} (\overline{c\rho T}) - Q) dV = 0 \quad (3.3)$$

The first term is integrated by parts (Green's formula):

$$\begin{aligned} \int_V v (-\underline{\nabla}^T \underline{k} \underline{\nabla} T) dV &= -\int_V \underline{n}^T \underline{k} \underline{\nabla} T dS + \\ &+ \int_V (\underline{\nabla} v)^T \underline{k} \underline{\nabla} T dV \end{aligned} \quad (3.4)$$

where  $\underline{n}$  is the outward normal to the boundary  $\partial V$ . A set of weighting functions  $v_i$  equal to the shape functions  $N_i$  (the Galerkin method) is then chosen, i.e.

$$v_i = N_i \quad (3.5)$$

Equations (3.1, 3.2, 3.4, 3.5) are substituted into Equation (3.3), yielding the matrix heat balance equation

$$\begin{aligned} \int_V \left[ (\underline{\nabla} \underline{N})^T \underline{k} \underline{\nabla} \underline{N} dV \right] \underline{T} + \frac{\partial}{\partial t} \left[ \int_V \underline{N}^T \overline{c\rho} \underline{N} dV \underline{T} \right] &= \\ = \int_V \underline{N}^T Q dV + \int_{\partial V} \underline{N}^T \underline{n}^T \underline{k} \underline{\nabla} T dS \end{aligned} \quad (3.6)$$



or

$$\underline{F}_T + \frac{\partial}{\partial t}(\underline{E}) = \underline{F}_Q + \underline{F}_q \quad (3.7)$$

where  $\underline{F}_T$ ,  $\underline{E}$ ,  $\underline{F}_Q$  and  $\underline{F}_q$  are vectors of nodal heat flow due to conduction, enthalpy or heat stored in elements adjacent to nodes, rate of internally generated heat per unit volume, and rate of heat flow supplied at the boundary, respectively. The vector of internal heat flow due to conduction is

$$\underline{F}_T = \underline{K} \underline{T} \quad (3.8)$$

where  $\underline{K}$  is the heat conductivity matrix.

Equation (3.8) is substituted into Equation (3.7) to yield

$$\underline{K} \underline{T} + \frac{\partial}{\partial t}(\underline{E}) = \underline{F} \quad (3.9)$$

where

$$\underline{F} = \underline{F}_Q + \underline{F}_q \quad (3.10)$$

The nodal enthalpy vector is

$$\underline{E} = \underline{C} \underline{T} \quad (3.11)$$

where  $\underline{C}$  is the nominal heat capacity matrix. This expression is substituted into Equation (3.9)

$$\underline{K} \underline{T} + \frac{\partial}{\partial t}(\underline{C} \underline{T}) = \underline{F} \quad (3.12)$$

Alternatively, the heat balance equation can be expressed in terms of nodal enthalpy rather than in terms of temperature

$$\underline{K}^* \underline{E} + \frac{\partial}{\partial t}(\underline{E}) = \underline{F} \quad (3.13)$$

where

$$\underline{K}^* = \underline{K} \underline{C}^{-1} \quad (3.14)$$

The integrals in Equation (3.6) are evaluated over all elements  $m$  and boundary elements  $\partial m$ . Thus

$$\underline{K} = \sum_m \underline{K}^m \quad (3.15)$$

$$\underline{C} = \sum_m \underline{C}^m \quad (3.16)$$

$$\underline{F} = \sum_m \underline{F}_{-Q}^m + \sum_{\partial m} \underline{F}_{-q}^{\partial m} \quad (3.17)$$

where

$$K_{ij}^m = \int_{V^m} (\underline{v} N_i)^T \underline{k} (\underline{v} N_j) dV \quad (3.18)$$

$$C_{ij}^m = \int_{V^m} N_i \overline{c\rho} N_j dV \quad (3.19)$$

$$F_{Qi}^m = \int_{V^m} N_i Q dV \quad (3.20)$$

and

$$F_{qi}^{\partial m} = \int_{\partial V^m} N_i \underline{n}^T \underline{k} \underline{v} T dS \quad (3.21)$$

$V^m$  and  $\partial V^m$  are element volumes and boundary element surfaces, respectively.

The integrals of Equations (3.18-3.21) are often solved numerically by Gaussian quadrature. Explicit expressions can be derived for simple rectangular two dimensional elements as used in TASEF-2, as will be shown in the following sections.

### 3.3.1 Conductivity Matrix

In this section the element conductivity matrix  $\underline{K}^m$  for the simple two-dimensional rectangular element used in

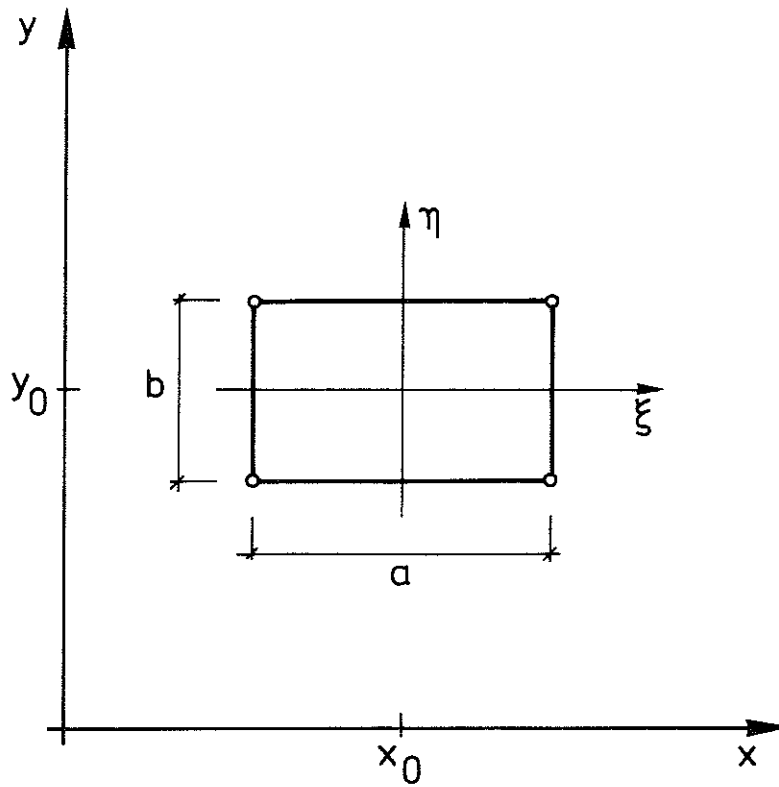


Figure 3.1. Rectangular finite element

program TASEF-2 will be derived. Consider the rectangular element with sides parallel with the axes and of lengths  $a$  and  $b$  as shown in Figure 3.1. Make the variable substitutions

$$\xi = (x - x_0)/a \quad (3.22)$$

and

$$\eta = (y - y_0)/b \quad (3.23)$$

where  $\xi$  and  $\eta$  are dimensionless coordinates in a local system. A set of allowable shape functions is then

$$N_i = (1 + \xi\xi_i)(1 + \eta\eta_i)/4 \quad (3.24)$$

where  $i$  takes values from 1 to 4, and

$$\underline{\nabla} N_i = \begin{bmatrix} \frac{\partial N_i}{\partial x} \\ \frac{\partial N_i}{\partial y} \end{bmatrix} = \begin{bmatrix} \frac{1}{a} \frac{\partial N_i}{\partial \xi} \\ \frac{1}{b} \frac{\partial N_i}{\partial \eta} \end{bmatrix} = 1/4 \begin{bmatrix} \frac{\xi_i}{a} (1 + \eta \eta_i) \\ \frac{\eta_i}{b} (1 + \xi \xi_i) \end{bmatrix} \quad (3.25)$$

Equation (3.25) is substituted into Equation (3.18) and constant thickness  $d$  and conductivity  $k$  are assumed for the element. Thus the local element conductivity matrix  $\underline{K}^m$  is, after evaluation of simple integrals,

$$\underline{K}^m = \frac{1}{3} \frac{kd}{ab} \begin{bmatrix} a^2 + b^2 & -b^2 + \frac{a^2}{2} & -\frac{b^2}{2} - \frac{a^2}{2} & \frac{b^2}{2} - a^2 \\ & a^2 + b^2 & \frac{b^2}{2} - a^2 & -\frac{b^2}{2} - \frac{a^2}{2} \\ & & a^2 + b^2 & -b^2 + \frac{a^2}{2} \\ \text{sym.} & & & a^2 + b^2 \end{bmatrix} \quad (3.26)$$

If conductivity  $k$  for a particular application varies with temperature,  $k$  at average nodal temperature is used in the calculation.

### 3.3.2 Heat Capacity and Volume Matrices

The computation of the element heat capacity matrix  $\underline{C}^m$  as given in Equation (3.19) results in a fully populated matrix identical in form to the element conductivity matrix  $\underline{K}^m$ . The assembled heat capacity matrix  $\underline{C}$  is symmetric, positive-definite, and has the same nonzero structure as the system conductivity matrix  $\underline{K}$ . The element heat capacity matrix  $\underline{C}^m$  can, however, be approximated by a lumped diagonal matrix with no loss of accuracy. The lumping eliminates the coupling between the time rate-of-change of temperature at adjacent nodes and results in a diagonal heat capacity matrix  $\underline{C}$ . Such an approximation facilitates solution of the heat balance equation as will be shown in Section 3.4.

The lumped element heat capacity matrix  $C_{ii}^m$  is formed in TASEF-2 as:

$$C_{ii}^m = \overline{c\rho}^m(T_i) W_{ii}^m \quad (3.27)$$

where  $\overline{c\rho}^m(T_i)$  is nominal specific volumetric heat capacity at nodal temperature  $T_i$  and  $W_{ii}^m$  the volume of element  $m$  associated with node  $i$ . For rectangular 4-node elements the volume associated with each node is a quarter of an element. If all elements connected at a node  $i$  are of the same material, the lumped heat capacity matrix can be stated as:

$$C_{ii} = \overline{c\rho}(T_i) W_{ii} \quad (3.28)$$

where

$$W_{ii} = \sum_m W_{ii}^m \quad (3.29)$$

defines the global diagonal volume matrix.

### 3.3.3 Internally Generated Heat

Internally generated heat is calculated elementwise using the volume matrix  $\underline{W}$ . Thus for a node  $i$

$$F_{Qi} = \sum_m Q_i^m W_{ii}^m \quad (3.30)$$

where  $Q_i^m$  is the rate of heat generated per unit volume at node  $i$  in element  $m$  and  $W_{ii}^m$  is the volume adjacent to node  $i$  of element  $m$ . In TASEF-2 the rate of internally generated heat is input as a function of temperature.

### 3.3.4 Boundary Heat Flow

Either heat flow  $F_{qi}$  or temperature  $T_i$  are prescribed for all nodes  $i$ . On that part  $\partial V_q$  of the boundary where heat

flow is prescribed, nodal heat flow is calculated by substituting Equation (2.13) into Equation (3.21):

$$F_{qi}^{\partial m} = - \int_{\partial V_q^m} N_i \hat{q}_n \, dS \quad (3.31)$$

The shape functions  $N_i$  are linear along the boundaries. Thus for a boundary element  $\partial m$  with lengths  $s$  and thickness  $d$  as shown in Figure 3.2 the nodal heat flow to an adjacent node  $i$  is

$$F_{qi}^{\partial m} = -1/6 \, sd(2\hat{q}_{ni}^{\partial m} + \hat{q}_{nj}^{\partial m}) \quad (3.32)$$

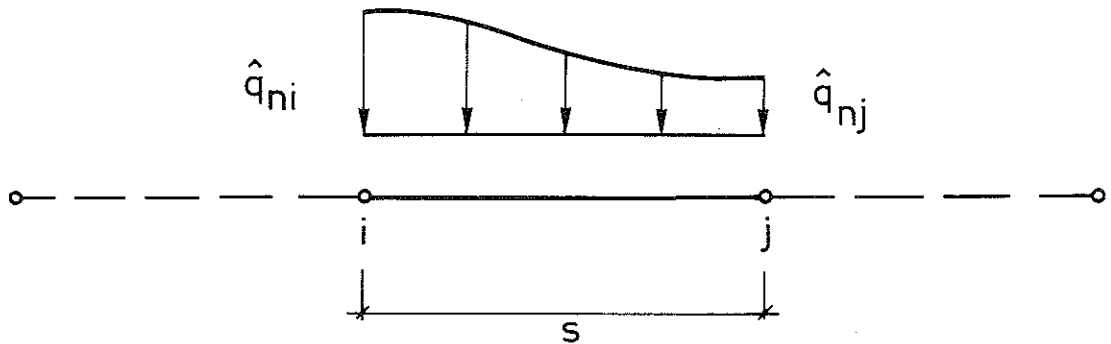


Figure 3.2. Heat flow to a boundary element

Equations (2.14 and 2.15) are then used to yield

$$\hat{q}_{ni}^{\partial m} = - \left[ \epsilon_r \sigma (\bar{T}_{gi}^4 - \bar{T}_i^4) + \beta (\bar{T}_{gi} - \bar{T}_i)^\gamma \right] \quad (3.33)$$

where  $\bar{T}_{gi}$  and  $\bar{T}_i$  are absolute gas and surface temperature at node  $i$ , respectively;  $\epsilon_r$  is resultant emissivity, and  $\beta$  and  $\gamma$  are convection factor and power, respectively, for a boundary element  $\partial m$ . Equation (3.33) is substituted into Equation (3.32) to yield

$$F_{qi}^{\partial m} = B_{rii}^{\partial m} T_{ri} + B_{rij}^{\partial m} T_{rj} + B_{cii}^{\partial m} T_{ci} + B_{cij}^{\partial m} T_{cj} \quad (3.34)$$

where  $i$  and  $j$  are nodes adjacent to a boundary element  $\partial m$  and

$$B_{rii}^{\partial m} = \frac{1}{3} sd \epsilon_r \sigma \quad (3.35)$$

$$B_{rij}^{\partial m} = \frac{1}{2} B_{rii}^{\partial m} \quad (3.36)$$

$$B_{cii}^{\partial m} = \frac{1}{3} sd \beta \quad (3.37)$$

$$B_{cij}^{\partial m} = \frac{1}{2} B_{cii}^{\partial m} \quad (3.38)$$

$$T_{ri} = \bar{T}_{gi}^4 - \bar{T}_i^4 \quad (3.39)$$

and

$$T_{ci} = (\bar{T}_{gi} - \bar{T}_i)^4 \quad (3.40)$$

External heat flow to all boundary nodes is assembled in matrix form to

$$\underline{F}_q = \underline{B}_r \underline{T}_r + \underline{B}_c \underline{T}_c \quad (3.41)$$

where  $\underline{T}_r$  and  $\underline{T}_c$  are vectors of modified nodal temperature as defined by Equations (3.39 and 3.40), respectively, and  $\underline{B}_r$  and  $\underline{B}_c$  are boundary radiation and convection matrices, respectively, where

$$B_{rij} = \sum_{\partial m} B_{rij}^{\partial m} \quad (3.42)$$

and

$$B_{cij} = \sum_{\partial m} B_{cij}^{\partial m} \quad (3.43)$$

Summation need be carried out only for the two boundary elements adjacent to a node  $i$  as only these contribute to the external heat flow to that node.

In TASEF-2 boundary nodes must be input sequentially around the boundary. The boundary matrices  $\underline{B}_r$  and  $\underline{B}_c$  then become tri-diagonal, i.e. only elements in the diagonal and adjacent to the diagonal have nonzero values, and since they are symmetric only two column matrices need be stored. The boundary matrices will remain constant and need be established only once when emissivity  $\epsilon_r$  and convection factor  $\beta$  are assumed constant.

### 3.4 Time Integration

The heat flow equilibrium equation in matrix form may be solved by directly integrating the coupled differential equation step-by-step. If nodal enthalpy and external heat flow are assumed to vary linearly within each time step, Equation (3.13) can be approximated as

$$\begin{aligned} \theta K_{t+\Delta t}^* \underline{E}_{t+\Delta t} + (1-\theta) K_t^* \underline{E}_t + (\underline{E}_{t+\Delta t} - \underline{E}_t) / \Delta t = \\ = \theta \underline{F}_{t+\Delta t} + (1-\theta) \underline{F}_t \end{aligned} \quad (3.44)$$

where the indices indicates time, and where  $\theta$  is an arbitrary parameter in the range

$$0 \leq \theta \leq 1 \quad (3.45)$$

If different values are assigned to  $\theta$  various time integration schemes are defined. Thus for  $\theta = 0, 0.5,$  and  $1,$  the wellknown forward-, mid-, and backward-difference methods, respectively, are obtained. While for linear problems the latter two methods are unconditionally stable, i.e. for any time increment  $\Delta t$  used solutions will not diverge, the forward-difference method will converge only if the time-increment  $\Delta t$  is less than a critical value  $\Delta t_{cr}$ . The value of this critical time increment depends on element size, material properties, and boundary conditions. If  $\underline{C}$  is a diagonal (lumped) matrix the solution for  $\underline{T}_{t+\Delta t}$  is straight forward; each value can be computed directly from its precursor without the need to solve



simultaneous equations. Thus the forward-difference method is explicit while the mid- and backward-difference methods are implicit and require an equation system to be solved at each time step. Although such solutions can be very costly for nonlinear problems, implicit methods are often used because they are unconditionally stable with respect to length of time increment.

Time increments are, however, also limited by the requirement that variations in boundary conditions and material properties be adequately followed. Therefore in many problems in fire engineering, short time increments must be used even if implicit methods are employed; the magnitude of the critical time steps for the explicit Euler method is thus often the same as that required to follow changes in boundary conditions. Since during each time-step explicit methods require less computation, the forward-difference method becomes favourable. In the following section it will also be shown that the Euler method is particularly advantageous when specific heat for a material varies with temperature or when energy-consuming phase changes occur.

#### 3.4.1 Forward Differences

For  $\theta = 0$  in Equation (3.44) the explicit forward difference formula is

$$\underline{E}_{t+\Delta t} = \underline{E}_t + (\underline{F}_t - K_t^* \underline{E}_t) \Delta t \quad (3.46)$$

or after substitution of Equation (3.11) and (3.14)

$$\underline{E}_{t+\Delta t} = \underline{E}_t + (\underline{F}_t - K_t T) \Delta t \quad (3.47)$$

Equation (3.11) is then used to obtain temperature at a node  $i$ :

$$T_{i,t+\Delta t} = C_{ii}^{-1}(T_{i,t+\Delta t})E_{i,t+\Delta t} \quad (3.48)$$

If  $C_{ii}$  varies with temperature the exact solution of Equation (3.48) is obtained by iteration. However, if all elements around a node  $i$  are of the same material the specific volumetric enthalpy is calculated as

$$e_{i,t+\Delta t} = E_{i,t+\Delta t}/W_{ii} \quad (3.49)$$

and  $T_{i,t+\Delta t}$  is obtained by using the temperature-specific volumetric enthalpy relation as shown in Figure 3.3. The latter method is computationally very fast and is therefore used when ever possible in TASEF-2. For nodes at interfaces between elements of different materials, the following iteration formula is used to calculate temperature

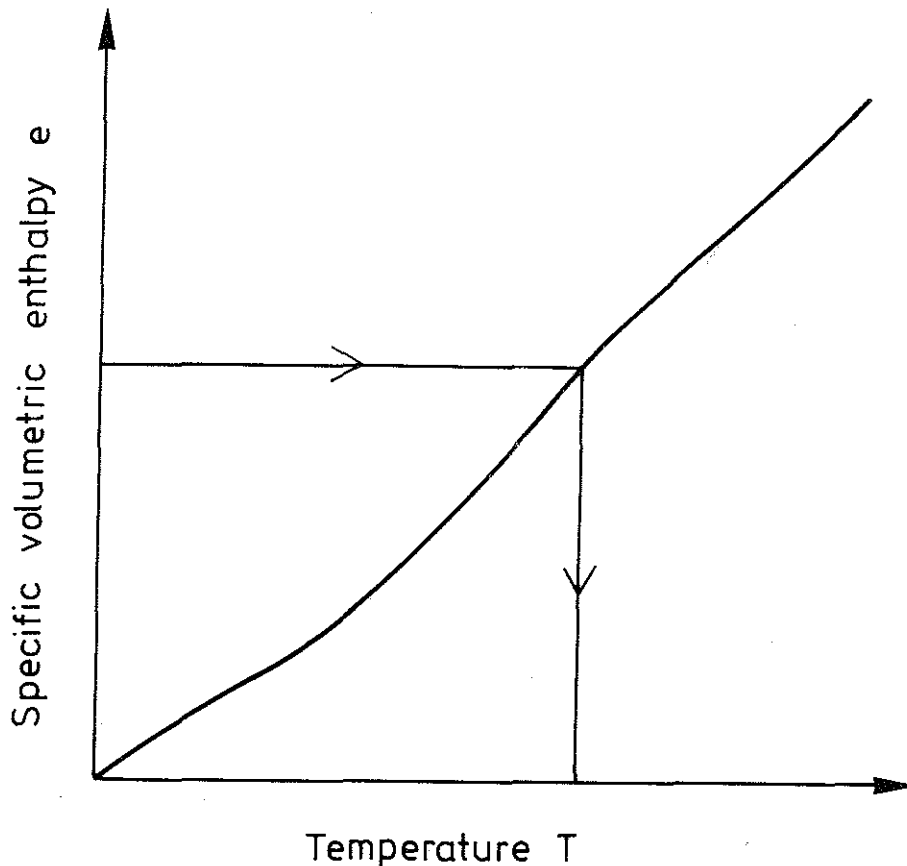


Figure 3.3. Translation of specific volumetric enthalpy into temperature

$$T_{i,t+\Delta t}^{j+1} = C_{ii}^{-1} (T_{i,t+\Delta t}^j) E_{i,t+\Delta t} \quad (3.50)$$

where j refers to iteration steps. For the first iteration step temperature from the previous time step is assumed. Iteration terminates when the difference between the nodal temperature from two successive iterations is less than a permissible value  $\delta$  expressed as

$$\frac{T_{i,t+\Delta t}^{j+1} - T_{i,t+\Delta t}^j}{T_{i,t+\Delta t}^{j+1} + T_{i,t+\Delta t}^j} < \delta/2 \quad (3.51)$$

$\delta$  is in TASEF-2 set equal 1%. Normally, convergence is achieved in a small number of iteration steps.

#### 3.4.2 Critical Time Increment

To derive a simple expression by which the critical time increment  $\Delta t_{cr}$  can be estimated, the first steps in a modal solution of the heat flow equilibrium equation are shown below. If the nominal heat capacity matrix  $\underline{C}$  is assumed to be time independent, Equation (3.12) is

$$\underline{C} \frac{\partial}{\partial t} \underline{T} + \underline{K} \underline{T} = \underline{F} \quad (3.52)$$

At any time step, the righthand side of Equation (3.51) can be linearized at current temperature; thus, matrix  $\underline{K}_F$  is defined by

$$K_{Fij} = \frac{dF_i}{dT_j} \quad (3.53)$$

where i and j denote rows and columns. Thus the homogeneous part of Equation (3.52) is

$$\underline{C} \frac{\partial}{\partial t} \underline{T} + \underline{\bar{K}} \underline{T} = \underline{0} \quad (3.54)$$

where

$$\underline{\bar{K}} = \underline{K} - \underline{K}_F \quad (3.55)$$

In case of homogeneous boundary conditions, solutions of Equation (3.54) have the form

$$\underline{T} = e^{-\lambda t} \underline{\phi} \quad (3.56)$$

where  $\underline{\phi}$  is a vector independent of time  $t$ . Multiply by the inverse of the diagonal matrix  $\underline{C}$ :

$$-\lambda e^{-\lambda t} \underline{\phi} + \underline{C}^{-1} \underline{K} e^{-\lambda t} \underline{\phi} = 0 \quad (3.57)$$

Because  $e^{-\lambda t}$  can never be equal zero, the eigenvalue problem

$$(\underline{C}^{-1} \underline{K}) \underline{\phi} = \lambda \underline{\phi} \quad (3.58)$$

arises. Equation (3.58) is an  $n$ :th order equation where  $n$  is the number of temperature degrees of freedom in the system. There are  $n$  solutions of eigenvalues (thermal frequencies)  $\lambda_1, \lambda_2 \dots \lambda_n$  with corresponding eigenvectors (thermal modes)  $\phi_1, \phi_2 \dots \phi_n$ .

The critical time increment for a forward difference scheme is now obtained [8]

$$\Delta t_{cr} = \frac{2}{\lambda_{max}} \quad (3.59)$$

where  $\lambda_{max}$  is the maximum eigenvalue.

Exact calculation of  $\lambda_{max}$  at every time step is very time consuming. The Gerschgorin's theorem [9], however, states that the maximum eigenvalue of a matrix with elements  $a_{ij}$  is

$$\lambda \leq \max_i (a_{ii} + \sum_j |a_{ij}|) \quad j \neq i \quad (3.60)$$

where  $i$  and  $j$  are rows and columns, respectively. The

diagonal elements of the heat conduction matrix  $\underline{K}$  are equal to the negative sum of the off-diagonal elements of the corresponding row, i.e.

$$K_{ii} = -\sum_j K_{ij} \quad (3.61)$$

Thus the maximum eigenvalue of Equation (3.58) is

$$\lambda_{\max} \leq \max_i \left[ C_{ii}^{-1} (2K_{ii} + \sum_j K_{Fij}) \right] \quad (3.62)$$

and an upper limit to the critical time increment is

$$\Delta t_{\text{cr}} = \min_i \left[ \frac{C_{ii}}{K_{ii} + \frac{1}{2} \sum_j K_{Fij}} \right] \quad (3.63)$$

This approximation is used in TASEF-2 to update the critical time increment at each time step; time increments are thus continually adjusted to account for current conditions.

In Equation (3.63) it is implicit that for nodes for which the ratio of heat capacity to thermal conductance to adjacent nodes is small, the critical time increment will be very small. When possible without jeopardizing accuracy, thermal resistance between such nodes can then be neglected; the temperature of these nodes is set to the same value. All terms for these coupled nodes are combined. The resulting denominator in Equation (3.63) is reduced while  $C_{ii}$  is increased; the resulting critical time step for this region is thus substantially increased. When calculating temperature in fire-exposed steel structures, for example, the difference in temperature between opposite sides of steel sheets will in most cases be negligible. Corresponding nodes can therefore be coupled without losing accuracy (see Example II and III in Section 5). At boundaries for which the heat transfer coefficient is high, short time increments may be avoided by prescribing surface temperature instead of heat transfer. This approximation is particularly useful when analyzing heat transfer in light insulating materials.

#### 4. COMPUTER PROGRAM

The computer program TASEF-2 (Temperature Analysis of Structures Exposed to Fire - Two Dimensional Version) is developed for the analysis of thermal response of a variety of structures exposed to fire. It is coded on the basis of the theory presented in previous sections of this report. All subroutines are coded in Fortran V, while the main program is coded in NuAlgol in order to permit dynamic allocation of arrays. As all storage is in core, the number of nodes and elements in a structure is limited by available computer memory.

Input of geometric data to the current version of TASEF-2 has been automated. A structure is generated from a base rectangle with two sides that coincide with the x- and y-axes, and two at maximum x- and y-coordinates. A mesh is then generated by lines either at specified distances or at prescribed coordinates. Rectangular subregions either with elements of different material than that of the main region, or fictitious elements in voids or cut outs from the base rectangle, are defined in the input by their minimum and maximum x- and y-coordinates. Any structure that can be assembled of rectangular elements is therefore easily generated.

The material properties conductivity and specific volumetric enthalpy are assumed to vary piecewise linearly with temperature, and are input for each region as a number of temperature property-value pairs. As the conductivity of heated concrete in the cooling phase remains approximately as at maximum temperature, the user can specify that, for appropriate regions, conductivity in the cooling phase is to be calculated as a function of maximum instead of current temperature.

The critical time increment for nodes close to each other or separated by a material with high thermal diffusivity will be very short (see Section 3.4.2). Such nodes may be coupled to other adjacent nodes, i.e. their temperature will be prescribed to be equal. Errors thus introduced are negligible if the exact temperature at the coupled nodes differs little.

Nodes with common properties can be grouped to facilitate input and computation. Such groups may consist of nodes at boundaries with prescribed temperature or heat transfer conditions. Node groups are also used to define voids where heat transfer by convection and radiation occur. Emissivity and convection factor and power are assigned to node groups, where appropriate.

Heat exchange by convection and radiation between enclosure surfaces in structures with voids may be considered. The procedure is fully described in [10]. View factors between surfaces defined by the nodes on the enclosure surfaces are calculated automatically by the program. Convection is computed assuming that no exchange of enclosed air occurs and that heat stored in the air is negligible for the heat balance of the surrounding solid. Portions of enclosure surfaces are assigned heat transfer properties by using several node groups to define each void.

The temperature of boundary nodes or of the surrounding gas is defined as a constant ambient temperature or a time-dependent fire temperature. A fire temperature history is specified by a number of points on a time-temperature curve. Temperature between these points is obtained by linear interpolation. If the time-temperature relation specified for the ISO 834 standard fire resistance test [11] is assumed, the fire temperature  $T_f$  may instead be calculated as

$$T_f = T_o + 345 \log_{10}(430t + 1) \quad (4.1a)$$

for  $t \leq t_u$ , when  $T_o$  is ambient temperature, and  $t$  and  $t_u$  are time and duration of heating phase, respectively, in hours. In the cooling phase the fire temperature decreases at the following rates:

$$\begin{array}{llll} 625 & ^\circ\text{C/h} & \text{if } t_u \leq 0.5 & \text{h} \\ 250(3-t_u) & ^\circ\text{C/h} & \text{if } 0.5 \leq t_u \leq 2 & \text{h} \\ 250 & ^\circ\text{C/h} & \text{if } t_u > 2 & \text{h} \end{array} \quad (4.1b)$$

The forward difference time integration scheme described in Section 3.4 is used. The conductivity matrix (Section 3.3.1) is symmetric and banded, and therefore only the lower half band including the diagonal of the matrix is formed. The heat capacity and volume matrices (Section 3.3.2) are diagonal (lumped) and are therefore stored as vectors. The conductivity matrix is updated either at each time step or at intervals specified in the input. Computer time is saved if updating can be avoided without sacrificing accuracy.

At each time step the length of the critical time increment is computed as described in Section 3.4.2 and a time increment is obtained by multiplying by a time increment factor specified by the user, usually in the range 0.75-1.0. Values greater than this range may cause numerical instability, while smaller values will prolong computation without necessarily increasing accuracy. If the critical time increment is very long in relation to the rate of change of boundary temperature, the user may specify an upper limit to the time increment.

Nodal temperature is printed at specified times. Maximum nodal temperatures obtained during an analysis are currently stored in a vector and are used in calculations of conductivity for certain elements as described above. When a nodal temperature begins to decrease, node number, maximum



temperature, and time of occurrence are printed. Finally, when the analysis is terminated at a time specified in the input, maximum nodal temperatures are printed.

