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RECURSIVE IDENTIFICATION USING
A GENERAL MODEL STRUCTURE

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Title and subtitle Recursive identification using a general model structure (Rekursiv identifiering för en generell modellstruktur)		
Abstract <p>A program package, based on SIMNON (an interactive simulation program), for recursive identification has been developed. The program package uses a general model structure of the form:</p> $(1+A) \cdot y(t) = \frac{B}{1+F} \cdot u(t) + \frac{1+C}{1+D} \cdot e(t) \quad (I)$ <p>where A, F, B, D and C are polynomials in q^{-1} (the backward shift operator) such that $A(0)=0$ etc. and $e(t)$ white noise. The order of the polynomials can be varied independently to arrive at a model structure that gives the "best" results. For this general structure many common identification methods such as the LS, ELS, ML and GLS can be classified as special cases in either of two approaches (LIP or CMA). Simulation experiments have been made using data generated by a relatively complex "process/system". The results indicate that the use of this general model structure can be recommended since it allows a greater flexibility and the same or a higher degree of accuracy can be achieved with fewer parameters compared to the common identification methods to obtain a good approximate description.</p>		
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RECURSIVE IDENTIFICATION
USING
A GENERAL MODEL STRUCTURE

A Program Package
and
Simulations

Hallgrímur Gunnarsson

REFERAT

Ett programpaket, baserad på SIMNON (ett interaktivt simuleringssprogram), för rekursiv identifiering har tagits fram. Programpaketet använder en generell modell/system beskrivning som visas ovan (eq. I), där A, F, B, D och C är polynom i q^{-1} (baklänges shiftoperator). Polynomernas gradtal kan varieras vart för sig för att komma fram till den modellstruktur som ger "bäst" resultat. Detta beskrivningssätt innebär att några av de vanligaste identifieringsmetoderna t. ex. LS, ELS, ML och GLS kan visas vara specialfall i en av två metoder. Simuleringar har gjorts på data genererad av ett relativt komplext system/process. Resultaten indikerar att användandet av detta beskrivningssätt kan rekommenderas eftersom större flexibilitet och samma eller högre nogrannhet kan uppnås med färre antal parametrar jämfört med de vanliga identifieringsmetoderna för att uppnå en bra approximativ beskrivning.

PREFACE

The master thesis presented in this paper was carried out at the Department of Automatic Control, Lund Institute of Technology. I would like to express my gratitude to Tekn. dr. Ivar Gustavsson who initiated this work and Assistant Professor Tekn. dr. Björn Wittenmark who read the final manuscript for their criticism and help. Furthermore thanks to Kristján H. Bjartmarsson and Geir R. Jóhannesson for inspiring discussions and the loan of literature.

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Hallgrímur Gunnarsson

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1 INTRODUCTION

The last decade has seen quite extensive developments in the field of recursive identification. Most simulation and theoretical studies of identification methods have been concerned with their convergence and uniqueness to a systems "true" parameters. More recently some attention has been devoted to the concept of approximate identification i.e. to find, under given experimental conditions, an approximate description which contains the most relevant features of the system under observation rather than to determine its "true" parameters. This is in many cases the most realistic approach since the system is often more complex than a practical model would be. The success of adaptive regulators based on too "simple" models seems to justify this point of view. An application of a general model structure, due to L. Ljung, is in this context of a special interest. The model structure and the algorithms are described briefly in sec. 2. Note that many common recursive identification methods, such as the LS, GLS, ELS and ML are included as special cases in either of two approaches.

In order to gain some insight into the practical usefulness of these ideas and other related ones, a program package for simulation studies of recursive identification methods has been developed. The program is based on the interactive program package SIMNON [15] and thus includes all the facilities available there. It is assumed throughout that the user is familiar with SIMNON and its application.

The program package is, in short, best described by the following block diagram (fig 1.1) where selectors are set

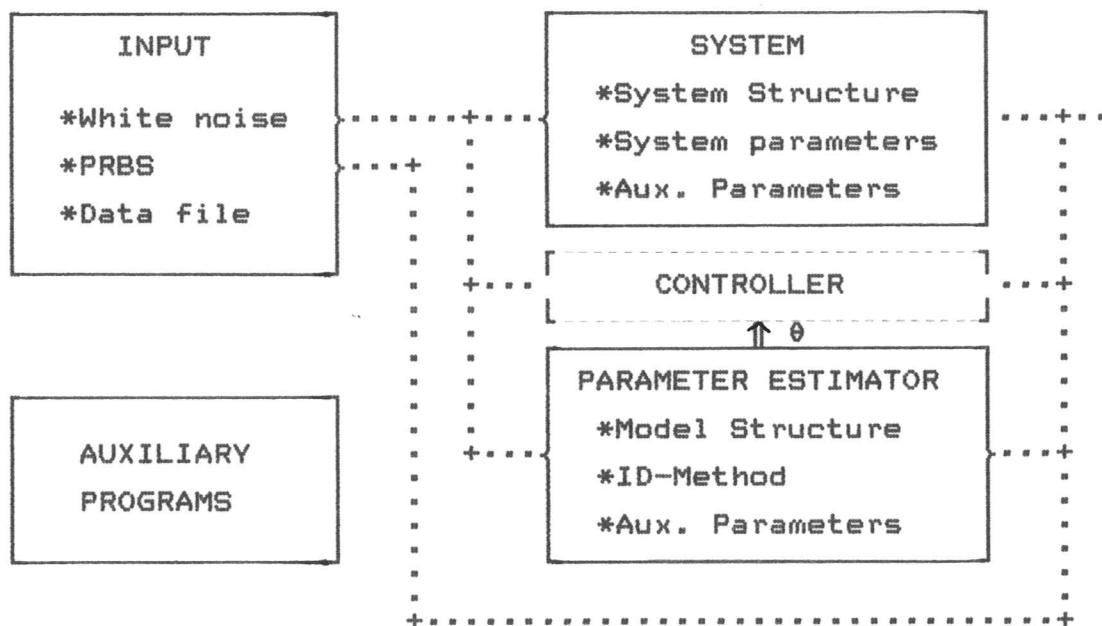


Fig 1.1

and connections made between the subsystems according to the intended use. Notice that SIMNON allows the user to implement his own subsystems e.g. to expand this program to include a regulator (see the dotted part of fig 1.1). Sec. 3 contains a description of the program structure followed by information on program start-up in sec. 4. The subsystems available are described in detail in sec. 5 along with some examples.

The program package has been used to do a series of identification experiments which are reported in sec. 6. There a number of different model structures are tested (using both of the above mentioned approaches/ methods) on input-output sequences generated by a relatively complex system("process"). The results are then compared to get the "best" model structure for this particular system.

For the benefit of those who would like to implement other identification methods into the program package or to use parts of it for their own purposes, a complete listing of all programs as well as some additional information is available at the Department. Contact the program librarian.

2 IDENTIFICATION METHODS AND ALGORITHMS

The application of identification techniques implies that a model is fitted to measured data $u(1), \dots, u(N)$, of the input signal and $y(1), \dots, y(N)$ of the output signal. It seems reasonable to assume that the greater the versatility of the model the greater the possibility of arriving at, in some sense, the best description. This has led to the use of a general model/system structure, due to L. Ljung [1] (see sec. 2.1) and the application of two common identification schemes to this model using two slightly different approaches (sec. 2.2-2.4). In sec. 2.5 a short description of the implemented Instrumental variables algorithm is given and in sec. 2.6 an Extended Kalman Filter Identification Algorithm. Finally sec. 2.7 contains notes on the loss functions used for accuracy valuation.

2.1 A General Model Structure

Consider a system/model described by:

$$(1+A(q^{-1})) \cdot y(t) = \frac{B(q^{-1})}{1+F(q^{-1})} \cdot u(t-T_d) + \frac{1+C(q^{-1})}{1+D(q^{-1})} \cdot e(t) \quad [2.1.1]$$

where A , F , B , D and C are polynomials in q^{-1} (the backward shift operator) of orders n_a , n_f , n_b , n_d and n_c respectively such that $A(0)=0$, $F(0)=0$ etc. that is:

$$A(q^{-1}) = a_1 q^{-1} + a_2 q^{-2} + \dots + a_n q^{-n} \quad \text{etc.}$$

T_d is the time delay and the sequence $e(t)$ is supposed to be white noise.

In applications one or several of the polynomials may be zero. It is interesting to note that:

$F = D = C = 0$ gives the least squares model

$F = D = 0$ - the Åström model

$F = C = 0$ - the generalized least squares model

$A = C = D = 0$ - the model reference (output error) model

Remark 2.1.1 In the sequel the estimates will be denoted by a hat ^ above the letter. The subscript o is used to denote the true parameters or the system. The capital letters A, B, F, C and D will throughout refer to the above defined polynomials unless specified otherwise.

Introduce the quantities $z_o(t)$ and $v_o(t)$ as:

$$z_o(t) = \frac{B_o(q^{-1})}{1+F_o(q^{-1})} \cdot u(t-Td) \quad [2.1.2]$$

$$v_o(t) = \frac{1+C_o(q^{-1})}{1+D_o(q^{-1})} \cdot e(t) \quad [2.1.3]$$

a vector of old signal values φ_o and the parameter vector θ_o as:

$$\varphi_o(t) = \begin{bmatrix} -y(t-1) \\ \vdots \\ -y(t-n) \\ -z_o(t-1) \\ \vdots \\ -z_o(t-n) \\ u(t-Td-1) \\ \vdots \\ u(t-Td-n) \\ -v_o(t-1) \\ \vdots \\ -v_o(t-n) \\ e(t-1) \\ \vdots \\ e(t-n) \end{bmatrix} \quad \theta_o(t) = \begin{bmatrix} a_1 \\ \vdots \\ a_{n_a} \\ f_1 \\ \vdots \\ f_{n_f} \\ b_1 \\ \vdots \\ b_{n_b} \\ d_1 \\ \vdots \\ d_{n_d} \\ c_1 \\ \vdots \\ c_{n_c} \end{bmatrix} \quad [2.1.5] / [2.1.4]$$

Thus the true system [2.1.1] can be written:

$$y(t) = \theta^T \cdot \varphi_o(t) + e(t) \quad [2.1.6]$$

In a recursive identification situation where the θ_0 vector is unknown the definition of $\varphi(t)$ poses certain problems because it depends on the knowledge of θ_0 and the sequence $e(t)$. To solve the problem of defining $\varphi(t)$, θ_0 can be replaced by the current estimate $\hat{\theta}$ and $e(t)$ by the residuals $\epsilon(t)$, i.e. old estimates are assumed as given and then $\varphi(t+1)$ defined recursively from $\varphi(t)$ as :

$$\epsilon(t) = y(t) - \hat{\theta}^T \cdot \varphi(t) \quad [2.1.7]$$

$$(1 + \hat{F}(q^{-1}, t)) \cdot z(t) = \hat{B}(q^{-1}, t) \cdot u(t-T_d) \quad [2.1.8]$$

$$(1 + \hat{D}(q^{-1}, t)) \cdot v(t) = (1 + \hat{C}(q^{-1}, t)) \cdot \epsilon(t) \quad [2.1.9]$$

$$\varphi(t+1) = \begin{bmatrix} -y(t) \\ \vdots \\ -y(t-n_a+1) \\ -z(t) \\ \vdots \\ -z(t-n_f+1) \\ u(t-T_d) \\ \vdots \\ u(t-T_d-n_b+1) \\ -v(t) \\ \vdots \\ -v(t-n_d+1) \\ \epsilon(t) \\ \vdots \\ \epsilon(t-n_c+1) \end{bmatrix} \quad [2.1.10]$$

Now the model can be written as:

$$y(t+1) = \hat{\theta}^T \cdot \varphi(t+1) + \epsilon(t+1) \quad [2.1.11]$$

2.2 Algorithms

Most recursive or on-line identification methods are derived by approximating some off-line method with a recursive scheme (see e.g. [9]) but it turns out that they can be described by essentially the same algorithm (cf. [7]) where some of the quantities involved are defined in a slightly different way depending on the method used. This algorithm can be derived in a similar manner using the general model structure described in the preceding section. The algorithm is the following:

Algorithm

$$\hat{\theta}(t+1) = \hat{\theta}(t) + P(t+1) \cdot \varphi(t+1) \cdot \varepsilon(t+1) \quad [2.2.1]$$

$$P(t+1) = \left[P(t) - \frac{P(t) \cdot \varphi(t+1) \cdot \varphi^T(t+1) \cdot P(t)}{\lambda(t+1) + \varphi^T(t+1) \cdot P(t) \cdot \varphi(t+1)} \right] / \lambda(t+1) \quad [2.2.2]$$

$$\lambda(t+1) = \lambda_k \cdot \lambda(t) + (1-\lambda_k) \quad [2.2.3]$$

$$\varepsilon(t+1) = y(t+1) - \hat{\theta}^T(t) \cdot \varphi(t+1) \quad [2.2.4]$$

where $\theta(t)$ is the parameter vector, $P(t)$ the covariance matrix, $\lambda(t)$ the forgetting profile and $\varphi(t)$ a vector of old signal values. For exact definitions of θ and φ cf. sections 2.1 and 2.3-2.4.

In the notation of sec. 2.1:

Let $F = D = C = 0$, with θ , φ and ε defined accordingly, then the algorithm corresponds to a recursive minimization of the loss function $\Sigma \varepsilon^2$ viz. the LS-method.

The algorithm above can be simplified to yield a Stochastic Approximation version given below. In this algorithm the updating of the P -matrix is replaced by the updating of a scalar p i.e. the equations [2.2.1] and [2.2.2] are replaced by eq's. [2.2.5] and [2.2.6].

The SA-version

$$\hat{\theta}(t+1) = \hat{\theta}(t) + p(t) \cdot \varphi(t+1) \cdot \varepsilon(t+1) \quad [2.2.5]$$

$$\frac{1}{p(t+1)} = \lambda(t+1) \cdot \frac{1}{p(t)} + \varphi(t+1)^T \cdot \varphi(t+1) \quad [2.2.6]$$

$$\lambda(t+1) = \lambda_k \cdot \lambda(t) + (1-\lambda_k) \quad [2.2.3]$$

$$\varepsilon(t+1) = y(t+1) - \hat{\theta}^T(t) \cdot \varphi(t+1) \quad [2.2.4]$$

Remark 2.2.1 - The Forgetting Profile.

The choice of $\lambda_k = 1$ results in $\lambda(t) = \lambda(0)$. A choice of $\lambda(0) < 1$ is appropriate in applications with time varying parameters. By choosing $\lambda_k < 1$ and $\lambda(0) < 1$, $\lambda(t)$ will start in $\lambda(0)$ and tend to 1. This may improve the initial convergence of the algorithm. See parameters WTO: λ_k and WTI: $\lambda(0)$ in sec. 5.3.4c.

Remark 2.2.2 - A posteriori estimate of the residual.

The à posteriori estimate of the residual ε i.e. $\varepsilon(t+1) = y(t+1) - \hat{\theta}^T(t+1) \cdot \varphi(t+1)$ can be computed and used when updating the φ -vector. The à posteriori estimate usually gives a slightly better result. See parameter IPRER in sec. 5.3.4d.

Remark 2.2.3 - Limitation of the residuals.

The residuals may be limited to a given value, i.e. If $|\varepsilon(t)| > RLIM$ then $\varepsilon(t)$ is given the value $\varepsilon(t) = \text{sign}(\varepsilon(t)) \cdot RLIM$. See parameter RLIM in sec. 5.3.4d

Remark 2.2.4 - Modification in the updating of P(t)

The computation of the diagonal elements of the covariance matrix $P(t)$ can be modified by adding the term:

$$[R_{ii} - \delta \cdot P_{ii}(t)] / \lambda(t+1) \quad [2.2.7]$$

where R_{ii} is the i -th element of a vector and δ is a constant, both chosen by the user. The modification with R_{ii}

can be derived from the relation between least squares estimation and a Kalman filter. It can be useful in situations with time varying parameters to make sure that the P-matrix does not tend to zero. The second term has been suggested by L. Ljung [4] to prevent from difficulties that may occur because of almost singular P-matrices. The corresponding modification for the SA-version is:

$$\frac{1}{p(t+1)} = \lambda(t+1) \cdot \frac{1}{p(t)} + \varphi^T(t+1) \cdot \varphi(t+1) + \delta \quad [2.2.6a]$$

See parameters DELTA: δ and the parameter vector R1 in sec.5.3.4c

Remark 2.2.5 - Initial values of the P-matrix

The initial value for P is $P(0)=100 \cdot I$ in the program but can be set to any desired value by the parameter-vector P0. See sec. 5.3.4e. The initial value for $p(0)$ in algorithm 2 is $p(0)=100$, which can be changed by the parameter P01.

2.3 The LIP-Approach

The LIP-Approach to estimate θ is to use the algorithm [2.2.1]-[2.2.4] as it stands (or the SA-version) with θ defined as in eq. [2.1.5] and φ as in eq. [2.1.10]. The loss function in this case can be taken as:

$$V(\theta) = E |y(t) - \theta^T \cdot \varphi(t)|^2 = E \epsilon^2(t) \quad [2.3.1]$$

which can be minimized by solving:

$$\frac{d}{d\theta} V(\theta) = E \varphi(t) \cdot (y(t) - \hat{\theta}^T \cdot \varphi(t)) = E \varphi(t) \cdot \epsilon(t) = 0 \quad [2.3.2]$$

This corresponds to an application of the model [2.1.11] which appears to be Linear-In-the-Parameters. Hence, the name. This is, however, not true. In the definition of $\varphi(t)$ there are hidden dependencies on $\hat{\theta}$.

Notice that this approach is for:

$F = D = 0$ known as the ELS-method

$A = C = D = 0$ known as the parallel model reference method

$F = C = D = 0$ known as the LS-method

The convergence of this method can be analysed by the use of an associated differential equation as explained in [2,3,7]. Assume that $\theta(t)$ tends to some value θ and consider the sequence of vectors $\bar{\varphi}(t, \theta)$ defined by equations [2.1.7]-[2.1.10] as $t \rightarrow \infty$ with the constant model θ . Assume that it has reached stationarity. Introduce in the same manner the stationary process $\bar{e}(t, \theta) = y(t) - \theta^T \bar{\varphi}(t, \theta)$ and let:

$$f(\theta) = E \bar{\varphi}(t, \theta) \cdot \bar{e}(t, \theta) \quad [2.3.3]$$

$$G(\theta) = E \bar{\varphi}(t, \theta) \cdot \bar{\varphi}^T(t, \theta) \quad [2.3.4]$$

with the expectation over $(e(t))$. Then the differential equation becomes:

$$\dot{\theta} = R^{-1} \cdot f(\theta) \quad [2.3.5a]$$

$$\dot{R} = G(\theta) - R \quad [2.3.5b]$$

where e.g. (cf. [7])

$$R = \frac{\gamma(t)}{P(t)} \quad \text{and} \quad \gamma(t) = \frac{\gamma(t-1)}{\lambda(t) + \gamma(t-1)} \quad ; \quad \gamma(0) = 1$$

According to [2], then global stability of [2.3.5] implies convergence of the algorithm and also that possible convergence points of the algorithm correspond to stable stationary points of the differential equation.

Provided that the model tried for the identification is the same as that of the system then $\bar{e}(t, \theta)$ can be expressed as:

$$\hat{\epsilon}(t, \theta) = \begin{bmatrix} \frac{1+D_o}{1+C_o} \cdot \bar{\varphi}_y(t, \theta) \\ \frac{1+D_o}{(1+C_o)(1+F_o)} \cdot \bar{\varphi}_u(t, \theta) \\ \frac{1}{1+C_o} \cdot \bar{\varphi}_e(t, \theta) \end{bmatrix}^T \cdot (\theta_o - \theta) + \epsilon(t) \quad [2.3.6]$$

and by using the results of [3] the convergence will be tied to the positive realness of the transfer functions indicated in equation [2.3.6]. It is, however, not clear what can be said of the convergence properties when the system cannot be described by the model structure chosen for the identification.

