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Flexible Force-Vision Control for Surface Following using Multiple Cameras

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Abstract—A flexible method for six-degree-of-freedom combined vision/force control for interaction with a stiff uncalibrated environment is presented. An edge-based rigid-body tracker is used in an observer-based controller, and combined with a six-degree-of-freedom force- or impedance controller. The effect of error sources such as image space measurement noise and calibration errors are considered. Finally, the method is validated in simulations and a surface following experiment using an industrial robot.

I. INTRODUCTION

Even in modern robot control systems, there are difficulties instructing robots how to deal with variations in their environment. In order to handle large deviations from the nominal setup, external sensing capabilities are crucial. In particular, force sensing capabilities can be useful when robots are required to interact with their environment. There has also been a growing interest in vision based control, since a lot of information can be obtained from visual data. With the increasing computational power available today, there is a potential for robust visual servoing systems that operate at camera frame rate. However, the nature and limited accuracy of vision based control makes it less suitable for controlling the interaction between a robot and a potentially stiff environment. Therefore, an interesting approach is to combine force control and visual servoing in a multi-sensor control system.

A. Visual control

Position-based visual servoing techniques require some type of pose estimation, since the feedback law is defined in the workspace, rather than directly in the image. Accurate and robust tracking and estimation of the position of rigid objects using measurements from one or several cameras has been an active research topic for many years. Many methods for rigid body tracking work by minimizing some measure of the image space error as a function of the unknown position and orientation parameters, using standard non-linear optimization methods, or Kalman filtering techniques [1], [2]. In [3] it was suggested that the output from the pose estimation should be used as input for the Kalman filter, in order to avoid the high computational complexity required when the output is a high-dimensional image-space vector. The position and orientation can be parameterized in different ways, such as roll-pitch-yaw

angles [1], quaternions or dual quaternions [2]. There are also various ways to measure the image space error, the most common measurements are the positions of point features [1], lines, or point-to-contour errors [4], [5]. The point-to-contour method has a major advantage in that it does not require the exact matching of features, only the error in the normal direction at a number of points on a contour. This only requires a one-dimensional search for features (edges).

B. Force and impedance control

Impedance control aims to achieve a certain dynamical behavior of the end-effector position and orientation in response to external forces [6]. Using an inner motion control structure, the motion controller is made to track the pose of the so called *compliant frame*, denoted by Σ_c . The impedance relation is a relation on the form

$$\mathbf{M}_f \frac{d^2 \mathbf{x}}{dt^2} + \mathbf{D}_f \frac{d\mathbf{x}}{dt} + \mathbf{K}_f \mathbf{x} = \mathbf{f} \quad (1)$$

where \mathbf{x} is the relative position of the compliant frame with respect to the reference frame Σ_d , \mathbf{f} is the external force, and \mathbf{M}_f , \mathbf{D}_f and \mathbf{K}_f are positive definite matrices which can be interpreted as the effective mass, damping and stiffness, respectively.

C. Previous work

Over the last decade, some work on vision/force control has been presented. In [7] three different strategies are presented, traded control, hybrid control, and shared control. In [8] the use of vision/impedance control is proposed, and demonstrated in a peg-in-hole insertion experiment. The method presented in [9] uses Mason's task frame and a high level task description to determine how to use each sensor. An application of position-based force/vision control in flexible assembly is presented in [10], with a demonstration of the use of a single eye-in-hand camera for mating of moving parts. Other hybrid and adaptive techniques have been presented, for instance in [11], [12], [13].

Problem formulation

In this paper we demonstrate how to achieve high performance six-degree-of-freedom combined vision/force control for interaction with a stiff uncalibrated environment. It is shown how a process with linear dynamics in

task space, together with a standard formulation for an edge-based rigid body tracker, can be used to design an observer with linear error dynamics. The effect of error sources such as image noise and geometrical calibration errors are considered and analyzed. Finally, experiments and simulations are used to validate the approach.