A summary of the solution technique and detailed input instructions and a complete listing of the program are given in Appendices A and B, respectively.

## 5. EXAMPLES

Three examples were solved to demonstrate the use and verify the accuracy of TASEF-2. The solution of the first problem is compared to an analytical solution and results from the others to experimental data. Input cards for the examples are listed in Appendix C.

### 5.1 Example I - Square Plate Subjected to Heat Transfer from Surrounding Gas

A square plate with side lengths  $2\ell$  as shown in Figure 5.1a initially at uniform temperature  $T_o$  is suddenly subjected to an environment of uniform gas temperature  $T_g$ . Heat transfer  $q$  at the boundary to the body surface is

$$q = h(T_g - T_s)$$

where  $T_s$  is surface temperature and  $h$  a heat transfer coefficient assumed constant. Conductivity  $k$ , density  $\rho$ , and specific heat capacity  $c$  are assumed constant. The following dimensionless parameters are introduced for convenience:

$$\theta = (T - T_g)/(T_o - T_g)$$

$$Fo = at/\ell^2$$

$$Bi = h\ell/k$$

where the thermal diffusivity  $a$  is

$$a = k/c\rho$$

and  $Fo$  and  $Bi$  are the Fourier and Biot numbers, respectively. By separation of variables, analytical product

solutions as infinite sums are obtained to this problem [12]. The temperature at the center of the plate was calculated analytically and numerically by the program TASEF-2 for  $Bi = 1$ .

As the problem is symmetrical only one quadrant need be analyzed. Numerical solutions were obtained using a coarse mesh of 4 elements and a fine mesh of 16 elements as shown in Figure 5.1b. By assigning a time increment factor equal to one, time steps equal to  $0.0667 a/l^2$  and  $0.0200 a/l^2$  were calculated for the coarse and fine meshes, respectively.

Numerical results obtained with TASEF-2 and the exact analytical solution are given in Table 5.1. Errors in the numerical solutions are small even for the coarse mesh with only 4 elements.

## 5.2 Steel Beams Embedded in Concrete

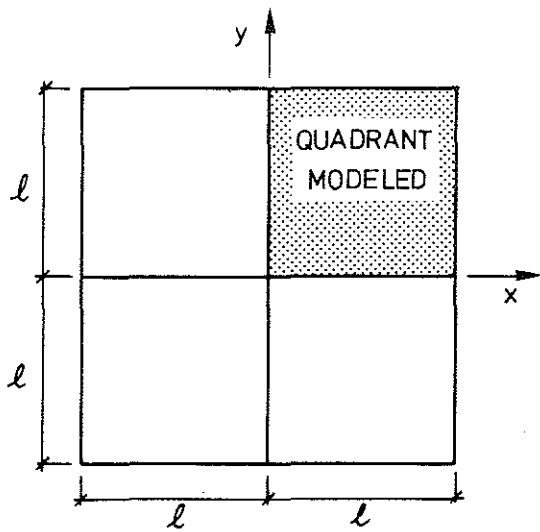
### 5.2.1 Material Properties and Boundary Conditions

A wide-flange I-beam and a box girder of steel embedded in normal concrete, as shown in Figures 5.2 and 5.3, were exposed on one side to a model fire that approximately corresponded to the ISO 834 standard time-temperature curve in a test furnace. Steel and concrete temperatures were measured at several points over the cross section and compared to temperature predicted by the program TASEF-2.

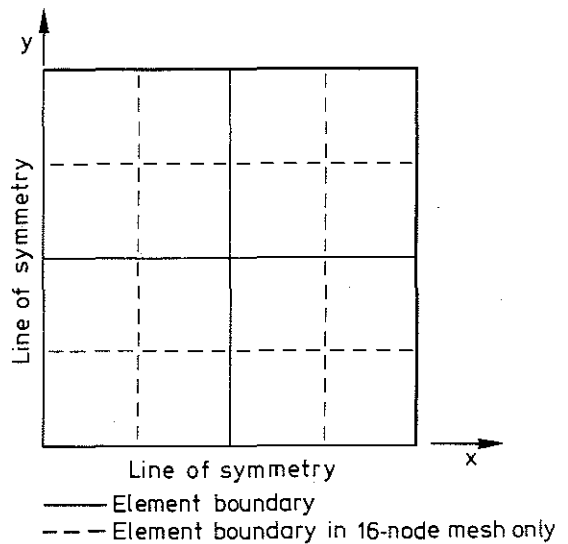
Conductivity and specific volumetric heat of steel were assumed to vary with temperature as shown in Figures 5.4 and 5.5 [13]. Latent heat due to phase changes at temperature around  $725^{\circ}\text{C}$  is considered. The thermal properties of concrete vary considerably with type of mix, moisture content, curing, age, etc. The assumed temperature-

Table 5.1. Comparison of analytically [11] and numerically calculated dimensionless temperature  $\theta$  at center of square plate exposed to heat transfer from surrounding gas,  $Bi=1$

| Dimensionless time $Fo$ | Exact solution | Coarse mesh<br>4 elements<br>$\Delta t=0.0667 \text{ at}/\ell^2$ |        | Fine mesh<br>16 elements<br>$\Delta t=0.0200 \text{ at}/\ell^2$ |        |
|-------------------------|----------------|--|--------|---|--------|
|                         |                | Numerical solution   | Error  | Numerical solution  | Error  |
| 0.1                     | 0.9864         |  |        | 0.993   | -0.007 |
| 0.2                     | 0.9038         | 0.925  | -0.021 | 0.909   | -0.005 |
| 0.4                     | 0.6902         | 0.688  | 0.002  | 0.690   | -      |
| 0.6                     | 0.5147         | 0.505  | 0.009  | 0.512   | 0.003  |
| 0.8                     | 0.3827         | 0.370  | 0.012  | 0.379   | 0.004  |
| 1.0                     | 0.2845         | 0.271  | 0.013  | 0.281   | 0.004  |
| Number of time steps    |                | 15   |        | 50  |        |



(a) Square plate



(b) Finite element meshes for square quadrant

Figure 5.1. Finite element model for calculating heat transfer in a square plate

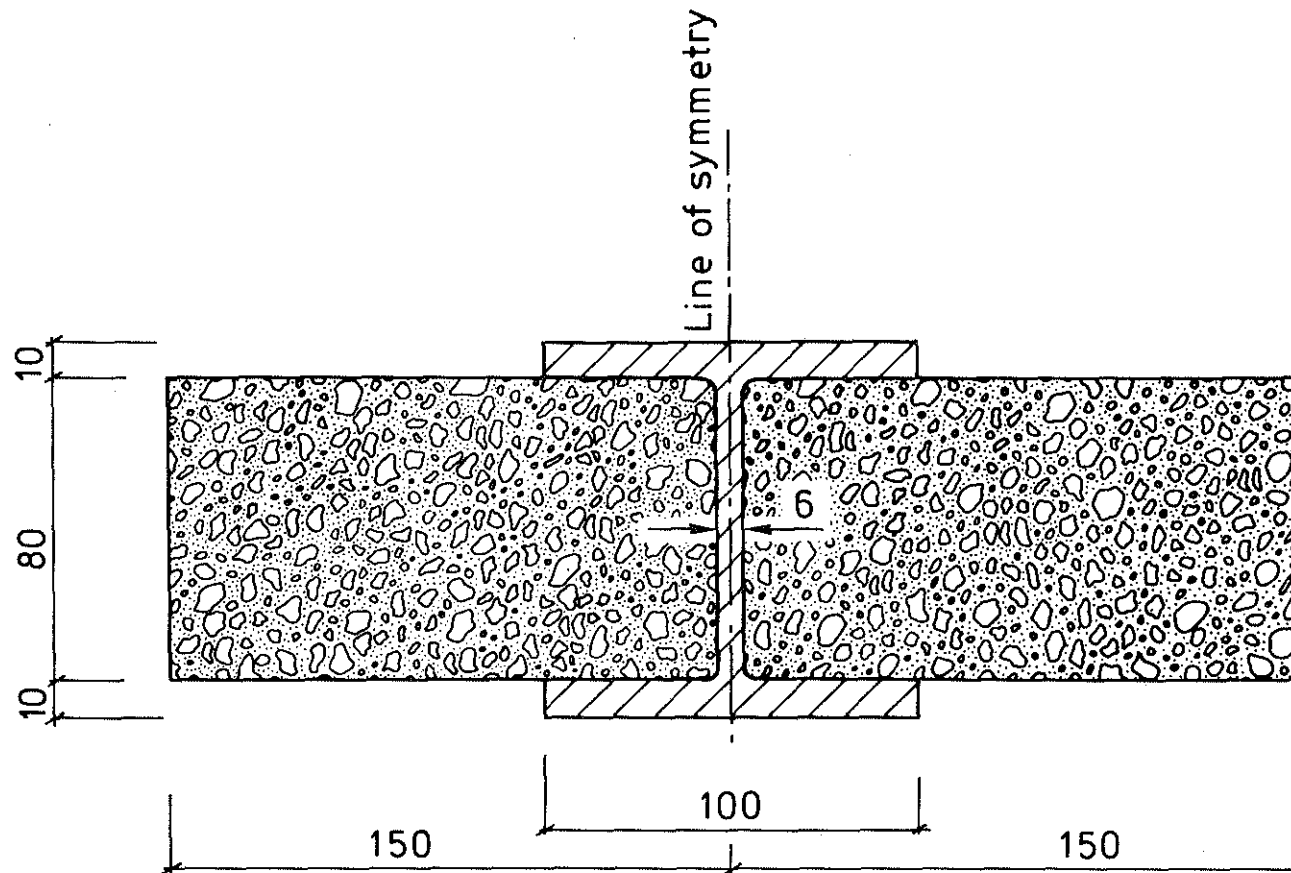


Figure 5.2. Wide-flange I-beam (HE100B) embedded in a concrete slab. The vertical sides were insulated during furnace test. Dimensions in mm

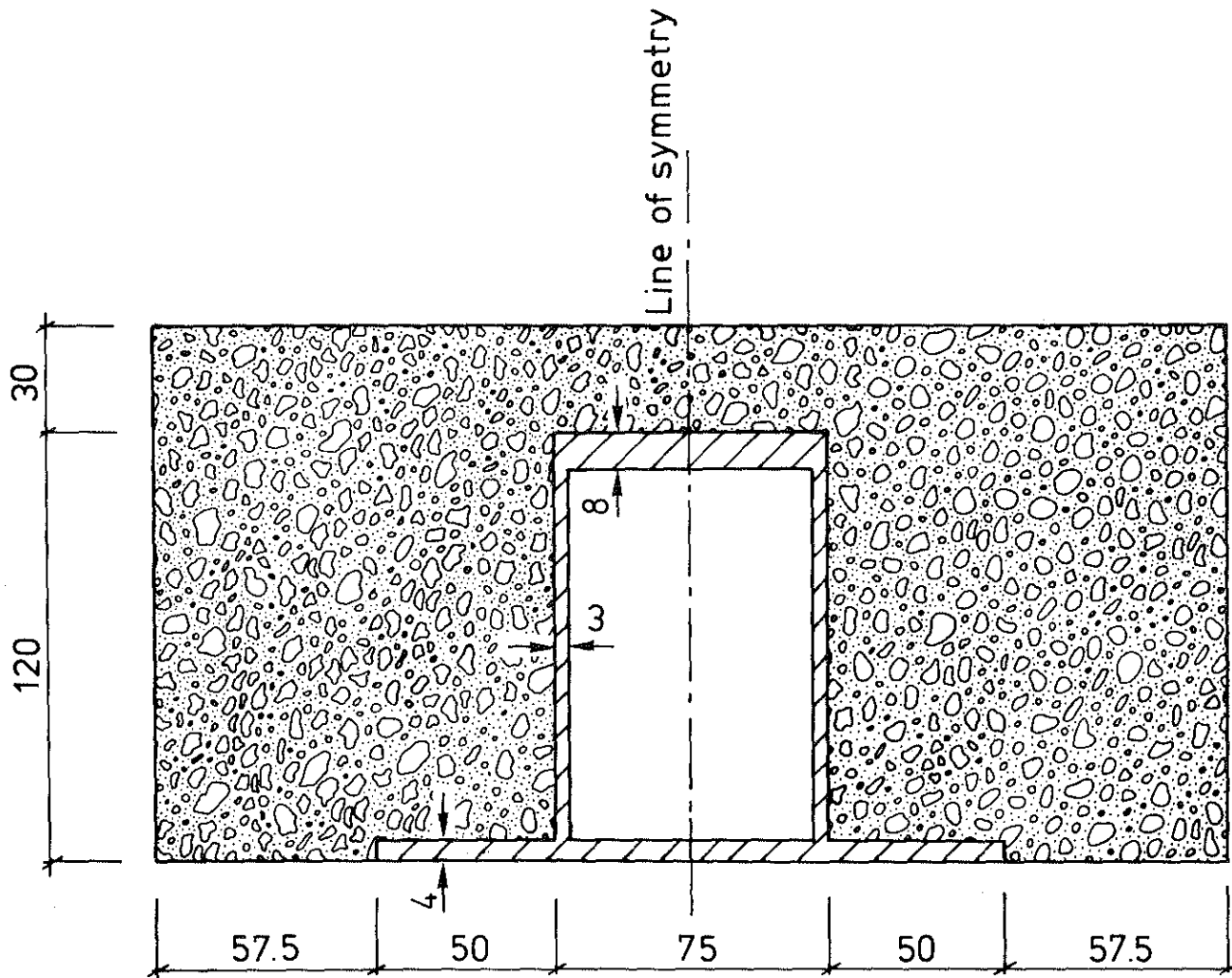


Figure 5.3. Box girder embedded in a concrete slab. The vertical concrete sides were insulated during furnace test. Dimensions in mm

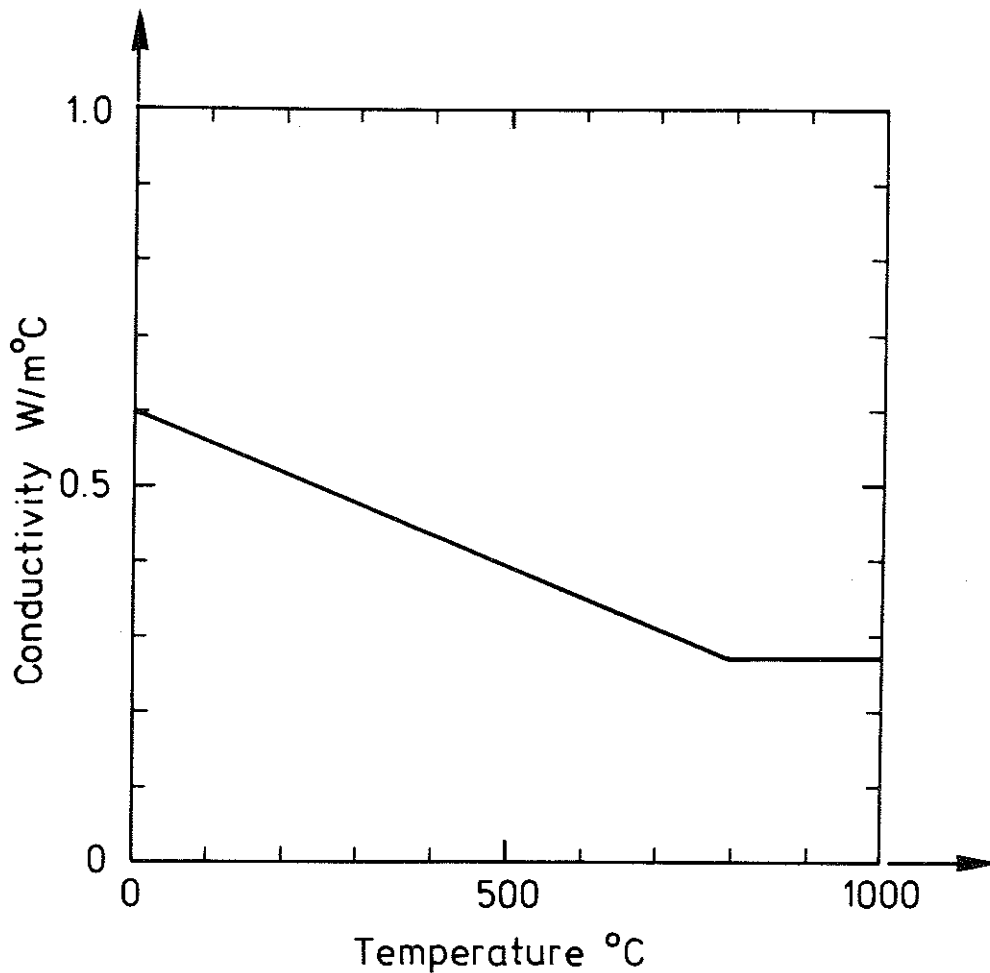


Figure 5.4. Conductivity of steel

conductivity relation (Figure 5.6) was that measured by the Stålhane Pyk method for the type of concrete used in the test [14]. The assumed variation of specific volumetric enthalpy with temperature is based on measurements on dry concrete [15]. Enthalpy corresponding to heating and evaporation of moisture is then calculated and added. Thus the specific enthalpy  $e$  for concrete with a moisture content  $u$  is

$$e(T) = e^C(T) + u e^W(T)$$

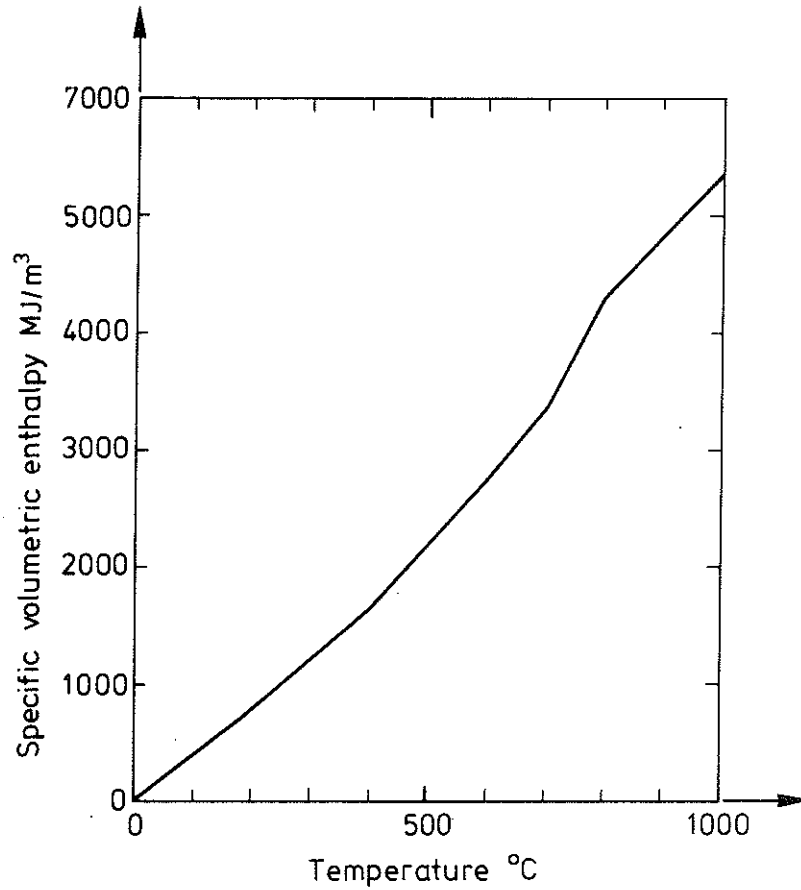


Figure 5.5. Specific volumetric enthalpy of steel

where  $e^C$  and  $e^W$  are specific enthalpy for dry concrete and water, respectively. If the water is assumed to evaporate linearly in the temperature range of  $T_1$  to  $T_2$ :

$$e^W(T) = c^W T \quad \text{for } T < T_1$$

$$e^W(T_2) = e^W(T_1) + \frac{1}{2} c^W (T_2 - T_1) + a^W \quad \text{for } T = T_2$$

$$e^W(T) = e^W(T_2) \quad \text{for } T > T_2$$



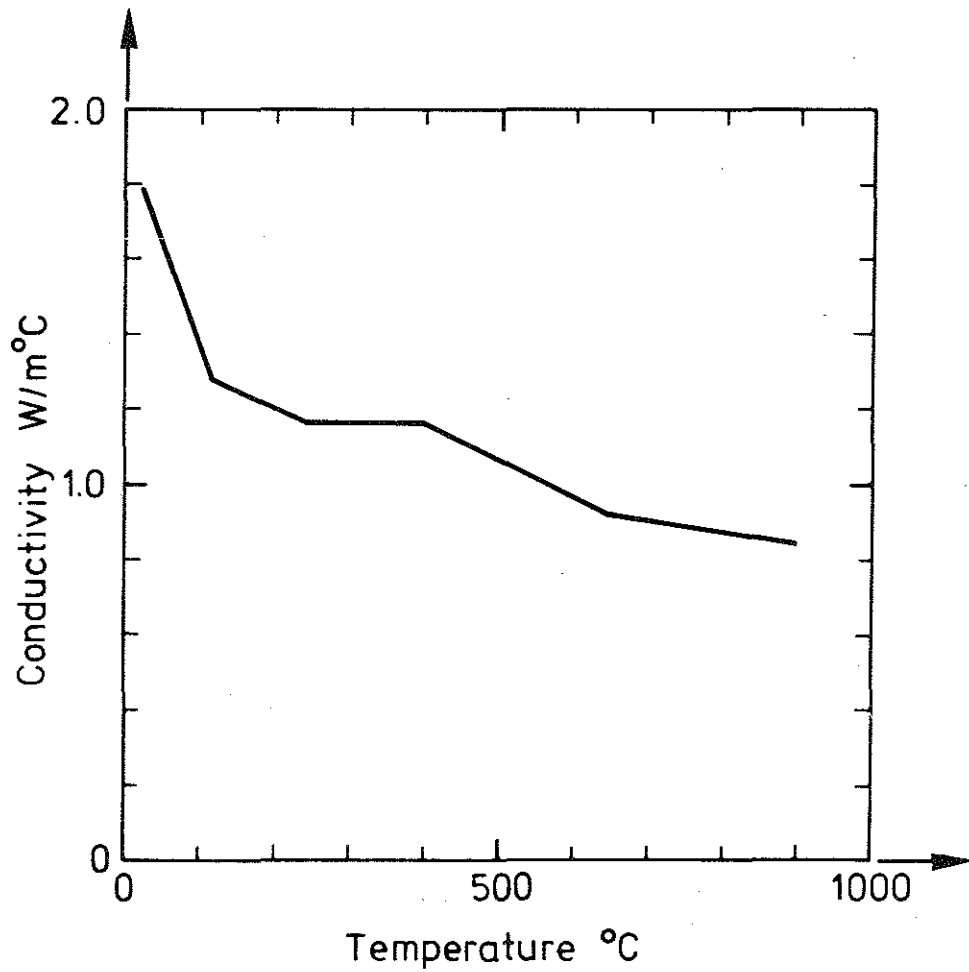


Figure 5.6. Thermal conductivity of concrete

where  $c_w^w$  and  $a_w^w$  are the specific heat and heat of evaporation, respectively, of water. The specific volumetric enthalpy  $e_v$  is then obtained by multiplying by the density  $\rho^c$  of concrete:

$$e_v(T) = \rho^c e(T)$$

As the test specimens were cured in an environment of 40% relative humidity for a month, a moisture content

of 1.5% by weight was assumed [16]. The specific volumetric enthalpy for dry and moist concrete, where moisture is assumed to evaporate in the temperature range of 100 to 115°C, is plotted versus temperature in Figure 5.7.

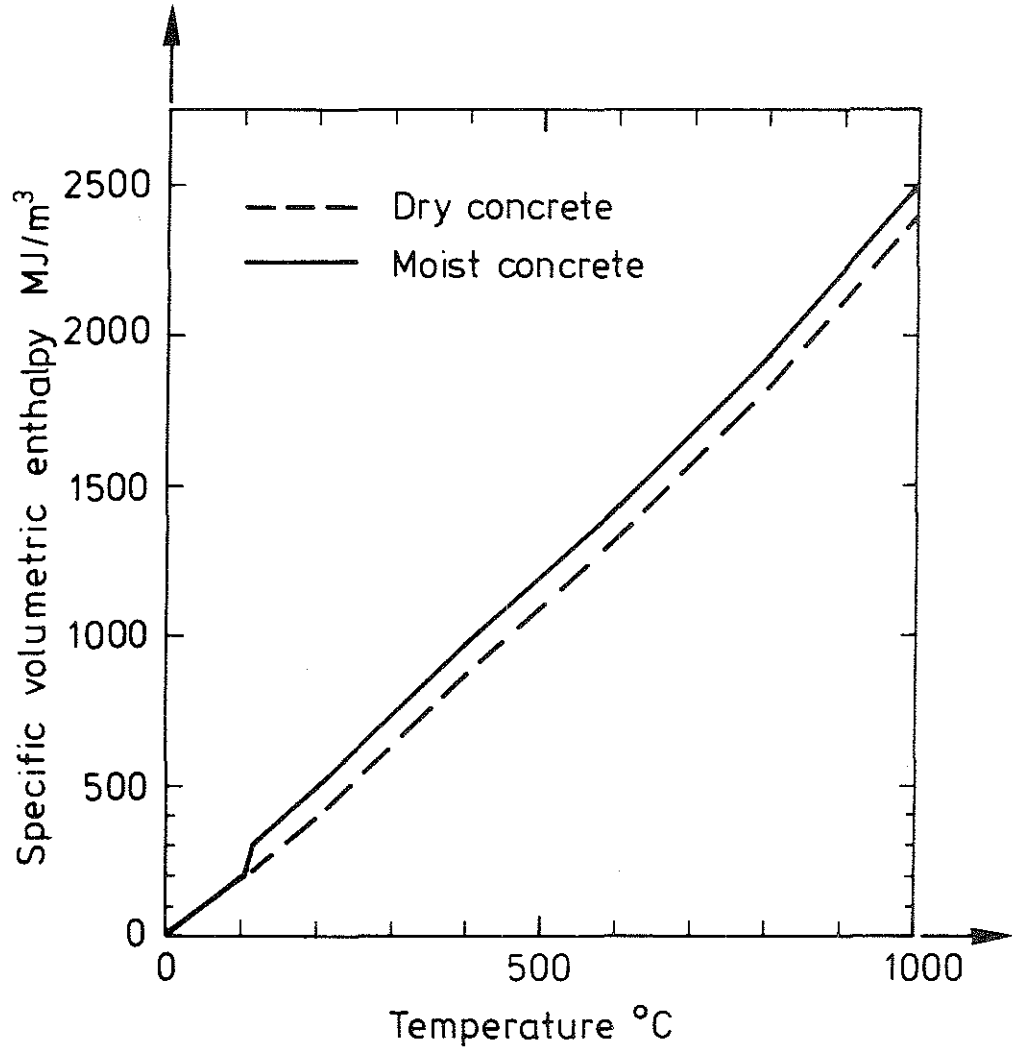


Figure 5.7. Specific volumetric enthalpy of dry concrete and concrete containing 1.5% water by weight

The cool side surfaces of the specimens were small in comparison with surrounding surfaces at ambient temperature. The resultant emissivity  $\epsilon_r$ , as defined by Equation (2.15), was therefore chosen to be equal to the emissivity of appropriate material surfaces; i.e. 0.6 [17] and 0.8 [18]

for steel and concrete surfaces, respectively. On the fire-exposed side the same resultant emissivities were chosen, as radiation conditions in the furnace were to little known to justify any other values.

When assessing convection heat transfer factors  $\beta$  and powers  $\gamma$  as defined by Equation (2.14), free convection was assumed and the formula [19]

$$\text{Nu} = C(\text{Pr Gr})^m \quad (\text{a})$$

was employed. The Nusselt number Nu is defined by the equation

$$\text{Nu} = \frac{q^C d}{k(T_s - T_g)} \quad (\text{b})$$

where  $q^C$  is heat transferred by convection,  $d$  characteristic length, and  $k$  gas conductivity. The Prandtl number Pr is approximately 0.7 and the Grashof number Gr is

$$\text{Gr} = \frac{g \frac{1}{T_b} (T_s - T_g) d^3}{\nu^2} \quad (\text{c})$$

where  $g$  is the acceleration of gravity,  $T_b = (T_s + T_g)/2$  the average absolute boundary layer temperature, and  $\nu$  kinematic viscosity. For horizontal plates the characteristic length is calculated from

$$d = \frac{A}{P}$$

where  $A$  is the area and  $P$  is the perimeter of the surface. Conductivity and viscosity of air are functions of temperature  $T_b$  [20]:

$$k = 13.75 \cdot 10^{-5} T_b^{0.92} \quad [\text{W/mK}] \quad (\text{d})$$

$$\nu = 1.13 \cdot 10^{-9} T_b^{5/3} \quad [\text{m}^2/\text{s}] \quad (\text{e})$$

From Equations (a-e) the formula (SI-units)

$$q^c = 13.75 \cdot 10^{-5} (5.48 \cdot 10^{18})^m C \frac{d^{3m-1}}{\left(\frac{13}{3}m - 0.92\right) T_b} (T_s - T_g)^{m+1} \quad (f)$$

is derived.

The characteristic length  $d$  of the beams considered is approximately 0.15 m. Substitution of Equation (e) into Equation (c) then gives  $Gr < 8 \cdot 10^6$  for expected levels of temperature. Laminar convection is therefore expected on the cool side, and  $C$  and  $m$  are 0.54 and 0.25, respectively [21]. Equation (f) then yields

$$q^c = 3.59 d^{-0.25} T_b^{-0.16} (T_s - T_g)^{1.25} \quad [W/m^2]$$

and by inserting  $d = 0.15$  m and assuming  $T_b = 400$  K, the convection factor  $\beta$  and power  $\gamma$  are identified as  $2.2 W/m^2 K^{1.25}$  and 1.25, respectively. At the fire exposed side the burners will cause turbulent conditions [22], and therefore  $C$  and  $m$  are 0.15 and  $1/3$  [21], respectively. Thus

$$q^c = 36 T_b^{-0.52} (T_s - T_g)^{1.33} \quad [W/m^2]$$

and if  $T_b$  is assumed to be 1000K,  $\beta$  and  $\gamma$  are identified as  $1.0 W/m^2 K^{1.33}$  and 1.33, respectively.

Convection heat transfer is only approximately modeled in TASEF-2. Errors in predicted temperature thus introduced are, however, negligible on the hot fire-exposed side, where radiation is dominant, while on the cool side they may be relatively great near the surface.

The beams were tested for one and a half hours; the furnace temperature approximately followed the ISO 834 standard time gas temperature curve for one hour and then it cooled off for half an hour.