2.4 The Criterion Minimization Approach

To account for the hidden dependencies on θ in the definition of $\varphi(t)$ the proper criterion to consider is:

$$V(\theta) = E |y(t) - \theta^T \cdot \varphi(t, \theta)|^2 = E \epsilon(t, \theta)^2 \quad [2.4.1]$$

The residual can be expressed as:

$$\epsilon(t, \theta) = \frac{(1+D) \cdot (1+A)}{(1+C)} \cdot y(t) - \frac{B \cdot (1+D)}{(1+C) \cdot (1+F)} \cdot u(t-Td) \quad [2.4.2]$$

and direct calculation verifies that:

$$-\frac{d\epsilon(t, \theta)}{d\theta} = \begin{bmatrix} \frac{1+D}{1+C} \cdot \varphi_y(t, \theta) \\ \frac{1+D}{(1+C) \cdot (1+F)} \cdot \varphi_u(t, \theta) \\ \frac{1}{1+C} \cdot \varphi_e(t, \theta) \end{bmatrix} = \begin{bmatrix} \psi_y(t, \theta) \\ \psi_u(t, \theta) \\ \psi_e(t, \theta) \end{bmatrix} = \psi(t, \theta) \quad [2.4.3]$$

Therefore the equation to be solved analogously to equation [2.3.1] is:

$$-\frac{d}{d\theta} V(\theta) = E \psi(t, \theta) \cdot \varepsilon(t, \theta) = 0 \quad [2.4.4]$$

Similarly to the definition of $\varphi(t)$ (cf. equations [2.1.7]-[2.1.10]) the vector $\psi(t)$ is defined recursively in t as follows:

$$(1 + \hat{C}(q^{-1}, t)) \cdot \psi_y(t) = (1 + \hat{D}(q^{-1}, t)) \cdot \varphi_y(t) \quad [2.4.5]$$

$$(1 + \hat{C}(q^{-1}, t)) \cdot (1 + \hat{F}(q^{-1}, t)) \cdot \psi_u(t) = (1 + \hat{D}(q^{-1}, t)) \cdot \varphi_u(t) \quad [2.4.6]$$

$$(1 + \hat{C}(q^{-1}, t)) \cdot \psi_\varepsilon(t) = \varphi_\varepsilon(t) \quad [2.4.7]$$

The Criterion Minimization Approach then is to use the algorithm [2.2.1]-[2.2.4] or the SA-version where $\varphi(t)$ is replaced by $\psi(t)$ in equations [2.2.1] and [2.2.2] or [2.2.5] and [2.2.6] but of course not in [2.2.4].

Notice that:

- | | |
|-----------------|--------------------------------------------------------|
| $F = D = 0$ | gives the recursive ML-method |
| $F = C = 0$ | gives the generalized least squares method |
| $A = C = D = 0$ | gives the Extended Kalman Filter with no process noise |

The differential equation associated with this approach is the same as in the preceding section except that now:

$$f(\theta) = E \bar{\psi}(t, \theta) \cdot \bar{\varepsilon}(t, \theta) \quad [2.4.8]$$

$$G(\theta) = E \bar{\psi}(t, \theta) \cdot \bar{\psi}(t, \theta)^T \quad [2.4.9]$$

i.e.

$$\dot{\theta} = R^{-1} \cdot E \bar{\psi}(t, \theta) \cdot \bar{\varepsilon}(t, \theta) = R^{-1} \cdot V(\theta) \quad [2.4.10]$$

$$\dot{R} = E \bar{\psi}(t, \theta) \cdot \bar{\psi}(t, \theta)^T - R \quad [2.4.11]$$

Since R is a positive definite matrix and $V(\theta)$ is positive it follows from [2] that now $\theta(t)$ converges to a local minimum of $V(\theta)$, even if the true system cannot be described within the chosen model structure. The uniqueness of the local minima of $V(\theta)$ will in general depend on the actual structure of the model.

Remark 2.4.1 - Stability check

It is necessary that the filtering according to equations [2.4.5]-[2.4.7] is exponentially stable for this approach to work. Therefore the stability of the F and C polynomials can be checked and if unstable projected in such a way that the polynomials have all roots inside the unit circle. See Parameter ISTAB in sec. 5.3.4d.

Remark 2.4.2 - A better initial convergence.

To obtain a better initial convergence in the start-up of this approach the filtering according to equations [2.4.5]-[2.4.7] can be omitted for IFIST number of steps. See parameter IFIST in sec 5.3.4d.

2.5 The Instrumental Variables Algorithm

The IV-algorithm implemented in the program package is basically the same as algorithm [2.2.1]-[2.2.4] in sec. 2.2. For a more extensive treatment cf. [7,12,13]. It corresponds to a model structure (cf. sec 2.1) where $F = C = D = 0$ that is:

$$(1+A(q^{-1})) \cdot y(t) = B(q^{-1}) \cdot u(t-Td) + e(t) \quad [2.5.1]$$

Algorithm IV

$$\hat{\theta}(t+1) = \hat{\theta}(t) + P(t+1) \cdot z(t+1) \cdot e(t+1) \quad [2.5.2]$$

$$P(t+1) = \left[P(t) - \frac{P(t) \cdot z(t+1) \cdot \varphi^T(t+1) \cdot P(t)}{\lambda(t+1) + \varphi^T(t+1) \cdot P(t) \cdot z(t+1)} \right] / \lambda(t+1) \quad [2.5.3]$$

$$\lambda(t+1) = \lambda_k \cdot \lambda(t) + (1-\lambda_k) \quad [2.5.4]$$

$$e(t+1) = y(t+1) - \hat{\theta}^T(t) \cdot \varphi(t+1) \quad [2.5.5]$$

where the vector z consists of the instrumental variables and other quantities defined as before (cf.sec. 2.1-2.2).

Notice also that Remarks 2.2.1 thru 2.2.5 apply here too.

Remark 2.5.1 - Different Instrumental Variables

The user can choose between using the old values of the input signal as in eq. [2.5.6] or defining them according to equations [2.5.7]-[2.5.8].

$$z(t) = (u(t-1), u(t-2), \dots, u(t-n_a-n_b))^T \quad [2.5.6]$$

$$z(t) = (-x(t-1), \dots, -x(t-n_a), u(t-1), \dots, u(t-n_b))^T \quad [2.5.7]$$

where

$$x(t) = z(t)^T \cdot \theta(t) \quad [2.5.8]$$

See Parameter INVAU in sec. 5.3.4d.

Remark 2.5.2 - A better initial convergence

The algorithm can be started up by using the least squares estimate for IFIST number of steps, to obtain a better initial convergence. See Parameter IFIST in sec. 5.3.4d.

2.6 An Extended Kalman Filter Algorithm

The EKF is a well known approach to the estimation of parameters. In an extensive treatise by L. Ljung [4] the properties of the common EKF are analysed and it is shown there that with a modification of the algorithm, global convergence can be obtained for a general case.

Consider a single-input single-output model described by:

$$X(t+1) = A(\theta(t)) \cdot X(t) + B(\theta(t)) \cdot u(t-T_d) + K(\theta(t)) \cdot \varepsilon(t) \quad [2.6.1]$$

$$y(t) = C(\theta(t)) \cdot X(t) + \varepsilon(t) \quad [2.6.2]$$

where X is the state vector and A , B , C and K are matrices and/or vectors cf. below. The modified algorithm implemented in the program package is based on the model above with the particular parametrization:

$$A(\theta(t)) = F + (V+K) \cdot \theta^T(t) \cdot H \quad [2.6.3]$$

$$B(\theta(t)) = B \quad [2.6.4]$$

$$K(\theta(t)) = K \quad [2.6.5]$$

$$C(\theta(t)) = \theta^T(t) \cdot H \quad [2.6.6]$$

where F , V , K , H and B are fixed and chosen as:

$$X(t) = \begin{bmatrix} y(t-1) \\ \vdots \\ y(t-n_a) \\ u(t-1) \\ \vdots \\ u(t-n_b) \\ \varepsilon(t-1) \\ \vdots \\ \varepsilon(t-n_c) \end{bmatrix} \quad B = \begin{bmatrix} 0 \\ \vdots \\ 0 \\ 1 \\ 0 \\ \vdots \\ 0 \\ \vdots \\ 0 \end{bmatrix} \quad \leftarrow n_a+1 \quad K = \begin{bmatrix} 1 \\ 0 \\ \vdots \\ 0 \\ 1 \\ 0 \\ \vdots \\ 0 \end{bmatrix} \quad \leftarrow n_a+n_b+1 \rightarrow \quad V = \begin{bmatrix} 0 \\ \vdots \\ 0 \\ -1 \\ 0 \\ \vdots \\ 0 \end{bmatrix}$$

$$F = \begin{bmatrix} 00\ldots0 & & \\ 10\ldots0 & & \\ 010\ldots0 & 0 & 0 \\ \vdots & & \\ 0\ldots010 & & \\ & 00\ldots0 & \\ & 10\ldots0 & \\ 0 & 010\ldots0 & 0 \\ \vdots & & \\ 0\ldots010 & & \\ & 00\ldots0 & \\ & 10\ldots0 & \\ 0 & 0 & 010\ldots0 \\ & & \vdots \\ & & 0\ldots010 \end{bmatrix} \quad \theta = \begin{bmatrix} -a_1 \\ \vdots \\ -a_{n_a} \\ b_1 \\ \vdots \\ b_{n_b} \\ c_1 \\ \vdots \\ c_{n_c} \end{bmatrix} \quad H = I$$

This corresponds to a model structure (cf. sec. 2.1) of the form:

$$(1+A(q^{-1})) \cdot y(t) = B(q^{-1}) \cdot u(t-Td) + (1+C(q^{-1})) \cdot \varepsilon(t)$$

The algorithm is the same as equations (8.18) in [4] and has the following form:

$$X(t+1) = (F + (V + K) \cdot \hat{\theta}^T(t)) \cdot X(t) + B \cdot u(t - T_d) + K \cdot \varepsilon(t) \quad [2.6.7]$$

$$\varepsilon(t) = y(t) - \hat{\theta}^T(t) \cdot X(t) \quad [2.6.8]$$

$$\hat{\theta}(t+1) = \hat{\theta}(t) + L(t) \cdot \varepsilon(t) \quad [2.6.9]$$

$$L(t) = \left[P_2(t)^T \cdot \hat{\theta}(t) + P_3(t) \cdot X(t) \right] / S_t \quad [2.6.10]$$

$$S_t = X(t)^T \cdot P_3(t) \cdot X(t) + 2 \cdot \left[X(t)^T \cdot P_2(t)^T \cdot \hat{\theta}(t) \right] + 1 \quad [2.6.11]$$

$$P_2(t+1) = F \cdot P_2(t) + V \cdot \left[\hat{\theta}(t)^T \cdot P_2(t) + X(t)^T \cdot P_3(t) \right] \quad [2.6.12]$$

$$P_3(t+1) = P_3(t) - L(t) \cdot S_t \cdot L(t)^T - \delta \cdot P_3(t) \cdot P_3(t) \quad [2.6.13]$$

where δ is some small number, an adjustment to improve the stability and the convergence rate of the algorithm. See Parameter DELTA in sec. 5.3.4c.

Remark 2.6.1 - Stability check

Theorem 6.1 in [4] requires that θ is kept in a compact subset of the set:

$$S = \left[\theta \mid \text{the matrix } A(\theta) - K(\theta) \cdot C(\theta) \text{ is exp. stable} \right]$$

which, with the parametrization used here equals the requirement that the C parameters in θ have their roots inside the unit circle. It is therefore recommended that the user sets the parameter ISTAB to 1. See sec. 5.3.4d.

2.7 Accuracy

As already stated the aim is to use the general model structure (cf. sec. 2.1) to arrive at in some sense the "best" approximate description of a fairly complex system. In order to compare the results of identification experiments, the following measures of accuracy can be computed by the program. These are:

$$V_1 = V_1 = \frac{1}{n} \sum |e(t, \theta(t))|^2 \quad t = 1, \dots, n \quad [2.7.1]$$

$$V_2 = \frac{1}{n} \sum \left[\frac{e(t, \theta(t))}{\lambda(t) + \varphi(t+1)^T \cdot P(t) \cdot \varphi(t+1)} \right]^2 \quad [2.7.2]$$

The loss function V_1 expresses the variance of the one step prediction errors that will be obtained using the actual models $\theta(t)$. The same applies for the loss function V_2 except that it is based on the weighted one step prediction errors.

NB! Note that $V = n \cdot V_1$ and $WV = n \cdot V_2$ are declared as variables in the SIMNON sense and can therefore be viewed by using the command PLOT (or SHOW).

For the computation of the loss functions given below it is assumed that the first 100 pulse response coefficients (deterministic (h_d) resp. noise (h_n) parts) of the true system are known. The input-output sequence used may in that case have been generated as:

$$y(t) = \sum h_d(s) \cdot u(t-s) + \sum h_n(s) \cdot e(t-s)$$

or

$$y(t) = \frac{B}{(1+F)(1+A)} \cdot u(t) + \frac{1+C}{(1+D)(1+A)} \cdot e(t)$$

The loss functions:

$$VRS = V_3 = \frac{V_4}{\sum |h_d|^2} \quad V_4 = \sum |h_d - \hat{h}_d|^2$$

refer to the deterministic part of the system or the A, B and F polynomials and the accuracy is measured as the difference in pulse responses between the true (h_d) and the identified (\hat{h}_d) system. Note that VRS equals V_4 normalized by $\sum h_d^2$

The same applies for the loss functions:

$$VRN = V_5 = \frac{V_6}{\sum |h_n|^2} \quad V_6 = \sum |h_n - \hat{h}_n|^2$$

except that they refer to the noise part (the C,D and A polynomials).

Remark 2.7.1 - Printout of loss functions The loss functions are computed and written on the line printer at the end of every simulation if the parameter IHAT > 0, see sec. 5.3.4g.

Remark 2.7.2 - Plot pulse responses

The pulse responses \hat{h}_d and \hat{h}_n of the identified system can be placed on a file together with the true pulse responses h_d and h_n and plotted by the SHOW command. See parameter IFIGE in sec. 5.3.4g and the global variable name FNIM sec. 5.3.1.

Remark 2.7.3 - When making several runs with the same structure

When several runs are made (with the same model structure and method) in order to identify a given system, then the results can be placed on a file (FNST sec. 5.3.1), if the parameter IFIGE equals 2 or 3 see sec. 5.3.4g. The auxiliary programs STAT and VSTAT (subsystem AUXIL) can then be used to print and compute means, standard deviation, etc. cf. sec. 5.4.3 and 5.4.5.

Remark 2.7.4 - Series of identification experiments.

When a series of identification experiments have been made, it is possible to obtain a print-out of the loss functions VE, VRS and VRN in a tabular form to compare different structures or methods (prog. TAFLA sec. 5.4.6).

3 BASIC PROGRAM STRUCTURE

The program package consists of four subsystems as the reader already has seen in fig. 1. This section contains a short presentation of these and some supplementary notes.

The first subsystem, INPUT, can perform one of three alternatives at a time, namely:

- 1 Generate a sequence of independent random variables
- 2 Generate a pseudo random binary sequence
- 3 Read data from an IDPAC compatible data file cf. [16,17]

The last alternative can for instance be of use when performing recursive identification on data from a real process.

The second, SYSHG, simulates a single-input single-output linear discrete time system on a difference equation form (cf.sec. 2.1 and 5.2). This should suffice for most types of simulation but the user can of course implement his own, using the SIMNON simulation language, in case SYSHG is not adequate. By setting a parameter the subsystem can compute and create files with the pulse responses of the deterministic and the noise parts of the system. The pulse responses can then be used when evaluating the loss functions given in sec.2.7.

The third, IDHG, performs the identification and includes all the algorithms described in section 2 as well as the evaluation of the loss functions given in sec. 2.7. When IDHG is used to do a series of identification experiments on a system with known pulse responses but with different input/noise characteristics each time, the results can be placed on a file. By using the subsystem AUXIL (below) statistics of the results can then be computed.

The subsystem AUXIL is not a proper simulation subsystem but has been implemented to facilitate the inclusion of some programs which may come in handy from time to time in connection with identification experiments. The function of the programs is to:

- 1 Generate the pulse response of a transfer function, given poles and zeroes.
- 2 Generate an output sequence of a system, given the input sequence, the deterministic and the noise pulse responses and the signal to noise ratio.
- 3 Compute and print statistics on identification runs.
- 4 Convert a SIMNON data-file to an IDPAC compatible file.

When using the program package the systems must be connected together with a special CONNECTING SYSTEM as explained in the SIMNON manual. A list of useful CONNECTING SYSTEMS as well as a quick reference program guide is given in Appendix A.

The simulation subsystems are all implemented as discrete time systems written in FORTRAN. The user can easily implement his own subsystems either in the simulation language (e.g. continuous and/or nonlinear) as described in the SIMNON manual, or as a FORTRAN subsystem. In the latter case the programs are implemented into the program package by use of the utility programs CHAIN and ABS for the computer (PDP-15). This way the user creates his own version of the program package.

4 PROGRAM START-UP

The program package is available on DEC-tape 37.9 for the PDP-15 computer. The program is started up by the following sequence of commands:

```
$PIP
>T RK_DT1 SYSTEM XXX (D)
>T RK_DT1 SYSTEM XCT (B)
>T RK_RK <EXT> SIMNON XXX (D)
>T RK_RK <EXT> SIMNON XCT (B)
```

```
$A RK 3,5,7/RK <EXT> 4/NON 15,16
$BUFFS 6
$E SIMNON
```

Remark 4.1.1 - Integration of continuous systems.

Because of the program size the integration routine HAMPC, normally used in SIMNON, is not implemented. This means that whenever a continuous system is included in a SYST-command the command

```
>ALGOR RK
```

must be given before the simulation is started. It may also be necessary to decrease the error bound for the integration routine or choose the maximal time increment in the SIMU command appropriately cf. [15].

Remark 4.1.2 - Macros

The program package uses a special version of SIMNON, designed to simplify the inclusion of FORTRAN subsystems and provide more core memory for user programs. However, as a drawback, Macros that include the commands SIMU and SYST cannot be included.

5 DESCRIPTION OF SUBSYSTEMS

In this section a detailed description is given of the subsystems available, i.e. INPUT, SYSHG, IDHG and AUXIL, which together with the simulation examples in the next section should give a fairly good demonstration of how the program package can be used. Note that efficient use of the program package requires that the user is familiar with the description of the model structure and the algorithms, given in section 2.

There are eight global variables which are common to all systems, more or less, but as a rule need not be given any values since they are given default values by the program. The first five are concerned with print-out and the last three with .dat slot usage.

Global variable	Default value
IYEAR	0
MONTH	0
IDAY	0
ISIMN	0
IDOC	0
LUN1	5
LUN2	7
LUN3	3

If IDOC is set to one a documentation page will be written at the end of every simulation with the simulation number ISIMN, the given date and the values of all SIMNON declared parameters. IDOC=2 will inhibit printout of loss functions at the end of simulations. This is appropriate when doing several identification runs where the results are written onto files. Each time the command SIMU is given (without -CONT) one is added to ISIMN. If the ASSIGN command

```
$A RK 3,5,7/RK <EXT> 4/NON 15,16
```

given at the start-up is changed it is necessary to give the appropriate values to LUN1, LUN2 and LUN3 or a terminal error will result. In the examples given the computer printout on the terminal will be underlined.

5.1 SUBSYSTEM INPUT

The subsystem INPUT can perform one of three alternatives at a time depending on the value of the parameter NTYP.