II. CONTROLLER FOR FORCE/VISION CONTROL

A. Modeling

We assume that we have M cameras placed in fixed locations, viewing a target object whose position and orientation with respect to some fixed (world) coordinate system should be estimated. The position and orientation is parameterized as $\mathbf{x}_p \in \mathbb{R}^n$ where typically $n = 6$. The image data is compressed into a vector $\mathbf{y} \in \mathbb{R}^N$, usually the image space coordinates of corners, edges and other features. If the geometry of the target is known, \mathbf{x}_p and \mathbf{y} are related by the projection equations of the cameras

$$\mathbf{y} = \mathbf{h}(\mathbf{x}_p) \quad (2)$$

which is usually a very complex non-linear function. The most commonly used camera model is the homogeneous form pinhole camera projection equation, which in our case becomes

$$\mathbf{y}_i = \mathbf{h}_i(\mathbf{x}_p) = \frac{1}{Z_i} \mathbf{K}_c \mathbf{T}_{cw} \mathbf{T}_{wo}(\mathbf{x}_p) \mathbf{X}_i \quad (3)$$

where \mathbf{K}_c is a matrix of intrinsic camera parameters, \mathbf{X}_i is the coordinates of the point in an object-centered coordinate system, Z_i is the depth of the point in the camera, and \mathbf{T}_{cw} and $\mathbf{T}_{wo}(\mathbf{x}_p)$ are the homogeneous coordinate transformation matrices between the target object and the world coordinate system, and between the world coordinate system and the camera, respectively. The parameterization \mathbf{x}_p of \mathbf{T}_{wo} is the unknown position/orientation to be estimated. In the following, the camera position \mathbf{T}_{cw} is assumed to be known. This is not a restriction in situations where only the relative pose of two tracked objects is to be controlled, since the position of the world coordinate system is arbitrary. Only the relative positions of the cameras need to be accurately calibrated, in order to be able to relate measurements from different cameras.

We assume that the task space dynamics of the motion controlled manipulator can be modeled as a linear system, which together with the nonlinear measurement equation give the Wiener-type model

$$\begin{cases} \dot{\mathbf{x}} = \mathbf{F}\mathbf{x} + \mathbf{G}\mathbf{u} \\ \mathbf{y} = \mathbf{h}(\mathbf{x}_p) \end{cases} \quad (4)$$

where \mathbf{u} is the input, and \mathbf{x} is the state vector typically consisting of the position \mathbf{x}_p and velocity of the end-effector in the task space, and possibly other states depending on the model of the dynamics. For relatively low bandwidth systems, such as vision based controllers, the approximation of the complex closed loop robot dynamics with a linear system of relatively low order is reasonable. The output \mathbf{y} in Eq. (4) is the vector of image features

obtained from the images, and \mathbf{h} is given by Eq. (3), for each point.

For the pinhole camera, the task space position \mathbf{x}_p could in general be obtained from a pose estimation as

$$\mathbf{x}_p = \mathbf{h}^{-1}(\mathbf{y}) \quad (5)$$

and used in a feedback control law in order to control the task space position [3]. The pose estimation is typically performed using some type of iterative least-squares optimization algorithm, using the previous position as a starting point for the iteration. However, near singular configurations, where the Jacobian of \mathbf{h} loses rank, the pose estimation becomes very inaccurate [5]. An example of such a situation is when the relative depth of the object points is small, for instance when viewing a small object at a long distance from the camera. In such cases, a very accurate estimation of the depth Z_i of each point may be required in order to maintain stability [14].

B. Vision based observer

By exploiting the dynamic model in Eq. (4), we could obtain extra robustness and noise suppression. Since almost all real-time pose estimation algorithms work by updating an initial guess or prediction of the state, we use a state observer on the form

$$\frac{d\hat{\mathbf{x}}}{dt} = \mathbf{F}\hat{\mathbf{x}} + \mathbf{G}\mathbf{u} + \mathbf{K}\mathbf{J}^\dagger (\mathbf{y} - \mathbf{h}(\hat{\mathbf{x}})) \quad (6)$$

where \mathbf{J}^\dagger is the pseudo inverse of the Jacobian $\mathbf{J} = d\mathbf{h}/d\mathbf{x}$ from the linearization of the measurement equation.

Eq. (3) can be differentiated with respect to \mathbf{x} and linearized around $\hat{\mathbf{x}}$, and the equations for multiple feature points can be stacked to give the linearized equation

$$\Delta\mathbf{y} = \mathbf{y} - \mathbf{h}(\hat{\mathbf{x}}) \approx \mathbf{J}(\hat{\mathbf{x}})(\mathbf{x} - \hat{\mathbf{x}}) \quad (7)$$

where \mathbf{J} is the Jacobian of the projection equation, which can now be used directly in Eq. (6).