Temperature in the furnace was measured with bare thermocouples. That is, however, not sufficient to determine accurately the heat transfer by radiation and convection from the furnace to the specimens [22]. The gas time-temperature curves assumed in the calculation were therefore adjusted so that calculated and measured temperature matched at the center of the fire-exposed flanges.

5.2.2 Example II - Wide-flange I-beam (Figure 5.2)

The finite element mesh shown in Figure 5.8 was employed to predict temperature in the wide-flange I-beam. Since the steel elements are small and the thermal diffusivity

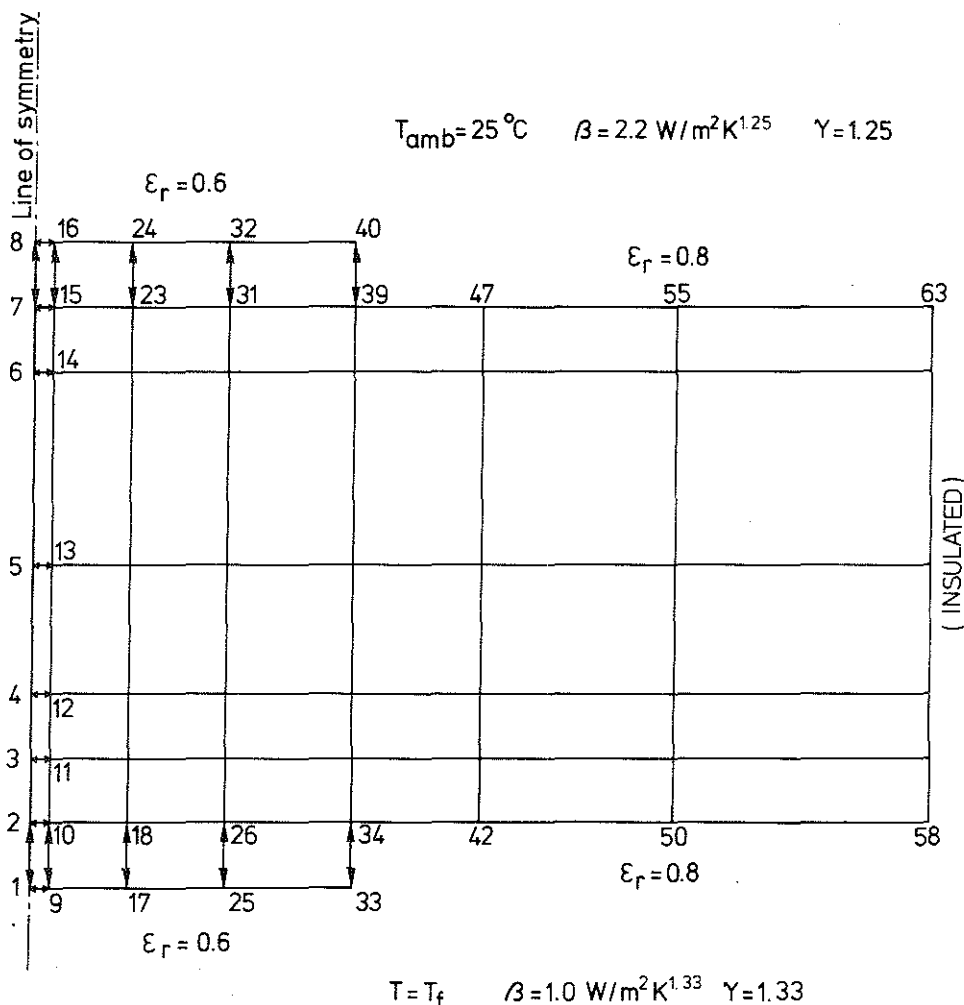


Figure 5.8. Finite element mesh of I-beam embedded in concrete

of steel is high, temperature differences between two nodes on opposite sides of a steel sheet will be negligible. Such nodes were therefore coupled as shown in Figure 5.8, and required to reach the same temperature. Critical time increments are thus substantially increased without introducing any noticeable error (see Section 3.4.2).

Assumed furnace gas temperature and measured and calculated temperature histories at the center of the top and bottom flanges, and along a vertical line 140 mm from the centerline of the steel cross section are plotted in Figures 5.9 and 5.10, respectively. Measured and calculated temperature distributions at selected times along the steel beam flanges and web are plotted in Figures 5.11 and 5.12, respectively.

While predicted steel temperature is accurate, such good agreement cannot be expected for concrete temperature since the effect of moisture migration is neglected. The characteristic plateau in the time-temperature curve at about  $100^{\circ}\text{C}$ , when water evaporates does, however, appear in the calculated temperature curve (Figure 5.10). Better agreement could be achieved if more accurate data on conductivity and specific enthalpy were available for the type of concrete tested.

### 5.2.3 Example III - Box girder (Figure 5.3)

The finite element mesh employed in the analysis of the box girder is shown in Figure 5.13. Only one half of the symmetrical cross section need be analyzed.

Heat transfer in the void by convection and radiation was considered as described in [10]. Convection heat transfer between the enclosure surfaces is assessed by neglecting heat capacity of enclosed air and assuming that no air

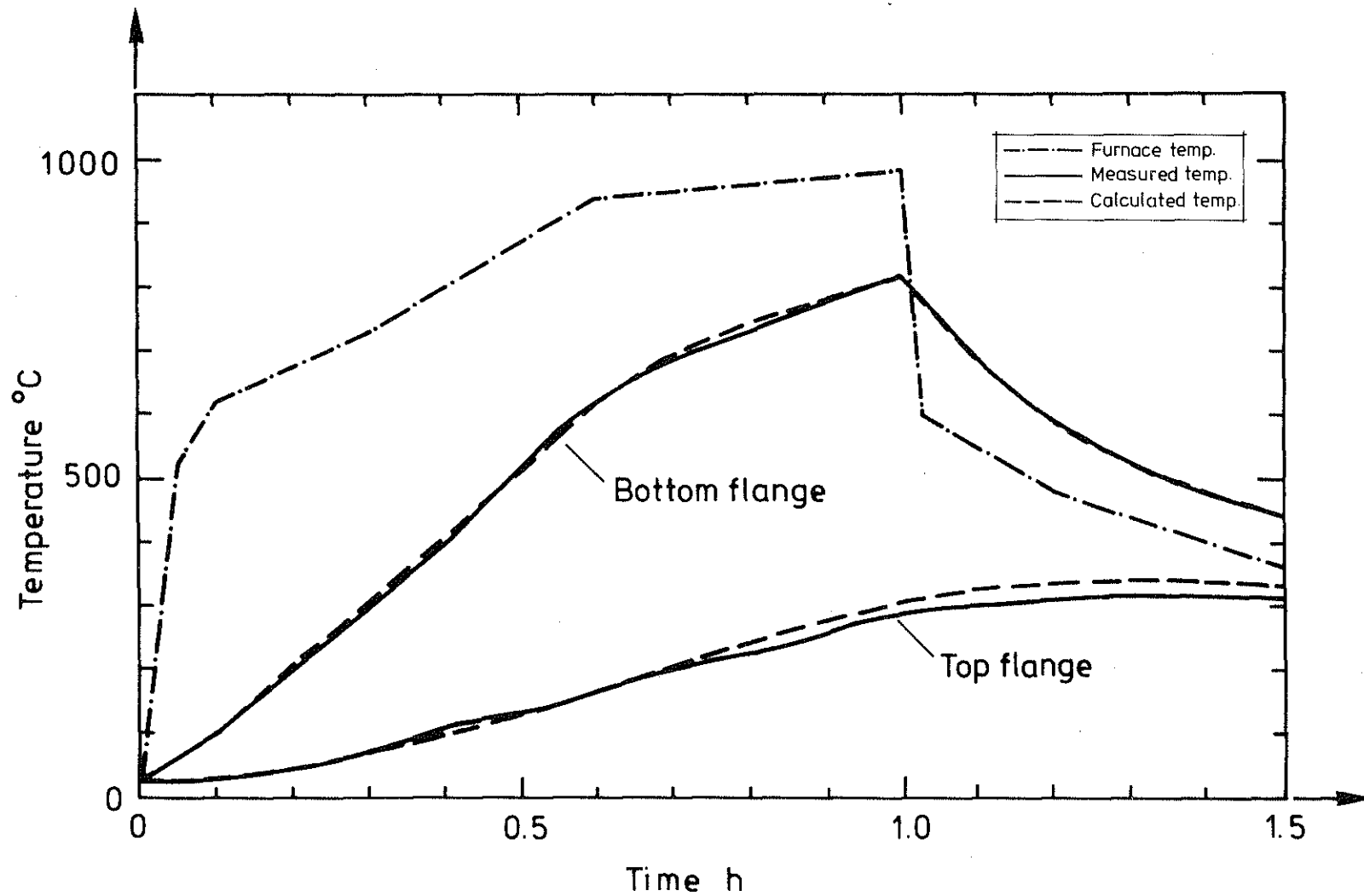


Figure 5.9. Assumed furnace gas temperature in Example II and measured and calculated temperature histories of top and bottom flanges at the centerline

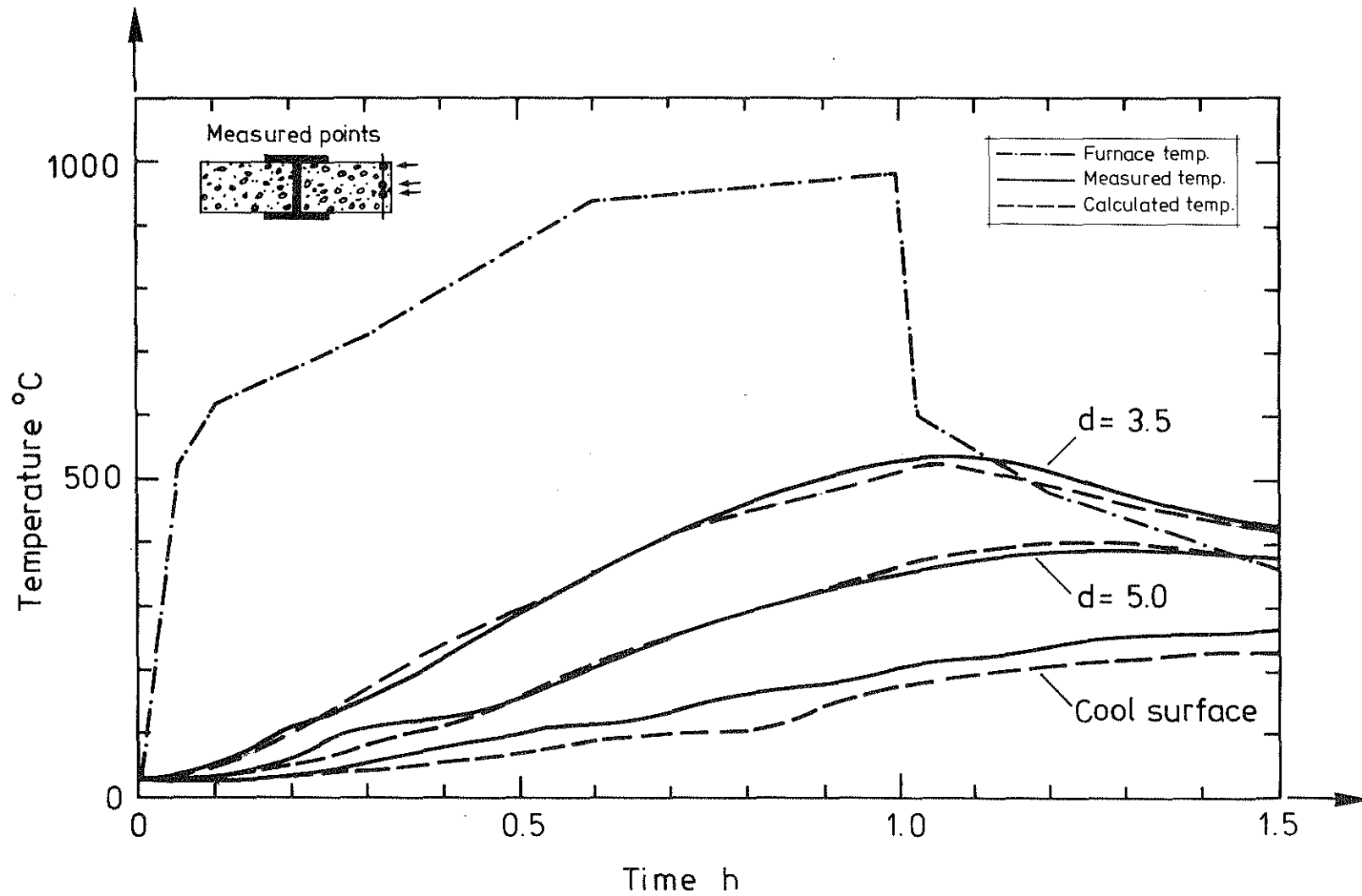


Figure 5.10. Calculated and measured concrete temperature at 140 mm from the centerline of steel beam and at distances  $d$  equal to 3.5 and 5.0 cm from fire-exposed surface and on cool surface, respectively





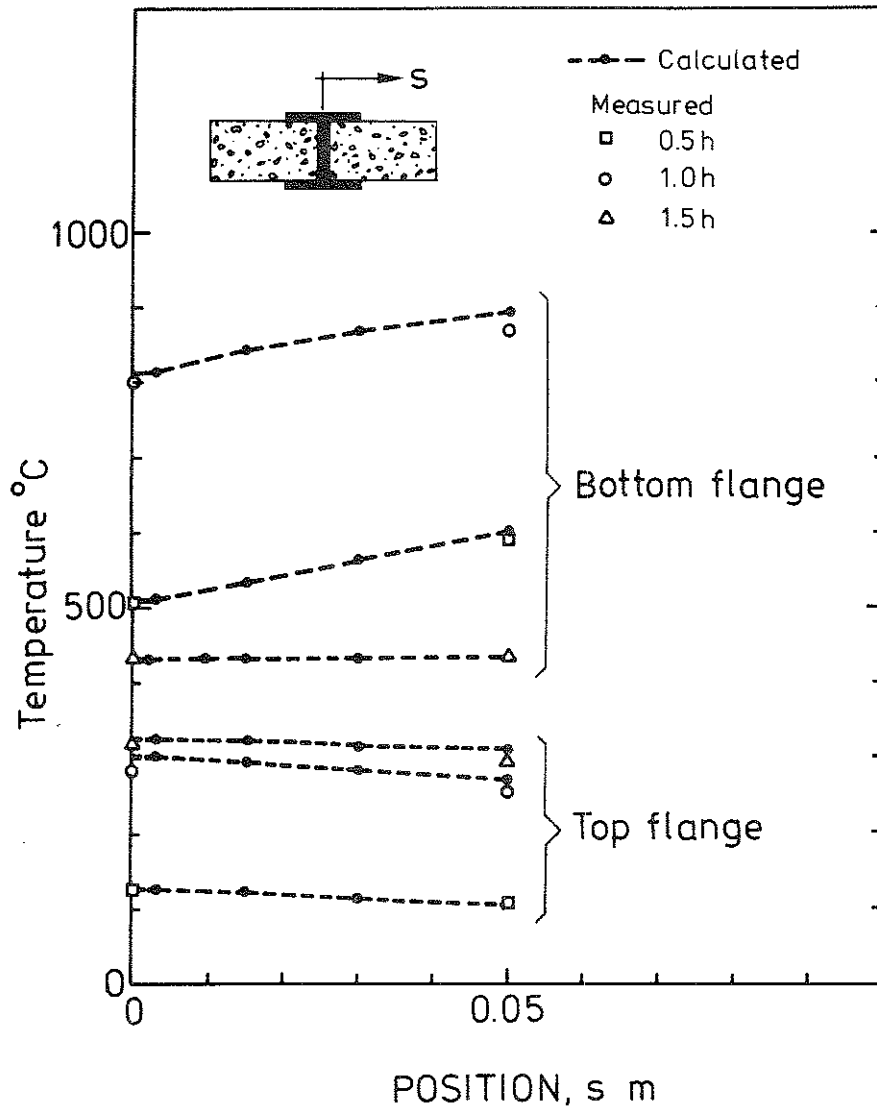


Figure 5.12. Calculated and measured temperature distributions along flanges of I-beam at selected times

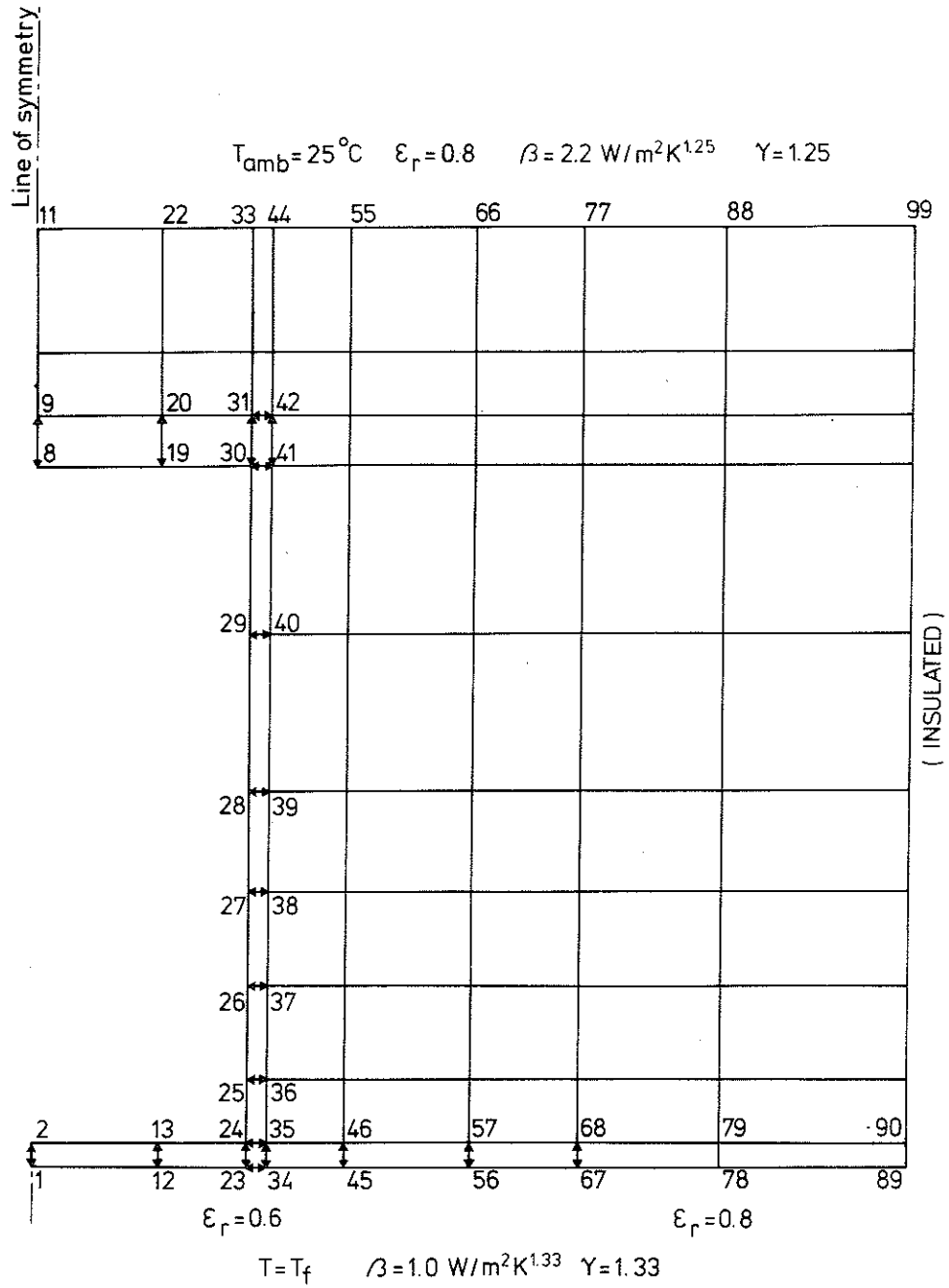


Figure 5.13. Finite element mesh of box girder embedded in concrete

flows along the beam. Convection factors  $\beta$  and powers  $\gamma$  for the enclosure surfaces are estimated by assuming free convection between two horizontal plates of uniform temperature. Thus  $\beta$  and  $\gamma$  equal to  $1.6 \text{ W/m}^2 \text{ K}^{4/3}$  and 1.33, respectively, were obtained by assuming a temperature level of 500 K [19]. This estimation of the convective heat transfer is very rough, but any error introduced will be small as radiation increasingly dominates for increasing temperature. When calculating radiation heat transfer between the enclosure surfaces, temperature between adjacent nodal points is assumed to be uniform; by considering view factors and emissivities, the net radiation to each surface is calculated and then distributed to adjacent nodes [10]. The emissivity of the enclosure steel surfaces was assumed to be 0.6 [17].

In Figure 5.14 assumed furnace gas temperature and measured and predicted temperature of the center of the upper and lower flanges of the box girder and the cool upper concrete surface at the line of symmetry are plotted versus time. Distributions of measured and predicted temperature in the flanges and webs are plotted in Figures 5.15 and 5.16, respectively, at selected times.

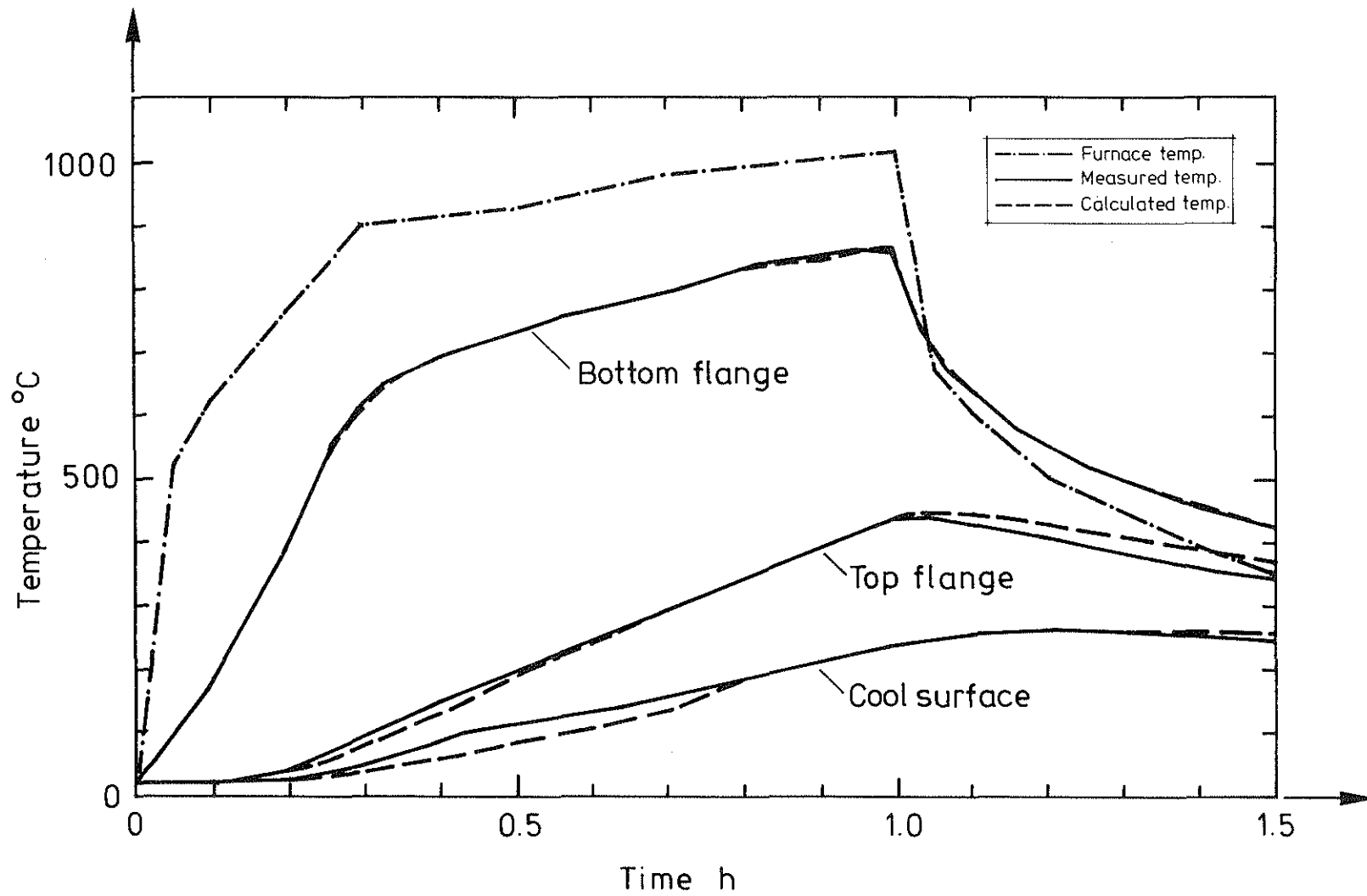


Figure 5.14. Assumed furnace gas temperature in Example III and measured and calculated temperature of top and bottom flanges of box girder and cool concrete surface at the centerline

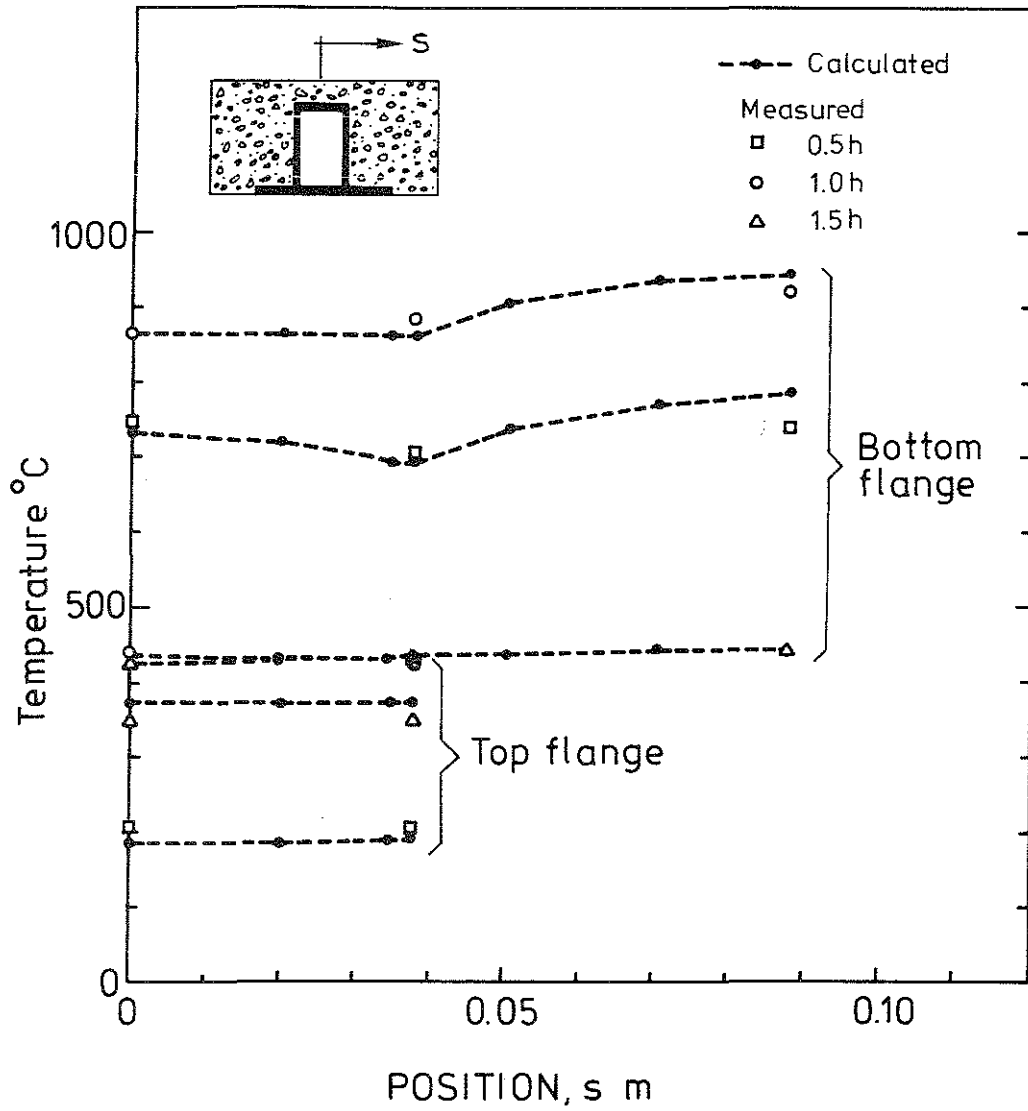


Figure 5.15. Calculated and measured temperature distributions along flanges of box girder at selected times

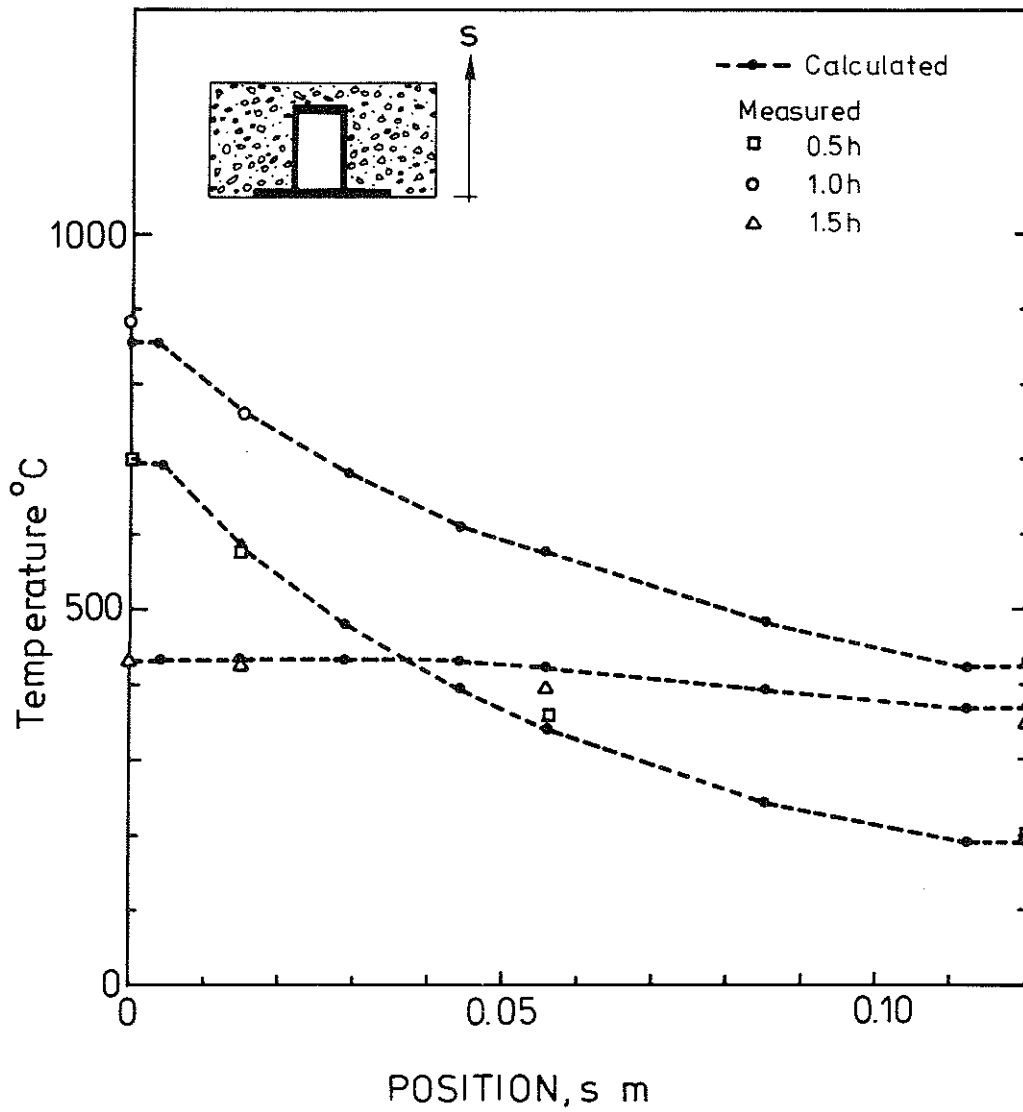


Figure 5.16. Calculated and measured temperature distributions along webs of box girder at selected times

## 6. SUMMARY AND CONCLUSIONS

### 6.1 Present Study

TASEF-2 is particularly well suited for the analysis of temperature in fire-exposed structures; the program is simple to use; rectangular finite element meshes are generated automatically with a minimum of input; nonlinearities due to the temperature dependence of material properties and boundary conditions can be considered; and heat transfer by radiation and convection in voids can be calculated using an algorithm described in [10].