NTYP: 1 Generate a sequence of independent random variables
 : 2 Generate a Pseudo Random Binary Sequence
 : 3 Read one or two values from a data-file at each sampling event.

5.1.1 GLOBAL VARIABLE

FILN This global variable defines the name of the data file from which data is to be read and must be set before the command SIMU is given if the subsystem is to be used to read data files.

NB! When the system INPUT is used to read data files the command SIMU -CONT cannot be used.

Example 5.1.1:

The command LET FILN.=FDATA (Max 5 characters) should be given when the name of the data file to be read is FDATA.BIN.

5.1.2 OUTPUTS

E Par NTYP = 1 gives E as a sequence of independent random $N(0,\sigma)$ variables

PRBS Par NTYP=2 gives PRBS as a Pseudo Random Binary Sequence

U1 Par NTYP=3 gives U1 as the value read from column no. NC1 in the data file FILN and if NC2>0, U2 as the value read from column no. NC2

NB! The Outputs are zero except for the right value of NTYP e.g. The output PRBS is zero for NTYP=3

5.1.3 PARAMETERS

a)
 NTYP To decide the type of active output
 See above Default value :0

b)
 IODD Parameters that define the output E
 Starting value for the random number generator.
 An odd number must be chosen. Default value: 95

SD: σ The standard deviation of the random variables.
 Default value: 1.

c)
 IBP Parameters defining the output PRBS
 Basic period Default value: 1

NBIT Number of bits in the shift register. Range
 (3,17) Default value : 7

AMP The Amplitude of the PRBS output-signal.
 Default value: 1.

KNEP : 1 FOA-Knep
 : 2 No Knep (Default)

ISTAR Specifies a starting point in the sequence
 1, 2, 3, 4 Default value: 1

d)
 NC1 Parameters defining the outputs U1 and U2
 The column number in the data file from where the
 output U1 is to be read. Default value: 1

NC2 The column number in the data file from where the
 output U2 is to be read. Default value: 0

NB! The output U2 is zero for NC2=0

e)
 DT The sampling period
 Default value: 1.

Example 5.1.2:

To generate a sequence of random variables $N(0,2)$, of length 1000 the following parameters are set:

```
>PAR NTYP:1
>SD:2
>SIMU 0 1000
```

Notice that all other parameters except NODD are redundant. To get another sequence than the one given by the default value for NODD, then NODD is set to some odd value e.g.

```
>PAR NODD:29
>SIMU
```

Example 5.1.3:

To generate a Pseudo Random Binary sequence, length 2110, which is to be stored on file for later use in an identification experiment the following parameters are set:

```
>PAR NTYP:2
>PAR IBP:4
>PAR NBIT:10
>STORE PRBS
>SIMU O 2110/PRBSU
```

In this case IBP is set to 4, which means that the shift register with feedback used to generate the sequence is clocked each 4:th sampling interval to obtain a more slowly changing signal than the signal obtained by the default value for IBP. NBIT which specifies the length of the shift register is set to 10. That means that the output sequence repeats itself after $2^{10} - 1$ clock instants. Here after $(2^{10} - 1) \cdot 4$ sampling events. To get another starting point in the periodic sequence the parameter ISTART can be set to 2,3 or 4. When KNEP:1 then the output is complemented by a flip-flop if the original sequence was negative. This gives a sequence with a asymptotically zero mean value, which the standard PRBS-signal has not. The global variable IDOC was set to 1 which gave the documentation below:

DOCUMENTATION

SIMU. NO: 2
DATE : 1980- 6-11

SYSTEM INPUT:

NTYP = 2	NBIT = 10	NC1 = 1
IODD = 95	KNEP = 0	NC2 = 0
SD = 1.00000	ISTAR= 1	FILN =
DT = 1.00000	IBP = 4	
	AMP = 1.00000	

Example 5.1.4

To read columns 1 and 4 of a data file named FDATA.BIN the following commands are given:

```
>LET FILN.=FDATA
>PAR NTYP:3
>,NC2:4
>SIMU
```

Notice that the default value for NC1 is used. U1 now get the value read from column no. 1 and U2 the value from column no. 4.

5.2 SUBSYSTEM SYSHG

The subsystem SYSHG simulates a single-input, single-output difference equation of a general structure (cf. sec. 2.1 as well)

$$(1+A(q^{-1})) \cdot y_1(t) = \frac{B(q^{-1})}{1+F(q^{-1})} \cdot u(t-T_d) + \frac{1+C(q^{-1})}{1+D(q^{-1})} \cdot e(t) \quad [5.2.1]$$

$$y(t) = y_1(t) + y_c \quad [5.2.2]$$

where A, F, B, D and C are polynomials in q^{-1} (the backward shift operator) of orders n_a , n_f , n_b , n_d and n_c respectively. The polynomials are such that $A(0)=0$, $F(0)=0$ etc. and $e(t)$ is a sequence of independent random $N(0,\lambda)$ variables. y_c is a constant added to the output. As shown in sec. 2.1 the system can also be written as:

$$y(t) = \theta^T(t) \cdot \varphi(t) + e(t) + y_c \quad [5.2.3]$$

5.2.1 GLOBAL VARIABLES

FNRS These global variables define the names of the data files onto which the pulse responses of the deterministic (FNRS) and the noise part (FNRN) of the system are written. These variables must be set before the command SIMU is given if the parameter NIMR = 1. (cf. sec. 2.7)

5.2.2 INPUT

U:=u(t-Td) This is the input signal in the difference equation [5.2.1]

5.2.3 OUTPUT

Y:=y(t) This is the output signal from the difference equation [5.2.2] / [5.2.3].

5.2.4 PARAMETERS

a) To define the system structure
NAS:n_a These are the orders of the A, F, B, D and the C
NFS:n_f polynomials respectively.
NBS:n_b
NDS:n_d
NCS:n_c Default values: 0
KDS:Td The number of time delays Default value: 0

NB! The sum NPAR = NAS + NFS + NBS + NDS + NCS must
not exceed 30, i.e. NPAR ≤ 30.

b) The Parameters of the system
YLEV:yc A constant added to the output of the system.
Default value: 0.

THS1 The parameter vector θ (cf. eqs. [2.1.5]/[5.2.3])
THS2
·
·
·
THS30 Default values: 0

NB! When using the SIMNON commands SAVE and GET
observe that SIMNON stores PAR and INIT values on
source files in a manner that only the four most
significant digits are stored. This may cause a
stable system to become unstable if the THS para-
meters were given more accurate values.

c) Other parameters
NODD Starting value for the number generator, an odd
number must be chosen. Default value: 19

LAMB:λ The standard deviation of the random variables
Default value: 1

NIMR To decide whether pulse responses are to be
computed or not.
NIMR=1 Computed
NIMR≠1 Not computed (Default)

DT The sampling period. Default value: 1.

Example 5.2.1:

To simulate a system described by the following difference equation:

$$(1-q^{-1}+0.5q^{-2}) \cdot y(t) = \frac{q^{-1}-0.9q^{-2}}{1-1.6q^{-1}+0.7q^{-2}} \cdot u(t-1) + (1-q^{-1}+0.2q^{-2}) \cdot e(t)$$

requires the following parameters to be set:

```
>PAR NAS:2      "order of A-polynomial
>,NFS:2         " -   - F   -
>,NBS:2         " -   - B   -
>,NCS:2         " -   - C   -
>,KD:1          "the time delay
>,THS1:-1.0    " a1
>,THS2:0.5     " a2
>,THS3:-1.6    " f1
>,THS4:0.7     " f2
>,THS5:1.0     " b1
>,THS6:-0.9    " b2
>,THS7:-1.0    " c1
>,THS8:0.2     " c2
>SIMU
```

5.3 SUBSYSTEM IDHG

The subsystem IDHG performs recursive identification using linear discrete time stochastic models. The user should refer to sec. 2 for information on the identification methods and algorithms. Implemented in the program are all the methods described there and an algorithm (KJADMH) implemented by I.Gustavsson not reviewed in this paper.

5.3.1 GLOBAL VARIABLES

FNRS	These global variables define the names of the data files containing the reference system (FNRS) pulse response and the reference noise (FNRN) pulse response to which the program must have access to in order to perform the accuracy computations described in sec. 2.7.
FNRN	
NB!	These variables must be set before the command SIMU is given if the parameters IHAT or IFIGE are greater than zero. Cf. IHAT and IFIGE.

FNIM This global variable defines the name of a file onto which the pulse responses of the reference and the identified system/noise are written. The pulse responses can be viewed by giving the command SHOW RS IS RN IN/<file name>, where RS,IS stand for reference resp. identified system or deterministic part and RN, IN for reference resp. identified noise part.

NB! This variable must be set before the command SIMU is given if the parameter IFIGE equals 1 or 3.

FNST This global variable defines the name of a file onto which the parameter estimates and the accuracy results are written. If the named file is not present on disc when the command SIMU is given then a file with this name is created. All necessary information concerning the identification run is written at the top of the file i.e. SIMNON parameters, the simulation time, the names of FNRS and FNRN. Then data for this particular run i.e. the simulation number, the given date followed by the parameter estimates and the values of the loss functions at the sampling events decided by the parameters IHAT and IHATN. If the named file is present then the actual SIMNON parameters etc. are compared against the file head. When discrepancy occurs an error message is given if not then the results from the present run are added to the file.

NB! This variable must be set before the command SIMU is given if the parameter IFIGE equals 2 or 3.

5.3.2 INPUTS

Y The output of the system to be identified.
U The input to the system to be identified.

5.3.3 OUTPUTS

TH1 The vector of parameter estimates.
TH2
 .
 .
 .
TH10

5.3.4 PARAMETERS

a) **Identification_Method**

METOD	:1 LIP-Approach SA-Version
	:2 CMA-Approach SA-Version
	:3 LIP-Approach
	:4 CMA-Approach
	:5 The Instrumental Variables Method
	:6 The KJADMH-Algorithm
	:7 The Extended Kalman Filter Algorithm
	:0 Default

b) **Model_Structure**

NA:=n _a	The order of the A-Polynomial cf. eq. [2.1.1]
NF:=n _f	- - - - F - - -
NB:=n _b	- - - - B - - -
ND:=n _d	- - - - D - - -
NC:=n _c	- - - - C - - -

Default values: 0

KD:Td The time delay Default value: 0

c) **Algorithm_parameters**

WTI:=λ(0)	The initial value for the forgetting profile Default value: 1
WTO:=λ _k	The forgetting profile parameter. Default value: 1
DELTA:=δ	An adjustment to improve the stability of algorithms. Default value: 0
R1:Rii	A vector containing the diagonal elements of the parameter noise. Default values: 0

d) **Special_feature_parameters**

IPRER	Parameter to decide whether an a priori or an a posteriori estimate of the residual is to be used.
	: 0 The a priori estimate (default)
	: 1 The a posteriori estimate
RLIM	parameter to decide whether the residuals are to be limited or not
	< 0 No limitation (default)
	: R If ε >R then ε = sign(ε)·R 1 1
IFIST	a) if METOD: 2 or 4 Default value: 0 The number of steps in the start-up of the CMA-Approach for which the filtering according to equations [2.4.5]-[2.4.7] is omitted.

b) if METOD: 5
 If IFIST > 0 then the algorithm is started up by Using the least squares estimates for IFIST number of steps.

ISTAB Parameter to decide whether a stability check is made of the F and C polynomials or not.cf.[2.1.1]
 :0 No stability check (default)
 :1 The stability of the F and C polynomials is checked. If unstable, the parameter vector is adjusted halfway towards the last value and stability checked again. This is repeated until the polynomial has all zeros inside the unit circle.
 :2 The stability of the F and C polynomials is checked. If unstable, then the polynomial is factored to give a polynomial with zeros inside the unit circle by using a spectral factorization subroutine.

INVAU Parameter to decide whether to use the old input signals as the instrumental variables or to define them as in equations [2.5.7]-[2.5.8]
 ≤0 Defined as in [2.5.7]-[2.5.8] (Default)
 ≥0 Old input signals.

e) Initial Values

TH0:θ(0) Vector of initial parameter estimates
 Default values: 0.0

P0:Pii(0) Vector containing the initial values of the diagonal elements of the covariance matrix P
 Default values: 100.0

f) Print-out control parameters during simulation

IWRT Default value: -5
 IWRT1 Default value: 0
 IWRTN Default value: 100

IWRT≤0 No print-out
 =1 A print out of the sampling time and the parameter estimate (θ -vector) is obtained on the line printer for the IWRT1 first sampling events and then every IWRTN:th sampling event thereafter
 =2 Same as for IWRT=1 plus the insignals U and Y, the residual ϵ and the weighted residual $w\epsilon$. Cf. sec. 2.7
 =3 Same as for IWRT=2 plus the covariance matrix P

=4 Same as for IWRT=3 plus the φ -vector, the ψ -vector (CMA), the z-vector (IV).

=5 Same as for IWRT=4 plus the S-matrix which contains old signal values as follows:

$$S = \begin{bmatrix} -y(t-1), -y(t-2) \\ -z(t-1), -z(t-2) \\ u(t-1), u(t-2) \\ -v(t-1), -v(t-2) \\ \epsilon(t-1), \epsilon(t-2) \end{bmatrix}$$

IWRT=6 Same as for IWRT=5 plus the TEE-matrix which contains old filtered signal values as follows:

$$\text{TEE} = \begin{bmatrix} \psi_y(t-1), \psi_y(t-2) \\ \psi_z(t-1), \psi_z(t-2) \\ \psi_u(t-1), \psi_u(t-2) \\ \psi_v(t-1), \psi_v(t-2) \\ \psi_\epsilon(t-1), \psi_\epsilon(t-2) \end{bmatrix}$$

g) Accuracy

IHAT Parameters that control whether the loss functions in section 2.7 are computed or not.

IHAT<0 Not computed (Default)

IHAT≥0 The loss functions are computed for ISAMP=IHAT and every IHATN:th sampling event. The results are printed on the line printer at the end of the simulation, except when IHAT=0 or when the global variable IDOC=2

IFIGE Controls which files are to be generated by IDHG.

=0 No files generated (default)

=1 A file with the name assigned to the global variable FNIM is generated containing the reference and the identified pulse responses.

Column 1: The reference system pulse response

- 2: - identified - - -

- 3: - reference noise - - -

- 4: - identified - - -

The command SHOW RS IS RN IN/< file name > plots the pulse responses.

=2 A file with the name assigned to the global variable FNST is generated (or written onto if present on disc) containing the sampling times when accuracy computations were made (cf.sec.2.7) the results of these as well as the actual parameter estimates. The programs in the

Subsystem AUXIL can then be used to compute means and standard deviations for any number of simulations.

=3 Same as for IFIGE=1 and IFIGE=2

NB! The global variables FNRS and FNRN must be set before the command SIMU is given if IHAT>0 or or IFIGE>0, the global variable FNIM if IFIGE eq. 1 or 3 and the global variable FNST if IFIGE eq. 2 or 3.

h) Sampling_period/time
 DT The sampling period (default value: 1.0)
 TS The sampling time

5.3.5 VARIABLES

RES: ϵ The residual from the estimation algorithms.
 WRES:w ϵ The weighted residual $w\epsilon = \epsilon / (\lambda + \phi^T P \phi)$
 V The loss function $V = \sum \epsilon^2$
 WV The loss function $WV = \sum w\epsilon^2$

Example 5.3.1:

The file SDATA.BIN contains an input sequence to a system-process in column 1 and 10 different output sequences in columns 2 - 11 (cf. sec. 5.4.1-5.4.2 and 6.1 on how SDATA was generated). This systems pulse responses are available on files SIMPU.BIN (deterministic) and NIMPU.BIN (noise). The model structure to be used for the identification is:

$$y(t) = \frac{B}{1+F} u(t) + \frac{1+C}{1+D} \epsilon(t)$$

where $n = n = n = n = 2$ and the identification method the CMA-approach (cf. sec. 2.4) where the filtering according to equations [2.4.5]-[2.4.7] is to be omitted for the first 75 steps. The loss functions are to be evaluated for ISAMP = 100, 500, 1000, 1500, 2000. The identified pulse responses are to be plotted after the simulation.

This requires that the subsystem INPUT is used to read the data file SDATA.BIN and connected to IDHG by using the CONNECTING SYSTEM TENG2 (Appendix A). The sequence of commands given below illustrate how this simulation was run.

```
>SYST INPUT IDHG TENG2      "
>LET IDOC=1                 " Documentation page
>,FILN.=SDATA              "
>,FNRS.=SIMPU               " Ref. determ. pulse response
>,FNRN.=NIMPU               " - noise -
>,FNIM.=TIFIS                " Identified pulse responses
>PAR NTYP:3                  "
>,NC2:7                      " Column 7 in SDATA
>,METOD:4                    " The CMA-approach
>,NF:2                        " Model
>,NB:2                        "
>,ND:2                        "
>,NC:2                        "
>,IPRER:1                     " The à posteriori estimate of ε
>,IFIST:75                   " Filtering starts at ISAMP=75
>,ISTAB:1                     " Check stability of F and C pol.
>,IHAT:100                    " Default IHATN is used.
>,IFIQE:1                     " Generate the file TIFIS (FNIM)
>SIMU 1 2000
```

At the end of the simulation the program prints a documentation page and the values of the loss functions which is shown below. The pulse responses can then be viewed by the commands:

```
>SHOW RS IS/TIFIS
>SHOW RN IN/TIFIS
```

DOCUMENTATION

SIMU. NO: 1
DATE : 0-0-0

SYSTEM INPUT:

NTYP =	3	NBIT =	7	NC1 =	1
IODD =	95	KNEP =	0	NC2 =	7
SD =	1.00000	ISTAR=	1	FILN =	SDATA
DT =	1.00000	IBP =	1		
		AMP =	1.00000		

SYSTEM IDHG:

IDENTIFICATION METHOD: 4 CMA

NA =	0	IPRER=	1	IWRIT =	-4
NF =	2	IFIST=	75	IWRIT1=	0
NB =	2	ISTAB=	1	IWRITN=	100
ND =	2	INVAU=	0	IHAT =	100
NC =	2	NFST =	0	IHATN=	500
KD =	0			IFIGE=	1
WTI =	1.00000	PFST =	100.000	FNRS =	SIMPU
WTO =	1.00000	RKJ =	0.000000	FNRN =	NIMPU
RLIM =	-1.00000	DT =	1.00000	FNIM =	TIFIS
DELTA=	0.000000			FNST =	
TH(1) =	-1.59478	THO(1) =	0.000000	PO(1) =	100.000
TH(2) =	0.673481	THO(2) =	0.000000	PO(2) =	100.000
TH(3) =	0.762903E-01	THO(3) =	0.000000	PO(3) =	100.000
TH(4) =	0.372319E-01	THO(4) =	0.000000	PO(4) =	100.000
TH(5) =	-1.40728	THO(5) =	0.000000	PO(5) =	100.000
TH(6) =	0.459908	THO(6) =	0.000000	PO(6) =	100.000
TH(7) =	-0.809378	THO(7) =	0.000000	PO(7) =	100.000
TH(8) =	0.221173	THO(8) =	0.000000	PO(8) =	100.000
R1(1) =	0.000000				
R1(2) =	0.000000				
R1(3) =	0.000000				
R1(4) =	0.000000				
R1(5) =	0.000000				
R1(6) =	0.000000				
R1(7) =	0.000000				
R1(8) =	0.000000				

ACCURACY

0 - 0 - 0

SIMULATION NO: 1

$$V = \text{SUM}[\text{HR}(1)-\text{HI}(1)]^2 \quad VN = V/\text{SUM}[\text{HR}(1)]^2 \quad i=1,100$$

ISAMP	E[RES]	VE = $\frac{V_1}{2}$		VRN = $\frac{V_3}{V_2}$		VRN = $\frac{V_5}{V_4}$		VRN = $\frac{V_7}{V_6}$		VRN = $\frac{V_9}{V_8}$	
		E[WRES]	V[NNOISE]	V[NNOISE]	V[NNOISE]	V[NNOISE]	V[NNOISE]	V[NNOISE]	V[NNOISE]	V[NNOISE]	V[NNOISE]
100	0.420249E-01	0.369927E-01	0.357327E-01	0.147233	4.39415	1.58595					
500	0.336632E-01	0.315461E-01	0.543627E-02	0.223995E-01	0.376417	0.135857					
1000	0.330492E-01	0.317992E-01	0.480495E-02	0.197982E-01	0.768192E-01	0.277258E-01					
1500	0.320889E-01	0.311778E-01	0.506125E-02	0.208543E-01	0.177486	0.640588E-01					
2000	0.323713E-01	0.316550E-01	0.543533E-02	0.223956E-01	0.884296E-01	0.319162E-01					

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5.4 SUBSYSTEM AUXIL

The subsystem AUXIL is not a proper simulation subsystem in the SIMNON sense but it has been implemented to facilitate the inclusion of some programs which may come in handy from time to time in connection with identification experiments. It has but one parameter, to decide which program is to be called. Common to all the programs is that they operate in question and answer form via the Terminal.