In the case of edge measurements, only the distance between the predicted and real edges in the normal direction of the contour is measurable. The corresponding equations are obtained by projecting the image space errors onto the normal as in [4], [5], giving us the alternative equations

$$\Delta\mathbf{y}_{(N)} = \mathbf{N}^T (\mathbf{y} - \mathbf{h}(\hat{\mathbf{x}})) \approx \mathbf{N}^T \mathbf{J}(\hat{\mathbf{x}})(\mathbf{x} - \hat{\mathbf{x}}) = \mathbf{J}_{(N)}(\hat{\mathbf{x}})(\mathbf{x} - \hat{\mathbf{x}}) \quad (8)$$

where \mathbf{N} is a block diagonal $n \times n$ matrix, where the blocks are the edge normal directions at the n different measurement points along the contour (Fig. 1).

It is clear that in general the accuracy of the estimation will improve with the number of image measurements N . If we assume that the errors in the image measurements ε_y can be modeled as Gaussian, spatially uncorrelated white noise with variance σ^2 , a useful approximation of the effective measurement error covariance $\varepsilon_x = \mathbf{J}^\dagger \varepsilon_y$ can be obtained as

$$\mathbb{E}[\varepsilon_x \varepsilon_x^T] = \mathbb{E}[\mathbf{J}^\dagger \varepsilon_y (\mathbf{J}^\dagger \varepsilon_y)^T] = (\mathbf{J}^T \mathbf{J})^{-1} \sigma^2 = \left(\sum_{i=1}^M \mathbf{J}_i^T \mathbf{J}_i \right)^{-1} \sigma^2 \quad (9)$$

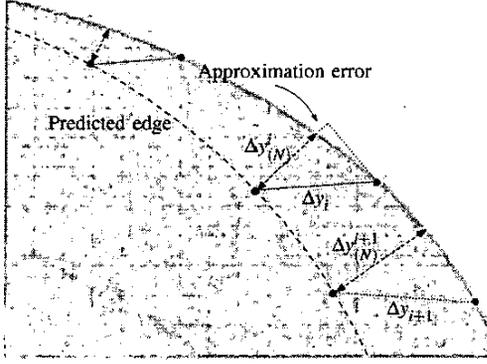


Fig. 1. Edge detection in the normal direction of the predicted edges.

where the Jacobian has been partitioned into the individual Jacobians for M cameras as $\mathbf{J}^T = [\mathbf{J}_1^T, \mathbf{J}_2^T, \dots, \mathbf{J}_M^T]^T$. If a large number of edge search points are distributed evenly along the visible edges of the object, we can approximate Eq. (9) with

$$E[\varepsilon_x \varepsilon_x^T] \approx \sigma^2 \left(\sum_{i=1}^M N_i \Phi_i(\hat{\mathbf{x}}) \right)^{-1} \quad (10)$$

where Φ_i is a positive semidefinite $n \times n$ matrix independent of N_i , which shows that the covariance of the measurement error is a direct function of the number, N_i , of edge detection points placed in each camera, giving the number of edge searches required to achieve a given measurement accuracy [15]. In addition, Eqs. (9) or (10) could be used as approximate covariance matrices in a (time-varying) Kalman filter. By performing the estimation update in this way, the tracking algorithm can be distributed over several processors, each responsible for the image processing and Jacobian creation and inversion for one camera. The measurements $\mathbf{J}_i^T \Delta y_i$ are combined in the central Kalman filter, using the covariance estimates for each camera.

The dependence of the covariance matrices on the Jacobian, calculated at $\hat{\mathbf{x}}$, is clear from Eq. (9). In general, the right singular vectors \mathbf{V} of $\mathbf{J} = \mathbf{U}\mathbf{S}\mathbf{V}^T$ will indicate the degrees of freedom with the largest error sensitivity. At distances significantly larger than the dimension of the object, this is usually translation in the Z -direction of the camera. By placing multiple cameras at different orientations, considerable improvements in the measurement covariance can be obtained. This advantage of a multi-camera setup is illustrated in Fig. 2, where the trace of the resulting covariance matrix is plotted as a function of the angle ϕ between the z -axes of three simulated cameras. The three cameras were placed at a distance $5L$ from the object, of dimensions $0.5L \times 0.5L \times 0.5L$, with 200 measured edge locations in each camera. In order to obtain the same measurement accuracy with a single camera, it would be necessary to either decrease σ by increasing the image quality and/or resolution, or to use cameras with longer focal length, thereby reducing the field of view.