The forward difference step-by-step time integration scheme used in TASEF-2 is a very efficient means of solving problems where materials having nonlinear temperature-specific heat relations - due to for instance evaporation of water - must be considered. A technique has been developed by which the critical time increment at which the applied step-by-step method will become numerically unstable can be estimated. Time increments are then calculated as a user-specified fraction of the critical time increment at each time step.

To avoid unnecessarily short time increments, and thus lengthy computations, nodes expected to attain approximately the same temperature are coupled and required to attain equal temperature. The technique has been successfully applied to composite cross sections of concrete and steel exposed to fire.

Three problems were analyzed in order to assess the accuracy and efficiency of TASEF-2. The solution of the first problem was compared to an analytical solution. The accuracy was good even for relatively coarse finite element meshes and long time increments. In the other two problems predicted temperature in composite steel and concrete beams was compared



to temperature measured during laboratory tests. One of the beams enclosed a void where heat transfer by radiation and convection was considered. The analysis proved to be accurate particularly for steel temperature. An equally good accuracy was not possible for concrete temperature because the thermal properties at elevated temperature of concrete are not as accurately known and the influence of mass transfer of water is not considered in the model. Heat of vaporization is, however, accounted for by stepping the temperature-specific enthalpy curve in the temperature range when water in the concrete evaporates (Figure 2.1). The total heat balance for a body heated to a temperature above the range at which evaporation occurs is therefore correct, and thus predicted temperature can be expected to be more accurate at high temperatures.

## 6.2 Future Development

In present version of TASEF-2, rectangular two-dimensional elements are available. Various one-, two-, and three-dimensional elements could be relatively easily introduced, but input would then be more complicated.

Heat transfer due to mass transfer in porous materials is not considered in TASEF-2. An extension of the model to include such phenomena would substantially complicate the analysis; in addition material data on mass diffusivity at high temperature are difficult to obtain. Results may, however, be improved with the present model if material properties determined at transient conditions accomplished by exposing specimens to boundary conditions similar to those in a fire were used in the analysis. A finite number of parameters by which the variation with temperature of one of the thermal properties - conductivity or specific enthalpy - could be described would then determine iteratively. Estimated parametric values are first used in such an analysis; calculated and measured temperature are then

compared. A new set of parameters is then chosen and new temperatures calculated. The procedure is repeated until the difference between measured and calculated temperature is minimized; computer programs are available by which the iterative search for parametric values can be accomplished. An optimal set of input data to the numerical model can thus be obtained for a given material, exposed to a similar fire; the influence of moisture migration will be indirectly considered in such an analysis.

The explicit forward difference time integration scheme used in TASEF-2 is very efficient for the nonlinear problem considered in this report. Nodes for which heat capacity is low and which are separated from adjacent nodes by little thermal resistance may, however, require that very small time increments be used if numerical stability is to be ensured. In the present version of TASEF-2, such critical nodes can be coupled and restrained to equal temperature, as illustrated in Example II and III in Section 5. If the error thus introduced is unacceptable, algorithms could be employed so that unconditionally stable implicit methods could be used for critical nodes. Such mixed implicit-explicit procedures have successfully been used in structural dynamics [23].

7. REFERENCES

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## APPENDIX A - USER'S MANUAL

The solution technique employed in TASEF-2 is summarized in Table A:1. Variable names are as in the program and differ occasionally from that used in previous sections. Table A:2 contains all subroutines in TASEF-2 with corresponding routine references, input variables, and common blocks; a chart of all routines is shown in Figure A:1. Detailed input instructions are given in Table A:3. Except for title cards, all input is read in free field format; input fields are then separated by a comma, or one or more blanks. Sequential commas are recognized as zero input values. Input variables may be given in any consistent unit system. Default values are, however, in SI-units and the expression for the ISO 834 standard test curve assumes time in hours and temperature in Kelvin or degree Celsius.

TABLE A:1

SUMMARY OF SOLUTION METHOD  
(Variable names as in TASEF-2)

INITIAL CALCULATION:

1. Input geometry and dimension system arrays.
2. Define coupled nodes.
3. Input material data.
4. Input initial and ambient temperature.
5. Form node groups and input appropriate heat transfer data.
6. Define boundary node groups for prescribed heat transfer, and form heat transfer matrices BR and BC.
7. Define boundary node groups for prescribed temperature.
8. Define void node groups and form internal heat exchange matrices E and H.
9. Input time data.
10. Form node volume vector W.

FOR EACH FIRE TO BE ANALYZED:

11. Input new fire time temperature curve, or terminate program.
12. Initialize nodal temperature T and enthalpy EN vectors. Set the time variable TIME and the time step counter KTIME equal to zero.

TABLE A:1 (Cont.)

13. Set the time increment DELTI equal to zero and execute first time step for calculating first time increment only.

FOR EACH TIME STEP:

14. Increment time step:  $TIME=TIME+DELTI$  and  $KTIME=KTIME+1$ .

15. Form new conduction matrix, and compute nodal heat flow  $F$  from nodes by internal conduction.

16. Find fire temperature.

17. Compute nodal heat flow by heat transfer at boundaries and in voids and internally generated.

18. a) For nodes surrounded by elements of one material, compute new nodal specific volumetric enthalpy  
 $EN=EN+DELTI*(FLOW-F)/W$   
and obtain new temperature from the temperature specific volumetric enthalpy relation of the material.

b) For nodes at interfaces between materials, compute new nodal enthalpy

$$EN=EN+DELTI*(FLOW-F)$$

and get new temperature by iteration

$$T^{i+1}=EN/P$$

where the total heat capacity of a node  $P$  is a function of temperature.

19. Set prescribed temperature to appropriate boundary nodes.

20. Print nodal temperature if required.

21. Test for more time steps:

YES: Calculate new time increment DELTI. Go to step 14.

NO : Print maximum temperature obtained during the process. Go to step 11.



TABLE A:2. Subroutines of TASEF-2

| NR | ROUTINE | REFERENCED IN | REFERENCES  | INPUT VARIABELS                 | COMMON BLOCKS                         |
|----|---------|---------------|---|---------------------------------|---------------------------------------|
| 1  | ACOUPL  | FEM2          |   |                                 |                                       |
| 2  | AMB     | PROG2         |   | TINIT, TAMB, SIGMA, TABS        | UNIT                                  |
| 3  | ASSA2   | FEM2          | COND2   |                                 | RGEO                                  |
| 4  | ASSP2   | FEM2          | INTP, XVERSY  |                                 | RMAT                                  |
| 5  | ASSW2   | PROG2         |   |                                 | RGEO                                  |
| 6  | BFIRE   | INIT          |   | TITFIR; NFP; TIM, TB            | UNIT, FIRE                            |
| 7  | BRBCA   | FQBND A       |   |                                 |                                       |
| 8  | BRBCB   | FQBND B       |   |                                 | BNOD                                  |
| 9  | COND2   | ASSA2         | XVERSY  |                                 | RMAT                                  |
| 10 | COUPLA  | PROG2         |   | NCPLG; NCOUPL                   | COUPLE                                |
| 11 | COUPLB  | FEM2          |   |                                 | COUPLE                                |
| 12 | COUPLC  | FEM2          |   |                                 | COUPLE                                |
| 13 | CTEMP   | FEM2          |   |                                 | COUPLE                                |
| 14 | DTIME   | FEM2          |   |                                 | TOUT                                  |
| 15 | ENCLO1  | PROG2         | ENRAD1, ENCON1  | CONTRO; NENC; XSYM, YSYM, IGREN | BNOD, ENCLOS, ENRAD, ENCON, DIM, UNIT |
| 16 | ENCLO2  | FEM2          | ENRAD2, ENCON2  |                                 | ENCLOS                                |
| 17 | ENCON1  | ENCLO1        | HTRANS  |                                 | BNOD, ENCLOS, ENCON, DUMMY            |
| 18 | ENCON2  | ENCLO2        |   |                                 | ENCON, ENCLOS, DUMMY                  |
| 19 | ENRAD1  | ENCLO1        | VIEWFC, INVER, MULT, ETRANS   |                                 | BNOD, ENCLOS, ENRAD, UNIT, DIM, DUMMY |
| 20 | ENRAD2  | ENCLO2        | RADVEC  |                                 | ENCLOS, ENRAD, UNIT, DUMMY            |
| 21 | ETRANS  | ENRAD1        |   |                                 |                                       |
| 22 | FEM2    | PROG2         | INIT, ASSP2, XVERSY, MINTP, ASSA2, MPAKV, FQBND B, FQGEN, ENCLO2, COUPLB, ACOUPL, CTEMP, HTEMP, PTBND B, COUPLC, OUT2, MAXCO, DTIME, OUTMA2 |                                 | RMAT, FIRE                            |
| 23 | FQBND A | PROG2         | BRBCA   | NFQNG; FA1, ING1                | UNIT, BNOD                            |
| 24 | FQBND B | FEM2          | BRBCB   |                                 | FQB, BNOD, UNIT                       |

TABLE A:2. (Cont.)

| NR | ROUTINE | REFERENCED IN                       | REFERENCES  | INPUT VARIABLES  | COMMON BLOCKS    |
|----|---------|-------------------------------------|---|--|------------------|
| 25 | FQGEN   | FEM2                                |   |  | RMAT             |
| 26 | GEOCO2  | PROG2                               |   |  | ELFICT           |
| 27 | HTEMP   | FEM2                                | XVERSY  |  | RMAT             |
| 28 | HTRANS  | ENCON1                              |   |  |                  |
| 29 | INIT    | FEM2                                | BFIRE   |  | TOUT,UNIT,FIRE   |
| 30 | INTERF  | PROG2                               |   |  | RGEO,COUPLE      |
| 31 | INTP    | ASSP2                               | XVERSY  |  | RMAT             |
| 32 | INVER   | ENRAD1                              |   |  |                  |
| 33 | MAIN2   |                                     | NET2,MESH2,PROG2  |  |                  |
| 34 | MAT     | PROG2                               |   | MAT;CCC,NTC,NTE,NQE,<br>ET;TC,C;TE,ENT;TQ,QE                         | RMAT,RGEO        |
| 35 | MAXCO   | FEM2                                |   |  | TOUT             |
| 36 | MINTP   | FEM2                                |   |  | COUPLE           |
| 37 | MESH2   | MAIN2                               |   |  |                  |
| 38 | MPACKV  | FEM2                                |   |  |                  |
| 39 | MULT    | ENRAD1                              |   |  | DUMMY            |
| 40 | NET2    | MAIN2                               |   | TITLE;AXIAL,XMAX,YMAX,<br>XBOX,YBOX,NR,NX,NY;<br>ELFICT,SRDIAC;XA,YA | RGEO             |
| 41 | NGROUP  | PROG2                               |   | NGROUP;NCHECK,NUMB,<br>EPSG,BETA,GAMMA;<br>NBOUND                    | BNOD,ENRAD,ENCON |
| 42 | OUT2    | FEM2                                |   |  | TOUT             |
| 43 | OUTMA2  | FEM2                                |   |  | FIRE             |
| 44 | PROG2   | MAIN2                               | REG2,COUPLA,INTERF,<br>MAT,GEOCO2,AMB,NGROUP,<br>FQBDA,PTBDA,ENCLO1,<br>TIME,TIME,ASSW2,<br>COUPLB,FEM2 |  |                  |
| 45 | PTBDA   | PROG2                               |   | NPTNG;FA1,ING1   | PTB,BNOD         |
| 46 | PTBNDB  | FEM2                                |   |  | PTB,BNOD,UNIT    |
| 47 | RADVEC  | ENRAD2                              |   |  |                  |
| 48 | REG2    | PROG2                               |   |  | RGEO             |
| 49 | TIME    | PROG2                               |   | NT,TIMMAX,DTMAX,TIMFAC,<br>KTMAX,KUPDA;TOUT                          |                  |
| 50 | VIEWFC  | ENRAD1                              |   |  | BNOD,ENCLOS      |
| 51 | XVERSY  | ASSP2,COND2,<br>FEM2,HTEMP,<br>INTP |   |  |                  |

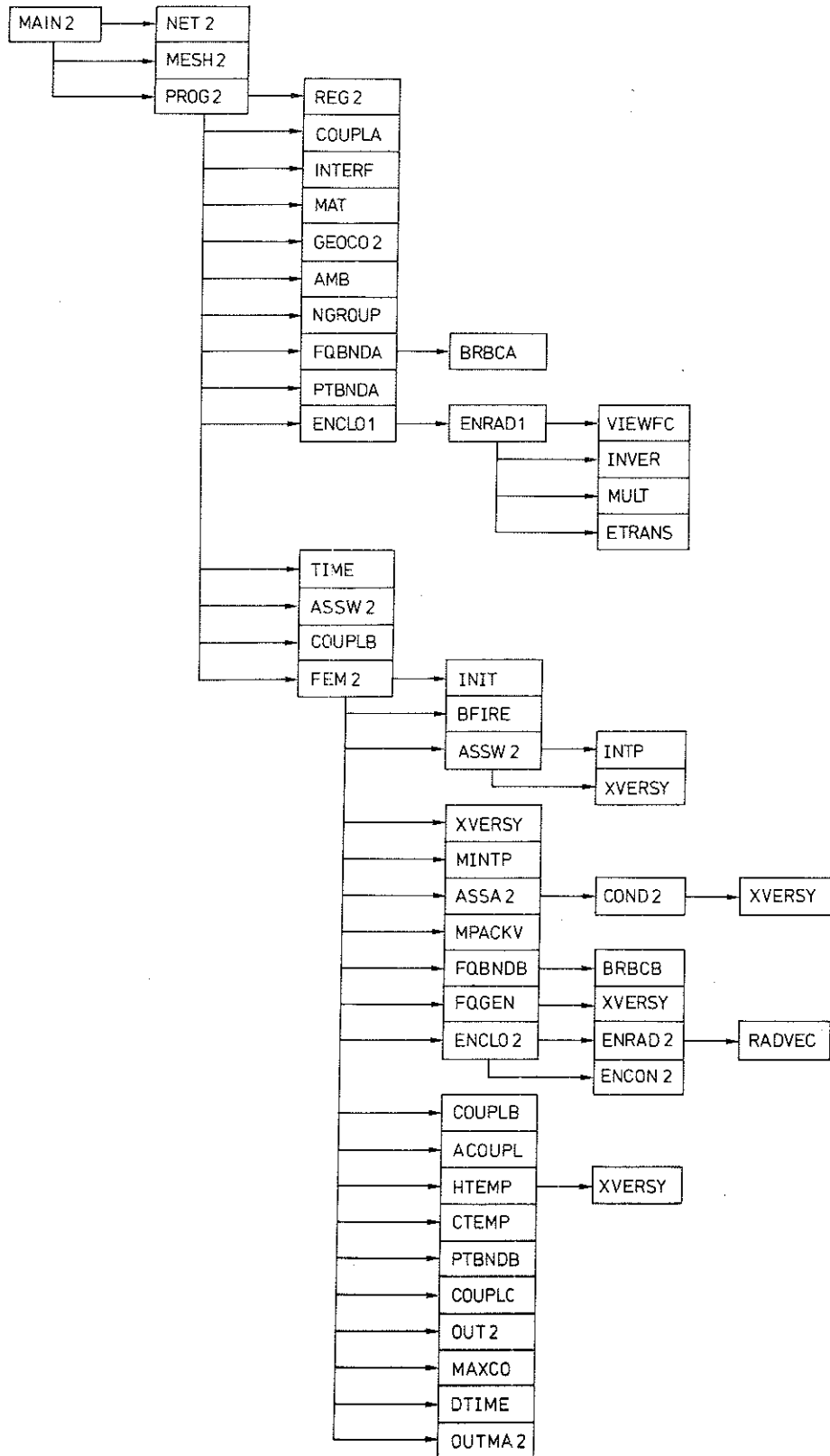


FIG A:1. Chart of subroutines in TASEF-2

TABLE A:3

Input Instructions

Input variables are given appropriate default values if zero is input.

A. TITLE CARD, FORMAT (20A4)

TITLE

Input appropriate title for labeling output.

B. GEOMETRY

1. Main geometry card

A base rectangle is generated between the coordinate axes and the lines  $x = XMAX$  and  $y = YMAX$ . A number of subregions are defined by their minimum x- and y-coordinates, and maximum x- and y-coordinates. Lines parallel with the axes are generated at increments  $XBOX$  and  $YBOX$  or at reduced distances if subregions or specified lines to refine the mesh are present.

AXIAL, XMAX, YMAX, XBOX, YBOX, NR, NX, NY

|       |  |
|-------|--|
| AXIAL | .TRUE. or .FALSE. if axisymmetric or plane problem, respectively. (In present version of TASEF-2 axisymmetric problems cannot be analyzed) |
| XMAX  | maximum x-coordinate of base structure   |
| YMAX  | maximum y-coordinate of base structure   |
| XBOX  | maximum distance between two x-lines (lines parallel to the y-axis)  |

TABLE A:3 (Cont.)

|      |   |
|------|---|
| YBOX | maximum distance between two y-lines<br>(lines parallel to the x-axis)  |
| NR   | number of regions ( $NR \geq 1$ ). A structure is composed of a main region and a number of subregions of differing thickness or material properties. Fictitious subregions are used to specify voids and cut outs. Subregions will be defined by the following cards. (In current version $NR \leq 10$ ) |
| NX   | number of specified x-lines for refining of element mesh  |
| NY   | number of specified y-lines for refining of element mesh  |

2. Subregion specifications

(NR-1) cards

ELFICT,SRDIAC(4)

ELFICT .TRUE. if the subregion is a void or cut out of the base structure. Otherwise .FALSE.

SRDIAC(4) minimum x- and y-coordinates, and maximum x- and y-coordinates of subregion

3. Specified x-lines

If NX=0 omit this card

XA(NX)

XA(NX) coordinates of specified x-lines

TABLE A:3 (Cont.)

4. Specified y-lines

If NY=0 omit this card

YA(NY)

YA(NY) coordinates of specified y-lines

As an example the structure in Figure A.2a is divided into a finite element mesh as shown in Figure A.2b by the following input cards: (The variable names are given within parentheses)

F,10.,6.,2.,1.5.,3,1,2 (AXIAL,XMAX,YMAX,XBOX,  
YBOX,NR,NX,NY)

F,3.,2.,6.,3.5 (ELFICT,SRDIAC(4))

T,6.,4.5,10.,6. (ELFICT,SRDIAC(4))

4.5 (XA(1))

1.0,5.25 (YA(1),YA(2))

C. COUPLED NODES

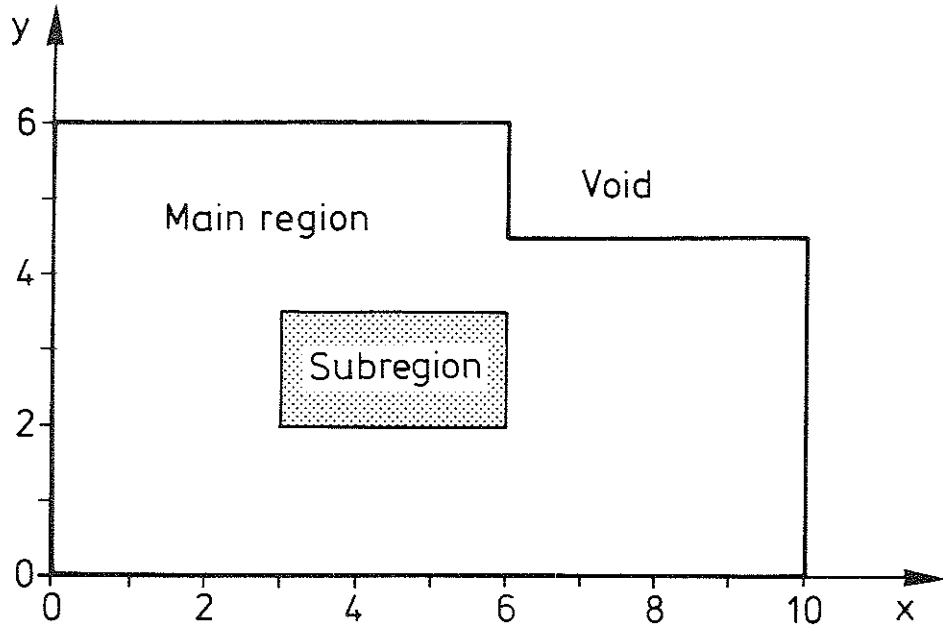
1. Number of groups of coupled nodes

NCPLG

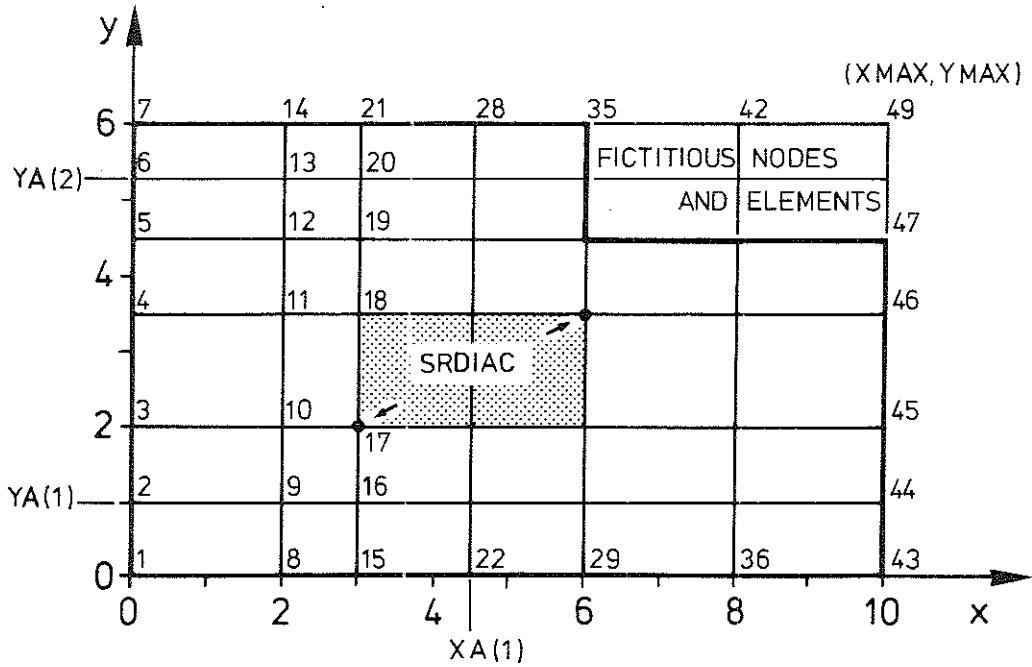
2. Each group

NCOUPL(8)

NCOUPL(8) coupled nodes. Each card must have 8 numbers. If fewer nodes in a group, fill with commas



(a) Structure to be analyzed



(b) Generated mesh with node numbers

Figure A.2. Example of mesh generation

D. MATERIAL DATA

For each nonfictitious region the following cards are read starting with the main region and followed by the subregion in the order as defined at B.2. Conductivity and enthalpy are input as sequential groups where each individual property is described as a piecewise linearized function of temperature.

1. Each material

a. Identification card

MAT

MAT            arbitrary test to be written on output  
list

b. Material description

CCC,NTC,NTE,NQE,ET

CCC            .TRUE. if conductivity is constant in  
cooling phase

NTC            number of points associated with tempera-  
ture conductivity function ( $NTC \leq 20$ )

NTE            number of points associated with tempera-  
ture specific volumetric enthalpy function  
( $NTC \leq 20$ )

NQE            number of points associated with tempera-  
ture rate of heat generated per unit  
volume function ( $NQE \leq 20$ )

ET             thickness of elements; default 1



TABLE A:3 (Cont.)

c. Data card for temperature conductivity function

TC,C,TC,C,TC,C,... (NTC pairs)

The input is given in ordered pairs describing each point (temperature, function value)

d. Data card for temperature specific volumetric enthalpy function

TE,ENT,TE,ENT,TE,ENT,... (NTE pairs)

(same as c above)

e. Data card for time rate of heat generated per unit volume function

(If NQE=0 omit this card)

TQ,QE,TQ,QE,TQ,QE,... (NQE pairs)

E. INITIAL AND AMBIENT TEMPERATURE, AND UNIT SYSTEM  
DEPENDENT CONSTANTS

TINIT,TAMB,SIGMA,TABS

TINIT        initial uniform temperature of structure

TAMB         ambient temperature

SIGMA        Stefan-Boltzmann constant; default  
SIGMA=5.67·10<sup>-8</sup>

TABS         shift for absolute temperature; default  
273

TABLE A:3 (Cont.)

F. NODE GROUPS

Groups of nodes with common conditions are defined and, if appropriate, heat transfer properties at boundaries are specified.

1. Number of node groups

NGROUP

(NGROUP $\leq$ 10)

If NGROUP equal zero omit next card

2. Each node group

a. Properties

NCHECK, NUMB, EPSG, BETA, GAMMA

NCHECK      node group number in sequential order  
starting from 1

NUMB        number of nodes of a group (NUMB $\leq$ 30)

EPSG        emissivity

BETA        convection factor

GAMMA      convection power

b. Node numbers

NBOUND (NUMB)

TABLE A:3 (Cont.)

G. PRESCRIBED HEAT FLUX BOUNDARY

Boundary conditions are defined by node groups and their heat transfer properties. Surrounding gas is either at fire or ambient temperature.

1. Number of boundary node groups with prescribed heat flux

NFQNG

If NFQNG equals zero omit next card

2. Each boundary node group

FA1,ING1

FA1            .TRUE. if specified boundary temperature varies with time, e.g. fire temperature history  
                 .FALSE. if specified boundary temperature is the constant ambient temperature TAMB

ING1           node group number

H. PRESCRIBED TEMPERATURE BOUNDARY

Node groups with prescribed temperature are input.

1. Number of boundary node groups with prescribed temperature

NPTNG

If NPTNG equals zero omit next card

TABLE A:3 (Cont.)

2. Each boundary node group

FA1,ING1

Same as G.2

I. VOIDS

One or two voids with heat exchange between the enclosure surfaces may be defined by surrounding node groups. Heat exchange between enclosure surfaces is described by properties assigned to the node groups. Halves or quarters of voids may be analyzed if they are symmetrical around one or both of the coordinate axes.

1. Control card

CONTRO

If no voids exist insert arbitrary card, and omit the following cards. Otherwise input VOID.

2. Number of voids

NENC

(NENC $\leq$ 2)

3. For each void

a. XSYN,YSYM,IGREN(4)

XSYM            .TRUE. if void is symmetric around the  
                  x-axis

TABLE A:3 (Cont.)

YSYM            .TRUE. if void is symmetric around the  
                  y-axis

IGREN(4)        node groups surrounding a void. If less  
                  than 4, fill with commas

J. TIME

1. Time control card

NT, TIMMAX, DTMAX, TIMFAC, KTMAX, KUPDA

NT               number of specified times for printing  
                  out of temperature

TIMMAX           maximum time of analysis

DTMAX            maximum time increment; default TIMMAX

TIMFAC           time increment factor; default 0.8

KTMAX            maximum number of time steps; default 1000

KUPDA            number of time steps between updating of  
                  heat conduction matrix; default 1

2. Specified times for temperature output

TOUT(NT)

K. FIRE TEMPERATURE HISTORY

1. Control card

TITFIR

TABLE A:3 (Cont.)

TITFIR is printed for identification of assumed fire. If TITFIR = 'ISO 834' the time temperature relation according to ISO 834 fire resistance standard test is assumed, and the next two cards are omitted. Terminate analysis by a blank card.