ISUB	Parameter	(default value: 0)
:1	Call GENHG	
:2	- SIMHG	
:3	- STAT	
:4	- FILCON	
:5	- VSTAT	
:6	- TAFLA	

5.4.1 Program GENHG

By choosing poles and zeroes for a transfer function of the form:

$$y(t) = \frac{1 + b_1q^{-1} + b_2q^{-2} + \dots + b_nq^{-n}}{1 + f_1q^{-1} + f_2q^{-2} + \dots + f_mq^{-m}} \cdot u(t-1+ITYP)$$

the program computes the first 100 impulse response coefficients and places them on a file. If ITYP=0 (TYP=ONE BELOW) then the numerator is divided by the steady state gain to get a transfer function with a steady state gain equal to 1. The use of the program is best described by the following example.

Example 5.4.1:

```

>SYST AUXIL
>PAR ISUB:1
>SIMU 0 1

PROGRAM_GENHG: GENERATION_OF_IMPULSE_RESPONSES
TYP=STOP : STOP
TYP=ONE : ONE_TIME_DELAY_IN_THE_NUMERATOR
TYP=NO : NO_TIME_DELAY

TYP=NO
READ_POLES

```

```

T=STOP : NO MORE POLES
T=R : A REAL POLE
T=C : COMPLEX POLES
T=R
REAL_POLE_____=0.92
T=R
REAL_POLE_____=0.75
T=C
REAL_PART_____=0.8
IMAGINARY_PART_=0.2
T=STOP

READ_ZEROS
T=STOP : NO MORE ZEROS
T=R : A REAL ZERO
T=C : COMPLEX ZEROS
T=R
REAL_ZERO_____=0.5
T=R
REAL_ZERO_____=0.7
T=C
REAL_PART_____=0.75
IMAGINARY_PART_=0.1
T=STOP

FILE_NAME_FOR_COEFFICIENTS_OF_IMPULSE_RESPONSE:
IF FILE_NAME=STOP THEN NO FILE IS GENERATED

FILE_NAME=IMPU

```

The program then gives a documentation page on the line printer. The print-out is given in sec. 6.1. The pulse response can be plotted by giving the command SHOW ONE/<file name> (NO/<file name> if NO was given as an answer at the start).

5.4.2 Program SIMHG

SIMHG is a program for simulation using impulse response model i.e. given the system impulse response coefficients h_d , the noise impulse coefficients h_n , an insignal $u(t)$ (on file), an odd number for the random number generator and SNR the signal to noise ratio, the program computes the output of the equation given below and places it on a file.

$$y(t) = \sum_d h_d(s) \cdot u(t-s) + k \cdot \sum_n h_n(s) \cdot e(t-s)$$

$$= YS(t) + k \cdot YN(t)$$

where $k = \sqrt{\frac{\text{Var}(YS)}{\text{Var}(YN) \cdot \text{SNR}}}$

The insignal file must contain at least 2101 data points. The file generated by SIMHG is an IDPAC compatible data file and contains 2001 data points with the insignal in column 1 and the output signal in column 2. If more than one odd numbers is given the successive output signals are placed in columns 2, 3,...etc. Max 10 output signals are possible.

Example 5.4.2:

```

>SYST AUXIL
>PAR ISUB:2
>SIMU 0 1

PROGRAM SIMHG

PROGRAM FOR SIMULATION USING IMPULSE RESPONSE MODEL

FILE NAME FOR COEFFICIENTS OF SYSTEM IMPULSE RESPONSE
FILE NAME = SIMPU

FILE NAME FOR COEFFICIENTS OF NOISE IMPULSE RESPONSE
FILE NAME = NIMPU

FILE NAME WITH INPUT DATA = UPRBS

COLUMN NR. OF INPUT DATA IN UPRBS
NCOL = 1

ODD NUMBER FOR THE NOISE GENERATOR
ONE NUMBER FOR EACH SIMULATION, AND A NEGATIVE NUMBER
TO STOP

KODD = 7
    . The last 4 lines are repeated for
    . KODD = 17, 27, 37, 47, 57, 67, 77, 87, 97

DESIRED SIGNAL TO NOISE RATIO
SNR = 10.0

FILE NAME FOR THE GENERATED DATA = SDATA

```

This set of data was used in simulations reported in sec. 6 where the documentation printed by the program is given.

5.4.3 Program STAT

STAT computes the means and the standard deviations of the parameter estimates and the loss functions which the subsystem IDHG has placed on file FNST.

Example 5.4.3

```
>SYST AUXIL
>PAR ISUB:3
>SIMU 0 1

PROGRAM_STAT

IF FILE_NAME = STOP : STOP
PRESS RETURN

FILE_NAME = M5311
```

The results are printed on the line printer and an example is given in Appendix B.

5.4.4 Program FILCON

In order to make use of the powerful IDPAC program package a program to convert SIMNON data files to IDPAC format is included. The use is best illustrated by an example:

Example 5.4.4:

In example 5.1.2 a PRBS sequence was generated to be used as an input signal for simulation by SIMHG. Here the file is converted to IDPAC format:

```
>SYST AUXIL
>PAR ISUB:4
>SIMU

PROGRAM_FILCON
INPUT_FILE_NAME = STOP : STOP
PRESS RETURN
```

```

INPUT_FILE_NAME = PRBSU
OUTPUT_FILE_NAME = UPRBS
SAMPLE_INTERVAL = 1.0
INPUT_FILE_HEAD:
100000 2 1 0 0 0 0 0 0 0 1
VARIABLES_IN_INPUT_FILE
PRBS
NUMBER_OF_DATA_RECORDS_IN_INPUT_FILE : 4221
DELETE_TIME_COLUMN : YES
DO YOU WANT THE INPUT FILE DELETED : YES
INPUT_FILE_NAME = STOP
≥

```

5.4.5 Program VSTAT

This program prints the results from identification experiments, i.e. the means and standard deviations of the loss functions, again best described by an example.

Example 5.4.5

```

>SYST AUXIL
>PAR ISUB:5
>SIMU 0 1

```

PROGRAM_VSTAT

```

IF_FILE_NAME = STOP : STOP
PRESS RETURN

FILE_NAME = M5311

PRINT-OUT_FOR_ISAMP = IHAT, IHATN, N*KH*IHATN
N = 1,2,.....
KH = 4

FILE_NAME = STOP
≥

```

The results computed by VSTAT and a listing of the results

from the simulation runs contained in the file M5311 is given in Appendix B.

5.4.6 Program TAFLA

In order to compare different structures the program TAFLA can be used to print the mean, standard deviation, minimum and maximum of the loss functions VE, VRS and VRN in a tabular form.

Example 5.4.6:

```
>SYST AUXIL
>PAR ISUB:6
>SIMU 0 1

PROGRAM_TAFLA:
IF FILE NAME = STOP : STOP
IF FILE NAME = ENDFI : PRINT TAFLA
IF FILE NAME = NEWTS : NEW TSAMP
PRESS RETURN

FILE NAME = M1310
ISAMP = 100
FILE NAME = M2310
.
.
.
FILE NAME = MA3X1
FILE NAME = ENDFI
```

The result is given at the beginning of appendix C.

6 SIMULATIONS

This section contains a report on a series of identification experiments designed so as to test the assumption made in section 2 that the general model structure would lead to a "better" description than commonly used model structures. This is of special interest when the system under observation is of a complex nature and the goal is to describe its most relevant features. The system used to generate the input-output sequences is described in sec. 6.1. A list of the model structures tried for the identification is given in sec. 6.2, where the number of parameters estimated is in all cases 8. This means that the amount of computing work is roughly the same for all structures. The results of the simulations are presented in sec. 6.3.

6.1 The "process/system"

The process/system that generated the data used for the identification was of the form:

$$\begin{aligned} y(t) &= G(q^{-1}) \cdot u(t) + k \cdot H(q^{-1}) \cdot e(t) \\ &= \sum h_d(s) \cdot u(t-s) + k \cdot \sum h_n(s) \cdot e(t-s) \\ &= Y_S(t) + k \cdot Y_N(t) \end{aligned}$$

where $u(t)$ was a Pseudo Random Binary Sequence generated as in example 5.1.2 (cf. also 5.4.4). The noise $e(t)$ was generated by a random number generator giving a normally distributed sequence with a mean of zero and variance of one.

The functions G and H were chosen to be of a relatively higher order than the models tried for the identification. By choosing poles and zeroes for G and H the program GENHG (sec. 5.4.1) was used to compute the transfer functions and the pulse responses which in turn were used by the program SIMHG (sec. 5.4.2) to simulate the data. Ten different sequences were generated where the input signal was the same in all cases but with a different starting number for the noise generator for each output sequence. The signal to noise ratio was in all cases equal to 10, here defined as:

Var(YS)
 SNR = -----
 Var(k-YN)

Below follows the documentation printed by the programs
 SIMHG and GENHG.

PROGRAM SIMHG

PROGRAM FOR SIMULATION USING IMPULSE RESPONSE MODEL

FILE NAME SYSTEM RESPONSE : SIMPU
 FILE NAME NOISE RESPONSE : NIMPU
 FILE NAME INPUT DATA : UPRBS
 COLUMN NR. INPUT FILE : 1

FILE NAME GENERATED DATA : SDATA	
COL 1: INPUT SIGNAL	KODD = 7
COL 2: OUTPUT SIGNAL	KODD = 17
COL 3: OUTPUT SIGNAL	KODD = 27
COL 4: OUTPUT SIGNAL	KODD = 37
COL 5: OUTPUT SIGNAL	KODD = 47
COL 6: OUTPUT SIGNAL	KODD = 57
COL 7: OUTPUT SIGNAL	KODD = 67
COL 8: OUTPUT SIGNAL	KODD = 77
COL 9: OUTPUT SIGNAL	KODD = 87
COL 10: OUTPUT SIGNAL	KODD = 97
COL 11: OUTPUT SIGNAL	
SIGNAL TO NOISE RATIO : 10,0000	

PROGRAM GENHG:

ONE TIME DELAY

REAL POLE = 0.40000
 REAL POLE = 0.80000
 REAL POLE = 0.90000
 COMPLEX POLES = 0.80000 +/- 0.15000
 COMPLEX POLES = 0.70000 +/- 0.25000
 REAL ZERO = -0.50000
 REAL ZERO = 0.95000
 COMPLEX ZEROS = 0.60000 +/- 0.20000
 COMPLEX ZEROS = 0.70000 +/- 0.10000

NUMERATOR POLYNOMIAL:

0.762501D-01 -0.232563D+00 0.249719D+00 -0.828076D-01 -0.383919D-01
 0.351513D-01 -0.724376D-02

DENOMINATOR POLYNOMIAL:

0.100000D+01 -0.510000D+01 0.111550D+02 -0.135550D+02 0.987118D+01
 -0.429981D+01 0.103416D+01 -0.105417D+00

IMPULSE RESPONSE COEFFICIENTS:

0	0.000000	25	-0.186160E-01	50	-0.118738E-02	75	-0.854672E-04
1	0.762501E-01	26	-0.165102E-01	51	-0.107248E-02	76	-0.769398E-04
2	0.156313	27	-0.145944E-01	52	-0.967970E-03	77	-0.692650E-04
3	0.196344	28	-0.128755E-01	53	-0.873012E-03	78	-0.623566E-04
4	0.208449	29	-0.113497E-01	54	-0.786849E-03	79	-0.561375E-04
5	0.200619	30	-0.100066E-01	55	-0.708774E-03	80	-0.505384E-04
6	0.179376	31	-0.883161E-02	56	-0.638123E-03	81	-0.454972E-04
7	0.150303	32	-0.780817E-02	57	-0.574273E-03	82	-0.409583E-04
8	0.117990	33	-0.691921E-02	58	-0.516640E-03	83	-0.368716E-04
9	0.859282E-01	34	-0.614799E-02	59	-0.464675E-03	84	-0.331922E-04
10	0.565161E-01	35	-0.547869E-02	60	-0.417863E-03	85	-0.298794E-04
11	0.311701E-01	36	-0.489684E-02	61	-0.375729E-03	86	-0.268968E-04
12	0.105080E-01	37	-0.438951E-02	62	-0.337829E-03	87	-0.242117E-04
13	-0.544246E-02	38	-0.394533E-02	63	-0.303754E-03	88	-0.217943E-04
14	-0.170443E-01	39	-0.355455E-02	64	-0.273130E-03	89	-0.196181E-04
15	-0.248818E-01	40	-0.320889E-02	65	-0.245615E-03	90	-0.176590E-04
16	-0.296298E-01	41	-0.290145E-02	66	-0.220894E-03	91	-0.158953E-04
17	-0.319619E-01	42	-0.262652E-02	67	-0.198686E-03	92	-0.143077E-04
18	-0.324934E-01	43	-0.237944E-02	68	-0.178733E-03	93	-0.128785E-04
19	-0.317517E-01	44	-0.215643E-02	69	-0.160804E-03	94	-0.115919E-04
20	-0.301661E-01	45	-0.195445E-02	70	-0.144692E-03	95	-0.104338E-04
21	-0.280711E-01	46	-0.177101E-02	71	-0.130209E-03	96	-0.939126E-05
22	-0.257166E-01	47	-0.160411E-02	72	-0.117187E-03	97	-0.845280E-05
23	-0.232817E-01	48	-0.145209E-02	73	-0.105477E-03	98	-0.760802E-05
24	-0.208886E-01	49	-0.131358E-02	74	-0.949437E-04	99	-0.684760E-05

FILE NAME: IMPUS → SIMPLU



Filecon:

PROGRAM GENHG:

NO TIME DELAY
 REAL POLE = 0.92000
 REAL POLE = 0.75000
 COMPLEX POLES = 0.80000 +/- 0.20000
 REAL ZERO = 0.50000
 REAL ZERO = 0.70000
 COMPLEX ZEROS = 0.75000 +/- 0.10000

NUMERATOR POLYNOMIAL:
 0.100000D+01 -0.270000D+01 0.272250D+01 -0.121200D+01 0.200375D+00

DENOMINATOR POLYNOMIAL:
 0.100000D+01 -0.327000D+01 0.404200D+01 -0.223960D+01 0.469200D+00

IMPULSE RESPONSE COEFFICIENTS:

0	1.00000	25	0.535218E-01	50	0.653868E-02	75	0.812604E-03
1	0.570000	26	0.496431E-01	51	0.601943E-02	76	0.747631E-03
2	0.544400	27	0.458915E-01	52	0.554024E-02	77	0.687843E-03
3	0.503848	28	0.422980E-01	53	0.509818E-02	78	0.632829E-03
4	0.454865	29	0.388893E-01	54	0.469059E-02	79	0.582209E-03
5	0.402650	30	0.356855E-01	55	0.431496E-02	80	0.535632E-03
6	0.351085	31	0.326993E-01	56	0.396899E-02	81	0.492778E-03
7	0.302849	32	0.299364E-01	57	0.365048E-02	82	0.453350E-03
8	0.259581	33	0.273956E-01	58	0.335739E-02	83	0.417075E-03
9	0.222081	34	0.250704E-01	59	0.308778E-02	84	0.383702E-03
10	0.190512	35	0.229505E-01	60	0.283985E-02	85	0.352999E-03
11	0.164581	36	0.210223E-01	61	0.261191E-02	86	0.324753E-03
12	0.143710	37	0.192709E-01	62	0.240235E-02	87	0.298768E-03
13	0.127163	38	0.176804E-01	63	0.220972E-02	88	0.274863E-03
14	0.114157	39	0.162353E-01	64	0.203264E-02	89	0.252872E-03
15	0.103931	40	0.149205E-01	65	0.186985E-02	90	0.232640E-03
16	0.957967E-01	41	0.137223E-01	66	0.172018E-02	91	0.214028E-03
17	0.891683E-01	42	0.126279E-01	67	0.158255E-02	92	0.196905E-03
18	0.835709E-01	43	0.116264E-01	68	0.145598E-02	93	0.181153E-03
19	0.786406E-01	44	0.107078E-01	69	0.133957E-02	94	0.166661E-03
20	0.741147E-01	45	0.986370E-02	70	0.123249E-02	95	0.153329E-03
21	0.698174E-01	46	0.908683E-02	71	0.113398E-02	96	0.141063E-03
22	0.656432E-01	47	0.837092E-02	72	0.104334E-02	97	0.129779E-03
23	0.615406E-01	48	0.771060E-02	73	0.959949E-03	98	0.119397E-03
24	0.574962E-01	49	0.710121E-02	74	0.883214E-03	99	0.109846E-03

FILE NAME: IMPUN → NIMPU

FILCON

6.2 Model Structures and Simulations

The model structures tried for the identification are given in Table 1 below. Note that structure no. 2 is the LS-model, no. 4 the ELS-ML-model and no. 7 the GLS-model so that a comparison between these methods and the more general LIP and CMA approaches for other structures can be obtained.

Ten simulation runs were made for each structure (the ten sequences generated by SIMHG (6.1)) using:

- a) The LIP-approach (sec. 2.3)
- b) The CMA-approach (sec. 2.4) IFIST=0
- c) do. IFIST=50

The loss functions VE, VRS and VRN given in sec. 2.7 were evaluated for these runs and their mean and standard deviations computed. The results are given and commented upon in the next section. The results as given by the program TAFLA (cf. sec. 5.4.6) are listed in appendix C. A more detailed listing of the results e.g. as given by the programs STAT and VSTAT (cf. sec. 5.4.3 and 5.4.5) as well as a complete listing of all results "logged" during the simulations is available on request from the author.

The following SIMNON parameters (cf.sec 5 for their function) had the same value for all runs as can be noted on the documentation pages given in the appendices for each FNST file name.

```
IPRER = 1      WTI    = 1.0      R1(i)  = 0.0
ISTAB = 1      WTO    = 1.0      THO(i) = 0.0
IHAT  = 100    RLIM   = -1.0     PO(i)  = 100.0   i=1...10
IHATN = 500    DELTA  = 0.0
```

(The parameter ISTAB is redundant for structures 1,2 and 7. ISTAB=0 for these runs.)