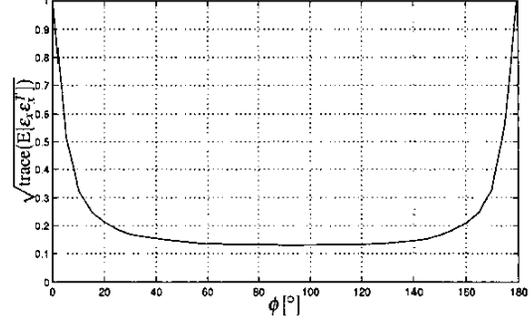


Fig. 2. The square root of the trace of $E[\varepsilon_x \varepsilon_x^T]$ for three cameras with normalized intrinsic parameters, placed at an angle of ϕ .

C. Force and impedance control

The force controller implemented is a general impedance controller with inner motion control [6]. In the controller, the impedance equation is divided into *translational impedance* and *rotational impedance* as

$$\mathbf{M}_{l,s} \frac{d^2 \mathbf{t}_{dc}}{dt^2} + \mathbf{D}_{l,s} \frac{d \mathbf{t}_{dc}}{dt} + \mathbf{K}_{l,s} \mathbf{t}_{dc} = \mathbf{f} - \mathbf{f}_r \quad (11)$$

$$\mathbf{M}_{l,r} \frac{d^2 \phi_{dc}}{dt^2} + \mathbf{D}_{l,r} \frac{d \phi_{dc}}{dt} + \mathbf{K}_{l,r} \phi_{dc} = \mathbf{T}^T(\phi_{dc})(\tau - \tau_r) \quad (12)$$

where \mathbf{f} and τ is the force and torque exerted by the environment on the end-effector, \mathbf{f}_r and τ_r is an optional reference force/torque pair, $\mathbf{t}_{dc} = \mathbf{t}_c - \mathbf{t}_d$ is the relative translation between the reference frame and the compliant frame, and ϕ_{dc} is the Euler XYZ angles extracted from the rotation matrix $\mathbf{R}_{dc} = \mathbf{R}_c^T \mathbf{R}_d$, and \mathbf{T} is a Jacobian matrix relating the angular velocity to the time derivative of ϕ_{dc} .

D. Combined vision/force controller

The block diagram for the system under vision/force control is shown in Fig. 3. The desired trajectory of the tool is defined relative to the target object, whose position is estimated from the image data. The visual feedback controller generates a reference position and velocities in order to follow the desired trajectory, based on the estimated relative position of the end-effector and the target. The force controller updates the position and velocity according to Eqs. (11) and (12), and the new references are sent to the built-in robot motion control.

We assume a decoupled dynamic model of a velocity controlled manipulator

$$\begin{cases} \dot{\mathbf{x}} = \mathbf{F}\mathbf{x} + \mathbf{G}\mathbf{v}_c \\ \Delta \mathbf{y} = \mathbf{h}(\mathbf{C}\mathbf{x}, \mathbf{C}\hat{\mathbf{x}}) \approx \mathbf{J}(\mathbf{C}\hat{\mathbf{x}})(\mathbf{C}\mathbf{x} - \mathbf{C}\hat{\mathbf{x}}) \end{cases} \quad (13)$$

where $\mathbf{x} = [\mathbf{x}_p^T \ \hat{\mathbf{x}}_p^T]^T$ is the state vector, \mathbf{v}_c the commanded velocity, $\Delta \mathbf{y}$ is the normal distances between the search points and the image edges, $\hat{\mathbf{x}}$ is the estimated state, and the system matrices are given by

$$\mathbf{F} = \begin{bmatrix} \mathbf{0} & \mathbf{I} \\ \mathbf{0} & -\omega \mathbf{I} \end{bmatrix}, \quad \mathbf{G} = \begin{bmatrix} \mathbf{0} \\ \mathbf{I} \end{bmatrix}, \quad \mathbf{C} = [\mathbf{I} \ \mathbf{0}]. \quad (14)$$