2. Fire temperature

A fire temperature history is input by a number of points on the time temperature curve. Temperature between these points are obtained by linear interpolation.

a. Number of points

NFP

(NFP $\leq$ 50)

b. Data card

TIM,TB,TIM,TB,TIM,TB,... (NFP pairs)

3. Go back to K1 and begin analysis with new fire, or terminate program by inserting blank card.

APPENDIX B - Listing of TASEF-2

The subroutines are listed in alphabetic order. The main program MAIN2 is coded in ALGOL and all other routines in FORTRAN V. Definitions of major variables are given in subroutine PROG2. Although the program has been tested, no warranty is made regarding its accuracy or reliability, and no responsibility is assumed in this respect.

```

1      SUBROUTINE ACOUPL(A,DTA,NN,MAX)
2      C-----ADD SLAVE NODE QUANTITIES TO MASTER NODE QUANTITIES
3      C-----FOR EACH COUPLING NODE GROUP
4      DIMENSION A(NN,MAX),DTA(NN)
5      PARAMETER NCP=50
6      COMMON /COUPLE/ NCOUPL(NCP,8),NCPLG
7      C-----
8      IF(NCPLG.EQ.0)RETURN
9      DO 50 I=1,NCPLG
10     MNOD=NCOUPL(I,1)
11     AMX=0.
12     DO 40 J=1,8
13     NODJ=NCOUPL(I,J)
14     IF(NODJ.EQ.0) GOTO 50
15     DO 30 K=1,8
16     NODK=NCOUPL(I,K)
17     IF(NODK.EQ.0) GOTO 40
18     NDUM=NODJ-NODK
19     IF(NDUM) 30,30,60
20     CONTINUE
21     IF(NDUM.GE.MAX) GOTO 30
22     AMX=AMX+2.*A(NODJ,MAX)-NDUM
23     30 CONTINUE
24     C-----
25     40 AMX=AMX+A(NODJ,MAX)
26     50 DTA(MNOD)=DTA(MNOD)+AMX-A(MNOD,MAX)
27     RETURN
28     END
29
30     SUBROUTINE AMB
31     C-----READ INITIAL AND AMBIENT TEMPERATURE,
32     C-----AND UNIT DEPENDENT CONSTANTS
33     COMMON/UNIT/SIGMA,TABS,TINIT,TAMB,TAMB4
34     DATA SIGM,TAB/5.77F-8,273./
35     PRINT 200
36     C-----
37     READ 100,TINIT,TAMB,SIGMA,TABS
38     C-----
39     IF(SIGMA.LT.1.E-20) SIGMA=SIGM
40     IF(TABS.LT.1.E-20) TABS=TAB
41     PRINT 210,TINIT,TAMB,SIGMA,TABS
42     TAMB4=(TAMB+TABS)**4
43     RETURN
44     100 FORMAT()
45     200 FORMAT(/' INITIAL DATA'/1X,12(1H*))
46     210 FORMAT(/' INITIAL TEMPERATURE=',69.3/
47     1 ' AMBIENT TEMPERATURE=',69.3/
48     2 ' STEFAN-BOLTZMANN CONSTANT=',69.3/
49     3 ' ABSOLUTE TEMPERATURE SHIFT=',69.3)
50     END
51
52     SUBROUTINE ASSA2(NN,NE,N,KTOP,X,Y,FLA,T,TT,TMAX,AXIAL,MAX,A)
53     C-----THIS SUBROUTINE COMPUTES THE GLOBAL HEAT CONDUCTION MATRIX A
54     C-----      NN      NUMBER OF NODES
55     C-----      NE      NUMBER OF ELEMENTS
56     C-----      N      ELEMENT REGION NUMBER
57     C-----      ELA     GEOMETRIC DUMMY VECTOR
58     C-----      T      TEMPERATURE VECTOR
59     C-----      TT     TEMPERATURE HISTORY VECTOR
60     C-----      TMAX   .TRUE. IF MAXIMUM TEMPERATURE IS OBTAINED
61     C-----      A      GLOBAL HEAT CONDUCTION MATRIX
62     PARAMETER MNP=10
63     COMMON/RGEO/ELFICT(MNR),ET(MNR),SRDIAC(4,*MNR)

```

```

64     DIMENSION N(NE),X(NN),Y(NN),T(NN),TT(NN),TMAX(NN),KTOP(4,NE),
65     1     A(NN,MAX),FLA(4,NE)
66     LOGICAL TMAX,ELFICT,AXIAL
67     DO 5 I=1,NN
68     DO 5 J=1,MAX
69     5     A(I,J)=0.
70     DO 10 I=1,NE
71     N1=N(I)
72     IF(ELFICT(N1)) GOTO 10
73     K1=KTOP(1,I)
74     K2=KTOP(2,I)
75     K3=KTOP(3,I)
76     K4=KTOP(4,I)
77     CALL COND2(T(K1),T(K2),T(K3),T(K4),TT(K1),TT(K2),TT(K3),TT(K4),
78     1     TMAX(K1),TMAX(K2),TMAX(K3),TMAX(K4),N(I),AXIAL,C)
79     A(K1,MAX)=A(K1,MAX)+C*ELA(1,I)
80     A(K2,MAX)=A(K2,MAX)+C*ELA(1,I)
81     A(K3,MAX)=A(K3,MAX)+C*ELA(1,I)
82     A(K4,MAX)=A(K4,MAX)+C*ELA(1,I)
83     A(K2,MAX-1)=A(K2,MAX-1)+C*ELA(2,I)
84     A(K3,MAX-K3+K1)=A(K3,MAX-K3+K1)+C*ELA(3,I)
85     A(K3,MAX-K3+K2)=A(K3,MAX-K3+K2)+C*ELA(4,I)
86     A(K4,MAX-K4+K1)=A(K4,MAX-K4+K1)+C*ELA(4,I)
87     A(K4,MAX-K4+K2)=A(K4,MAX-K4+K2)+C*ELA(3,I)
88     A(K4,MAX-1)=A(K4,MAX-1)+C*ELA(2,I)
89     10    CONTINUE
90     RETURN
91     END
92
93     SUBROUTINE ASSP2(NN,N,X,Y,T,TT,TMAX,EV4,NODEL,MNODEL,P,W,
94     1     NODINT,AXIAL)
95     C-----FORM HEAT CAPACITY MATRIX
96     DIMENSION N(1),X(1),T(1),TT(1),TMAX(1),EV4(4,1),NODEL(4,NN),
97     1     MNODEL(1),P(1),W(1),NODINT(1)
98     PARAMETER MNV=20,MNR=10
99     COMMON/RMAT/CCC(MNR),TC(MNV,MNR),C(MNV,MNR),TE(MNV,MNR),
100    1     ENT(MNV,MNR),CR(MNV,MNR),TQ(MNV,MNR),QE(MNV,MNR),LQ(MNR)
101    LOGICAL CCC,LQ
102    LOGICAL AXIAL,TMAX
103
104    C
105    DO 30 I=1,NN
106    NODINI=NODINT(I)
107    IF(NODINI.LT.0) GOTO 30
108    TI=T(I)
109    IF(NODINI.GT.0) GOTO 20
110    P(I)=0.
111    CALL INTP(MNODEL(I),NODEL(1,I),N,EV4,TI,P(I))
112    GOTO 30
113    20    CONTINUE
114    CALL XVERSY(TE,ENT,MNV,NODINI,TI,ENI)
115    CRA=ENI/TI
116    P(I)=W(I)*CRA
117    30    CONTINUE
118    RETURN
119    END
120
121    SUBROUTINE ASSW2(NN,NE,N,KTOP,X,Y,EV4,AXIAL,W)
122    C-----THIS SUBROUTINE COMPUTES THE GLOBAL VOLUME VECTOR W
123    DIMENSION X(NN),Y(NN),KTOP(4,NE),EV4(NN),W(NN),N(NE)
124    PARAMETER MNR=10
125    COMMON/RGEO/ELFICT(MNR)
126    LOGICAL AXIAL,ELFICT
127    DO 5 I=1,NN
128    5     W(I)=0.

```



```
122      DO 10 I=1,NE
123      N1=N(I)
124      IF(.E.LFICT(N1)) GOTO 10
125      K1=KTOP(I,1)
126      K2=KTOP(I,2)
127      K3=KTOP(I,3)
128      K4=KTOP(I,4)
129      W(K1)=W(K1)+EV4(I)
130      W(K2)=W(K2)+EV4(I)
131      W(K3)=W(K3)+EV4(I)
132      W(K4)=W(K4)+EV4(I)
133      10 CONTINUE
134      RETURN
135      END
136
137      SUBROUTINE ZFIRE(FIN)
138      C-----THIS ROUTINE FORMS VECTORS FOR FIRE BOUNDARY
139      C-----TIME TEMPERATURE RELATION
140      COMMON/UNIT/SIGMA,TABS,TINIT,TAMB,TAMB4
141      COMMON/FIRE/TIM(50),TL(50),TITFIR
142      LOGICAL FIN
143      INTEGER TITFIR(19),BLANK(19),ISO(2)
144      DATA BLANK/19*4H /,ISO/4HISO,4H024 /
145      FIN=.FALSE.
146      C-----INPUT TITLE OF FIRE BOUNDARY
147      C-----IF - BLANK - TERMINATE RUN
148      C-----IF - ISO 024 - STANDARD FIRE ASSUMED
149      C-----ELSE INPUT TIME TEMPERATURE PAIRS
150      READ 110,TITFIR
151      DO 10 I=1,19
152      10 IF(TITFIR(I).NE.BLANK(I)) GOTO 20
153      FIN=.TRUE.
154      RETURN
155      20 CONTINUE
156      PRINT 200
157      PRINT 210,TITFIR
158      DO 30 I=1,7
159      30 IF(TITFIR(I).NE.ISO(I)) GOTO 50
160      C-----ISO STANDARD CURVE
161      DT=.05
162      TI=0.
163      DO 40 I=1,20
164      40 TIM(I)=TI
165      TG(1)=TINIT+1325.-430.*EXP(-.2*TI)-270.*EXP(-1.7*TI)-
166      1 625.*EXP(-19.*TI)
167      TI=TI+DT
168      TG(1)=TINIT+1325.-430.*EXP(-.2*TI)-270.*EXP(-1.7*TI)-
169      1 625.*EXP(-19.*TI)
170      TI=TI+DT
171      TG(1)=TINIT+1325.-430.*EXP(-.2*TI)-270.*EXP(-1.7*TI)-
172      1 625.*EXP(-19.*TI)
173      TI=TI+DT
174      TG(1)=TINIT+1325.-430.*EXP(-.2*TI)-270.*EXP(-1.7*TI)-
175      1 625.*EXP(-19.*TI)
176      TI=TI+DT
177      TG(1)=TINIT+1325.-430.*EXP(-.2*TI)-270.*EXP(-1.7*TI)-
178      1 625.*EXP(-19.*TI)
179      TI=TI+DT
180      TG(1)=TINIT+1325.-430.*EXP(-.2*TI)-270.*EXP(-1.7*TI)-
181      1 625.*EXP(-19.*TI)
182      RETURN
183      50 CONTINUE
184      C-----ARBITRARY FIRES
185      C-----INPUT NUMBER OF TIME TEMPERATURE PAIRS
186      READ 150,NFP
187      IF(NFP.EQ.0) FIN=.TRUE.
188      IF (FIN) RETURN
189      C-----INPUT TIME TEMPERATURE PAIRS
190      READ 100,(T1*(I),T2(I),I=1,NFP)
191      PRINT 220,(TIM(I),TL(I),I=1,NFP)
```

```

192      100  FORMAT(
193      110  FORMAT(20A4)
194      200  FORMAT(// ' FIRE BOUNDARY TEMPERATURE'//1X,25(1H*))
195      210  FORMAT(//1X,20A4)
196      220  FORMAT(// ' FIRE BOUNDARY TIME - TEMPERATURE INPUT PAIRS'//
197      1 ' TIME',5X,'TEMPERATURE'// (610.3,610.3))
198      RETURN
199      END
200
201      SUBROUTINE BRBCA(BR,BC,EPSIG,BET,BAR,NUM1,NB,ING1)
202      C-----FORM BOUNDARY RADIATION AND CONVECTION MATRICES
203      DIMENSION BR(NUM1,2),BC(NUM1,2),BAR(NB,NUM1)
204      BR(1,1)=C
205      BR(1,2)=.33333333*BAR(ING1,2)
206      NUM1=NUM1-1
207      IF(NUM1.EQ.1) GOTO 20
208      DO 10 I=2,NUM1
209      BR(I,1)=-.16666667*BAR(ING1,I)
210      BR(I,2)=.33333333*(BAR(ING1,I)+BAR(ING1,I+1))
211      10  CONTINUE
212      20  CONTINUE
213      BR(NUM1,1)=-.16666667*BAR(ING1,NUM1)
214      BR(NUM1,2)=.33333333*BAR(ING1,NUM1)
215      C
216      DO 30 I=1,NUM1
217      DO 30 J=1,2
218      BC(I,J)=BET*BR(I,J)
219      BR(I,J)=EPSIG*BR(I,J)
220      30  CONTINUE
221      RETURN
222      END
223
224      SUBROUTINE BRBCB(BR,BC,TR,TC,TRD,ICD,NUM1,DTA,NN,MAX,FLOW,TG,
225      1  T,ING1)
226      C-----THIS ROUTINE CALCULATES EXTERNAL HEAT FLOW BY RADIATION AND CONVECTION
227      C-----AND ADDS THE CORRESPONDING CONTRIBUTIONS TO THE VECTOR DTA FOR
228      C-----CALCULATION OF CRITICAL TIME INCREMENT
229      DIMENSION BR(NUM1,2),BC(NUM1,2),DTA(NN),FLOW(NN),T(NN)
230      1  ,TR(NUM1),TC(NUM1),TRD(NUM1),ICD(NUM1)
231      PARAMETER NB=10,NNB=30,NNB2=2*NNB
232      COMMON/BNOD/NUMB(NB),NBOUND(NB,NNB),BAREA(NB,NNB),
233      1  EPSG(NB),BETA(NB),CPG(NB),FA(NB)
234      LOGICAL FA
235      C
236      C-----FIRST NODE
237      C
238      NODE=NBOUND(ING1,1)
239      TR2=TR(1)
240      TC2=TC(1)
241      TR3=TR(2)
242      TC3=TC(2)
243      TRD2=TRD(1)
244      TCD2=TCD(1)
245      TRD3=TRD(2)
246      TCD3=TCD(2)
247      BR2=BR(1,2)
248      BC2=BC(1,2)
249      BR3=BR(2,1)
250      BC3=BC(2,1)
251      FLW=BR2*TR2+BC2*TC2
252      FLW=FLW+BR3*TR3
253      FLW=FLW+BC3*TC3
254      DA=BR2*TRD2+BC2*TCD2
255      DA=DA+BR3*TRD3

```

```
256      DA=DA+BC3*TC3
257      DTA(NODE)=DTA(NODE)+.5*DA
258      FLOW(NODE)=FLOW(NODE)+FLW
259
260      C
261      C-----INTERMEDIATE NODES
262      C
263      NUM1=NUM1-1
264      IF(NUM1.EQ.1)GOTO 2C
265      DO 1C I=2,NUM1
266      NODE=NBOUND(ING1,I)
267      TR1=TR2
268      TR2=TR3
269      TR3=TR(I+1)
270      TC1=TC2
271      TC2=TC3
272      TC3=TC(I+1)
273      TRD1=TRD2
274      TRD2=TRD3
275      TRD3=TRD(I+1)
276      TCD1=TCD2
277      TCD2=TCD3
278      TCD3=TCD(I+1)
279      BR1=BR3
280      BR2=BR(I,2)
281      BR3=BR(I+1,1)
282      BC1=BC3
283      BC2=BC(I,2)
284      BC3=BC(I+1,1)
285      FLW=BR2*TR2+BC2*TC2
286      FLW=FLW+BR1*TR1+BR3*TR3
287      FLW=FLW+BC1*TC1+BC3*TC3
288      DA=BR2*TRD2+BC2*TCD2
289      DA=DA+BR1*TRD1+BR3*TRD3
290      DA=DA+BC1*TCD1+BC3*TCD3
291      DTA(NODE)=DTA(NODE)+.5*DA
292      FLOW(NODE)=FLOW(NODE)+FLW
293      1C
294      2C
295      C
296      C-----LAST NODE
297      C
298      NODE=NBOUND(ING1,NUM1)
299      TR1=TR2
300      TR2=TR3
301      TC1=TC2
302      TC2=TC3
303      TRD1=TRD2
304      TRD2=TRD3
305      TCD1=TCD2
306      TCD2=TCD3
307      BR1=BR3
308      BR2=BR(NUM1,2)
309      BC1=BC3
310      BC2=BC(NUM1,2)
311      FLW=BR2*TR2+BC2*TC2
312      FLW=FLW+BR1*TR1+BC1*TC1
313      DA=BR2*TRD2+BC2*TCD2
314      DA=DA+BR1*TRD1+BC1*TCD1
315      DTA(NODE)=DTA(NODE)+.5*DA
316      FLOW(NODE)=FLOW(NODE)+FLW
317      RETURN
318      END
319
320      SUBROUTINE COND2(T1,T2,T3,T4,TT1,TT2,TT3,TT4,TMAX1,TMAX2,TMAX3,
321      TMAX4,N1,AXIAL,CE)
```

```

320 C-----GET ELEMENT CONDUCTIVITY
321 LOGICAL TMAX1,TMAX2,TMAX3,TMAX4,AXIAL
322 PARAMETER MNV=20,MNR=10
323 COMMON/RMAT/CCC(MNR),TC(MNV,MNR),C(MNV,MNR),TE(MNV,MNR),
324 1 ENT(MNV,MNR),CR(MNV,MNR),TQ(MNV,MNR),QE(MNV,MNR),LQ(MNR)
325 LOGICAL CCC,LQ
326 IF(CCC(N1)) TM=(TT1+TT2+TT3+TT4)/4.
327 IF(.NOT.CCC(N1)) TM=(T1+T2+T3+T4)/4.
328 CALL XVERSY(TC,C,MNV,N1,TM,CE)
329 RETURN
330 END
331
332 SUBROUTINE COUPLA(NODCPL,NN,NODINT)
333 C-----READ COUPLED NODES AND FORM CONTROL VECTOR VCOUPL
334 PARAMETER NCP=50
335 COMMON/COUPLE/ NCOUPL(NCP,8),NCPLG
336 DIMENSION NODCPL(NN),NODINT(NN)
337 C-----NODCPL = -1 NODE UNCOUPLED
338 C-----NODCPL = 0 SLAVE NODE
339 C-----NODCPL = NCOUPL(I,J) MASTER NODE
340 C-----
341 DO 5 I=1,NN
342 5 NODCPL(I)=-1
343 PRINT 200
344 C-----
345 READ 100,NCPLG
346 C-----
347 IF(NCPLG.EQ.0) GOTO 30
348 PRINT 205
349 DO 20 I=1,NCPLG
350 C-----
351 READ 100,(NCOUPL(I,J),J=1,8)
352 C-----
353 II=NCOUPL(I,1)
354 C-----COUPLED NODES ARE ALWAYS INTERFACE NODES
355 NODCPL(II)=I
356 DO 10 J=2,8
357 II=NCOUPL(I,J)
358 IF(II.EQ.0) GOTO 10
359 NODINT(II)=0
360 NODCPL(II)=0
361 JJ=J
362 10 CONTINUE
363 PRINT 210,(NCOUPL(I,J),J=1,JJ)
364 20 CONTINUE
365 RETURN
366 30 CONTINUE
367 PRINT 220
368 100 FORMAT()
369 200 FORMAT(//' COUPLED NODES'/1X,13(1H*))
370 205 FORMAT(' MASTER SLAVES'/)
371 210 FORMAT(I3,6X,7I3)
372 220 FORMAT(' NO COUPLED NODES')
373 RETURN
374 END
375
376 SUBROUTINE COUPLB(V)
377 C-----ADD SLAVE NODE QUANTITIES TO MASTER NODE QUANTITIES
378 C-----FOR EACH COUPLING NODE GROUP
379 DIMENSION V(1)
380 PARAMETER NCP=50
381 COMMON /COUPLE/ VCOUPL(NCP,8),NCPLG
382 C-----
383 IF(NCPLG.EQ.0)RETURN

```

```

384         DO 3C I=1,NCPLG
385         MNOD=NCOUPL(I,1)
386         VMN=V(MNOD)
387         DO 1C J=2,8
388         NOD=NCOUPL(I,J)
389         IF(NOD.EQ.0) GOTO 2C
390         VMN=VMN+V(NOD)
391     1C    CONTINUE
392     C-----
393     2C    CONTINUE
394         V(MNOD)=VMN
395     3C    CONTINUE
396         RETURN
397         END
398
399         SUBROUTINE COUPLC(T)
400     C-----UPDATE SLAVE NODE TEMPERATURE
401         DIMENSION T(1)
402         PARAMETER NCP=5C
403         COMMON/COUPLE/NCOUPL(NCP,8),NCPLG
404         IF(NCPLG.EQ.0)RETURN
405         DO 2C I=1,NCPLG
406         MNOD=NCOUPL(I,1)
407         TMNOD=T(MNOD)
408         DO 1C J=2,8
409         NOD=NCOUPL(I,J)
410         IF(NOD.EQ.0) GOTO 2C
411     1C    T(NOD)=TMNOD
412     2C    CONTINUE
413         RETURN
414         END
415
416         SUBROUTINE CTEMP(NODE,T,P,EN,FLOW,F,DELTI,NODEL,MNODEL,N,EV4,NDC)
417     C-----CALCULATE TEMPERATURE OF INTERFACE NODES
418         PARAMETER NCP=5C
419         COMMON/COUPLE/NCOUPL(NCP,8),NCPLG
420         DIMENSION P(1),EN(1),FLOW(1),F(1),NODEL(4,1),MNODEL(1),N(1),EV4(1)
421         DATA EPS/.005/
422         EN(NODE)=EN(NODE)+(FLOW(NODE)-F(NODE))*DELTI
423         ENI=EN(NODE)
424         PI=P(NODE)
425         DO 4C J=1,5
426         T=ENI/PI
427         P1=0.
428         CALL INTP(MNODEL(NODE),NODEL(1,NODE),N,EV4,T,P1)
429         IF (NDC.LT.0) GOTO 3C
430         DO 2C I=2,8
431         NOD=NCOUPL(NDC,I)
432         IF (NOD.EQ.0) GOTO 3C
433     2C    CALL INTP(MNODEL(NOD),NODEL(1,NOD),N,EV4,T,P1)
434     3C    ERR=(PI-P1)/(PI+P1)
435         IF(ABS(ERR).LT.EPS) GOTO 5C
436         PI=(P1+PI)/2.
437     4C    CONTINUE
438         PRINT 20C,NODE,T,ERR
439     20C   FORMAT(/' CONVERGENCE NOT ACHIEVED FOR NODE',I5,' TEMP=',G9.3,
440           1      ' ERR=',G9.2)
441     5C    T=ENI/P1
442         P(NODE)=P1
443         RETURN
444         END
445
446         SUBROUTINE DTIME(NN,P,DTA,MAX,NODINT,NODCPL,TIME,DELTI,NODT)
447     C-----THIS ROUTINE CALCULATES TIME INCREMENT

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```

448      DIMENSION P(NN),NODINT(NN),NODCPL(NN),DTA(NV)
449      COMMON/TOUT/II,TOUT(100),TIMMAX,DTMAX,TIMFAC,KTMAX,KUPDA
450      DELTI=DTMAX
451      DO 10 I=1,NN
452      IF (NODCPL(I).EQ.0) GOTO 10
453      IF (NODINT(I).LT.0) GOTO 10
454      DUM=TIMFAC*P(I)/DTA(I)
455      DELTI=AMIN1(DELTI,DUM)
456      IF(DELTI.EQ.DUM) NODT=I
457 10    CONTINUE
458      DUM=TOUT(II)-TIME
459      IF(DUM.GT.0) DELTI=AMIN1(DELTI,DUM)
460      RETURN
461      END
462
463      SUBROUTINE ENCL01(X,Y)
464      C-----THIS IS THE FIRST OF A SET OF ROUTINES FOR CALCULATION OF
465      C-----THE RATE OF CONVECTION AND RADIATION HEAT EXCHANGE IN VOIDS
466      C-----INBEDDED IN SOLIDS. THE SAME SURFACE NODES AS FOR THE SOLID STATE
467      C-----FINITE ELEMENT ANALYSIS ARE EMPLOYED.
468      C-----
469      C-----PROGRAMMED BY
470      C-----ULF WICKSTROM
471      C-----JUNE 1977
472      C-----REVISED FEB 1979
473      C-----
474      C-----MAJOR VARIABLES,
475      C-----   NUMB - NUMBER OF NODES IN THE NODE GROUPS
476      C-----   NBOUND - NODE NUMBERS IN THE NODE GROUPS
477      C-----   SAREA - AREA BETWEEN NODES. THIRD DIMENSION ASSUMED UNITY
478      C-----   NENC - NUMBER OF VOIDS
479      C-----   NENCNG - NUMBER OF NODE GROUPS SURROUNDING EACH VOID
480      C-----   IGREN - NODE GROUP NUMBERS SURROUNDING EACH VOID
481      C-----   NNODEN - NUMBER OF NODES SURROUNDING EACH VOID
482      C-----   INODEN - ALL NODE NUMBERS IN ALL VOIDS
483      C-----   E - NODE RADIATION MATRICES
484      C-----   EPSG - EMISSIVITY OF NODE GROUP ZONES
485      C-----   H - CONVECTION VECTORS
486      C-----   BETA - CONVECTION FACTORS OF THE NODE GROUP ZONES
487      C-----   TAIR - VOID AIR TEMPERATURE
488      C-----
489      PARAMETER NB=10,NNB=30,NNB2=2*NNB
490      COMMON/BNOD/NUMB(NB),NBOUND(NB,NNB),SAREA(NB,NNB),
491      1  EPSG(NB),BETA(NB),CPG(NB),FA(NB)
492      COMMON/ENCLOS/LEN,NENC,NENCNG(2),IGREN(2,4),NNODEN(2),INODEN(100),
493      1  XSYM(2),YSYM(2)
494      COMMON/ENRAD/E(1000)
495      COMMON/ENCON/H(50),TAIR(2)
496      COMMON/UNIT/SIGMA,TABS,TINIT,TAMB,TAMB4
497      COMMON/DIM/MAXNG,MAXNOD
498      DATA MAXNG,MAXNOD/4,25/
499      LOGICAL LEN
500      LOGICAL XSYM,YSYM,SYM,LDUM
501      INTEGER EN
502      PRINT 100
503      C-----READ CONTROL CARD
504      C-----IF NO VOIDS IN STRUCTURE RETURN
505      READ 90,CONTRO
506      IF(CONTRO.EQ.4HVOID) GOTO 10
507      PRINT 190
508      RETURN
509 10    CONTINUE
510      TAIR=TINIT
511      LEN=.TRUE.