Table 1.
Model Structures

1 $y = B \cdot u + \epsilon$ $n_b=8$	
2 $(1+A) \cdot y = B \cdot u + \epsilon$ $n_a=4 \quad n_b=4$	7 $(1+A) \cdot y = B \cdot u + \frac{1}{1+D} \cdot \epsilon$ $n_a=3 \quad n_b=3 \quad n_d=2$
3 $y = \frac{B}{1+F} \cdot u + \epsilon$ $n_b=4 \quad n_f=4$	8 $y = \frac{B}{1+F} \cdot u + \frac{1}{1+D} \cdot \epsilon$ $n_b=3 \quad n_f=3 \quad n_d=2$
4 $(1+A) \cdot y = B \cdot u + (1+C) \cdot \epsilon$ $n_a=3 \quad n_b=3 \quad n_c=2$	9 $(1+A) \cdot y = \frac{B}{1+F} \cdot u + \frac{1+C}{1+D} \cdot \epsilon$ $n_a=2 \quad n_b=2 \quad n_c=1$ $n_f=2 \quad n_d=1$
5 $y = \frac{B}{1+F} \cdot u + \frac{1+C}{1+D} \cdot \epsilon$ $n_b=2 \quad n_c=2$ $n_f=2 \quad n_d=2$	10 $(1+A) \cdot y = \frac{B}{1+F} \cdot u + (1+C) \cdot \epsilon$ $n_a=2 \quad n_b=2 \quad n_c=2$ $n_f=2$
5A $n_b=3 \quad n_c=1$ $n_f=3 \quad n_d=1$	10A $n_a=3 \quad n_b=2 \quad n_c=1$ $n_f=2$
6 $(1+A) \cdot y = B \cdot u + \frac{1+C}{1+D} \cdot \epsilon$ $n_a=2 \quad n_b=2 \quad n_c=2$ $n_d=2$	11 $(1+A) \cdot y = \frac{B}{1+F} \cdot u + \frac{1}{1+D} \cdot \epsilon$ $n_a=2 \quad n_b=2$ $n_f=2 \quad n_d=2$
6A $n_a=3 \quad n_b=3 \quad n_c=1$ $n_d=1$	11A $n_a=2 \quad n_b=2$ $n_f=3 \quad n_d=1$

6.3 Results

6.3.1 The LIP-Approach

Fig 6.3.1 gives the value of the loss function VE at the sampling times 100, 500, 2000. The length of the lines in the diagram is twice the standard deviation. For all structures it can be noted that VE decreases as a function of the simulation time, which is to be expected. It is difficult to pinpoint the "best" structure by use of this criterion, but slightly better results are obtained for the structures 5A, 8, 7 and 5 in the said order. The structures 1 and 3 give the "worst" results which can be explained by, that no attempt is made there to model the noise.

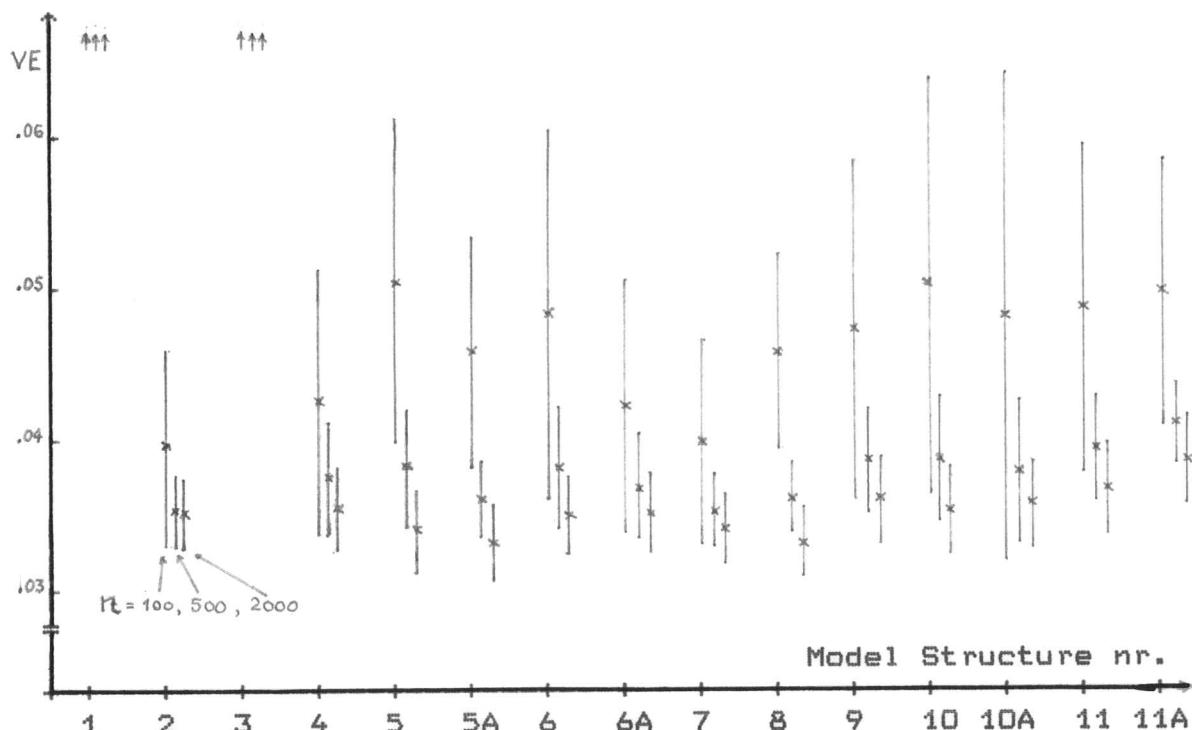


Fig. 6.3.1 The loss function $VE = 1/n \sum \epsilon(t)^2$ for $n=100, 500$ and 2000 respectively for all model structures.

Fig. 6.3.2 shows the loss functions VRS and VRN at the sampling time ISAMP = 2000. Observe that VRS gives lower values for all structures than VRN which is reportedly not an uncommon phenomenon in identification experiments, i.e. the modelling of the noise is more difficult and those parameters converge more slowly.

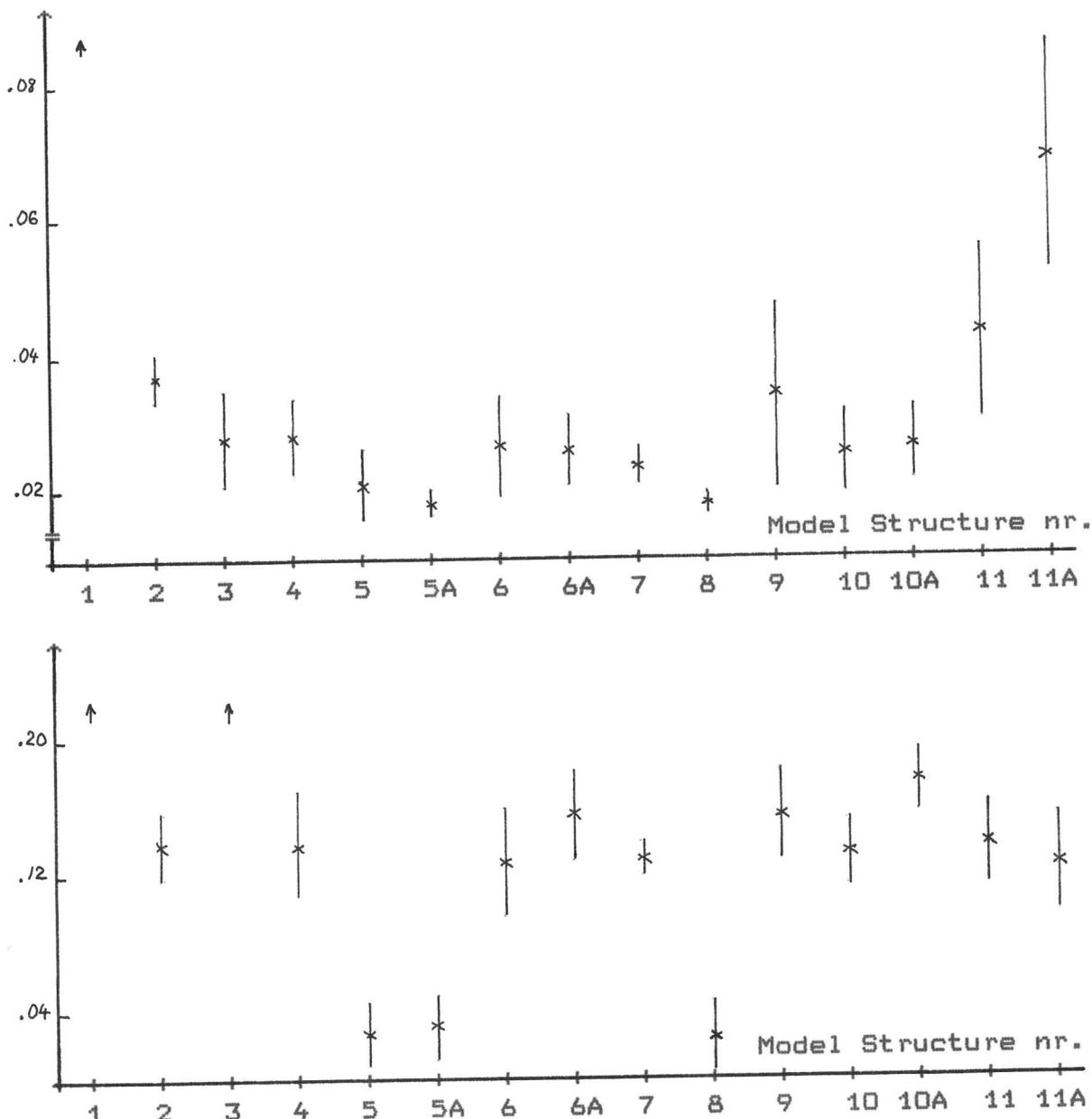


Fig 6.3.2 The loss functions VRS and VRN for all model structures.

The "best" results are obtained for the structures no. 5A, 5 and 8, i.e. they give relatively low values for both VRS and VRN which indicates that a good "fit" is obtained for the system and the noise. It is, however, not clear how to rank the structures. As for VE the "worst" results are obtained for structures 1 and 3. Considering the manner in which data was generated (sec. 6.1) it is interesting to note that the structures that most "resemble" the "process" give the "best" results.

Table 2 below gives the mean values and the standard deviations of the parameter estimates at the end of the simulations (ISAMP = 2000). Now these estimates do not of course represent any "true" values and therefore the values themselves are of limited interest except as a source for comparison between similar structures on one hand and between the LIP and the CMA-approaches on the other. Furthermore a large deviation could indicate that the algorithm had tended to different local minima for some of the runs or that convergence was slow.

Any really conclusive information is difficult to obtain but some interesting observations can be made. For instance that structures 5A and 8 where the deterministic part is modelled in the same manner do give very similar results. The same can be said to a degree of the structures 6A and 4 but now the modelling of the noise influences the estimates of the A-polynomial which becomes more apparent when compared with 7.

The rate of convergence is of course of interest in this context. As can be noted in sec. 6.2 the SIMNON parameters IHAT and IHATN had the values 100 and 500 respectively which means that the parameter estimates were logged at the sampling times 100, 500, 1000, 1500 and 2000. From this data (not reviewed here) and notes made during some of the simulations it was observed that the parameter estimates for:

- a) Structure 2 - the LS method - converged fast. The estimates were close to their final values after ca. 100 samples and gave similar results for all runs.
- b) Structure 4 - the ELS method - converged fast to begin with but after ca 100-200 the rate of convergence became slower. The estimates either increased or decreased almost linearly from 100 onwards. The resulting estimates varied much more than for the LS method.
- c) Structure 5 were in general fairly close after 100 samples. The "noise" parameters d and c converged more slowly and varied more than the "system" parameters f and b.
- d) Structure 5A were fairly close after 100-200 samples, this time the f-parameters showed a slightly slower rate of convergence.
- e) Structure 8 were generally close to their final values after ca. 100 samples. It did occur though that some estimates converged more slowly.

Model nr.:

	2	3	4	5	5A	6	6A
a ₁	-0.70 ± .02		-1.41 ± .14			-1.43 ± .08	
a ₂	-0.29 ± .02		0.39 ± .23			0.41 ± .11	
a ₃	-0.03 ± .03		0.11 ± .10			0.11 ± .05	
a ₄	0.20 ± .02						
f ₁		-.856 ± .117		-1.59 ± .04	-0.96 ± .08		
f ₂		-.187 ± .153		0.68 ± .03	-0.37 ± .13		
f ₃		-.096 ± .053			0.46 ± .06		
f ₄	.072 ± .007	.066 ± .013	.073 ± .007	.071 ± .005	.074 ± .006	.072 ± .006	.073 ± .007
b ₁	.103 ± .010	.129 ± .017	.053 ± .020	.041 ± .012	.087 ± .012	.042 ± .012	.053 ± .018
b ₂	.066 ± .010	-.003 ± .031	.005 ± .019		.017 ± .017		.002 ± .018
b ₃	.035 ± .011	.022 ± .024					
b ₄							
d ₁			-1.06 ± .23	-0.92 ± .01	0.22 ± .17	0.16 ± .07	
d ₂			0.14 ± .21		.088 ± .064		
c ₁		-0.75 ± .16	-0.44 ± .22	-0.32 ± .02	-0.71 ± .15	-0.61 ± .05	
c ₂		0.11 ± .14	0.06 ± .07		0.14 ± .13		

	7	8	9	10	10A	11	11A
a ₁	-0.97 ± .04		-1.56 ± .06	-1.59 ± .03	-1.33 ± .02	-1.47 ± .07	-1.07 ± .41
a ₂	-0.31 ± .07		0.64 ± .05	0.66 ± .03	0.24 ± .04	0.56 ± .06	0.25 ± .32
a ₃	0.41 ± .04						
f ₁		-0.97 ± .09	0.24 ± .17	0.33 ± .13	0.18 ± .02	0.24 ± .14	-0.03 ± .36
f ₂		-0.35 ± .15	-0.10 ± .13	-0.09 ± .11	-0.075 ± .099	-0.25 ± .11	-0.38 ± .19
f ₃		0.45 ± .07					0.02 ± .15
b ₁	.073 ± .007	.074 ± .006	.072 ± .007	.072 ± .006	.072 ± .006	.070 ± .007	.069 ± .007
b ₂	.085 ± .013	.087 ± .010	.063 ± .019	.069 ± .015	.081 ± .016	.072 ± .022	.084 ± .013
b ₃	.023 ± .012	.016 ± .015					
d ₁	0.32 ± .06	-0.61 ± .02	0.27 ± .05				
d ₂	0.38 ± .04	-0.26 ± .01	-0.61 ± .07	-0.93 ± .04	-0.66 ± .03	0.75 ± .08	0.30 ± .41
c ₁						0.25 ± .09	
c ₂							

TABLE 2: LIP N = 2000 ISTAB = 1 IPRER = 1

Simulations were also made with the SIMNON parameter ISTAB=0 i.e. no stability check of the F and C polynomials. On average these runs gave results similar to the ones reported above but some parameter estimates occasionally tended to quite different values. However structures 3 and 11 gave overall quite different results and the same can be said to a degree of structures 5 i.e. the "noise" parameters d and c.

6.3.2 The CMA-approach

Fig. 6.3.3 gives the loss function VE at the sampling times 100, 500 and 2000 for the CMA-approach when IFIST=0. As before, for the LIP-case, VE decreases as a function of the simulation time, but in this case VE gives higher values and the deviation is considerably greater. This makes it very difficult to pick out any "best" model structures.

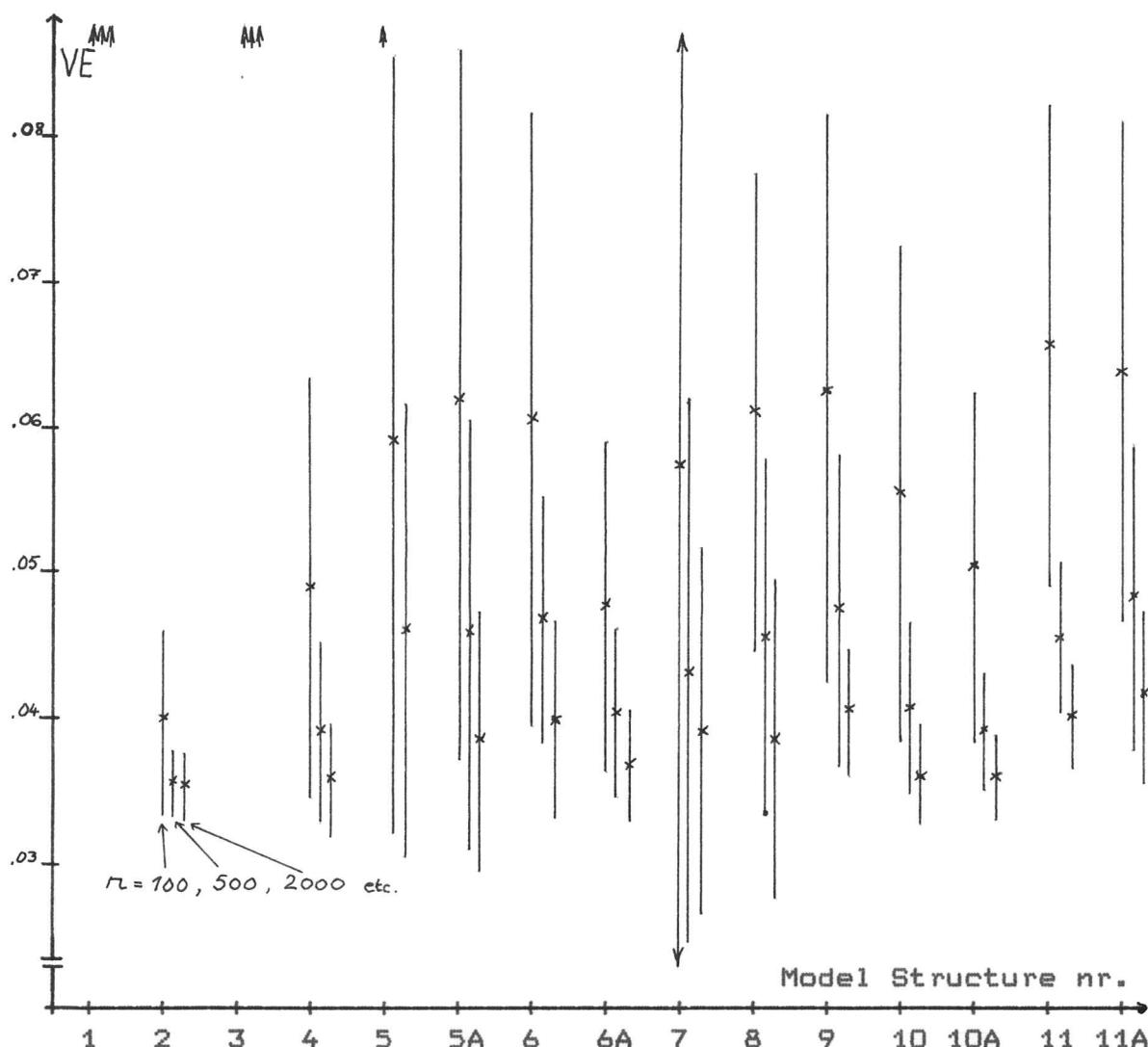


Fig. 6.3.3 The loss function VE for n=100, 500 and 2000
CMA : IFIST=0

Fig 6.3.4 gives VE as in fig 6.3.3 but now for the simulation runs when IFIST=50, and here a significant improvement is observed. The results obtained are very much the same as for the LIP-approach i.e. structures 5, 8, 5A and 7 seem to give slightly better results and again structure 3 gives the "worst" results.