- 1) Initialize state and data structures
- 2) Send pre-computed visual command velocity \mathbf{u}_v to the main controller on the Power-PC
- 3) Capture images from each camera and perform image pre-processing
- 4) Search for image edges around the predicted edges of the manipulator and target, and build measurement vectors $\Delta\mathbf{y}$ and $\Delta\mathbf{y}_t$
- 5) For each edge measurement, build one row of the corresponding Jacobian \mathbf{J} or \mathbf{J}_t
- 6) Read effective control signal from Power-PC, given by $\mathbf{v}_c := \mathbf{S}_v \mathbf{u}_v + \mathbf{S}_f [\mathbf{0} \quad \mathbf{I}] \mathbf{x}_t$
- 7) Update the state estimate for the manipulator using the model $\hat{\mathbf{x}} := \mathbf{F}_d \hat{\mathbf{x}} + \hat{\mathbf{G}}_d \mathbf{v}_c + \mathbf{KJ}^\dagger \Delta\mathbf{y}$
- 8) Update estimated target position using one Gauss-Newton iteration $\hat{\mathbf{x}}_t := \hat{\mathbf{x}}_t + \mathbf{J}_t^\dagger \Delta\mathbf{y}_t$
- 9) Predict visible edges during the next sample, by performing hidden line removal based on the predicted positions $\hat{\mathbf{x}}$ and $\hat{\mathbf{x}}_t$
- 10) Calculate $\mathbf{x}_r = \hat{\mathbf{x}}_t + \Delta\mathbf{x}_r$, and pre-calculate the vision based part of the control signal $\mathbf{u}_v := \mathbf{L}(\mathbf{x}_r - \hat{\mathbf{x}})$
- 11) Wait for next sample time and repeat from Step 2)

Fig. 4. Algorithm for tracking and control of relative position.

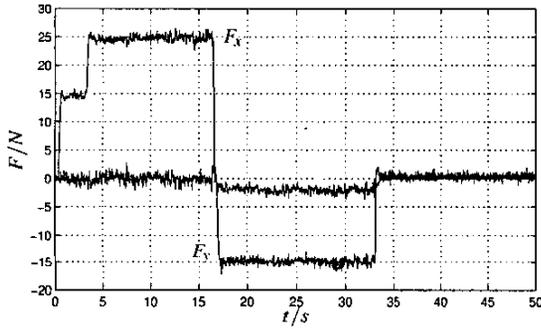


Fig. 6. Measured contact force during vision guided force control.

grinding tool, in contact with a metal box with dimensions $40 \times 40 \times 10$ cm. Experiments were first performed using two Sony digital cameras, and later repeated with an extra camera, using the resource allocation algorithm presented in [15], see Fig. 5.

The robot makes stable contact with the workpiece under vision guided impedance control, and when contact has been established the control switches to parallel vision/force control as described in Section II-D, while the tool moves across the surface at around 10 mm/s. The resulting force can be seen in Fig. 6. At time $t = 3$ s the force reference was changed from 15 N to 25 N in the x -direction of the tool. At time $t = 17$ s the tool reaches a corner, and the force reference changes to 15 N in the negative y -direction. The combined stiffness of the robot and surface was approximately 10 kN/m, and the translational controller parameters were chosen as $M = 0.1$, $D = 1.5$ and $K = 0$.

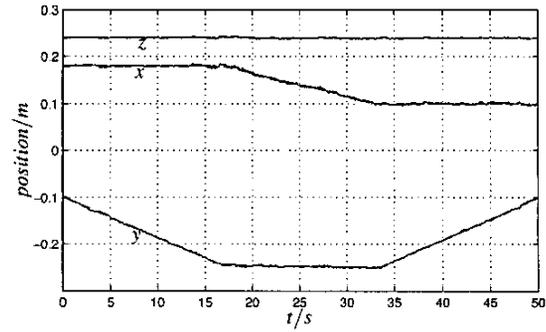


Fig. 7. Estimated tool translation (solid) and reference (dashed) during vision guided force control.

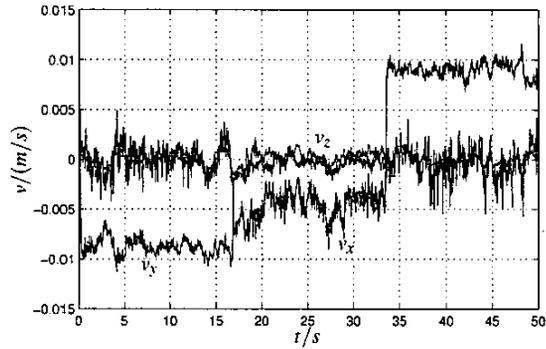


Fig. 8. Estimated tool velocity during vision guided force control.

Fig. 7 shows the estimated position of the tool with respect to the target frame during the same experiment. Fig. 8 shows the corresponding estimated velocities. A small control error in the force controlled directions is caused by the force control action, which makes the position deviate from the nominal trajectory.