```

```
512 C-----READ AND ESTABLISH NODE GROUP DATA
513 C-----READ NUMBER OF VOIDS
514 READ 100,NENC
515 PRINT 200,NENC
516 IND=0
517 C-----EACH VOID
518 DO 150 EN=1,NENC
519 C-----READ SYMMETRI PROPERTIES AND NODE GROUPS THAT DEFINES THE
520 C-----VOID
521 READ 100, XSYM(EN),YSYM(EN),(IGREN(EN,J),J=1,MAXNG)
522 SYM=XSYM(EN).OR.YSYM(EN)
523 IND=IND+1
524 I1=IGREN(EN,1)
525 INODEN(IND)=NBOUND(I1,1)
526 NODE1=INODEN(IND)
527 C-----EACH NODE GROUPE
528 DO 20 IG=1,MAXNG
529 I1=IGREN(EN,IG)
530 IF(I1.EQ.C) GOTO 30
531 K1=IG
532 NUM1=NUMB(I1)
533 LDUM=INODEN(IND).NE.NBOUND(I1,1)
534 IF(LDUM) PRINT 500,EN,IND,I1
535 IF(LDUM) STOP
536 C-----EACH ZONE
537 DO 20 I=2,NUM1
538 IND=IND+1
539 INODEN(IND)=NBOUND(I1,I)
540 CONTINUE
541 PRINT 210,EN,(IGREN(EN,J),J=1,K1)
542 IF(XSYM(EN)) PRINT 250,EN
543 IF(YSYM(EN)) PRINT 260,EN
544 NENCNG(EN)=K1
545 IF(SYM) GOTO 40
546 LDUM=INODEN(IND).NE.NODE1
547 IF(LDUM) PRINT 510,EN,NODE1,INODEN(IND)
548 IF(LDUM) STOP
549 IND=IND-1
550 CONTINUE
551 NNODEN(EN)=IND
552 150 CONTINUE
553 CALL ENRAD1(X,Y)
554 CALL ENCONT
555 RETURN
556 90 FORMAT(A4)
557 100 FORMAT()
558 180 FORMAT(//' VOIDS'/' *****')
559 190 FORMAT('/' THIS STRUCTURE HAS NO VOIDS'/)
560 200 FORMAT('/' NUMBER OF VOIDS=',I2'/)
561 210 FORMAT(' VOID NUMBER',I2,' IS SURROUNDED BY THE FOLLOWING '
562 1 ', 'NODE GROUP(S)',I3)
563 250 FORMAT(' VOID NUMBER',I2,' IS SYMMETRICAL AROUND THE X-AXIS
564 1 ')
565 260 FORMAT(' VOID NUMBER',I2,' IS SYMMETRICAL AROUND THE Y-AXIS
566 1 ')
567 500 FORMAT(///' SURROUNDING NODEGROUPS NOT COMPATIBLE'/' EN=',I3,
568 1 ' IND=',I3,' I1=',I3)
569 510 FORMAT(///' FIRST AND LAST NODE ARE NOT IDENTICAL FOR '
570 1 ', 'VOID NUMBER',I3/' FIRST NODE=',I4/' SECOND NODE=',I4)
571 END
572
573 SUBROUTINE ENCL02(T,FLOW)
574 C-----THIS ROUTINE IS CALLED FROM THE BASIC FINITE ELEMENT PROGRAM
575 C-----TO CALCULATE THE RATE OF HEAT EXCHANGE BETWEEN ENCLOSURE SURFACES
```

```
576 C-----AS AFUNCTION OF CURRENT TEMPERATURE
577 DIMENSION T(1),FLOW(1)
578 COMMON/ENCLOS/LEN,NENC,NENCNG(2),IGREN(2,4),NNODEN(2),INODEN(100),
579 1 XSYM(2),YSYM(2)
580 LOGICAL LEN
581 IF(.NOT.LEN) RETURN
582 C-----CALCULATE RATE OF RADIATION HEAT EXCHANGE
583 CALL ENRAD2(T,FLOW)
584 C-----CALCULATE RATE OF CONVECTION HEAT EXCHANGE
585 CALL ENCON2(T,FLOW)
586 RETURN
587 END
588
589 SUBROUTINE ENCON1
590 C-----THIS ROUTINE FORMS CONVECTION ARRAY H
591 PARAMETER NB=10,NNB=30,NNB2=2*NNB
592 COMMON/BNOD/NUMB(NB),NBOUND(NB,NNB),BAREA(NB,NNB),TH(NB),
593 1 EPSG(NB),BETA(NB),CPG(NB),FA(NB)
594 COMMON/ENCLOS/LEN,NENC,NENCNG(2),IGREN(2,4),NNODEN(2),INODEN(100),
595 1 XSYM(2),YSYM(2)
596 COMMON/ENCON/H(50),TAIR(2)
597 COMMON/DUMMY/HZ(25),DUM2(25)
598 LOGICAL LEN
599 LOGICAL XSYM,YSYM,SYM
600 INTEGER EN
601 IND=1
602 C-----FORM ZONE CONVECTION ARRAY
603 C-----EACH VOID
604 DO 150 EN=1,NENC
605 SYM=XSYM(EN).OR.YSYM(EN)
606 IN=0
607 VENG=NENCNG(EN)
608 C-----EACH NODE GROUP
609 DO 10 IG=1,NENG
610 I1=IGREN(EN,IG)
611 NUMI=NUMB(I1)
612 BE=BETA(I1)
613 C-----EACH ZONE
614 DO 10 I=2,NUMI
615 IN=IN+1
616 HZ(IN)=BE*BAREA(I1,I)
617 C-----FORM NODE CONVECTION ARRAY
618 CALL HTRANS(HZ,H(IND),IN,SYM)
619 N=IN
620 IF(SYM) N=N+1
621 IND=IND+N
622 150 CONTINUE
623 RETURN
624 END
625
626 SUBROUTINE ENCON2(T,FLOW)
627 C-----THIS ROUTINE CALCULATES THE AIR TEMPERATURE AND CONVECTIVE HEAT
628 C-----FLOW IN EACH ENCLOSURE
629 DIMENSION T(1),FLOW(1)
630 COMMON/ENCON/H(50),TAIR(2)
631 COMMON/ENCLOS/LEN,NENC,NENCNG(2),IGREN(2,4),NNODEN(2),INODEN(100),
632 1 XSYM(2),YSYM(2)
633 COMMON/DUMMY/HBAR(25),TEN(25)
634 LOGICAL LEN
635 INTEGER EN
636 DATA PE/.CCQ1/
637 IND=0
638 C-----EACH VOID
639 DO 150 EN=1,NENC
```



```
640      N=NNODEN(EN)
641      C-----STORE APPROPRIATE NODAL TEMPERATURES IN DUMMY VECTOR TEN
642      DO 10 I=1,N
643          NODE=INODEN(IND+I)
644          TEN(I)=T(NODE)
645      C-----CALCULATE THE AIR TEMPERATURE TA BY ITERATION
646      C-----USE STARTING VALUE FROM FORMER TIME STEP
647          TA=TAIR(EN)
648          DO 50 ITER=1,10
649              SHBAR=.
650              SHBT=C.
651      C-----EACH NODE
652          DO 20 I=1,N
653              TDIF=ABS(TEN(I)-TA)
654              IF(TDIF.LT..0001) HBAR(I)=0.
655              IF(TDIF.LT..0001) GOTO 20
656              HBAR(I)=H(I)*TDIF**.33
657              SHBAR=SHBAR+HBAR(I)
658              SHBT=SHBT+HBAR(I)*TEN(I)
659          20      CONTINUE
660              IF(SHBAR) 25,90,25
661          25      TANEW=SHBT/SHBAR
662      C-----CONVERGENCE CHECK OF AIR TEMPERATURE
663          IF(ABS((TANEW-TA)/(TANEW+TA)).LT.PE) GOTO 60
664          IF(ITER.GT.1) GOTO 30
665          TX=TA
666          TY=TANEW
667          TA=(TANEW+TA)*.5
668          GOTO 50
669      30      DX=TX-TA
670              DY=TY-TANEW
671              D=DY-DX
672              IF(D)40,70,40
673      40      DN=TX*DY-TY*DX
674              TX=TA
675              TY=TANEW
676      C-----USE LINEAR INTERPOLLATION TO SPEED UP CONVERGENCE
677          TA=DN/D
678      50      CONTINUE
679          PRINT 200,EN
680          STOP
681      60      CONTINUE
682          DX=TX-TA
683          DY=TY-TANEW
684          D=DY-DX
685          IF(D)65,70,65
686      C-----USE LINEAR INTERPOLLATION TO IMPROVE THE CALCULATED TEMPERATURE
687      65      TA=(TX*DY-TY*DX)/D
688      70      TAIR(EN)=TA
689      C-----CALCULATE CONVECTION HEAT FLOW AND ADD TO THE GLOBAL HEAT FLOW
690      C-----VECTOR FLOW
691          QTOT=C.
692          DO 80 I=1,N
693              NODE=INODEN(IND+I)
694              Q=HBAR(I)*(TA-TEN(I))
695              QTOT=QTOT+Q
696      80      FLOW(NODE)=FLOW(NODE)+Q
697          90      CONTINUE
698          CC      PRINT 220,TA,QTOT
699          IND=IND+N
700      150     CONTINUE
701          RETURN
702      200     FORMAT(///' CONVERGENCE NOT ACHIEVED FOR THE AIR TEMPERATURE',
703                  1      ' IN ENCLOSURE NUMBER',I3)
```

```
704      220  FORMAT(1H+,50X,'AIR TEMPERATURE',F7.1,5X,'TOTAL CONVECTIVE HEAT',
705      1    ' EXCHANGE',E10.3)
706      END
707
708      SUBROUTINE ENRAD(X,Y)
709      C-----FORM RADIATION MATRICES FOR EACH VOID AND STORE THEM IN
710      C-----THE VECTOR E.
711      C-----CALCULATE VIEW-FACTOR MATRIX VIEW AND ZONE AREA VECTOR D
712      DIMENSION X(1),Y(1),A(25,25),B(25,25)
713      PARAMETER NB=10,NNB=30,NNB2=2*NNB
714      COMMON/BNOD/NUMB(NB),NBOUND(NB,NNB),BAREA(NB,NNB),
715      1  EPSG(NB),BETA(NB),CPG(NB),FA(NB)
716      COMMON/ENCLOS/LEN,NENC,NENCNG(2),IGREN(2,4),NNODEN(2),INODEN(100),
717      1  XSYM(2),YSYM(2)
718      COMMON/ENRAD/E(1000)
719      COMMON/UNIT/SIGMA,TAHS
720      COMMON/DIM/MAXNG,MAXNOD
721      COMMON/DUMMY/D(25),DUM2(25)
722      DIMENSION VIEW(25,25)
723      EQUIVALENCE (A(1),VIEW(1))
724      DATA IND,IE/D,1/
725      LOGICAL LEN
726      LOGICAL XSYM,YSYM,SYM
727      INTEGER EN
728      C-----EACH VOID
729      DO 150 EN=1,NENC
730      CALL VIEWFCC(X,Y,D,EN,VIEW,MAXNOD)
731      C-----FORM THE MATRICES A AND B
732      NENG=NENCNG(EN)
733      IN=C
734      C-----EACH NODE GROUP
735      DO 120 IG=1,NENG
736      I1=IGREN(EN,IG)
737      NUMI=NUMB(I1)
738      C-----EACH ZONE
739      DO 120 I=2,NUMI
740      IN=IN+1
741      JN=C
742      DO 120 JG=1,NENG
743      J1=IGREN(EN,JG)
744      NUMJ=NUMB(J1)
745      EPSJ=EPSG(J1)
746      DO 120 J=2,NUMJ
747      JN=JN+1
748      B(IN,JN)=VIEW(IN,JN)*SIGMA
749      A(IN,JN)=-VIEW(IN,JN)*(1.-EPSJ)/EPSJ/D(JN)
750      IF(IN.NE.JN) GOTO 120
751      B(IN,JN)=-SIGMA+B(IN,JN)
752      A(IN,JN)=1./EPSJ/D(JN)+A(IN,JN)
753      120  CONTINUE
754      N=IN
755      C-----INVERT A AND STORE RESULT IN A
756      CALL INVER(A,N,MAXNOD)
757      C-----MULTIPLY A AND B AND STORE RESULT IN A
758      CALL MULT(A,B,N,MAXNOD)
759      SYM=.FALSE.
760      IF(XSYM(EN).OR.YSYM(EN)) SYM=.TRUE.
761      NZ=N
762      IF(SYM) N=N+1
763      C-----TRANSFORM THE LOCAL RADIATION MATRICE A AND STORE THE RESULT IN
764      C-----VECTOR E
765      C-----B IS EMPLOYED AS A DUMMY MATRIX
766      CALL ETRANS(A,B,E(IE),N,NZ,SYM,MAXNOD)
767      IE=IE+N*N
```

```
768     IND=IND+N
769     150  CONTINUE
770     RETURN
771     END
772
773     SUBROUTINE ENRAD2(T, FLOW)
774     C-----THIS ROUTINE CALCULATES THE RADIATION HEAT FLOW TO EACH NODE OF A
775     C-----ENCLOSURE SURFACE AND ADDS THE RESULT TO THE GLOBAL HEAT FLOW
776     C-----VECTOR FLOW
777     DIMENSION T(1), FLOW(1)
778     COMMON/ENCLOS/LEN, NENC, NENCRG(2), IGREN(7,4), NNODEN(2), INODEN(100),
779     1  XSYM(2), YSYM(2)
780     COMMON/ENRAD/E(1000)
781     COMMON/UNIT/SIGMA, TABS
782     COMMON/DUMMY/ETA(25), Q(25)
783     LOGICAL LEN
784     INTEGER EN
785     IE=1
786     IND=0
787     C-----EACH VOID
788     DO 150 EN=1, NENC
789     N=NNODEN(EN)
790     C-----CALCULATE ABSOLUTE TEMPERATURES TO THE FOURTH POWER FOR FOR THE
791     C-----NODES OF THE ENCLOSURE SURFACE
792     DO 10 I=1, N
793     NODE=INODEN(IND+I)
794     DUM=T(NODE)+TABS
795     DUM=DUM*DUM
796     10  ETA(I)=DUM*DUM
797     C-----CALCULATE ENCLOSURE SURFACE RADIATION HEAT EXCHANGE VECTOR Q=E*ETA
798     CALL RADVEC(E(IE), ETA, N, Q)
799     C-----ADD TO GLOBAL HEAT FLOW VECTOR FLOW
800     DO 20 I=1, N
801     NODE=INODEN(IND+I)
802     20  FLOW(NODE)=FLOW(NODE)+Q(I)
803     IE=IE+N*N
804     IND=IND+N
805     150  CONTINUE
806     RETURN
807     END
808
809     SUBROUTINE ETRANS(A, B, E, N, NZ, SYM, MAX)
810     C-----THIS ROUTINE TRANSFORMS THE ZONE RADIATION MATRIX A TO A NODE
811     C-----RADIATION MATRIX AND STORE THE RESULT IN E
812     C-----IF SYMMETRY IS PRESENT EXPAND RADIATION MATRIX
813     DIMENSION E(N, N), A(MAX, MAX), B(MAX, MAX)
814     LOGICAL SYM
815     C-----E=SAT*A*SA
816     C-----B=SAT*A
817     DO 10 I=2, NZ
818     DO 10 J=1, NZ
819     10  B(I, J)=A(I-1, J)+A(I, J)
820     DO 30 J=1, NZ
821     IF(SYM) GOTO 20
822     B(1, J)=A(1, J)+A(NZ, J)
823     GOTO 30
824     20  B(1, J)=A(1, J)
825     B(N, J)=A(NZ, J)
826     30  CONTINUE
827     C-----E=B*SA
828     DO 50 I=1, N
829     DO 50 J=2, NZ
830     50  E(I, J)=.25*(B(I, J)+B(I, J-1))
831     DO 70 I=1, N
```

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832      IF(SYM) GOTO 60
833      E(I,1)=.25*(B(I,1)+B(I,N))
834      GOTO 70
835 60     E(I,1)=.25*B(I,1)
836      E(I,N)=.25*B(I,NZ)
837 70     CONTINUE
838      RETURN
839      END
840
841      SUBROUTINE FEM2(IX,IY,NN,NE,NR,N,KTOP,X,Y,T,TT,TMAX,ELA,EV4,A,MAX,
842 1      P,W,EN,F,FLOW,AXIAL,NODCPL,NODINT,NODEL,MNODEL,DTA)
843 C-----THIS ROUTINE INITIALIZES SYSTEM ARRAYS AND
844 C-----CONTROLS TIME INTEGRATION
845      DIMENSION N(NE),KTOP(4,NE),X(NN),Y(NN),T(NN),TT(NN),TMAX(NN),
846 1      ELA(4,NE),EV4(NE),A(NN,MAX),P(NN),W(NN),EN(NN),F(NN),FLOW(NN)
847 2      ,NODCPL(NN),NODINT(NN),NODEL(4,NN),MNODEL(NN),DTA(NN)
848      PARAMETER MNV=20,MNR=10
849      COMMON/FIRE/TIM(50),T9(50),TITFIR
850      COMMON/RMAT/TC(MNV,MNR),C(MNV,MNR),TE(MNV,MNR),ENT(MNV,MNR),
851      COMMON/TOUT/II,TOUT(100),TIMMAX,DTMAX,TIMFAC,KTMAX,KUPDA
852      LOGICAL TMAX,AXIAL
853      LOGICAL FIN,CON,NODI,UPDA
854      DATA FIN/.FALSE./
855 C-----
856 5      CONTINUE
857      KTIME=0
858      CON=.TRUE.
859 C-----INITIALIZE NODAL TEMPERATURES
860      CALL INIT(NN,T,TT,TMAX,NODINT)
861 C-----INPUT FIRE BOUNDARY TEMPERATURE
862      CALL BFIRE(FIN)
863 C-----FIRST TIME INCREMENT FOR CALCULATING INCREMENT LENGTH ONLY
864      DELTI=0.
865 C-----IF FIN=.TRUE. ANALYZE NEW FIRE
866 C-----IF FIN=.TRUE. TERMINATE RUN
867      IF(FIN)GOTO 1000
868      CALL ASSP2(NN,N,X,Y,T,TT,TMAX,EV4,NODEL,MNODEL,P,W,NODINT,
869 1      AXIAL)
870 C-----INITIALIZE NODAL ENTHALPY VECTOR EN
871 C-----HOMOGENEOUS NODES - EN = ENTHALPY(HEAT) PER UNIT VOLUME
872 C-----INTERFACE NODES - EN = ENTHALPY(HEAT)
873      DO 10 I=1,NN
874      NDI=NODINT(I)
875      IF(NODCPL(I).EQ.0.OR.NDI.LT.0) GOTO 10
876      IF(NDI.GT.0) CALL XVERSY(TE,ENT,MNV,NDI,T(I),EN(I))
877 C-----MASTER NODES AND INTERFACE NODES
878      IF(NODCPL(I).GT.0.AND.NDI.EQ.0) CALL MINTP(I,NODCPL(I),P)
879      IF(NDI.EQ.0) EN(I)=P(I)*T(I)
880 10     CONTINUE
881 C-----
882 C-----START TIME INTEGRATION LOOP
883 C-----
884 700    CONTINUE
885      DUM1=FLOAT(KTIME)/FLOAT(KUPDA)
886      DUM2=AINT(DUM1)
887      UPDA=DUM1.EQ.DUM2.OR.KTIME.EQ.1
888      KTIME=KTIME+1
889 C-----CALCULATE INTERNAL HEAT FLOW BY CONDUCTION
890      IF(UPDA)
891 1      CALL ASSA2(NN,NE,N,KTOP,X,Y,ELA,T,TT,TMAX,AXIAL,MAX,A)
892      DO 20 I=1,NN
893      DTA(I)=A(I,MAX)
894 20     CALL MPAKV(A,T,F,MAX,NN)
895 C-----GET FIRE TEMPERATURE

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896          CALL XVERSY(TIME,TP,50,1,TIME,TFIRE)
897 C-----CALCULATE BOUNDARY HEAT FLOW
898          CALL FQSNDB(T,FLOW,DTA,NN,MAX,TFIRE)
899 C-----CALCULATE INTERNALLY GENERATED HEAT FLOW
900          CALL FQGEN(NN,NE,N,KTOP,EV4,T,FLOW)
901 C-----CALCULATE ENCLOSURE (VOID) HEAT FLOW
902          CALL ENCL02(T,FLOW)
903 C-----CALCULATE HEAT CAPACITY MATRIX AT CURRENT TEMPERATURE
904          CALL ASSP2(NN,N,X,Y,T,TT,TMAX,EV4,NODEL,MNODEL,P,W,NODINT,
905                1 AXIAL)
906 C-----SUM APPROPRIATE QUANTITIES OF COUPLED NODES
907          CALL COUPLR(F)
908          CALL COUPLR(FLOW)
909          CALL ACOUPL(A,DTA,NN,MAX)
910 C-----CALCULATE NEW NODAL TEMPERATURES
911          DO 50 I=1,NN
912             NDC=NODCPL(I)
913             NDI=NODINT(I)
914             IF(NDI.LT.0.OR.NDC.EQ.0) GOTO 50
915 C-----HOMOGENEOUS NODES ONLY
916             NDI=NDI.GT.0
917             IF(NODI)CALL HTEMP(T(I),W(I),EN(I),FLOW(I),F(I),NDI,DELTI)
918             IF(NODI) GOTO 50
919 C-----INTERFACE NODES
920             IF(NODCPL(I).GT.0) CALL MINTP(I,NODCPL(I),P)
921             CALL CTEMP(I,T(I),P,EN,FLOW,F,DELTI,NODEL,MNODEL,N,EV4,NDC)
922 50      CONTINUE
923 C-----SET PRESCRIBED NODAL TEMPERATURES
924          CALL PTBND(T,TFIRE)
925          CALL COUPLC(T)
926 C-----PRINT CURRENT NODAL AND VOID AIR TEMPERATURES
927          CALL OUT2(IX,IY,NN,NE,X,Y,TIME,KTIME,DELTI,T,TT,TMAX,FLOW,TFIRE,
928                1 NODT,AXIAL)
929 C-----SET CON=.FALSE. TO TERMINATE TIME INTEGRATION
930          CALL MAXCO(NN,TMAX,TT,T,TIME,KTIME,CON)
931 C-----CALCULATE NEW TIME INCREMENT DELTI
932          CALL DTIME(NN,P,DTA,MAX,NODINT,NODCPL,TIME,DELTI,NODT)
933          TIME=TIME+DELTI
934          IF(CON) GOTO 700
935 C-----
936 C-----END TIME INTEGRATION LOOP
937 C-----
938 700      CONTINUE
939          TIME=TIME-DELTI
940 C-----PRINT MAXIMUM TEMPERATURE OBTAINED DURING ANALYSIS
941          CALL OUTMA2(IX,IY,NN,NE,X,Y,TIME,KTIME,T,TT,TMAX,FLOW,AXIAL)
942          GOTO 5
943 1000     RETURN
944          END
945
946          SUBROUTINE FQBND
947 C-----THIS ROUTINE FORMS RADIATION AND CONVECTION MATRICES BR AND BC
948          COMMON/UNIT/SIGMA,TABS,TINIT,TAMB,TAMB4
949          PARAMETER NB=10,NNB=30,NNB2=2*NNB
950          COMMON/FQB/NFQNG,NFQG(NB),TR(NNB),TC(NNB)
951          1  ,BR(NNB2),BC(NNB2)
952          COMMON/ENOD/NUMB(NB),NBOUND(NB,NNB),BAREA(NB,NNB),
953          1  EPSG(NB),BETA(NB),CPG(NB),FA(NB)
954          LOGICAL FA,FA1
955 C-----READ NUMBER OF BOUNDARY NODES GROUPS
956          READ 100,NFQNG
957 C-----
958          IF(NFQNG.EQ.0) RETURN
959          PRINT 200

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960      IND=1
961      C-----EACH BOUNDARY FLOW NODE GROUP
962      DO 10 IB=1,NFQNG
963      C-----
964      READ 100,FA1,ING1
965      C-----IF FA1=.TRUE. FIRE BOUNDARY ELSE AMBIENT TEMPERATURE
966      C-----ING1 = NODE GROUP NUMBER
967      FA(ING1)=FA1
968      NFQG(IB)=ING1
969      NUMI=NUMB(ING1)
970      BET=BETA(ING1)
971      EPSIG=EPSG(ING1)*SIGMA
972      IF(EPSIG.EQ.0.AND.BET.EQ.0) PRINT 300
973      IF(EPSIG.EQ.0.AND.BET.EQ.0) STOP
974      CALL BRBCA(BR(IND),BC(IND),EPSIG,BET,BAREA,NUMI,NB,ING1)
975      IND=IND+2*NUMI
976      IF(FA1) PRINT 210,ING1
977      IF(.NOT. FA1) PRINT 220,ING1
978      10 CONTINUE
979      100 FORMAT()
980      200 FORMAT(/' PRESCRIBED FLOW BOUNDARY'/1X,24(1H*)/
981      1 /' NODE GROUPS AND TYPES OF BOUNDARIES'/)
982      210 FORMAT(' NODE GROUP',I3,' FIRE BOUNDARY')
983      220 FORMAT(' NODE GROUP',I3,' AMBIENT BOUNDARY')
984      300 FORMAT(/' BOTH EMISSIVITY AND CONVECTION FACTOR ZERO')
985      RETURN
986      END
987
988      SUBROUTINE FQBND3(T,FLOW,DTA,NN,MAX,TFIRE)
989      C-----THIS ROUTINE PREPARES CALCULATION OF PRESCRIBED BOUNDARY FLOW
990      DIMENSION T(NN),DTA(NN),FLOW(NN)
991      PARAMETER NB=10,NNB=30,NNB2=2*NNB
992      COMMON/FQB/NFQNG,NFQG(NB),TR(NNB),TC(NNB)
993      1 ,BR(NNB2),BC(NNB2),TRD(NNB),TCD(NNB)
994      COMMON/BND/NUMB(NB),NBOUND(NB,NNB),BAREA(NB,NNB),
995      1 EPSG(NB),BETA(NB),CPG(NB),FA(NB)
996      COMMON/UNIT/SIGMA,TABS,TINIT,TAMB,TAMB4
997      LOGICAL FA
998      C-----NULL FLOW VECTOR
999      DO 777 I=1,NN
1000      777 FLOW(I)=0.
1001      C-----RETURN IF NO PRESCRIBED BOUNDARY FLOW
1002      IF(NFQNG.EQ.0) RETURN
1003      TF4=(TFIRE+TABS)**4
1004      IND=1
1005      C-----EACH BOUNDARY FLOW NODE GROUP
1006      DO 30 IB=1,NFQNG
1007      TG=TAMB4
1008      TG=TAMB
1009      ING1=NFQG(IB)
1010      IF(FA(ING1)) TG=TFIRE
1011      IF(FA(ING1)) TG4=TF4
1012      NUMI=NUMB(ING1)
1013      CP=CPG(ING1)
1014      DO 20 I=1,NUMI
1015      NODE=NBOUND(ING1,I)
1016      TNODE=T(NODE)
1017      TNABS=TNODE+TABS
1018      C-----RADIATION
1019      TRD(I)=4.*TNABS**3
1020      TR(I)=TG4-TNABS**4
1021      C-----CONVECTION
1022      DUM=TG-TNODE
1023      TCD(I)=CP*ABS(DUM)**(CP-1.)

```