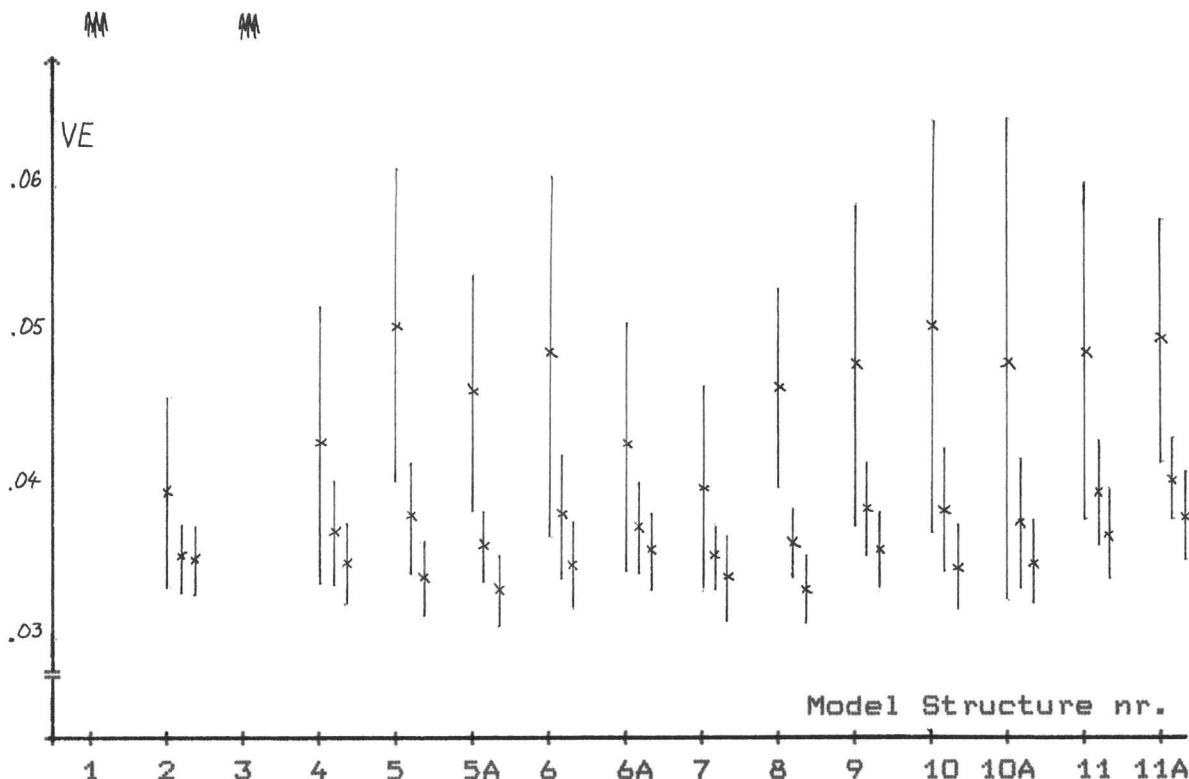


Fig. 6.3.4 The loss function VE for n=100, 500 and 2000
CMA : IFIST=50

Fig 6.3.5 shows the loss functions VRS and VRN for IFIST=0. The relatively high deviation indicates that several local minima were reached or that convergence was slow. It is almost impossible to pick out any structure as the "best" one. Fig 6.3.6 shows VRS and VRN for IFIST=50. Now again a significant improvement is observed i.e. the loss functions give lower values and the deviation decreases and as in the LIP-case structures 5, 8 and 5A give the "best" results.

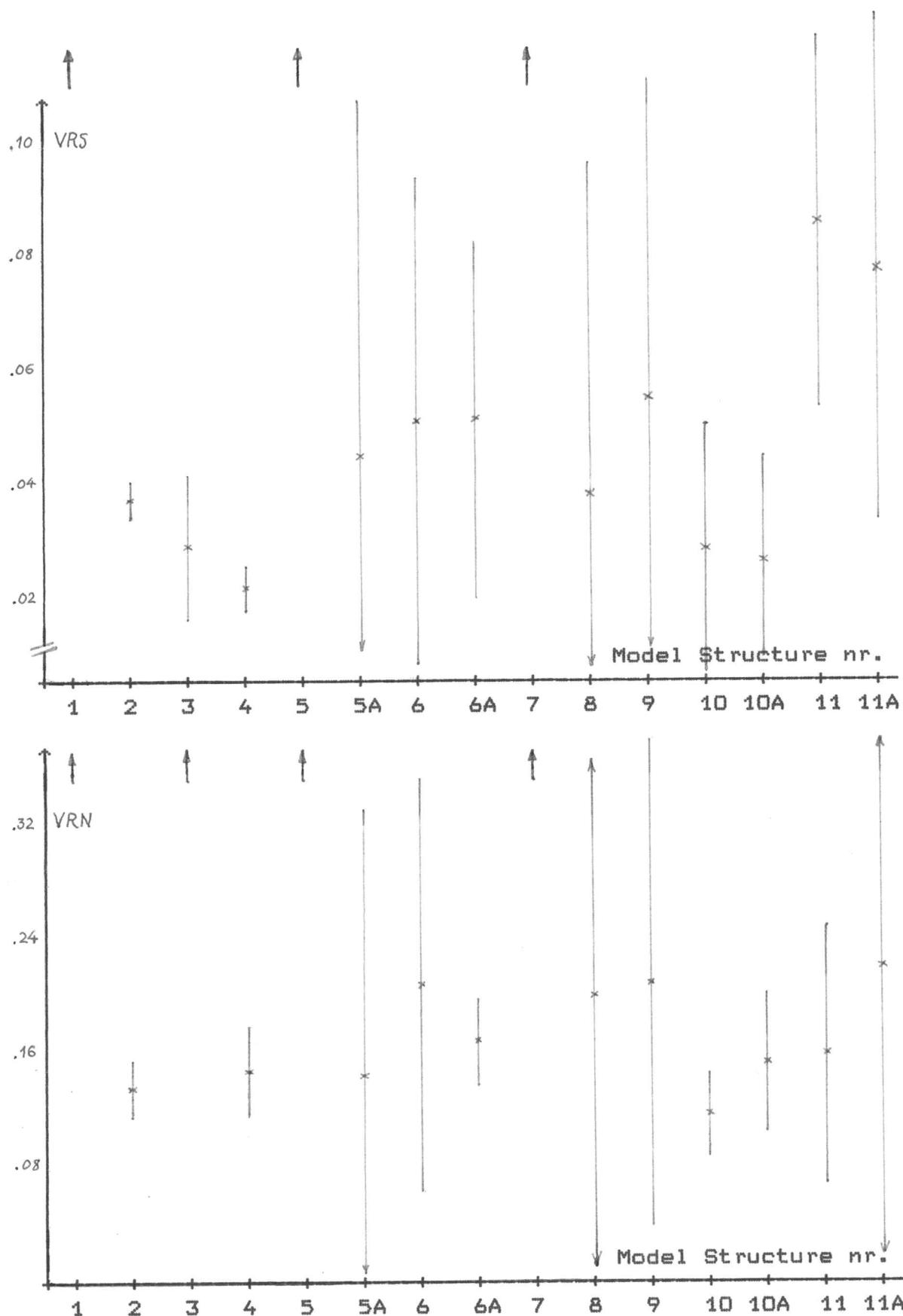


Fig. 6.3.5 The loss functions VRS and VRN for CMA : IFIST=0

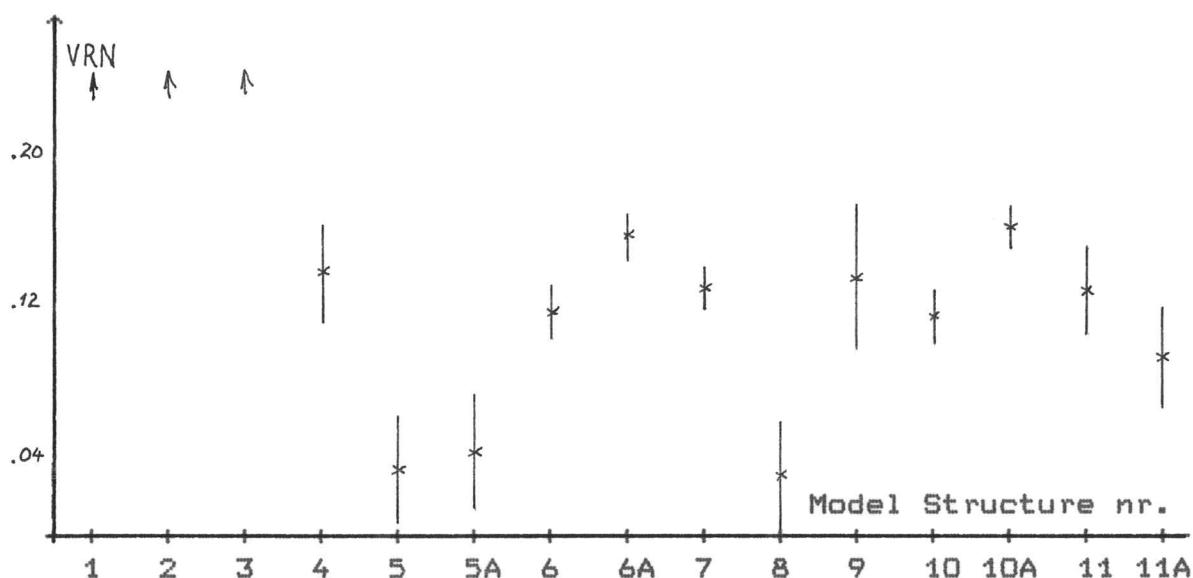
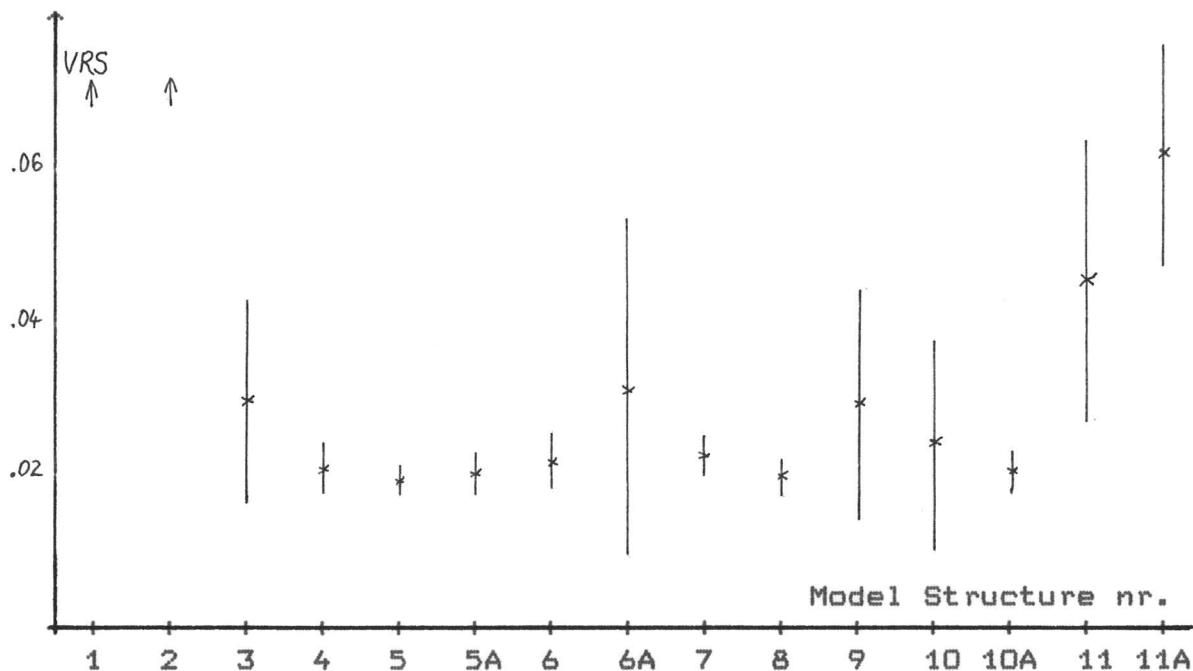


Fig. 6.3.6 The loss functions VRS and VRN for CMA : IFIST=50

Table 3 gives the mean values and deviations of the parameter estimates at ISAMP=2000 for the simulation runs with IFIST=50. It is interesting to note that for most of the structures the results are quite similar to those obtained for the LIP-approach with a slightly higher deviation though. Still, the differences for structure 3, 6A, 9 and 11A should be noted.

Model nr.:

	2	3	4	5	5A	6	6A
a ₁	-0.70 ± .02		-1.46 ± .24		-1.60 ± .02	-1.26 ± .27	
a ₂	-0.29 ± .02		0.50 ± .34		0.67 ± .02	0.18 ± .31	
a ₃	-0.03 ± .03		0.10 ± .15			0.19 ± .07	
a ₄	0.20 ± .02						
f ₁		-1.32 ± .56		-1.61 ± .01	-0.95 ± .24		
f ₂		0.40 ± .86		0.69 ± .01	-0.37 ± .38		
f ₃		-0.18 ± .37			0.45 ± .16		
f ₄		0.20 ± .15					
b ₁	.072 ± .007	.045 ± .020	.072 ± .008	.077 ± .003	.075 ± .006	.076 ± .005	.071 ± .007
b ₂	.103 ± .010	.130 ± .023	.054 ± .025	.032 ± .006	.088 ± .021	.034 ± .009	.070 ± .020
b ₃	.066 ± .010	-.020 ± .116	.004 ± .018		.017 ± .015		.012 ± .038
b ₄	.035 ± .011	.020 ± .074					
d ₁				-1.16 ± .25	-0.92 ± .01	0.09 ± .11	0.29 ± .24
d ₂				0.23 ± .23		0.08 ± .02	
c ₁				-0.55 ± .25	-0.32 ± .01	-0.87 ± .11	-0.28 ± .56
c ₂				0.11 ± .09		0.28 ± .08	

	7	8	9	10	10A	11	11A
a ₁	-0.98 ± .03		-1.43 ± .46	-1.58 ± .09	-1.27 ± .02	-1.45 ± .10	-0.93 ± .52
a ₂	-0.30 ± .05		0.57 ± .25	0.67 ± .08	0.12 ± .03	0.55 ± .09	0.17 ± .24
a ₃	0.41 ± .02				0.25 ± .01		
f ₁		-0.95 ± .12	-0.12 ± .59	0.23 ± .20	0.03 ± .26	0.16 ± .16	-0.28 ± .40
f ₂		-0.38 ± .20	0.06 ± .24	-0.03 ± .16	0.05 ± .11	-0.23 ± .08	-0.42 ± .19
f ₃		0.46 ± .08					0.20 ± .18
b ₁	.073 ± .006	.075 ± .006	.074 ± .007	.072 ± .006	.071 ± .007	.070 ± .008	.072 ± .007
b ₂	.085 ± .012	.088 ± .013	.042 ± .030	.061 ± .018	.077 ± .024	.068 ± .025	.068 ± .020
b ₃	.020 ± .009	.016 ± .013					
d ₁	0.33 ± .04	-0.61 ± .02	0.22 ± .40				
d ₂	0.37 ± .02	-0.26 ± .02	-0.52 ± .13	-0.95 ± .10	-0.60 ± .01	0.73 ± .11	0.18 ± .51
c ₁				0.33 ± .02		0.25 ± .10	
c ₂							

TABLE 3: CMA N = 2000 ISTAB = 1 IPRER = 1 IFIST = 50

In order to get an idea of how the rate of convergence was for the CMA-approach it was observed that the parameter estimates for:

- a) structure 4 - the ML method - behaved very much alike the LIP approach (the ELS-method). The rate of convergence became slower after ca. 100 samples and the estimates either increased or decreased almost linearly from 100 onwards.
- b) structure 5 again behaved similarly to the LIP approach. Fairly close after ca. 100 samples with a slightly slower rate of convergence for the noise parameters.
- c) structure 5A converged somewhat slower than for the LIP approach, but otherwise similar behavior. One run gave parameter estimates that differed considerably.
- d) structure 7 - the GLS method - were in general fairly close after ca. 100 samples and gave similar results for all runs.
- e) structure 8 were generally close to their final values after ca. 100 and as in the LIP case it did occur that some estimates converged more slowly.

7 CONCLUSIONS

To summarize the results of the simulations the following conclusions can be drawn.

The model structures that give the "best" approximate description of the "process" are structures no. 5, 5A and 8.

The LIP-approach gives better results than the CMA=approach (IFIIST=0), but when CMA is run with IFIIST=50 the results are roughly speaking the same. Ergo, the CMA is more susceptible to the initial values used at the start-up and it can be recommended that IFIIST is set to some value greater than zero, say 50-100.

A comparison of the common identification methods i.e the LS, ELS, ML and GLS, with model structures 5, 5A and 8 gives that the use of the general model leads to "better" results than the methods mentioned above. The choice of a model structure has a far greater effect on the accuracy than the choice of approach i.e. LIP or CMA.

Now an important question in this context is how far can these results be generalized for an arbitrary "process". The results indicate that the use of the general model structure is to be recommended since it allows a greater flexibility and that the same or a higher degree of accuracy can be achieved with fewer parameters compared to the common identification methods. It is, however, at this point difficult to give any guidelines whether to use the LIP or the CMA-approach. Theoretically it may be said that the CMA-approach is to be preferred since it can be shown to be globally convergent even though the system cannot be described within the chosen model structure, but with the drawback that care must be taken at the start-up.

In order to confirm these results and possibly gain some additional information more simulations on data generated by different "processes" are desirable. These should then include experiments to test the influence of a lower signal to noise ratio, different starting values for the parameter vector θ and the covariance matrix P , the use of the forgetting profile as well as experiments to test the SA-versions. In addition a test where the models were used in connection with adaptive control could be made. Then the models could be judged by the performance of the regulator.

The EKF algorithm given in section 2.6 corresponds to a model structure where the polynomials $F=0$ and $D=0$. The algorithm is equivalent to the LS-method when $C=0$ which was confirmed during test runs but when C was set to some value greater than zero the parameters diverged and the algorithm gave useless results. The reason for this was not discovered and the problem is left to the interested reader to crack.

The aim has been to write the programs so as to make maintenance easy i.e. to smooth the way for any changes and/or improvements that may be needed. The program structure was partly restricted by the core memory space available. As mentioned in sec. 4 a special version of SIMNON was used in order to provide the necessary core memory space. The main shortcomings of this version is that the use of MACROs is limited, since they may not contain the commands SIMU and SYST. On a "larger" computer this will of course not cause any problems and therefore simulation experiments as the ones reported here become less tedious.

On hindsight some improvements on the program structure and facilities can be suggested.

The programs that evaluate and print the loss functions should preferably be split from the subsystem IDHG into a separate subsystem. This would make the programs more applicable as building bricks for a prospective user and implementation of amendments easier.

A facility to write the identification results onto a "system file" (in a similar manner as in IDPAC) and the same facility for the subsystem SYSHG to read such files. This might be useful when validating identification results.

In addition further improvements are possible concerning the use of data structures and conventions as e.g. outlined in [17]. This would make it easier to combine the use of the present programs and IDPAC or other program packages if the need arises.