Effect of calibration errors: In the presence of calibration errors $\Delta\mathbf{G}$ in Eqs. (19)–(21), the system properties will change. We assume that the error can be modeled as

$$\Delta\mathbf{G} = \mathbf{G} - \hat{\mathbf{G}} = \mathbf{G}(\mathbf{I} - \begin{bmatrix} \mathbf{R}_\Delta(\delta) & \mathbf{0} \\ \mathbf{0} & \mathbf{R}_\Delta(\delta) \end{bmatrix}), \quad (22)$$

where the rotation matrix $\mathbf{R}_\Delta(\delta)$ corresponds to an orientation error δ between the tracked frame and the actuated frame. In practice, the stability of the system is preserved for all reasonably small δ , but the servo properties of the system may degrade considerably. Particularly, in the common situation when the position trajectory is a ramp along the surface, large force errors may occur in the force controlled directions, due to the high surface stiffness.

We have simulated this effect in a typical scenario, where a hybrid controller with bandwidth 5 rad/s in the vision controlled direction has been used, together with an observer bandwidth of 10 rad/s. The force controller bandwidth was 15 rad/s, and the surface stiffness was 10 N/mm. Force control is applied in the x -direction, while the remaining degrees of freedom are vision controlled. The

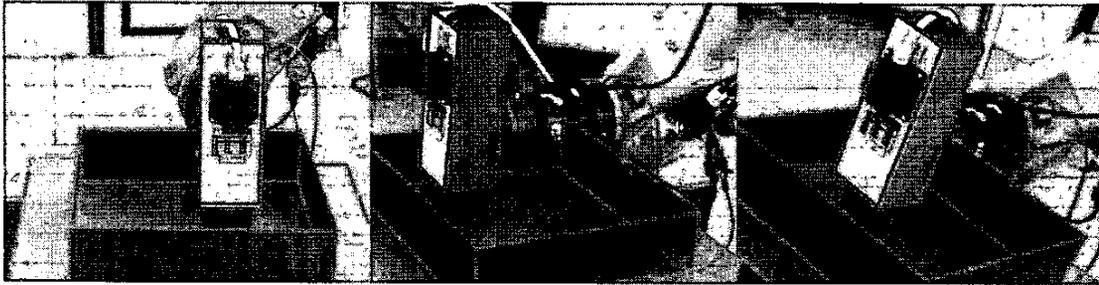


Fig. 5. Simultaneous tracking of tool and workpiece, using two Sony DFW-V300 and one Basler A602fc digital cameras.

calibration error $R_{\Delta}(\delta)$ is given by a rotation of $\delta = 1^\circ$ around the z -axis. \dot{x}_r was given by a constant velocity of $v_y = 10$ mm/s in the y -direction. The resulting stationary force error was 0.18 N, an error that scales approximately linearly with δ and v_y .

IV. DISCUSSION

The combination of force- and visual feedback is ideal for handling environments with geometric uncertainties on different scales, where the force controller is responsible for accurate control of the contact force, while the visual control handles the overall guidance of the tool. Experiments show that the system is able to follow low speed trajectories with an accuracy of around 1 mm, while accurately controlling the contact force. The force control achieves tracking with rise times of under 0.2 s in stiff environments, so that the force control can quickly compensate for deviations from the nominal geometry. At higher speeds along the surface, calibration errors may cause large errors in the contact force, and the effects of geometrical deviations in the workpiece will increase.

By tracking multiple objects and controlling the relative position, we can theoretically achieve surface following with an accuracy that is independent of the calibration accuracy of the work cell. The price we pay is the use of external sensors such as cameras for position control. The robustness of camera sensing is still problematic, since phenomena such as occlusions, reflections, poor lighting or limited fields of view could cause signal loss, or degradation of measurement accuracy. Robustness increases considerably with the number of cameras [5], and using multiple low-cost cameras could be a cost effective solution for tasks in uncalibrated environments.

V. CONCLUSIONS

In this paper we have demonstrated how to achieve high performance six degree-of-freedom combined vision/force control for interaction with a stiff uncalibrated environment. A process with linear dynamics in task space, is used together with a standard edge-based rigid body tracker, which gives a locally stable observer with linear error dynamics. The effect of error sources such as image measurement noise and geometrical calibration errors are considered. Finally, experiments and simulations are used to validate the approach.

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