```
1024      IF(DUM) 5,20,10
1025      5      TC(I)=-(-DUM)**CP
1026      GOTO 20
1027      10     TC(I)=DUM**CP
1028      20     CONTINUE
1029      C-----
1030      CALL BRGCB(BR(IND),BC(IND),TR,TC,TRD,ICD,NUMI,DTA,NN,
1031      1      MAX,FLOW,TG,T,ING1)
1032      IND=IND+2*NUMI
1033      30     CONTINUE
1034      RETURN
1035      END
1036
1037      SUBROUTINE FGGEN(NN,NE,N,KTOP,EV4,T,FLOW)
1038      C-----CALCULATE INTERNALLY GENERATED HEAT
1039      DIMENSION N(NE),KTOP(4,NE),EV4(NE),T(NN),FLOW(NN)
1040      PARAMETER MNV=20,MNR=10
1041      COMMON/RMAT/CCC(MNR),TC(MNV,MNR),C(MNV,MNR),TE(MNV,MNR),
1042      1      ENT(MNV,MNR),CR(MNV,MNR),TG(MNV,MNR),GE(MNV,MNR),LO(MNR)
1043      LOGICAL CCC,LQ
1044      DO 20 I=1,NE
1045      N1=N(I)
1046      IF(.NOT.LQ(N1)) GOTO 20
1047      DO 10 K=1,4
1048      NOD=KTOP(K,I)
1049      CALL XVERSY(TG,GE,MNV,N1,T(NOD),FGEN)
1050      10     FLOW(NOD)=FLOW(NOD)+EV4(I)*FGEN
1051      20     CONTINUE
1052      RETURN
1053      END
1054
1055      SUBROUTINE GEOCO2(NN,NE,N,KTOP,X,Y,AXIAL,ELA,EV4)
1056      C-----THIS SUBROUTINE COMPUTES ELEMENT GEOMETRICAL CONSTANTS
1057      C-----
1058      C-----      NN      NUMBER OF NODES
1059      C-----      NE      NUMBER OF ELEMENTS
1060      C-----      N      ELEMENT REGION NUMBER
1061      C-----      X,Y     NODE COORDINATES
1062      C-----      AXIAL   TRUE IF AXIAL SYMMETRIC PROBLEM
1063      C-----      ELA     ELEMENT GEOMETRIC CONSTANTS
1064      C-----      EV4     ELEMENT VOLUME/4
1065      DIMENSION X(NN),Y(NN),EV4(NE),ELA(4,NE),KTOP(4,NE),N(NE)
1066      PARAMETER MNR=10
1067      COMMON/RGEO/ELFICT(MNR),ET(MNR),SRDIAC(4,MNR)
1068      LOGICAL AXIAL,ELFICT
1069      DO 5 I=1,NE
1070      N1=N(I)
1071      K1=KTOP(1,I)
1072      K4=KTOP(4,I)
1073      A=X(K4)-X(K1)
1074      B=Y(K4)-Y(K1)
1075      ET1=ET(N1)
1076      ELA(1,I)=ET1*(A*A+B*B)/3./A/B
1077      ELA(2,I)=ET1*(-2*A*A+B*B)/6./A/B
1078      ELA(3,I)=ET1*(A*A-2.*B*B)/6./A/B
1079      ELA(4,I)=-ET1*(A*A+B*B)/6./A/B
1080      EV4(I)=ET1*A*B/4.
1081      5      CONTINUE
1082      RETURN
1083      END
1084
1085      SUBROUTINE HTEMP(T,W,EN,FLOW,F,N1,DELTI)
1086      C-----CALCULATE TEMPERATURE FOR HOMOGENEOUS NODES
1087      PARAMETER MNV=20,MNR=10
```

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1088      COMMON/RMAT/TC(MNV,MNR),C(MNV,MNR),TE(MNV,MNR),ENT(MNV,MNR),
1089      1      CR(MNV,MNR)
1090      D=(FLOW-F)*DELTI
1091      EN=EN+D/W
1092      CALL XVERSY(ENT,TE,MNV,N1,EN,T)
1093      RETURN
1094      END
1095
1096      SUBROUTINE HTRANS(HZ,H,N,SYM)
1097      C-----THIS ROUTINE TRANSFORMS THE ZONE CONVECTION ARRAY H TO A NODE
1098      C-----CONVECTION ARRAY STORED IN THE SAME ARRAY
1099      C-----IF SYMMETRY IS PRESENT EXPAND CONVECTION VECTOR
1100      DIMENSION HZ(1),H(1)
1101      LOGICAL SYM
1102      DO 10 I=2,N
1103      H(I)=.5*(HZ(I-1)+HZ(I))
1104      10  CONTINUE
1105      IF(SYM) GOTO 20
1106      H(1)=.5*(HZ(N)+HZ(1))
1107      GOTO 30
1108      20  CONTINUE
1109      H(1)=.5*HZ(1)
1110      H(N+1)=.5*HZ(N)
1111      30  RETURN
1112      END
1113
1114      SUBROUTINE INIT(NN,T,TT,TMAX,NODINT)
1115      C-----SET INITIAL NODAL TEMPERATURE
1116      DIMENSION T(NN),TT(NN),TMAX(NN),NODINT(NN)
1117      LOGICAL TMAX
1118      COMMON/TOUT/II,TOUT(100),TIMMAX
1119      COMMON/UNIT/SIGMA,TABS,TINIT,TAMB,TAMB4
1120      II=1
1121      DO 1 I=1,NN
1122      IF(NODINT(I).LT.0) GOTO 1
1123      T(I)=TINIT
1124      TT(I)=T(I)
1125      1  TMAX(I)=.FALSE.
1126      RETURN
1127      END
1128
1129      SUBROUTINE INTERF(NN,NE,NR,NX,NY,KTOP,N,NODINT,NODCPL)
1130      C-----THIS ROUTINE FORMS VECTOR FOR IDENTIFICATION OF
1131      C-----INTERFACE AND FICTITIOUS NODES
1132      C-----NODINT=-1 - FICTITIOUS NODE
1133      C-----NODINT= 0 - INTERFACE NODE
1134      C-----NODINT= 1 - HOMOGENEOUS NODE
1135      PARAMETER MNR=10,NCP=50
1136      COMMON/RGEO/ELFICT(MNR)
1137      COMMON/COUPLE/NCOUPL(NCP,8),NCPLG
1138      DIMENSION KTOP(4,NE),N(NE),NODINT(NN),NODCPL(NN)
1139      LOGICAL ELFICT
1140      PRINT 200
1141      DO 5 I=1,NN
1142      NODINT(I)=-1
1143      IF(NR.EQ.1) GOTO 50
1144      NX1=NX-1
1145      NY1=NY-1
1146      IF(NY.EQ.2)GOTO 25
1147      C-----
1148      DO 20 I=1,NX1
1149      INY=(I-1)*NY
1150      INY1=(I-1)*NY1
1151      IE1=INY1+1

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```
1152      N1=N(IE1)
1153      C-----
1154      DO 20 J=2,NY1
1155      IF(ELFICT(N1)) GOTO 15
1156      DO 10 IDUM=1,3
1157      IE2=IE1+(IDUM-2)*NY1+1
1158      IF(IE2.LE.C.OR.IE2.GT.NE)GOTO 10
1159      N2=N(IE2)
1160      IF(ELFICT(N2)) GOTO 10
1161      IF(N1.EQ.N2) GOTO 10
1162      IF(IDUM.NE.2)GOTO 10
1163      NOD=INY+J
1164      NODINT(NOD)=0
1165      NOD=NOD+NY
1166      NODINT(NOD)=0
1167      C-----
1168      10 CONTINUE
1169      15 CONTINUE
1170      IE1=IE1+1
1171      N1=N(IE1)
1172      C-----
1173      20 CONTINUE
1174      25 CONTINUE
1175      C-----
1176      IF(NX.EQ.2)GOTO 50
1177      DO 40 I=1,NY1
1178      INX=I-1
1179      IE1=I
1180      N1=N(IE1)
1181      C-----
1182      DO 40 J=2,NX1
1183      C-----
1184      IE2=IE1+NY1
1185      N2=N(IE2)
1186      IF(ELFICT(N1).OR.ELFICT(N2)) GOTO 30
1187      IF(N1.EQ.N2) GOTO 30
1188      NOD=(J-1)*NY+I
1189      NODINT(NOD)=0
1190      NOD=NOD+1
1191      NODINT(NOD)=0
1192      C-----
1193      30 CONTINUE
1194      IE1=IE2
1195      N1=N2
1196      C-----
1197      40 CONTINUE
1198      50 CONTINUE
1199      C-----
1200      DO 70 I=1,NE
1201      N1=N(I)
1202      IF(ELFICT(N1)) GOTO 70
1203      DO 60 J=1,4
1204      NOD=KTOP(J,I)
1205      60 IF(NODINT(NOD).EQ.-1) NODINT(NOD)=N1
1206      70 CONTINUE
1207      C-----IF ONE NODE IN A COUPLED GROUP IS AN INTERFACE NODE
1208      C-----ALL NODES IN THE GROUP ARE CONSIDERED INTERFACE NODES
1209      IF (NCPLG.EQ.0) GOTO 120
1210      DO 110 I=1,NCPLG
1211      DO 85 J=1,8
1212      NOD=NCOUP(L,I,J)
1213      IF(NOD.EQ.0) GOTO 110
1214      IF(NODINT(NOD).EQ.0) GOTO 90
1215      85 CONTINUE
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1216          90  CONTINUE
1217          DO 100 J=1,8
1218             NOD=NCOUPL(I,J)
1219             IF(NOD.EQ.0) GOTO 110
1220             NODINT(NOD)=0
1221          100  CONTINUE
1222          110  CONTINUE
1223          120  CONTINUE
1224             PRINT 205
1225             DO 30 I=1,NX
1226                II=(I-1)*NY
1227          30  PRINT 210,(NODINT(II+J),J=1,NY)
1228          205  FORMAT(/' -1 - FICTITIOUS NODE'/' 0 - INTERFACE NODE'/'
1229             1 ' 1 - HOMOGENEOUS NODE')
1230          200  FORMAT(/' INTERFACE NODES'/'16(1H*))
1231          210  FORMAT(/10X,5G12)
1232             RETURN
1233             END
1234
1235          SUBROUTINE INTP(MND,NODEL,N,EV4,TI,PI)
1236  C-----CALCULATE HEAT CAPACITY OF INTERFACE NODES
1237          DIMENSION NODEL(4),N(1),EV4(1)
1238          PARAMETER MNV=20,MNR=10
1239          COMMON/RMAT/TC(MNV,MNR),C(MNV,MNR),TE(MNV,MNR),ENT(MNV,MNR)
1240          DO 10 J=1,MND
1241             IE=NODEL(J)
1242             N1=N(IE)
1243             EV4IE=EV4(IE)
1244             CALL XVERSY(TE,ENT,MNV,N1,TI,ENI)
1245             CRA=ENI/TI
1246             PI=PI+EV4IE*CRA
1247          10  CONTINUE
1248             RETURN
1249             END
1250
1251          SUBROUTINE INVER(A,M,MAX)
1252  C-----THIS ROUTINE INVERTS THE MATRIX A AND STORES THE RESULT IN THE
1253  C-----SAME MATRIX
1254          DIMENSION A(MAX,1)
1255          DO 200 N=1,M
1256             D=A(N,N)
1257             DO 100 J=1,M
1258                100 A(N,J)=-A(N,J)/D
1259             DO 150 I=1,M
1260                IF(N.EQ.I) GOTO 150
1261                DO 140 J=1,M
1262                   IF(J.EQ.N) GOTO 140
1263                   A(I,J)=A(I,J)+A(I,N)*A(N,J)
1264                140 CONTINUE
1265                150 A(I,N)=A(I,N)/D
1266                200 A(N,N)=1./D
1267             RETURN
1268             END
1269
1270  COMMENT MAIN PROGRAM CODED IN NUALGOL FOR DYNAMIC ALLOCATION OF ARRAYS
1271          FOR INFORMATION ABOUT ARRAYS SEE SUBROUTINE PROG2;
1272          BEGIN
1273          INTEGER NN,NE,NR,IX,IY,MAX;
1274          REAL ARRAY XL,YL,XA,YA(1:100);
1275          BOOLEAN AXIAL;
1276          EXTERNAL FORTRAN PROCEDURE NET2,DIM2;
1277          NET2(XL,YL,IX,IY,NR,AXIAL,XA,YA,NN,NE,MAX);
1278          BEGIN
1279          BOOLEAN ARRAY TMAX(1:NN);

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1280      INTEGER ARRAY KTOP(1:4,1:NE),N(1:NE),NODEL(1:NN,1:4),MNODEL,
1281      NODINT(1:NN);
1282      REAL ARRAY X,Y,T,TT,P,W,EN,F,FLOW,NODCPL,DTA(1:NN),EV4(1:NE),
1283      ELA(1:4,1:NE),A(1:NN,1:MAX);
1284      EXTERNAL FORTRAN PROCEDURE MESH2,PROG2;
1285      MESH2(XL,YL,IX,IY,X,Y,KTOP);
1286      PROG2(IX,IY,NN,NE,NR,N,KTOP,NODEL,MNODEL,X,Y,T,TT,TMAX,ELA,
1287      EV4,A,MAX,P,W,EN,F,FLOW,AXIAL,NODCPL,NODINT,DTA);
1288      END;
1289      END
1290
1291      SUBROUTINE MAT(NR)
1292      C-----THIS ROUTINE READS MATERIAL INPUT
1293      C-----      NR      NUMBER OF REGIONS
1294      C-----COMMON      RMAT      REGIONAL MATERIAL DATA
1295      C-----      CCC      TRUE IF CONDUCTIVITY IS TAKEN AT
1296      C-----      MAXTEMP      MAXIMUM TEMPERATURE
1297      C-----      TC,C      TEMPERATURE VERSUS CONDUCTIVITY PAIRS
1298      C-----      TE,ENT,CR      TEMPERATURE VERSUS SPECIFIC ENTHALPY
1299      C-----      AND SPECIFIC ENTHALPY / TEMPERATURE
1300      C-----      TQ,GE      TEMPERATURE VERSUS INTERNALLY
1301      C-----      GENERATED HEAT
1302      C-----      LG      TRUE IF HEAT IS GENERATED INTERNALLY
1303      C-----COMMON      RGeo      REGIONAL GEOMETRICAL DATA
1304      C-----      ET      ELEMENT THICKNESS
1305      C-----      XR      SUBREGION LIMITS
1306      C-----      SRDIAC      DIAGONAL COORDINATES OF SUBREGIONS
1307      C-----PARAMETER
1308      C-----      MNV      MAX NUMBER OF VALUE PAIRS
1309      C-----      MNR      MAX NUMBER OF REGIONS
1310      DIMENSION MAT(20)
1311      PARAMETER MNV=20,MNR=10
1312      COMMON/RGeo/ELFICT(MNR),ET(MNR),SRDIAC(4,MNR)
1313      COMMON/RMAT/CCC(MNR),TC(MNV,MNR),C(MNV,MNR),TE(MNV,MNR),
1314      1 ENT(MNV,MNR),CR(MNV,MNR),TQ(MNV,MNR),GE(MNV,MNR),LG(MNR)
1315      LOGICAL CCC,LG
1316      LOGICAL ELFICT
1317      DATA CCC,LG/MNR*.FALSE.,MNR*.FALSE./
1318      PRINT 95
1319      NRR=NR
1320      DO 2 I=1,NR
1321      IF(ELFICT(I)) NRR=NRR-1
1322      IF(ELFICT(I)) GOTO 2
1323      PRINT 100,I
1324      C-----INPUT NAME OF REGION FOR IDENTIFICATION
1325      READ 200,MAT
1326      C-----INPUT MATERIAL AND ELEMENT PROPERTIES FOR EACH REGION
1327      READ 1,CCC(I),NTC,NTE,NQE,ET(I)
1328      IF(NTC.LE.1.OR.NTE.LE.1.OR.NQE.EQ.1) GOTO 1300
1329      IF(NQE.GE.2) LG(I)=.TRUE.
1330      MAXNTE=MAX0(MAXNTE,NTE)
1331      IF(ET(I).EQ..0) ET(I)=1.
1332      IF(.NOT.CCC(I)) PRINT 101,ET(I),MAT
1333      IF(CCC(I)) PRINT 102,ET(I),MAT
1334      NT=MAX0(NTC,NTE)
1335      C-----INPUT TEMPERATURE CONDUCTIVITY PAIRS
1336      READ 1,(TC(K,I),C(K,I),K=1,NTC)
1337      C-----INPUT TEMPERATURE SPECIFIC VOLUMETRIC HEAT PAIRS
1338      READ 1,(TE(K,I),ENT(K,I),K=1,NTE)
1339      C-----INPUT TEMPERATURE INTERNALLY GENERATED HEAT PAIRS
1340      IF(LG(I)) READ 1,(TQ(K,I),GE(K,I),K=1,NQE)
1341      DO 38 K=1,NTE
1342      38 IF(K.NE.1) CR(K,I)=(ENT(K,I)-ENT(1,I))/(TE(K,I)-TE(1,I))
1343      CR(1,I)=CR(2,I)

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1344 PRINT 110
1345 DO 39 K=1,NT
1346 PRINT 115
1347 IF(C(K,I).GT..00001) PRINT 120,TC(K,I),C(K,I)
1348 IF(CR(K,I).GT..00001) PRINT 130,TE(K,I),ENT(K,I),CR(K,I)
1349 39 CONTINUE
1350 IF(NGE.EQ.0) GOTO 45
1351 PRINT 140,(TR(K,I),QE(K,I),K=1,NQE)
1352 45 CONTINUE
1353 2 CONTINUE
1354 RETURN
1355 1 FORMAT()
1356 95 FORMAT(/1X,'MATERIAL DATA'/1X,13(1H*))
1357 100 FORMAT(/1X,'REGION NUMBER',I3)
1358 101 FORMAT(1H+,30X,'THICKNESS',F9.3/1X,20A4)
1359 102 FORMAT(1H+,30X,'THICKNESS',F9.3/1X,20A4/
1360 1 ' CONDUCTIVITY IS KEPT CONSTANT AFTER REACHING MAXIMUM'
1361 2 ', TEMPERATURE')
1362 110 FORMAT(/1X,'TEMP',6X,'CONDUCTIVITY',13X,'TEMP',8X,'ENTALPHY',6X,
1363 1 'ENT/TEMP'/)
1364 115 FORMAT(1X)
1365 120 FORMAT(1H+,F6.0,E15.4)
1366 130 FORMAT(1H+,33X,F6.0,E15.4,E15.4)
1367 140 FORMAT(/' INTERNALLY GENERATED HEAT'/' TEMP',6X,'HEAT'
1368 1 //1X,F6.0,E15.4))
1369 200 FORMAT(20A4)
1370 1000 PRINT 1200,NTC,NTE,NQE
1371 STOP
1372 1200 FORMAT(//' PROGRAM TERMINATED WHEN READING MATERIAL INPUT'
1373 1 //NTE=',I3,' NTE=',I3,' NQE=',I3)
1374 END
1375
1376 SUBROUTINE MAXCO(NN,TMAX,TT,T,TIME,KTIME,CON)
1377 C-----SET CON=.FALSE. TO TERMINATE TIME INTEGRATION
1378 DIMENSION TMAX(NN),TT(NN),T(NN)
1379 LOGICAL TMAX
1380 LOGICAL CON
1381 COMMON/TOUT/II,TOUT(100),TIMMAX,DTMAX,TIMFAC,KTMAX
1382 IF(TIME.GE..99999*TIMMAX) CON=.FALSE.
1383 IF (KTIME.GT.KTMAX) PRINT 200,KTIME
1384 IF (KTIME.GT.KTMAX) CON=.FALSE.
1385 200 FORMAT(/' TERMINATED AT MAXIMUM NUMBER OF TIME '
1386 1 ', INCREMENTS KTIME='I5)
1387 RETURN
1388 END
1389
1390 SUBROUTINE MESH2(XL,YL,IX,IY,X,Y,KTOP)
1391 C-----THIS SUBROUTINE COMPUTES COORDINATES AND TOPOLOGY
1392 DIMENSION XL(1),YL(1),X(1),Y(1),KTOP(4,1)
1393 C-----COMPUTE X AND Y COORDINATES
1394 DO 5 I=1,IX
1395 DO 5 J=1,IY
1396 KK=J+IY*(I-1)
1397 X(KK)=XL(I)
1398 Y(KK)=YL(J)
1399 5 CONTINUE
1400 C-----COMPUTE THE TOPOLOGY MATRIX KTOP
1401 IX1=IX-1
1402 IY1=IY-1
1403 DO 10 I=1,IX1
1404 DO 10 J=1,IY1
1405 IE=IY1*(I-1)+J
1406 KTOP(1,IE)=IY*(I-1)+J
1407 KTOP(2,IE)=KTOP(1,IE)+1
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1438      KTOP(3,IE)=KTOP(1,IE)+IY
1439      KTOP(4,IE)=KTOP(3,IE)+1
1440 10    CONTINUE
1441      RETURN
1442      END
1443
1444      SUBROUTINE MINTP(I,NODCPL,P)
1445  C-----SUM HEAT CAPACITY OF COUPLED NODES
1446      PARAMETER NCP=50
1447      COMMON/COUPLE/NCOUPL(NCP,8),NCPLG
1448      DIMENSION P(1)
1449      DO 30 J=2,8
1450      NOD=NCOUPL(NODCPL,J)
1451      IF(NOD.EQ.0) RETURN
1452 30    P(I)=P(I)+P(NOD)
1453      RETURN
1454      END
1455
1456      SUBROUTINE MPAKV(A,X,R,MI,NN)
1457  C-----THIS ROUTINE MULTIPLIES BANDED AND PACKED SYMMETRIC MATRIX
1458  C-----WITH VECTOR A * X = R
1459  C-----A - MATRIX WITH DIAGONAL ELEMENTS IN RIGHT HAND SIDE COLUMN
1460      DIMENSION A(NV,MI),R(NN),X(NN)
1461      DO 3 I=1,NN
1462      R(I)=0.
1463      DO 2 J=1,MI
1464      IF((I+J-MI).GT.0)
1465      *R(I)=R(I)+A(I,J)*X(I+J-MI)
1466      IF(I.EQ.NN) GO TO 3
1467      I1=MIN((MI-1),(NN-I))
1468      DO 1 J=1,I1
1469      R(I)=R(I)+A(I+J,MI-J)*X(I+J)
1470 3    CONTINUE
1471      RETURN
1472      END
1473
1474      SUBROUTINE MULT(A,B,N,MAX)
1475  C-----THIS ROUTINE MULTIPLIES THE MATRICES A AND B AND STORE THE
1476  C-----RESULT IN A WITH CHANGED SIGNS
1477      DIMENSION A(MAX,MAX),B(MAX,MAX)
1478      COMMON/DUMMY/ETA(25),DUM2(25)
1479      DO 20 I=1,N
1480      DO 10 J=1,N
1481      ETA(J)=0.
1482      DO 10 K=1,N
1483 10    ETA(J)=ETA(J)+A(I,K)*B(K,J)
1484      DO 20 J=1,N
1485 20    A(I,J)=ETA(J)
1486      RETURN
1487      END
1488
1489      SUBROUTINE NET2(XL,YL,IX,IY,NR,AXIAL,XA,YA,NN,NE,MAX)
1490  C-----INPUT GEOMETRICAL DATA AND GENERATE LINES PARALLELL WITH AXIS
1491  C-----AND CALCULATE NUMBER OF GENERATED NODES AND ELEMENTS
1492  C-----
1493  C----- XL      COORDINATES OF X-LINES
1494  C----- YL      COORDINATES OF Y-LINES
1495  C----- XA      COORDINATES OF SPECIFIED X-LINES
1496  C----- YA      COORDINATES OF SPECIFIED Y-LINES
1497  C----- IX      NUMBER OF X-LINES
1498  C----- IY      NUMBER OF Y-LINES
1499  C----- NR      NUMBER OF REGIONS
1500  C----- AXIAL   .TRUE. IF AXI-SYMMETRIC PROBLEM
1501  C----- NN      NUMBER NODES

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1472 C----- NE          NUMBER OF ELEMENTS
1473 C----- NX          NUMBER OF SPECIFIED X-LINES
1474 C----- NY          NUMBER OF SPECIFIED Y-LINES
1475 C-----
1476     PARAMETER MNR=10
1477     COMMON/RGEO/ELFICT(MNR),ET(MNR),SRDIAC(4,MNR)
1478     LOGICAL AXIAL,ELFICT
1479     DIMENSION XL(1),YL(1),XA(1),YA(1),HEAD(20)
1480     PRINT 199
1481 C*****MACHINE DEPENDENT STATEMENT * IN LDC*LIB*SEQ * REQUIRED IN MAP ELEMENT
1482     CALL SEQ('TASEF')
1483     PRINT 200
1484 C-----INPUT TITLE OF RUN
1485     READ 110,HEAD
1486     PRINT 205,HEAD
1487 C-----
1488 C-----INPUT MAIN GEOMETRICAL DATA
1489 C-----
1490     READ 100,AXIAL,XMAX,YMAX,XBOX,YBOX,NR,NX,NY
1491     PRINT 210,XMAX,YMAX
1492     PRINT 220,XBOX,YBOX
1493     IF(NR.EQ.0) NR=1
1494     NR1=NR-1
1495     EPS= XMAX/10000.
1496 C-----
1497 C-----INPUT SUBREGION LIMITS
1498 C-----READ THE DIAGONAL COORDINATES FOR EACH SUBREGION
1499 C-----
1500     IF(NR.EQ.1) GOTO 5
1501     PRINT 230
1502     READ 100,(ELFICT(J),(SRDIAC(I,J),I=1,4),J=2,NR)
1503     PRINT 240,NR1,((SRDIAC(I,J),I=1,4),ELFICT(J),J=2,NR)
1504 5     CONTINUE
1505     IF(NX.EQ.0) GOTO 6
1506 C-----
1507 C-----INPUT SPECIFIED X - LINES
1508 C-----
1509     PRINT 250
1510     READ 100,(XA(I),I=1,NX)
1511     PRINT 260,(XA(I),I=1,NX)
1512 6     CONTINUE
1513     IF(NY.EQ.0) GOTO 7
1514 C-----INPUT SPECIFIED Y - LINES
1515     PRINT 270
1516     READ 100,(YA(I),I=1,NY)
1517     PRINT 280,(YA(I),I=1,NY)
1518 7     CONTINUE
1519 C-----
1520 C-----IF AN AXI-SYMMETRIC PROBLEM INPUT INNER RADIUS
1521 C-----
1522     NX=NX+1
1523     IF(.NOT.AXIAL) GOTO 8
1524     READ 100,XA(1)
1525     PRINT 300,XA(1)
1526 8     CONTINUE
1527 C-----
1528 C-----GENERATE X-LINES
1529 C-----
1530     XL(1)=XA(NX)
1531     DO 15 IX=2,100
1532     XL(IX)=XL(IX-1)+XBOX
1533 C-----
1534 C-----CONTROL OF SPECIFIED X-LINES
1535 C-----
```

```
1536      DO 10 I=1,NX
1537      IF(XL(IX-1).LT.(XA(I)-EPS)) XL(IX)=AMIN1(XL(IX),XA(I))
1538 10 CONTINUE
1539 C-----
1540 C-----CONTROL OF SUBREGION LIMITS
1541 C-----
1542      IF(NR.EQ.1) GOTO 12
1543      DO 11 I=2,NR
1544      IF(XL(IX-1).LT.(SRDIAC(1,I)-EPS)) XL(IX)=AMIN1(XL(IX),SRDIAC(1,I))
1545      IF(XL(IX-1).LT.(SRDIAC(3,I)-EPS)) XL(IX)=AMIN1(XL(IX),SRDIAC(3,I))
1546 11 CONTINUE
1547 12 CONTINUE
1548 C-----
1549 C-----CONTROL OF XMAX
1550 C-----
1551      XL(IX)=AMIN1(XL(IX),XMAX)
1552      IF(ABS(XL(IX)-XMAX).LT.EPS) GOTO 15
1553 15 CONTINUE
1554 16 CONTINUE
1555 C-----
1556 C-----GENERATE Y-LINES
1557 C-----
1558      DO 20 IY=2,100
1559      YL(IY)=YL(IY-1)+YBOX
1560 C-----
1561 C-----CONTROL OF SPECIFIED Y-LINES
1562 C-----
1563      DO 17 I=1,NY
1564      IF(YL(IY-1).LT.(YA(I)-EPS)) YL(IY)=AMIN1(YL(IY),YA(I))
1565 17 CONTINUE
1566 C-----
1567 C-----CONTROL OF SUBREGION LIMITS
1568 C-----
1569      IF(NR.EQ.1) GOTO 19
1570      DO 18 I=2,NR
1571      IF(YL(IY-1).LT.(SRDIAC(2,I)-EPS)) YL(IY)=AMIN1(YL(IY),SRDIAC(2,I))
1572      IF(YL(IY-1).LT.(SRDIAC(4,I)-EPS)) YL(IY)=AMIN1(YL(IY),SRDIAC(4,I))
1573 18 CONTINUE
1574 19 CONTINUE
1575 C-----
1576 C-----CONTROL OF YMAX
1577 C-----
1578      YL(IY)=AMIN1(YL(IY),YMAX)
1579      IF(ABS(YL(IY)-YMAX).LT.EPS) GOTO 21
1580 20 CONTINUE
1581 21 CONTINUE
1582 C-----PRINT COORDINATES OF X - AND Y - LINES
1583 PRINT 310,IX,(XL(I),I=1,IX)
1584 PRINT 320,IY,(YL(I),I=1,IY)
1585 C-----
1586 NE=(IX-1)*(IY-1)
1587 NN=IX*IY
1588 PRINT 330,NN,NE
1589 MAX=IY+2
1590 100 FORMAT()
1591 110 FORMAT(20A4)
1592 199 FORMAT(1H1)
1593 200 FORMAT(//' TEMPERATURE ANALYSIS OF STRUCTURES EXPOSED TO FIRE'/
1594 1' SOLVES NON LINEAR TRANSIENT FIELD PROBLEMS'
1595 2/' *** TWO DIMENSIONAL VERSION ***'
1596 3/' PROGRAMMED BY ULF WICKSTROM/' LUND FEB 1979'//1X,80(1H*)//)
1597 205 FORMAT(///' TITLE OF RUN : ',20A4)
1598 210 FORMAT(///' GEOMETRY'/1X,8(1H*)//
1599 1' MAXIMUM COORDINATES',13X,'XMAX=',G10.3,5X,'YMAX=',G10.3)
```

```

1600 220  FORMAT(' MAXIMUM ELEMENT LENGTH',10X,'XBOX=',G10.3,5X,'YBOX='
1601      1      ,G10.3)
1602 230  FORMAT(/' SUBREGIONS')
1603 240  FORMAT(' NUMBER OF SUBPEGIONS',I4/' SUBREGION DIAGONAL LIMITS'/
1604      1      /4X,'XMIN',6X,'YMIN',6X,'XMAX',6X,'YMAX',6X,'FICTITIOUS AREA'//
1605      2      (1X,4G10.3,10X,L1))
1606 250  FORMAT(/' COORDINATES OF SPECIFIED X - LINES')
1607      1      FORMAT(/6G10.3)
1608 270  FORMAT(/' COORDINATES OF SPECIFIED Y - LINES')
1609      1      FORMAT(/6G10.3)
1610 300  FORMAT(/' THIS IS AN AXISYMMETRIC PROBLEM'//6X,'INNER RADIUS ',
1611      1      'XMIN = ',G10.3)
1612 310  FORMAT(/' NUMBER AND COORDINATES OF X - LINES'//I3,' - ',7G10.3/
1613      1      (6X,7G10.3))
1614 320  FORMAT(/' NUMBER AND COORDINATES OF Y-LINES'//I3,' - ',7G10.3/
1615      1      (6X,7G10.3))
1616 330  FORMAT(/' NUMBER OF NODES=',I4,10X,'NUMBER OF ELEMENTS=',I4)
1617      RETURN
1618      END
1619
1620      SUBROUTINE NGROUP(X,Y)
1621  C-----THIS ROUTINE READS AND FORMS NODE GROUP DATA
1622      DIMENSION X(1),Y(1)
1623      PARAMETER NB=10,NNB=30,NNB2=2*NNB
1624      COMMON/BNOD/NUMB(NB),NBOUND(NB,NNB),BAREA(NB,NNB),
1625      1      EPSG(NB),BETA(NB),CPG(NB),FA(NB)
1626      COMMON/ENRAD/E(1000)
1627      COMMON/ENCON/H(50),TAIR(2)
1628      LOGICAL FA
1629  C-----
1630      PRINT 200
1631      READ 100,NGROUP
1632  C-----
1633      DO 10 I=1,NGROUP
1634  C-----
1635      READ 100,NCHECK,NUMB(I),EPSG(I),BETA(I),CPG(I)
1636  C-----
1637      IF(I.NE.NCHECK) GO TO 1000
1638      NUMI=NUMB(I)
1639  C-----
1640      READ 100,(NBOUND(I,J),J=1,NUMI)
1641  C-----
1642      NOD1=NBOUND(I,1)
1643      DO 10 J=2,NUMI
1644      NOD2=NBOUND(I,J)
1645      BAREA(I,J)=SQRT((X(NOD1)-X(NOD2))**2+(Y(NOD1)-Y(NOD2))**2)
1646      NOD1=NOD2
1647  10      CONTINUE
1648  C
1649  C-----PRINT INPUT DATA
1650  C
1651      DO 15 I=1,NGROUP
1652      NUMI=NUMB(I)
1653      PRINT 210,I
1654      IF (EPSG(I).EQ.0.AND.BETA(I).EQ.0.) GOTO 20
1655      PRINT 220,EPSG(I),BETA(I),CPG(I)
1656      20      PRINT 230,(NBOUND(I,J),J=1,NUMI)
1657      200      FORMAT(/' NODE GROUPS'/1X,11(1H*))
1658      210      FORMAT(/' NODE GROUP',I3)
1659      220      FORMAT(' EMISSIVITY=',G9.3/' CONVECTION FACTOR=',G9.3/
1660      1      ' CONVECTION POWER=',G9.3)
1661      230      FORMAT(' NODES',10I5/6X,10I5)
1662      15      CONTINUE
1663      GOTO 1001

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1564      1000 PRINT 240
1565      STOP
1566      1001 RETURN
1567      100  FORMAT( )
1568      240  FORMAT(// ' WRONG INPUT OF NODE GROUPS ' )
1569      END
1570
1571      SUBROUTINE OUTMA2(IX,IY,NN,NE,X,Y,TIME,KTIME,T,TT,TMAX,FLOW,AXIAL)
1572 C----- THIS ROUTINE PRINTS MAXIMUM CALCULATED NODAL TEMPERATURES
1573      COMMON/FIRE/TIM(50),TB(50),TITFIR
1574      INTEGER TITFIR(18)
1575      LOGICAL TMAX,AXIAL
1576      DIMENSION X(NN),Y(NN),T(NN),TT(NN),TMAX(NN),FLOW(NN)
1577      PRINT 200,TITFIR,X(NN),Y(NN)
1578      IDUM1=1-IY
1579      DO 10 I=1,IX
1580      IDUM1=IDUM1+IY
1581      IDUM2=IDUM1+IY-1
1582      IF(IY.LE.7) PRINT 210,(J,TT(J),J=IDUM1,IDUM2)
1583      IF(IY.GT.7) PRINT 230,(TT(J),J=IDUM1,IDUM2)
1584      10  CONTINUE
1585      PRINT 220,TIME,KTIME
1586      200  FORMAT(////1X,75(1HF)/2H,F/' F MAXIMAL TEMPERATURES/' F ' ,
1587      1 18A4/' F XMAX=',F8.3,1GX,'YMAX=',F8.3/' F" )
1588      210  FORMAT(' F ',13(15,F5.0))
1589      220  FORMAT(2H F/2H F/' F MAX-TIME',F7.2,10X,'NUMBER OF '
1590      1  ' TIME INCREMENTS',15/2H F/2H F/2H F,75(1HF))
1591      230  FORMAT(' F ',18F7.0)
1592      RETURN
1593      END
1594
1595      SUBROUTINE OUT2(IX,IY,NN,NE,X,Y,TIME,KTIME,DELTI,T,TT,TMAX,FLOW,
1596      1  TFIRE,NODT,AXIAL)
1597 C----- THIS ROUTINE PRINTS NODAL TEMPERATURES AND VOID AIR TEMPERATURES
1598      DIMENSION X(NN),Y(NN),T(NN),TT(NN),TMAX(NN),FLOW(NN)
1599      LOGICAL TMAX,AXIAL,LDUM,LEN
1700      COMMON/ENCON/H(50),TAIR(2)
1701      COMMON/ENCLOS/LEN,NENC,NENCG(2),IGREN(2,4),NNODEN(2),INODEN(10G),
1702      1  XSYM(2),YSYM(2)
1703      COMMON/TOUT/II,TOUT(100),TIMMAX,DTMAX,TIMFAC,KTMAX,KUPDA
1704      TIME1=TIME-DELTI
1705      DO 5 IJ=1,NN
1706      IF(TMAX(IJ)) GOTO 5
1707 C----- IF THE NODAL TEMPERATURE DECREASES SET TMAX=.TRUE. AND PRINT
1708 C----- MAX TEMPERATURE TT
1709      IF(TT(IJ).GT.1.001*T(IJ))
1710      1  PRINT 200,IJ,TT(IJ),TIME1,DELTI
1711      IF(TT(IJ).GT.1.001*T(IJ)) TMAX(IJ)=.TRUE.
1712      TT(IJ)=AMAX1(TT(IJ),T(IJ))
1713      5  CONTINUE
1714 C----- IF TIME=TOUT PRINT ALL TEMPERATURES
1715      IF((TIME-TOUT(II)).LT.-1.E-4) GOTO 70
1716      PRINT 100,TIME,KTIME,TFIRE,NODT
1717      IF(.NOT.LEN) GOTO 30
1718      PRINT 300
1719      DO 20 I=1,NENC
1720      20  PRINT 310,I,TAIR(I)
1721      30  CONTINUE
1722      II=II+1
1723      IDUM1=1-IY
1724      LDUM=IY.LT.7
1725      DO 10 I=1,IX
1726      IDUM1=IDUM1+IY
1727      IDUM2=IDUM1+IY-1

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```
1728      IF(LDUM) PRINT 210,(J,T(J),J=IDUM1, IDUM2)
1729      IF(.NOT.LDUM) PRINT 220,(T(J),J=IDUM1, IDUM2)
1730      10 CONTINUE
1731      70 CONTINUE
1732      100 FORMAT(////1Y,6(1H*),6H TIME,F8.3,2X,6(1H*),' INCREMENT',
1733      1 ' NUMBER',I6,
1734      22X,17(1H*)// ' FIRE TEMPERATURE',F7.0,2X,6(1H*)
1735      3,2X,' TIME INCREMENT LIMITING NODE',I5/)
1736      200 FORMAT(////4H NOD,I4,5X,8HMAX TEMP,F6.0,5X,' TIME',G10.4,5X,
1737      1 5HDELT,I,G10.4/1X,70(1HM))
1738      210 FORMAT(13(I5,F5.0))
1739      220 FORMAT(18F7.0)
1740      300 FORMAT(' ENCLOSURE AIR TEMPERATURE')
1741      310 FORMAT(' VOID NUMBER',I2,' TAIR=',F5.0/)
1742      RETURN
1743      END
1744
1745      SUBROUTINE PROG2(IX,IY,NN,NE,NR,N,KTOP,NODEL,MNODEL,X,Y,T,TT,TMAX,
1746      1 ELA,EV4,A,MAX,P,W,EN,F,FLOW,AXIAL,NODCPL,NODINT,DTA)
1747      C-----
1748      C-----
1749      C-----          *** T A S E F ***
1750      C-----
1751      C-----TEMPERATURE ANALYSIS OF STRUCTURES EXPOSED TO FIRE
1752      C-----
1753      C-----FINITE ELEMENT PROGRAM FOR ANALYSIS OF TRANSIENT NONLINEAR
1754      C-----HEAT TRANSFER PROBLEMS
1755      C-----
1756      C-----PROGRAMMED BY
1757      C-----ULF WICKSTROM
1758      C-----LUND INSTITUTE OF TECHNOLOGY
1759      C-----MARCH 1979
1760      C-----
1761      C-----
1762      C-----THIS IS THE MAIN CONTROL ROUTINE
1763      C-----
1764      C-----DEFINITIONS OF VARIABLES
1765      C-----IX,IY      NUMBER OF X- AND Y-LINES
1766      C-----NN        NUMBER OF NODES IN BASE STRUCTURE
1767      C-----NE        NUMBER OF ELEMENTS IN BASE STRUCTURE
1768      C-----NR        NUMBER OF REGIONS
1769      C-----N         VECTOR OF REGION NUMBERS
1770      C-----KTOP     NODES ADJACENT TO EACH ELEMENT
1771      C-----NODEL    ELEMENTS ADJACENT TO EACH NODE
1772      C-----MNODEL  NUMBER ELEMENTS ADJACENT TO EACH NODE
1773      C-----X,Y      NODE COORDINATES
1774      C-----T        CURRENT NODAL TEMPERATURES
1775      C-----TT       MAXIMUM NODAL TEMPERATURES
1776      C-----TMAX     TRUE IF MAXIMUM NODAL TEMPERATURE OBTAINED
1777      C-----ELA,EV4  DUMMY GEOMETRICAL CONSTANTS
1778      C-----A        HEAT CONDUCTION MATRIX
1779      C-----P        HEAT CAPACITY VECTOR
1780      C-----W        NODAL VOLUME VECTOR
1781      C-----EN       NODAL ENTHALPY VECTOR
1782      C-----F        INTERNAL NODAL HEAT FLOW VECTOR
1783      C-----FLOW     EXTERNAL NODAL HEAT FLOW VECTOR
1784      C-----AXIAL    TRUE IF AXISYMMETRIC PROBLEM
1785      C-----NODCPL   INDICATES COUPLED NODES
1786      C-----NODINT   INDICATES INTERFACE NODES
1787      C-----DTA     DUMMY VECTOR FOR CRITICAL TIME INCREMENT CALCULATION
1788      C-----
1789      C-----PARAMETER CONSTANTS
1790      C-----
1791      C-----NB       MAXIMUM NUMBER OF NODE GROUPS
```