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Appendix A

**Quick Reference Program Guide
and Connecting Systems**

Appendix A

Common_Global_Variables:

IYEAR	(0)	:
MONTH	(0)	:
IDAY	(0)	:
ISIMN	(0)	: Simulation nr.
IDOC	(0)	: =1 docum.page =2 no print loss func.
LUN1	(5)	: Logical unit nr. for RK
LUN2	(7)	:
LUN3	(3)	:

Subsystem_INPUT:Global_Variable:

FILN	()	: Data file name
------	-----	------------------

Outputs:

E	(0)	: White Noise Output (NTYP=1)
PRBS	(0)	: Pseudo Random Binary Sequence (NTYP=2)
U1	(0)	: Output from column NC1 in FILN
U2	(0)	: " " " NC2 "

Parameters:

NTYP	(0)	: Type of active output
IODD	(95)	: Start nr. for random number gen.
SD	(1.0)	: Standard deviation of E
NBIT	(7)	: Nr. of bits in shift register
AMP	(1.0)	: Amplitude of PRBS
KNEP	(0)	: (=0 No knep ; =1 FOA-knep)
ISTAR	(1)	: Starting point in the seq. (1,2,3,4)
IBP	(1)	: Basic Period
NC1	(1)	: Column nr. for U1
NC2	(0)	: " " " U2
DT	(1.0)	: Sampling period

Subsystem_SYSHG:Global_variables:

FNRS	()	: (Det.) File name pulse responses
FNRN	()	: (Noise) - - - -

Input:

U	()	:
---	-----	---

Output:

Y	()	:
---	-----	---

Parameters:

NAS	(0)	: Order of A-Polynomial
NFS	(0)	: - - F -
NBS	(0)	: - - B -
NDS	(0)	: - - D -
NCS	(0)	: - - C -
KDS	(0)	: Time delay

Appendix A

YLEV	(0)	: Constant level added to output
THS1	(0)	: The parameter vector of SYSHG
THS2	-	:
:	-	:
:	-	:
THS30	-	:
NODD	(19)	: Starting value for random number gen.
LAMB	(1.0)	: Standard deviation
NIMB	(0)	: =1 Generate pulse resp. on files
DT	(0)	: Sampling period
 <u>Subsystem IDHG:</u>		
<u>Global variables:</u>		
FNRS	()	: File name ref. syst pulse resp.
FNRN	()	: - - - noise - -
FNIM	()	: - - - gen. pulse responses
FNST	()	: - - - statistics file
 <u>Outputs:</u>		
TH1	()	: Vector of parameter estimates
TH2	()	: - - - - -
:		:
:		:
TH10	()	: - - - - -
 <u>Inputs:</u>		
Y	()	: Output signal from syst to be ident.
U	()	: Input signal to syst to be identified
 <u>Parameters:</u>		
METOD	(0)	: Id. Method =1 SA-LIP, =2 SA-CMA, : =3 LIP, =4 CMA, =5 IV, =7 Ex-Kalman
NA	(0)	: Order of A-Polynomial
NF	(0)	: - - F -
NB	(0)	: - - B -
ND	(0)	: - - D -
NC	(0)	: - - C -
KD	(0)	: Time delay
WTI	(1.0)	: Initial value Forgetting profile
WTO	(1.0)	: Forgetting profile parameter
DELTA	(0.0)	: Adjustment to improve stability
R11	(0.0)	:
R12	(0.0)	:
:	:	:
:	:	:
R110	(0.0)	:
IPRER	(0)	: =0 a priori/=1 a posteriori est.res.

Appendix A

```

RLIM      (-1.0)   : >0 if |ε|>RLIM => ε=sign(ε)*RLIM
                  : <0 no limitation.

IFIST     ( 0)     : Starting time for IV or filtering CMA
ISTAB     ( 0)     : Stability check =0 no check
                  :           =1 INPOL
                  :           =2 SPFZN
INVAU    ( 0)     : IV ≤0 see sec.2.5, >0 old input sig.

TH01      (0.0)    : Initial values - parameter estimates.
TH02      (0.0)    :
:
:
TH010     (0.0)    :

PO1       (100.0)  : Initial values for diagonal elements
PO2       (100.0)  : in the covariance matrix.
:
:
PO10      (100.0)  :

Print-out control parameters:
IWRT      (-4)    : ≤0 No print out
IWRT1     ( 0)    : =1 ISAMP, TH for ISAMP≤IWRT1 and
IWRTN    (100)   : every IWRTN:th sampling event
                  : =2 (1) + U,Y,RES,WRES
                  : =3 (2) + P
                  : =4 (3) + φ,ψ,Z
                  : =5 (4) + S
                  : =6 (5) + TEE
IHAT      (-19)   : <0 No loss function computed
                  : =N Loss functions computed for
                  : Isamp=N and every IHATN:th sampl-
IHATN    (500)   :
IFIGE     ( 0)    : =0 No file generated
                  : =1 FNIM, =2 FNST, =3 FNIM+FNST
DT        (1.0)   : Sampling period

Variables:
RES        : The residual see sec.2 and 5.3.5
WRES       : Weighted
V          : V = Σ ε
WV         : WV = Σ θε
WT         : The forgetting profile

Subsystem_AUXIL:
ISUB      ( 0)    : =1 GENHG, =2 SIMHG, =3 STAT
                  : =4 FILCON,=5 VSTAT, =6 TAFLA

```

Appendix A

Connecting Systems:

CONNECTING SYSTEM TENG1	:	CONNECTING SYSTEM TENG2
TIME T	:	TIME T
$U[SYSHG] = PRBS[INPUT]$:	$U[IDHG] = U1[INPUT]$
$U[IDHG] = PRBS[INPUT]$:	$Y[IDHG] = U2[INPUT]$
$Y[IDHG] = Y[SYSHG]$:	END
END	:	
CONNECTING SYSTEM TENG3	:	CONNECTING SYSTEM TENG4
TIME T	:	TIME T
$U[SYSHG] = E[INPUT]$:	$U[SYSHG] = PRBS[INPUT]$
$Y[IDHG] = Y[SYSHG]$:	END
$U[IDHG] = E[INPUT]$:	
END	:	
CONNECTING SYSTEM TENG5	:	CONNECTING SYSTEM TENG6
TIME T	:	TIME T
$U[SYSHG] = PRBS[INPUT]$:	$U[SYSHG] = U1[INPUT]$
END	:	END

Appendix B

Examples of results written by
the programs STAT and VSTAT.

Appendix B

SUBROUTINE STAT:

 $V = \text{SUM}[\text{HR}(i) - \text{H}(i)]^2 \quad VR = V / \text{SUM}[\text{HR}(i)]^2 \quad (i=1,100) \quad VE = E[\text{RES}]^2$

$VWE = E[\text{WRES}]^2 \quad VS = V[\text{SYS}] \quad VRS = VR[\text{SYS}] \quad VN = V[\text{NOISE}] \quad VRN = VR[\text{NOISE}]$

STATISTICS OF THE FOLLOWING REALIZATIONS:

N	SIMULATION NO.	DATE	FILE NAME : M5311
1	31	1980- 6-24	
2	32	1980- 6-24	
3	33	1980- 6-24	
4	34	1980- 6-24	
5	35	1980- 6-24	
6	36	1980- 6-24	
7	37	1980- 6-24	
8	38	1980- 6-24	
9	39	1980- 6-24	
10	40	1980- 6-24	

TIME= 100

PAR/LOSSF.	MEAN	DEVIATION
F 1	-1.30733	0.197750
F 2	0.415983	0.187965
B 1	0.509322E-01	0.304267E-01
B 2	0.113764	0.574948E-01
D 1	-1.20073	0.212940
D 2	0.283191	0.185388
C 1	-0.358316	0.220122
C 2	0.331164E-01	0.135719
VE	0.505060E-01	0.107565E-01
VWE	0.454062E-01	0.853462E-02
VS	0.255020E-01	0.143052E-01
VRS	0.105078	0.589429E-01
VN	0.823834	0.842092
VRN	0.297340	0.303930

TIME= 500

PAR/LOSSF.	MEAN	DEVIATION
F 1	-1.53628	0.863886E-01
F 2	0.623347	0.813888E-01
B 1	0.720632E-01	0.176585E-01
B 2	0.487745E-01	0.300331E-01
D 1	-1.17588	0.180391
D 2	0.249185	0.164146
C 1	-0.461108	0.165532
C 2	0.570931E-01	0.941346E-01
VE	0.382979E-01	0.397019E-02
VWE	0.372779E-01	0.350534E-02
VS	0.945862E-02	0.526059E-02
VRS	0.389731E-01	0.216757E-01
VN	0.255131	0.346679
VRN	0.920826E-01	0.125124

Appendix B

STAT CONT.

FILE NAME : M5311

TIME= 1000

PAR/LOSSF.	MEAN	DEVIATION
F 1	-1.57780	0.704079E-01
F 2	0.661594	0.644192E-01
B 1	0.709215E-01	0.719614E-02
B 2	0.422132E-01	0.202452E-01
D 1	-1.11980	0.233810
D 2	0.190718	0.218149
C 1	-0.460455	0.218381
C 2	0.571035E-01	0.729977E-01
VE	0.356013E-01	0.283891E-02
VWE	0.350913E-01	0.264082E-02
VS	0.643135E-02	0.289343E-02
VRS	0.264996E-01	0.119220E-01
VN	0.139210	0.917792E-01
VRN	0.502441E-01	0.331252E-01

TIME= 1500

PAR/LOSSF.	MEAN	DEVIATION
F 1	-1.59065	0.469183E-01
F 2	0.672433	0.428574E-01
B 1	0.705198E-01	0.530450E-02
B 2	0.427313E-01	0.138014E-01
D 1	-1.08798	0.243221
D 2	0.164420	0.222304
C 1	-0.455173	0.216840
C 2	0.584994E-01	0.712548E-01
VE	0.345913E-01	0.275184E-02
VWE	0.342513E-01	0.262396E-02
VS	0.559344E-02	0.194018E-02
VRS	0.230471E-01	0.799430E-02
VN	0.923021E-01	0.744701E-01
VRN	0.333139E-01	0.268780E-01

TIME= 2000

PAR/LOSSF.	MEAN	DEVIATION
F 1	-1.59485	0.347953E-01
F 2	0.677206	0.316523E-01
B 1	0.713414E-01	0.533213E-02
B 2	0.401507E-01	0.122907E-01
D 1	-1.05635	0.231711
D 2	0.135608	0.211587
C 1	-0.438691	0.215219
C 2	0.586794E-01	0.710751E-01
VE	0.341690E-01	0.284288E-02
VWE	0.339140E-01	0.275433E-02
VS	0.511946E-02	0.122242E-02
VRS	0.210941E-01	0.503682E-02
VN	0.710221E-01	0.513904E-01
VRN	0.256335E-01	0.185480E-01

Appendix B

SUBROUTINE VSTAT:

$V = \frac{\sum_{i=1}^2 [HR(i) - HI(i)]}{\sum_{i=1}^2 HR(i)}$

$VE = E[RES]^2$ $VRS = V[SYS]^2$ $VRN = V[NOISE]$

RESULTS OF THE FOLLOWING REALIZATIONS:

N	SIMULATION NO.	DATE
1	31	1980- 6-24
2	32	1980- 6-24
3	33	1980- 6-24
4	34	1980- 6-24
5	35	1980- 6-24
6	36	1980- 6-24
7	37	1980- 6-24
8	38	1980- 6-24
9	39	1980- 6-24
10	40	1980- 6-24

FILE NAME : M5311

IDENTIFICATION METHOD: 3 LIP

NA =	0	IPRER =	1	IHAT =	100
NF =	2	IFIST =	0	IHATN =	500
NB =	2	ISTAB =	1	FNRS =	SIMPU
ND =	2	INVAU =	0	FNRN =	NIMPU
NC =	2	NFST =	0	DT =	1.00000
KD =	0				

WTI = 1.00000	PFST = 100.000	RLIM = -1.00000
WTO = 1.00000	RKJ = 0.000000	DELTA = 0.000000

R1(1) = 0.000000	TH0(1) = 0.000000	PO(1) = 100.000
R1(2) = 0.000000	TH0(2) = 0.000000	PO(2) = 100.000
R1(3) = 0.000000	TH0(3) = 0.000000	PO(3) = 100.000
R1(4) = 0.000000	TH0(4) = 0.000000	PO(4) = 100.000
R1(5) = 0.000000	TH0(5) = 0.000000	PO(5) = 100.000
R1(6) = 0.000000	TH0(6) = 0.000000	PO(6) = 100.000
R1(7) = 0.000000	TH0(7) = 0.000000	PO(7) = 100.000
R1(8) = 0.000000	TH0(8) = 0.000000	PO(8) = 100.000

Appendix B

VSTAT CONT.

FILE NAME : M5311

ISAMP	VE	VRS	VRN
100	0.379149E-01 0.398252E-01 0.577382E-01 0.492936E-01 0.406987E-01 0.418780E-01 0.540512E-01 0.723748E-01 0.562466E-01 0.550382E-01	0.885315E-01 0.773847E-01 0.136031 0.848578E-01 0.378401E-01 0.353598E-01 0.188850 0.192105 0.154345 0.554751E-01	0.227717 1.05037 0.362052E-01 0.349230 0.777729E-01 0.535841 0.238472 0.219977 0.190863 0.469529E-01
MEAN:	0.505060E-01	0.105078	0.297340
DEV.:	0.107565E-01	0.589429E-01	0.303930
MIN :	0.379149E-01	0.353598E-01	0.362052E-01
MAX :	0.723748E-01	0.192105	1.05037
500	0.345671E-01 0.336682E-01 0.398239E-01 0.386905E-01 0.356160E-01 0.328852E-01 0.408277E-01 0.443278E-01 0.431458E-01 0.394267E-01	0.467546E-01 0.190453E-01 0.782396E-01 0.284312E-01 0.182066E-01 0.328523E-01 0.756825E-01 0.258524E-01 0.277929E-01 0.368738E-01	0.520680E-01 0.394994E-01 0.366754E-01 0.183273E-01 0.137009 0.528769E-01 0.112774 0.429570 0.257980E-01 0.162278E-01
MEAN:	0.382979E-01	0.389731E-01	0.920826E-01
DEV.:	0.397019E-02	0.216757E-01	0.125124
MIN :	0.328852E-01	0.182066E-01	0.162278E-01
MAX :	0.443278E-01	0.782396E-01	0.429570
2000	0.301492E-01 0.324563E-01 0.378375E-01 0.345862E-01 0.309058E-01 0.324246E-01 0.333129E-01 0.354600E-01 0.387924E-01 0.357647E-01	0.234013E-01 0.188764E-01 0.329022E-01 0.201473E-01 0.185628E-01 0.188795E-01 0.199933E-01 0.159778E-01 0.166813E-01 0.255195E-01	0.672433E-01 0.220830E-01 0.351846E-01 0.138086E-01 0.218020E-01 0.175224E-01 0.100177E-01 0.446657E-01 0.638594E-02 0.176214E-01
MEAN:	0.341690E-01	0.210941E-01	0.256335E-01
DEV.:	0.284288E-02	0.503682E-02	0.185480E-01
MIN :	0.301492E-01	0.159778E-01	0.638594E-02
MAX :	0.387924E-01	0.329022E-01	0.672433E-01

Appendix C

Results

Model nr.	a) LIP	b) CMA IFIST=0	c) CMA IFIST=50
1	M1310		
2	M2310		
3	M3311	M3411	M34Z1
4	M4311	M4411	M44Z1
5	M5311	M5411	M54Z1
5A	M53X1	M54X1	X54Z1
6	M6311	M6411	M64Z1
6A	M63X1	M64X1	X64Z1
7	M7310	M7410	M74Z0
8	M8311	M8411	M84Z1
9	M9311	M9411	M94Z1
10	M0311	M0411	M04Z1
10A	M03X1	M04X1	X04Z1
11	MA311	MA411	MA4Z1
11A	MA3X1	MA4X1	XA4Z1

Appendix C
LIP

N = 100

SUBROUTINE TAFLA:

MODEL	INF.	I	VE												
			A	F	B	D	C	K	M	MEAN	DEV	MIN	MAX		
M1310	1	0	0	0	8	0	0	0	3	0.111305	0.027233	0.077879	0.162200		
M2310	1	0	0	4	0	4	0	0	3	0.039716	0.006416	0.028940	0.047733		
M3311	1	1	0	0	4	4	0	0	3	0.211457	0.060118	0.143876	0.306597		
M4311	1	1	0	3	0	3	0	2	0	3	0.042500	0.009090	0.030036	0.061082	
M5311	1	1	0	0	2	2	2	2	0	3	0.050506	0.010757	0.037915	0.072375	
M53X1	1	1	0	0	3	3	1	1	0	3	0.045819	0.007510	0.031211	0.055627	
M6311	1	1	0	2	0	2	2	2	0	3	0.048322	0.012429	0.030775	0.077184	
M63X1	1	1	0	3	0	3	1	1	0	3	0.042231	0.008430	0.029690	0.055056	
M7310	1	0	0	3	0	3	2	0	0	3	0.039935	0.006676	0.029631	0.050454	
M8311	1	1	0	0	3	3	3	2	0	0	3	0.045977	0.006389	0.033372	0.054364
M9311	1	1	0	2	2	2	1	1	0	3	0.047388	0.011394	0.034045	0.071693	
M0311	1	1	0	2	2	2	0	2	0	3	0.050544	0.013766	0.030015	0.080776	
M03X1	1	1	0	3	2	2	0	1	0	3	0.048257	0.016161	0.029900	0.084382	
MA311	1	1	0	2	2	2	2	0	0	3	0.048771	0.010958	0.031570	0.065162	
MA3X1	1	1	0	2	3	2	1	0	0	3	0.049969	0.008692	0.032409	0.060937	

Appendix C
LIP

N = 100

SUBROUTINE TAFLA:

VRS							
MODEL	INF.	I		MEAN	DEV	MIN	MAX
FN	IPR	IST	IFII				
A F B D C K M							
M1310 1 0 0	0 0 8 0 0 0 3			0.329782	0.057149	0.240806	0.430341
M2310 1 0 0	4 0 4 0 0 0 3			0.064643	0.026279	0.027798	0.121761
M3311 1 1 0	0 4 4 0 0 0 3			0.492981	0.200333	0.267540	0.816606
M4311 1 1 0	3 0 3 0 2 0 3			0.069574	0.022688	0.038160	0.101025
M5311 1 1 0	0 2 2 2 2 0 3			0.105078	0.058943	0.035360	0.192105
M53X1 1 1 0	0 3 3 1 1 0 3			0.087523	0.032505	0.032180	0.134521
M6311 1 1 0	2 0 2 2 2 0 3			0.089918	0.056917	0.023096	0.186319
M63X1 1 1 0	3 0 3 1 1 0 3			0.087406	0.033608	0.036683	0.146976
M7310 1 0 0	3 0 3 2 0 0 3			0.059665	0.018606	0.031913	0.097469
M8311 1 1 0	0 3 3 2 0 0 3			0.071887	0.020231	0.030790	0.108218
M9311 1 1 0	2 2 2 1 1 0 3			0.109148	0.059279	0.036376	0.209836
M0311 1 1 0	2 2 2 0 2 0 3			0.093600	0.050917	0.025361	0.183487
M03X1 1 1 0	3 2 2 0 1 0 3			0.059582	0.029057	0.022835	0.113301
MA311 1 1 0	2 2 2 2 0 0 3			0.121462	0.047408	0.062564	0.176397
MA3X1 1 1 0	2 3 2 1 0 0 3			0.127497	0.067423	0.039538	0.243551

Appendix C
LIP

N = 100

SUBROUTINE TAFLA:

MODEL	INF.	I	VRN											
			A	F	B	D	C	K	M	MEAN	DEV	MIN	MAX	
M1310	1	0	0	0	8	0	0	0	3	0.639077	0.000000	0.639077	0.639077	
M2310	1	0	0	4	0	4	0	0	3	0.220147	0.199793	0.068930	0.755903	
M3311	1	1	0	0	4	4	0	0	3	0.639077	0.000000	0.639077	0.639077	
M4311	1	1	0	3	0	3	0	2	0	3	0.252217	0.129275	0.082479	0.458521
M5311	1	1	0	0	2	2	2	2	0	3	0.297340	0.303930	0.036205	1.050372
M53X1	1	1	0	0	3	3	1	1	0	3	0.434263	1.083011	0.009889	3.510337
M6311	1	1	0	2	0	2	2	2	0	3	0.254156	0.153653	0.051275	0.491150
M63X1	1	1	0	3	0	3	1	1	0	3	0.338513	0.273357	0.064083	0.798403
M7310	1	0	0	3	0	3	2	0	0	3	0.182043	0.116152	0.084762	0.485481
M8311	1	1	0	0	3	3	2	0	0	3	0.238945	0.271585	0.004671	0.918683
M9311	1	1	0	2	2	2	1	1	0	3	0.351384	0.390467	0.104313	1.169338
M0311	1	1	0	2	2	2	0	2	0	3	0.290162	0.190503	0.125191	0.696684
M03X1	1	1	0	3	2	2	0	1	0	3	0.255216	0.141096	0.092219	0.594660
MA311	1	1	0	2	2	2	2	0	0	3	0.274539	0.283671	0.054667	0.946019
MA3X1	1	1	0	2	3	2	1	0	0	3	0.199604	0.093663	0.097581	0.377943