|      |               |   |
|------|---------------|---|
| 1792 | C-----NNB     | MAXIMUM NUMBER OF NODES IN ONE NODE GROUP                 |
| 1793 | C-----NCP     | MAXIMUM NUMBER OF COUPLED GROUPS OF NODES                 |
| 1794 | C-----MNR     | MAXIMUM NUMBER OF REGIONS                                 |
| 1795 | C-----MNV     | MAXIMUM NUMBER OF VALUE PAIRS                             |
| 1796 | C-----        |   |
| 1797 | C-----COMMON  | FIELDS  |
| 1798 | C-----        |   |
| 1799 | C-----COUPLE  | DATA ON COUPLED NODES                                     |
| 1800 | C-----NCPLG   | NUMBER OF COUPLED GROUPS OF NODES                         |
| 1801 | C-----NCOUPL  | MATRIX OF COUPLED NODES                                   |
| 1802 | C-----DIM     | DIMENSIONS OF CERTAIN ARRAYS                              |
| 1803 | C-----MAXNG   | MAXIMUM NUMBER OF NODE GROUPS DEFINING ONE ENCLOSURE      |
| 1804 | C-----MAXNOD  | MAXIMUM NUMBER OF NODES AROUND ONE ENCLOSURE              |
| 1805 | C-----DUMMY   | DUMMY MATRICES  |
| 1806 | C-----ENCLOS  | ENCLOSURE DATA  |
| 1807 |               | LEN TRUE IF STRUCTURE CONTAINS VOID OR ENCLOSURE          |
| 1808 | C-----NENC    | NUMBER OF ENCLOSURES                                      |
| 1809 | C-----NENCNG  | VECTOR OF NUMBER OF NODE GROUPS                           |
| 1810 | C-----IGREN   | MATRIX OF NODES   |
| 1811 | C-----NNODFN  | NUMBER OF NODES SURROUNDING AVOID                         |
| 1812 | C-----XSYM    | TRUE IF VOID SYMMETRICAL AROUND X-AXIS                    |
| 1813 | C-----YSYM    | TRUE IF VOID SYMMETRICAL AROUND Y-AXIS                    |
| 1814 | C-----ENCON   | ENCLOSURE CONVECTION DATA                                 |
| 1815 | C-----H       | ARRAY OF ENCLOSURE CONVECTION VECTORS                     |
| 1816 | C-----TAIR    | ENCLOSURE AIR TEMPERATURE                                 |
| 1817 | C-----ENRAD   | ENCLOSURE RADIATION DATA                                  |
| 1818 | C-----E       | ARRAY OF ENCLOSURE RADIATION MATRICES                     |
| 1819 | C-----FIRE    | FIRE TEMPERATURE DATA                                     |
| 1820 | C-----TIM,TR  | TIME - FIRE TEMPERATURE PAIRS                             |
| 1821 | C-----TITFIR  | FIRE IDENTIFIER   |
| 1822 | C-----FQB     | PRESCRIBED HEAT FLOW DATA                                 |
| 1823 | C-----NFGNG   | NUMBER OF NODE GROUPS DEFINING PRESCRIBED FLOW BOUNDARIES |
| 1824 | C-----NFGG    | VECTOR OF NODE GROUPS DEFINING PRESCRIBED FLOW            |
| 1825 | C-----TR,TC   | VECTORS OF MODIFIED TEMPERATURE                           |
| 1826 | C-----BR,BC   | RADIATION AND CONVECTION BOUNDARY MATRICES                |
| 1827 | C-----BNOD    | DATA ON NODE GROUPS                                       |
| 1828 | C-----NUMB    | VECTOR OF NUMBER OF NODES IN THE NODE GROUPS              |
| 1829 | C-----NBOUND  | MATRIX OF NODE NUMBERS IN THE NODE GROUPS                 |
| 1830 | C-----BAREA   | MATRIX OF DISTANCES BETWEEN NODES                         |
| 1831 | C-----EPSG    | VECTOR OF EMISSIVITY OF NODE GROUPS                       |
| 1832 | C-----BETA    | VECTOR OF CONVECTION FACTORS OF NODE GROUPS               |
| 1833 | C-----CPG     | VECTOR OF CONVECTION POWERS OF NODE GROUPS                |
| 1834 | C-----FA      | TRUE FOR FIRE BOUNDARY NODE GROUPS                        |
| 1835 | C-----PTB     | PRESCRIBED TEMPERATURE                                    |
| 1836 | C-----NPTNG   | NUMBER OF NODE GROUPS DEFINING PRESCRIBED TEMPERATURE     |
| 1837 | C-----NPTG    | VECTOR OF NODE GROUPS DEFINING PRESCRIBED TEMPERATURES    |
| 1838 | C-----RGeo    | GEOMETRIC DATA  |
| 1839 | C-----ELFICT  | TRUE FOR FICTITIOUS ELEMENTS                              |
| 1840 | C-----ET      | ELEMENT THICKNESS   |
| 1841 | C-----SRIDIAC | SUBREGION DIAGONAL DATA                                   |
| 1842 | C-----RMAT    | MATERIAL DATA   |
| 1843 | C-----CCC     | TRUE IF CONDUCTIVITY IS FUNCTION MAXIMUM TEMPERATURE      |
| 1844 | C-----TC,C    | TEMPERATURE - CONDUCTIVITY PAIRS                          |
| 1845 | C-----TE,ENT  | TEMPERATURE - SPECIFIC VOLUMETRIC ENTHALPY PAIRS          |
| 1846 | C-----GR      | NOMINAL SPECIFIC VOLUMETRIC HEAT                          |
| 1847 | C-----TQ,QE   | TEMPERATURE - INTERNALLY GENERATED HEAT PAIRS             |
| 1848 | C-----LQ      | TRUE IF INTERNAL HEAT IS GENERATED                        |
| 1849 | C-----TOUT    | TIME DATA   |
| 1850 | C-----II      | COUNTER   |
| 1851 | C-----TOUT    | VECTOR OF PRINT OUT TIMES                                 |
| 1852 | C-----TIMMX   | MAXIMUM TIME  |
| 1853 | C-----DTMAX   | MAXIMUM TIME INCREMENT                                    |
| 1854 | C-----TIMFAC  | TIME INCREMENT FACTOR                                     |
| 1855 | C-----KTMAX   | MAXIMUM NUMBER TIME INCREMENTS                            |

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1856 C----- KUPDA  NUMBER OF TIME STEPS BETWEEN UPDATING CONDUCTION MATRIX
1857 C-----UNIT  UNIT DEPENDENT CONSTANTS
1858 C----- SIGMA  STEFAN-BOLTZMANN CONSTANT
1859 C----- TABS   ABSOLUTE TEMPERATURE SHIFT
1860 C----- TINIT  INITIAL TEMPERATURE
1861 C-----
1862 DIMENSION N(NE),KTOP(4,NE),X(NN),Y(NN),T(NN),TT(NN),TMAX(NN),
1863 1 ELA(4,NE),EV4(NF),A(NN,MAX),P(NN),FN(NN),F(NN),FLOW(NN),
1864 2 NODCPL(NN),NODINT(NN),W(NN),NODEL(4,NN),MNODEL(NN),DTA(NN)
1865 LOGICAL TMAX,AXIAL
1866 C-----FORM THE VECTOR N
1867 CALL REG2(NN,NE,NR,N,KTOP,X,Y,NODEL,MNODEL)
1868 C-----DEFINE COUPLED NODES
1869 CALL COUPLA(NODCPL,NN,NODINT)
1870 C-----DEFINE INTERFACE NODES
1871 CALL INTERF(NN,NE,NR,IX,IY,KTOP,N,NODINT,NODCPL)
1872 C-----INPUT MATERIAL DATA
1873 CALL MAT(NR)
1874 C-----FORM GEOMETRICAL DUMMY CONSTANTS
1875 CALL GEOCO2(NN,NE,N,KTOP,X,Y,AXIAL,ELA,EV4)
1876 C-----INPUT INITIAL DATA
1877 CALL AMB
1878 C-----FORM NODE GROUPS
1879 CALL NGROUP(X,Y)
1880 C-----DEFINE FIRE PRESCRIBED HEAT FLOW BOUNDARIES
1881 CALL FQBDA
1882 C-----DEFINE FIRE PRESCRIBED TEMPERATURE BOUNDARIES
1883 CALL PTBDA(NODCPL)
1884 C-----DEFINE ENCLOSURE BOUNDARIES
1885 CALL ENCL01(X,Y)
1886 C-----INPUT TIME DATA
1887 CALL TIME
1888 C-----FORM NODE VOLUME VECTOR
1889 CALL ASSW2(NN,NE,N,KTOP,X,Y,EV4,AXIAL,W)
1890 C-----SUMMERIZE APPROPRIATE NODE VOLUMES
1891 CALL COUPLB(W)
1892 C-----CALL TIME INTEGRATION CONTROL ROUTINE
1893 CALL FEM2(IX,IY,NN,NE,NR,N,KTOP,X,Y,T,TT,TMAX,ELA,EV4,A,MAX,P,W,
1894 1 EN,F,FLOW,AXIAL,NODCPL,NODINT,NODEL,MNODEL,DTA)
1895 RETURN
1896 END
1897
1898 SUBROUTINE PTBDA(NODCPL)
1899 C-----INPUT NODE GROUPS OF PRESCRIBED TEMPERATURE
1900 DIMENSION NODCPL(1)
1901 PARAMETER NR=10,NNB=30,NNR2=2*NNB
1902 COMMON/PTB/NPTNG,NPTG(NB)
1903 COMMON/BNOD/NUMB(NB),NBOUND(NB,NNB),BAREA(NB,NNR),TH(NR),
1904 1 EPSG(NB),BETA(NB),CPG(NB),FA(NB)
1905 LOGICAL FA,FA1
1906 C-----READ NUMBER OF BOUNDARY NODES GROUPS
1907 READ 100,HPTNG
1908 IF(NPTNG.EQ.0) RETURN
1909 PRINT 200
1910 C-----EACH PRESCRIBED TEMPERATURE BOUNDARY NODE GROUP
1911 DO 20 IB=1,NPTNG
1912 C-----
1913 READ 100,FA1,ING1
1914 C-----FA1 = TRUE FIRE BOUNDARY ELSE AMBIENT TEMPERATURE
1915 C-----ING1 = NODE GROUP NUMBER
1916 FA(ING1)=FA1
1917 NUMI=NUMB(ING1)
1918 NPTG(IB)=ING1
1919 DO 10 J=1,NUMI

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1920      NOD=NBOUND(ING1,J)
1921      IF (NODCPL(NOD).EQ.0) PRINT 300,NOD
1922      IF (NODCPL(NOD).EQ.0) STOP
1923      10  NODCPL(NOD)=0
1924      IF(FA1) PRINT 210,ING1
1925      IF(.NOT,FA1) PRINT 220,ING1
1926      20  CONTINUE
1927      100 FORMAT()
1928      210 FORMAT(' NODE GROUP',I3,' FIRE BOUNDARY')
1929      220 FORMAT(' NODE GROUP',I3,' AMBIENT BOUNDARY')
1930      200 FORMAT('// PRESCRIBED TEMPERATURE BOUNDARY'//1X,31(1H*))//
1931      1 ' NODE GROUPS AND TYPES OF BOUNDARIES'//
1932      300 FORMAT('/' NODE',I4,' IS A SLAVE NODE'/
1933      1 ' SLAVE NODES CANNOT HAVE PRESCRIBED TEMPERATURE')
1934      RETURN
1935      END
1936
1937      SUBROUTINE PTBNDB(T,TFIRE)
1938      C-----SET PRESCRIBED NODAL BOUNDARY TEMPERATURE
1939      DIMENSION T(1)
1940      PARAMETER NB=10,NNB=30,NNB2=2*NNB
1941      COMMON/PTB/NPTNG,NPTG(NB)
1942      COMMON/BNOD/NUMB(NB),NBOUND(NB,NNB),BAREA(NB,NNB),TH(NB),
1943      1 EPSG(NB),BETA(NB),CPG(NB),FA(NB)
1944      COMMON/UNIT/SIGMA,TABS,TINIT,TAMB,TAMB4
1945      LOGICAL FA
1946      C-----
1947      IF(NPTNG.EQ.0) RETURN
1948      C-----EACH PRESCRIBED TEMPERATURE BOUNDARY NODE GROUP
1949      DO 10 IB=1,NPTNG
1950      TG=TAMB
1951      ING1=NPTG(IB)
1952      IF(FA(ING1)) TG=TFIRE
1953      NUMI=NUMB(ING1)
1954      DO 10 I=1,NUMI
1955      NODE=NBOUND(ING1,I)
1956      T(NODE)=TG
1957      10  CONTINUE
1958      RETURN
1959      END
1960
1961      SUBROUTINE RADVEC(F,ETA,N,Q)
1962      C-----THIS ROUTINE FORMS THE LOCAL ENCLOSURE SURFACE RADIATION HEAT
1963      C-----EXCHANGE VECTOR Q=E*ETA
1964      DIMENSION Q(1),ETA(1),E(N,N)
1965      QTOT=0.
1966      DO 20 I=1,N
1967      QT=0.
1968      DO 10 J=1,N
1969      10  QT=QT+E(I,J)*ETA(J)
1970      QTOT=QTOT+QT
1971      20  Q(I)=QT
1972      RETURN
1973      220 FORMAT('/' TOTAL RADIATION HEAT EXCHANGE',E11.3)
1974      END
1975
1976      SUBROUTINE REG2(NN,NE,NR,N,KTOP,X,Y,NODEL,MNODEL)
1977      C-----THIS SUBROUTINE FORMS VECTOR OF REGION NUMBERS N OF EACH ELEMENT
1978      DIMENSION X(NN),Y(NN),N(NE),KTOP(4,NE),NODEL(4,NN),MNODEL(NN)
1979      PARAMETER MNR=10
1980      COMMON/RGE0/ELFICT(MNR),ET(MNR),SRDIAC(4,MNR)
1981      LOGICAL ELFICT
1982      EPS=1.E-7
1983      DO 10 I=1,NE

```

```

1984      N(I)=1
1985      IF(NR.EQ.1) GOTO 10
1986      ND1=KTOP(1,I)
1987      ND2=KTOP(4,I)
1988      DO 5 J=2, NR
1989      IF((X(ND1)-SRDIAC(3,J)).GT.-EPS) GOTO 5
1990      IF((Y(ND1)-SRDIAC(4,J)).GT.-EPS) GOTO 5
1991      IF((X(ND2)-SRDIAC(1,J)).LT.EPS) GOTO 5
1992      IF((Y(ND2)-SRDIAC(2,J)).LT.EPS) GOTO 5
1993      N(I)=J
1994      5  CONTINUE
1995      10  CONTINUE
1996      DO 40 I=1, NN
1997      II=0
1998      DO 30 IE=1, NE
1999      N1=N(IE)
2000      IF(ELFICT(N1)) GOTO 30
2001      DO 20 J=1, 4
2002      IF(KTOP(J,IE).NE.I) GOTO 20
2003      II=II+1
2004      NODEL(II,I)=IE
2005      IF(II.EQ.4) GOTO 30
2006      20  CONTINUE
2007      30  CONTINUE
2008      MNODEL(I)=II
2009      40  CONTINUE
2010      RETURN
2011      END

2012
2013      SUBROUTINE TIME
2014      C-----READ TIME INTEGRATION CONTROL DATA
2015      COMMON/TOUT/II,TOUT(100),TIMMAX,DTMAX,TIMFAC,KTMAX,KUPDA
2016      PRINT 200
2017      C-----
2018      READ 100,NT,TIMMAX,DTMAX,TIMFAC,KTMAX,KUPDA
2019      C-----
2020      IF(DTMAX.EQ.0) DTMAX=TIMMAX
2021      IF(TIMFAC.EQ.0) TIMFAC=.8
2022      IF(KTMAX.EQ.0) KTMAX=1000
2023      IF(KUPDA.EQ.0) KUPDA=1
2024      C-----
2025      READ 100,(TOUT(I),I=1,NT)
2026      C-----
2027      PRINT 210,TIMMAX,DTMAX,TIMFAC,KTMAX,KUPDA
2028      PRINT 220,(TOUT(I),I=1,NT)
2029      100  FORMAT( )
2030      220  FORMAT(' PRINT OUT TIMES',3X,867.2/(19X,867.2))
2031      200  FORMAT('// TIME '// *****//)
2032      210  FORMAT(' MAXIMUM TIME=',G8.3/' MAXIMUM TIME INCRFMENT=',G8.3/
2033      1     ' CRITICAL TIME INCREMENT FACTOR=',G8.3/
2034      2     ' MAXIMUM NUMBER OF TIME INCREMENTS=',I5/
2035      3     ' NUMBER OF STEPS BETWEEN UPDATING OF CONDUCTION MATRIX=',I5)
2036      RETURN
2037      END

2038
2039      SUBROUTINE VIEWFC(X,Y,D,EN,VIEW,MAXNOD)
2040      C-----THIS ROUTINE CALCULATES VIEW-FACTORS AND ENCLOSURE ZONE AREAS
2041      C-----SYMMETRY AROUND ANY OR BOTH AXIS ARE TAKFN INTO ACCOUNT
2042      DIMENSION X(1),Y(1),D(1),VFEW(MAXNOD,MAXNOD)
2043      PARAMETER NB=10,NNR=30,NNB2=2*NNB
2044      COMMON/BNOD/NUMB(NR),NBOUND(NB,NNB),BAREA(NB,NNB),TH(NB),
2045      1  EPSG(NB),BETA(NB),CPG(NB),FA(NB)
2046      COMMON/ENCLOS/LEN,NENC,NENCG(2),IGREN(2,4),NNODFN(2),TNODEN(100),
2047      1  XSYM(2),YSYM(2)

```

```
2048 LOGICAL LEN
2049 LOGICAL LDUM, XSYM, YSYM, DSYM
2050 INTEGER EN
2051 DO 15 I=1, MAXNOD
2052 DO 15 J=1, MAXNOD
2053 15 VIEW(I, J)=0.
2054 C----- COMPUTE VIEW-FACTORS USING HOTTEL'S CROSSED-STRING METHOD
2055 NENG=NENCNG(EN)
2056 SIGNX2=1.
2057 SIGNY2=1.
2058 IN=0
2059 C----- EACH NODE GROUP
2060 DO 100 IG=1, NENG
2061 DSYM=.FALSE.
2062 IF(XSYM(EN).AND.YSYM(EN)) DSYM=.TRUE.
2063 I1=IGREN(EN, IG)
2064 NUMI=NUMB(I1)
2065 C----- EACH ZONE
2066 DO 100 I=2, NUMI
2067 IN=IN+1
2068 NOD1=NBOUND(I1, I-1)
2069 NOD2=NBOUND(I1, I)
2070 X1=X(NOD1)
2071 X2=X(NOD2)
2072 Y1=Y(NOD1)
2073 Y2=Y(NOD2)
2074 D1=BAREA(I1, I)
2075 C----- FORM THE ZONE AREA VECTOR D
2076 D(IN)=D1
2077 JN=0
2078 C----- EACH NODE GROUP
2079 DO 100 JG=1, NENG
2080 J1=IGREN(EN, JG)
2081 NUMJ=NUMB(J1)
2082 C----- EACH ZONE
2083 DO 100 J=2, NUMJ
2084 JN=JN+1
2085 D2=BAREA(J1, J)
2086 NOD3=NBOUND(J1, J-1)
2087 NOD4=NBOUND(J1, J)
2088 IF(XSYM(EN)) SIGNY2=-1.
2089 IF(YSYM(EN)) SIGNX2=-1.
2090 50 CONTINUE
2091 LDUM=SIGNX2.EQ.1..AND.SIGNY2.EQ.1.
2092 IF(.NOT.LDUM) GOTO 80
2093 IF(IN.GE.JN) GOTO 100
2094 80 CONTINUE
2095 X3=SIGNX2*X(NOD3)
2096 X4=SIGNX2*X(NOD4)
2097 Y3=SIGNY2*Y(NOD3)
2098 Y4=SIGNY2*Y(NOD4)
2099 D3=SQRT((X1-X3)**2+(Y1-Y3)**2)
2100 D4=SQRT((X2-X4)**2+(Y2-Y4)**2)
2101 D5=SQRT((X1-X4)**2+(Y1-Y4)**2)
2102 D6=SQRT((X2-X3)**2+(Y2-Y3)**2)
2103 DUM=ABS(D5+D6-D4-D3)/2.
2104 C----- HOTTEL'S CROSSED-STRING METHOD
2105 VIEW(IN, JN)=DUM/D1+VIEW(IN, JN)
2106 C----- TAKE ADVANTAGE OF RECIPROCITY
2107 IF(LDUM) VIEW(JN, IN)=DUM/D2
2108 C----- IF SYMMETRY AROUND AXIS GO BACK WITH CHANGED SIGNS OF COORDINATES
2109 LDUM=(SIGNX2+SIGNY2).LT.-1.99
2110 IF(LDUM) SIGNY2=1.
2111 IF(LDUM) GOTO 50
```

```
2112 C-----
2113 LDUM=DSYM.AND.SIGNX2.LT.0.
2114 IF(LDUM) SIGNX2=1.
2115 IF(LDUM) SIGNY2=-1.
2116 IF(LDUM) GOTO 50
2117 C-----
2118 LDUM=(SIGNX2*SIGNY2).LT.0.
2119 IF(LDUM) SIGNX2=1.
2120 IF(LDUM) SIGNY2=1.
2121 IF(LDUM) GOTO 50
2122 100 CONTINUE
2123 RETURN
2124 END
2125
2126 SUBROUTINE XVERSY(X,Y,N,M,XS,YS)
2127 C-----FIND YS AS FUNCTION OF XS BY LINEAR INTERPLATION
2128 C-----IN TABLE OF X- AND Y-VALUES
2129 DIMENSION Y(N,1),X(N,1)
2130 DO 10 I=2,N
2131 IF(XS.GE.X(I,M))GOTO 10
2132 YS=Y(I-1,M)+(XS-X(I-1,M))*(Y(I,M)-Y(I-1,M))/(X(I,M)-X(I-1,M))
2133 GOTO 11
2134 10 CONTINUE
2135 PRINT 1
2136 PRINT 2,XS,(X(I,M),Y(I,M),I=1,5)
2137 PRINT 3,M
2138 STOP
2139 1 FORMAT(///1X,'INPUT VALUE TO XVERSY OUT OF RANGE'/)
2140 2 FORMAT(1X,'INPUT X',E10.4/1X'X-Y VALUE PAIRS'///1X,5(268.3,5X))
2141 3 FORMAT(/1X,'CURVE NUMBER',I4)
2142 11 RETURN
2143 END
```



APPENDIX C - Example input

Input cards used in examples I-III in Section 5.

Example I

```
1  SQUARE PLATE
2  F,1,1,.125,.125,,,,
3  0
4  UNIT MATERIAL DATA
5  F,2,2,,,,
6  ,1,10000,1,
7  ,,10000,10000,
8  .00001,1000,,,,
9  1
10 1,17,,1,1,
11 9 18 27 36 45 54 63 72 81 80 79 78 77 76 75 74 73
12 1
13 F,1
14 0,
15 NOVOID
16 20,1,1,1,,,,
17 .05 .10 .15 .20 .25 .30 .35 .40 .45 .50 .55 .60 .65 .70 .75 .80 .85 .90 .95 1.
18 DUMMY TEMPERATURE
19 2
20 ,,1000,,
21
```

Example II

```
1 I BEAM EMBEDDED IN CONCRETE
2 F,14,1,05,03,6,4,4
3 F,,,05,01
4 F,,01,003,09
5 F,,09,05,1
6 T,05,,14,01
7 T,05,09,14,1
8 ,015,03,07,1,
9 ,02,035,05,08
10
11 33 34,,,,,
12 25 26,,,,,
13 17 18,,,,,
14 1 2 9 10,,,,,
15 3 11,,,,,
16 4 12,,,,,
17 5 13,,,,,
18 6 14,,,,,
19 7 15 8 16,,,,,
20 23 24,,,,,
21 31 32,,,,,
22 39 40,,,,,
23 BETONG
24 T,7,7,,
25 24.5,1.78,115,1.28,243,1.17,401,1.17,643,.92,895,.85,1500,.85,
26 ,,100,55600,115,91000,200,129400,600,397200,1000,696700,1500,1000000.,
27 STAL
28 F,3,7,,
29 ,60,800,27,2000,27
30 ,,200,,217000,400,466000,600,758000,700,927000,800,1192000,1200,1766000
31 STAL
32 F,3,7,,
33 ,60,800,27,2000,27
34 ,,200,,217000,400,466000,600,758000,700,927000,800,1192000,1200,1766000
35 STAL
36 F,3,7,,
37 ,60,800,27,2000,27
38 ,,200,,217000,400,466000,600,758000,700,927000,800,1192000,1200,1766000
39 25.0001,25,,,,,
40 4
41 1,6,.6,.99,1,33
42 1,9,17,25,33,34,
43 2,4,.8,.99,1,33
44 34 42 50 58
45 3 6 .6 2.2,1,25
46 8 16 24 32 40 39
47 4 4 .8 2.2,1,25
48 39 47 55 63
49 4
50 T,1
51 T,2
52 F,3
53 F,4
54 0
55 NOVOID
56 15,1,5,,,,,
57 .1,.2,.3,.4,.5,.6,.7,.8,.9,1,0,1,1,1,2,1,3,1,4,1,5,
58 HE100B#FIRE
59 9
60 ,25,.05,525,.1,620,.3,725,.6,940,1,980,,1,025,600,1,2,475,1,5001,360,,,,,
61
```

Example III

```
1 BOX GIRDER EMBEDDED IN CONCRETE
2 F,.14,.15,1.,1.,5,4,6
3 F,,,0875,.004
4 F,.0345,.004,.0375,.112
5 F,.112,.0375,.12
6 T,.004,.0345,.112
7 .02,.05,.07,.11
8 .015,.029,.044,.056,.085,.13
9 14
10 1 2,,,,,,,,
11 12 13,,,,,,,,
12 23 24 34 35,,,,,,,,
13 45 46,,,,,,,,
14 56 57,,,,,,,,
15 68 67,,,,,,,,
16 25 36,,,,,,,,
17 26 37,,,,,,,,
18 27 38,,,,,,,,
19 28 39,,,,,,,,
20 29 40,,,,,,,,
21 30 31 41 42,,,,,,,,
22 19 20,,,,,,,,
23 8 9,,,,,,,,
24 BETONG
25 T,7,7,,
26 24.5,1.78,115,1.28,243,1.17,401,1.17,643,.92,895,.85,1500,.85,
27 ,100,55600,115,91000,200,129400,600,397200,1000,696700,1500,1000000.,
28 STAL
29 F,3,7,,
30 ,60,800,27,2000,27
31 ,200.,217000,400,466000,600,758000,700,927000,800,1192000,1200,1766000
32 STAL
33 F,3,7,,
34 ,60,800,27,2000,27
35 ,200.,217000,400,466000,600,758000,700,927000,800,1192000,1200,1766000
36 STAL
37 F,3,7,,
38 ,60,800,27,2000,27
39 ,200.,217000,400,466000,600,758000,700,927000,800,1192000,1200,1766000
40 25,25.0001,,
41 4
42 1,7,.6,.99,1.33
43 1,12,23,34,45,56,67,
44 2,3,.8,.99,1.33
45 67,78,89
46 3,9,.8,2.20,1.25
47 11,22,33,44,55,66,77,88,99,
48 4,11,.6,1.6,1.33
49 2,13,24,25,26,27,28,29,30,19,8
50 3
51 T,1
52 T,2
53 F,3
54 0, PTBND
55 VOID
56 1
57 F,T,4,,,,
58 15,1.5,,,,,,,,
59 .1,.2,.3,.4,.5,.6,.7,.8,.9,1.,1.1,1.2,1.3,1.4,1.5,
60 HSO-FIRE
61 12
62 ,25,.05,525,.1,625,.2,765,.3,900,.5,925,.7,980,1,1015,1.05,675,1.1,600,1.2,500.
63 1.501,350.,
```