Appendix C
LIP

N = 500

SUBROUTINE TAFLA:

MODEL INF.		VE					
FN	IPR	1ST	IFII	MEAN	DEV	MIN	MAX
A	F	B	D	C	K	M	
M1310	1	0	0	0.134504	0.017570	0.104002	0.162346
0	0	8	0	0	0	3	
M2310	1	0	0	0.035549	0.002285	0.032349	0.039092
4	0	4	0	0	0	3	
M3311	1	1	0	0.142643	0.022805	0.122349	0.192547
0	4	4	0	0	0	3	
M4311	1	1	0	0.037306	0.003779	0.032562	0.043002
3	0	3	0	2	0	3	
M5311	1	1	0	0.038298	0.003970	0.032885	0.044328
0	2	2	2	2	0	3	
M53X1	1	1	0	0.036051	0.002547	0.032301	0.038948
0	3	3	1	1	0	3	
M6311	1	1	0	0.038006	0.004115	0.032918	0.047236
2	0	2	2	2	0	3	
M63X1	1	1	0	0.036840	0.003400	0.032420	0.042242
3	0	3	1	1	0	3	
M7310	1	0	0	0.035398	0.002189	0.032470	0.038111
3	0	3	2	0	0	3	
M8311	1	1	0	0.036130	0.002234	0.032601	0.038847
0	3	3	2	0	0	3	
M9311	1	1	0	0.038888	0.003434	0.033750	0.045387
2	2	2	1	1	0	3	
M0311	1	1	0	0.038912	0.004210	0.033049	0.047114
2	2	2	0	2	0	3	
M03X1	1	1	0	0.038088	0.004686	0.032746	0.046882
3	2	2	0	1	0	3	
MA311	1	1	0	0.039445	0.003480	0.033606	0.044632
2	2	2	2	0	0	3	
MA3X1	1	1	0	0.041350	0.002757	0.034925	0.043779
2	3	2	1	0	0	3	

Appendix C

LIP

N = 500

SUBROUTINE TAFLA:

MODEL	INF.	I	VRS														
			FN	IPR	IST	IFII	A	F	B	D	C	K	M	MEAN	DEV	MIN	MAX
M1310	1	0	0	0	0	0	0	0	0	0	0	0	3	0.229529	0.034624	0.193208	0.302544
M2310	1	0	0	4	0	4	0	0	0	0	0	0	3	0.041817	0.008812	0.029681	0.056316
M3311	1	1	0	0	4	4	0	0	0	0	0	3	0	0.096937	0.032098	0.047208	0.157270
M4311	1	1	0	3	0	3	0	2	0	0	3	0	3	0.042022	0.010021	0.028448	0.061283
M5311	1	1	0	0	2	2	2	2	0	0	3	0	3	0.038973	0.021676	0.018207	0.078240
M53X1	1	1	0	0	3	3	1	1	0	0	3	0	3	0.029563	0.006254	0.021240	0.039455
M6311	1	1	0	2	0	2	2	2	0	0	3	0	3	0.038910	0.019769	0.018215	0.080768
M63X1	1	1	0	3	0	3	1	1	0	0	3	0	3	0.036897	0.009759	0.027538	0.059562
M7310	1	0	0	3	0	3	2	0	0	0	3	0	3	0.030018	0.006898	0.019895	0.040518
M8311	1	1	0	0	3	3	2	0	0	0	3	0	3	0.028840	0.006206	0.020092	0.038461
M9311	1	1	0	2	2	2	1	1	0	0	3	2	2	0.048928	0.017253	0.023816	0.090970
M0311	1	1	0	2	2	2	0	2	0	0	3	2	2	0.041226	0.013310	0.020710	0.067229
M03X1	1	1	0	3	2	2	0	1	0	0	3	2	2	0.031503	0.009725	0.019828	0.045669
MA311	1	1	0	2	2	2	0	0	0	0	3	2	2	0.057923	0.018825	0.037783	0.093834
MA3X1	1	1	0	2	3	2	1	0	0	0	3	2	1	0.086652	0.045278	0.046869	0.189476

Appendix C
LIP

N = 500

SUBROUTINE TAFLA:

MODEL INF.		VRN												
FN	IPR	1ST	IFI	A	F	B	D	C	K	M	MEAN	DEV	MIN	MAX
M1310	1	0	0	0	0	8	0	0	0	3	0.639077	0.000000	0.639077	0.639077
M2310	1	0	0	4	0	4	0	0	0	3	0.153121	0.044914	0.087114	0.228170
M3311	1	1	0	0	4	4	0	0	0	3	0.639077	0.000000	0.639077	0.639077
M4311	1	1	0	3	0	3	0	2	0	3	0.139375	0.027264	0.091736	0.185004
M5311	1	1	0	0	2	2	2	2	0	3	0.092083	0.125124	0.016228	0.429570
M53X1	1	1	0	0	3	3	1	1	0	3	0.091717	0.110079	0.008324	0.296460
M6311	1	1	0	2	0	2	2	2	0	3	0.134095	0.042422	0.082921	0.237919
M63X1	1	1	0	3	0	3	1	1	0	3	0.145275	0.033460	0.089118	0.196695
M7310	1	0	0	3	0	3	2	0	0	3	0.149641	0.035565	0.097572	0.203278
M8311	1	1	0	0	3	3	3	2	0	3	0.072873	0.078343	0.009928	0.264316
M9311	1	1	0	2	2	2	1	1	0	3	0.133664	0.034609	0.078830	0.206440
M0311	1	1	0	2	2	2	0	2	0	3	0.126512	0.040605	0.070653	0.210337
M03X1	1	1	0	3	2	2	0	1	0	3	0.167922	0.032996	0.125682	0.208400
MA311	1	1	0	2	2	2	2	0	0	3	0.166425	0.053571	0.107309	0.242627
MA3X1	1	1	0	2	3	2	1	0	0	3	0.150186	0.043440	0.096929	0.239142

Appendix C
LIP

N = 2000

SUBROUTINE TAFLA:

MODEL	INF.	I	VE			
			MEAN	DEV	MIN	MAX
M1310	1 0 0	0 0 8 0 0 0 3	0.136381	0.005550	0.124904	0.142690
M2310	1 0 0	4 0 4 0 0 0 3	0.035390	0.002470	0.031554	0.039954
M3311	1 1 0	0 4 4 0 0 0 3	0.111815	0.007317	0.103311	0.125980
M4311	1 1 0	3 0 3 0 2 0 3	0.035433	0.002764	0.031034	0.040064
M5311	1 1 0	0 2 2 2 2 0 3	0.034169	0.002843	0.030149	0.038792
M53X1	1 1 0	0 3 3 1 1 0 3	0.033300	0.002464	0.029364	0.037920
M6311	1 1 0	2 0 2 2 2 0 3	0.035069	0.002742	0.031176	0.039355
M63X1	1 1 0	3 0 3 1 1 0 3	0.035197	0.002679	0.031099	0.039715
M7310	1 0 0	3 0 3 2 0 0 3	0.034161	0.002496	0.030680	0.038735
M8311	1 1 0	0 3 3 2 0 0 3	0.033348	0.002446	0.029444	0.037751
M9311	1 1 0	2 2 2 1 1 0 3	0.036300	0.002979	0.031658	0.040235
M0311	1 1 0	2 2 2 0 2 0 3	0.035428	0.002878	0.030634	0.039468
M03X1	1 1 0	3 2 2 0 1 0 3	0.035831	0.002919	0.031337	0.040726
MA311	1 1 0	2 2 2 2 0 0 3	0.036834	0.003066	0.031952	0.041688
MA3X1	1 1 0	2 3 2 1 0 0 3	0.038945	0.002994	0.033701	0.043386

Appendix C
LIP

N = 2000

SUBROUTINE TAFLA:

MODEL INF.							VRS							
FN	IPR	IST	IFII	A	F	B	D	C	K	M	MEAN	DEV	MIN	MAX
M1310	1	0	0	0	0	8	0	0	0	3	0.216658	0.014496	0.201383	0.240266
M2310	1	0	0	4	0	4	0	0	0	3	0.037914	0.003391	0.034509	0.045074
M3311	1	1	0	0	4	4	0	0	0	3	0.028089	0.006443	0.018858	0.037416
M4311	1	1	0	3	0	3	0	2	0	3	0.028354	0.005560	0.020777	0.036636
M5311	1	1	0	0	2	2	2	2	0	3	0.021094	0.005037	0.015978	0.032902
M53X1	1	1	0	0	3	3	1	1	0	3	0.018378	0.001609	0.015530	0.020414
M6311	1	1	0	2	0	2	2	2	0	3	0.026572	0.006880	0.018816	0.042028
M63X1	1	1	0	3	0	3	1	1	0	3	0.026638	0.005205	0.017691	0.034360
M7310	1	0	0	3	0	3	2	0	0	3	0.024059	0.002435	0.019752	0.028096
M8311	1	1	0	0	3	3	2	0	0	3	0.018169	0.001400	0.016085	0.020010
M9311	1	1	0	2	2	2	1	1	0	3	0.034048	0.013438	0.020741	0.064208
M0311	1	1	0	2	2	2	0	2	0	3	0.026153	0.005972	0.018137	0.036623
M03X1	1	1	0	3	2	2	0	1	0	3	0.027217	0.005253	0.019305	0.034918
MA311	1	1	0	2	2	2	2	0	0	3	0.043263	0.012773	0.032083	0.076615
MA3X1	1	1	0	2	3	2	1	0	0	3	0.068723	0.015842	0.051259	0.097686

Appendix C
LIP

N = 2000

SUBROUTINE TAFLA:

MODEL INF.			VRN				
FN	IPR	IST	IFII	MEAN	DEV	MIN	MAX
A	F	B	D	C	K	M	
M1310	1	0	0	0.639077	0.000000	0.639077	0.639077
0	0	8	0	0	0	3	
M2310	1	0	0	0.136972	0.019069	0.107930	0.164765
4	0	4	0	0	0	3	
M3311	1	1	0	0.639077	0.000000	0.639077	0.639077
0	4	4	0	0	0	3	
M4311	1	1	0	0.138963	0.029385	0.107283	0.198614
3	0	3	0	2	0	3	
M5311	1	1	0	0.025633	0.018548	0.006386	0.067243
0	2	2	2	2	0	3	
M53X1	1	1	0	0.032484	0.017746	0.009872	0.065512
0	3	3	1	1	0	3	
M6311	1	1	0	0.125524	0.032075	0.081595	0.189713
2	0	2	2	2	0	3	
M63X1	1	1	0	0.153713	0.024167	0.117149	0.193510
3	0	3	1	1	0	3	
M7310	1	0	0	0.127990	0.010612	0.107762	0.141059
3	0	3	2	0	0	3	
M8311	1	1	0	0.024259	0.020191	0.006361	0.060787
0	3	3	2	0	0	3	
M9311	1	1	0	0.153047	0.027990	0.085413	0.176051
2	2	2	1	1	0	3	
M0311	1	1	0	0.129985	0.021767	0.086316	0.160080
2	2	2	0	2	0	3	
M03X1	1	1	0	0.174157	0.018122	0.139944	0.194517
3	2	2	0	1	0	3	
MA311	1	1	0	0.137797	0.024043	0.087222	0.172917
2	2	2	2	0	0	3	
MA3X1	1	1	0	0.124443	0.028332	0.084159	0.173619
2	3	2	1	0	0	3	

Appendix C
CMA # IFIST = 0

N = 100

SUBROUTINE TAFLA:

MODEL INF.							VE							
FN	IPR	IST	IFII	A	F	B	D	C	K	M	MEAN	DEV	MIN	MAX
M1310	1	0	0	0	0	8	0	0	0	3	0.111305	0.027233	0.077879	0.162200
M2310	1	0	0	4	0	4	0	0	0	3	0.039716	0.006416	0.028940	0.047733
M3411	1	1	0	0	4	4	4	0	0	4	0.408921	0.304185	0.153259	1.092426
M4411	1	1	0	3	0	3	0	2	0	4	0.048938	0.014356	0.032133	0.078923
M5411	1	1	0	0	2	2	2	2	0	4	0.093508	0.084637	0.036811	0.329827
M54X1	1	1	0	0	3	3	1	1	0	4	0.061702	0.024534	0.032315	0.119092
M6411	1	1	0	2	0	2	2	2	0	4	0.060869	0.021109	0.033381	0.100290
M64X1	1	1	0	3	0	3	1	1	0	4	0.047638	0.011292	0.032232	0.064822
M7410	1	0	0	3	0	3	2	0	0	4	0.057502	0.043138	0.030522	0.174068
M8411	1	1	0	0	3	3	2	0	0	4	0.061263	0.016415	0.035827	0.095976
M9411	1	1	0	2	2	2	1	1	0	4	0.062127	0.019533	0.032631	0.101710
M0411	1	1	0	2	2	2	0	2	0	4	0.055359	0.017061	0.033386	0.095830
M04X1	1	1	0	3	2	2	0	1	0	4	0.050448	0.011843	0.031096	0.065271
MA411	1	1	0	2	2	2	2	0	0	4	0.065579	0.016532	0.036038	0.094287
MA4X1	1	1	0	2	3	2	1	0	0	4	0.063987	0.017376	0.043392	0.104065

Appendix C
CMA # IFIST = 0

N = 100

SUBROUTINE TAFLA:

MODEL INF.							VRS							
FN	IPR	IST	IFII	A	F	B	D	C	K	M	MEAN	DEV	MIN	MAX
M1310	1	0	0	0	0	8	0	0	0	3	0.329782	0.057149	0.240806	0.430341
M2310	1	0	0	4	0	4	0	0	0	3	0.064643	0.026279	0.027798	0.121761
M3411	1	1	0	0	4	4	0	0	0	4	1.813042	3.529560	0.156047	11.763588
M4411	1	1	0	3	0	3	0	2	0	4	0.104607	0.073740	0.041646	0.291142
M5411	1	1	0	0	2	2	2	2	0	4	0.516593	0.360129	0.110924	1.050433
M54X1	1	1	0	0	3	3	1	1	0	4	0.386226	0.370210	0.081733	1.077089
M6411	1	1	0	2	0	2	2	2	0	4	0.380804	0.260138	0.112716	0.954265
M64X1	1	1	0	3	0	3	1	1	0	4	0.162934	0.096868	0.044161	0.362862
M7410	1	0	0	3	0	3	2	0	0	4	0.233993	0.394997	0.046735	1.339492
M8411	1	1	0	0	3	3	2	0	0	4	0.344679	0.265529	0.116303	0.989423
M9411	1	1	0	2	2	2	1	1	0	4	0.416150	0.354481	0.100072	1.060922
M0411	1	1	0	2	2	2	0	2	0	4	0.138961	0.085375	0.052932	0.355032
M04X1	1	1	0	3	2	2	0	1	0	4	0.089298	0.076736	0.038203	0.297891
MA411	1	1	0	2	2	2	2	0	0	4	0.265400	0.164697	0.086144	0.517488
MA4X1	1	1	0	2	3	2	1	0	0	4	0.330823	0.351683	0.066882	1.048697

Appendix C
CMA # IFIST = 0

N = 100

SUBROUTINE TAFLA:

VRN						
MODEL	INF.	I	MEAN	DEV	MIN	MAX
FN	IPR	IST	IFI			
A	F	B	D	C	K	M
M1310	1	0	0	0	0	3
0	0	8	0	0	0	3
M2310	1	0	0	4	0	4
4	0	4	0	0	0	3
M3411	1	1	0	0	4	4
0	4	4	0	0	0	4
M4411	1	1	0	3	0	3
3	0	3	0	2	0	4
M5411	1	1	0	0	2	2
0	2	2	2	2	0	4
M54X1	1	1	0	0	3	3
0	3	3	1	1	0	4
M6411	1	1	0	2	0	2
2	0	2	2	2	0	4
M64X1	1	1	0	3	0	3
3	0	3	1	1	0	4
M7410	1	0	0	3	0	3
3	0	3	2	0	0	4
M8411	1	1	0	0	3	3
0	3	3	2	0	0	4
M9411	1	1	0	2	2	2
2	2	2	1	1	0	4
M0411	1	1	0	2	2	0
2	2	2	0	2	0	4
M04X1	1	1	0	3	2	0
3	2	2	0	1	0	4
MA411	1	1	0	2	2	2
2	2	2	0	0	0	4
MA4X1	1	1	0	2	3	2
2	3	2	1	0	0	4

Appendix C
CMA # IFIST = 0

N = 500

SUBROUTINE TAFLA:

MODEL INF.		VE					
FN	IPR	IST	IFII	MEAN	DEV	MIN	MAX
A	F	B	D	C	K	M	
M1310	1	0	0	0.134504	0.017570	0.104002	0.162346
	0	0	8	0	0	0	3
M2310	1	0	0	0.035549	0.002285	0.032349	0.039092
	4	0	4	0	0	0	3
M3411	1	1	0	0.227731	0.118988	0.123989	0.474693
	0	4	4	0	0	0	4
M4411	1	1	0	0.039154	0.006079	0.033199	0.049613
	3	0	3	0	2	0	4
M5411	1	1	0	0.058732	0.026996	0.034247	0.131570
	0	2	2	2	2	0	4
M54X1	1	1	0	0.045934	0.014623	0.032573	0.081637
	0	3	3	1	1	0	4
M6411	1	1	0	0.046528	0.008756	0.033558	0.062280
	2	0	2	2	2	0	4
M64X1	1	1	0	0.040315	0.005588	0.032853	0.047900
	3	0	3	1	1	0	4
M7410	1	0	0	0.043042	0.018509	0.032770	0.093270
	3	0	3	2	0	0	4
M8411	1	1	0	0.045644	0.012260	0.034016	0.077529
	0	3	3	2	0	0	4
M9411	1	1	0	0.047479	0.010779	0.034610	0.070407
	2	2	2	1	1	0	4
M0411	1	1	0	0.040649	0.005854	0.033655	0.052727
	2	2	2	0	2	0	4
M04X1	1	1	0	0.039047	0.004124	0.033010	0.044214
	3	2	2	0	1	0	4
MA411	1	1	0	0.045459	0.005148	0.035874	0.052418
	2	2	2	2	0	0	4
MA4X1	1	1	0	0.048349	0.010700	0.040339	0.075216
	2	3	2	1	0	0	4

Appendix C
CMA # IFIST = 0

N = 500

SUBROUTINE TAFLA:

MODEL INF.	VRS						
		F N I P R I S T I F I I	A F B D C K M	MEAN	DEV	MIN	MAX
M1310 1 0 0 0 0 8 0 0 0 3	0.229529	0.034624	0.193208	0.302544			
M2310 1 0 0 4 0 4 0 0 0 3	0.041817	0.008812	0.029681	0.056316			
M3411 1 1 0 0 4 4 0 0 0 4	0.163075	0.207953	0.019571	0.680841			
M4411 1 1 0 3 0 3 0 2 0 4	0.033954	0.011584	0.019718	0.062975			
M5411 1 1 0 0 2 2 2 2 0 4	0.319106	0.352230	0.019373	1.001346			
M54X1 1 1 0 0 3 3 1 1 0 4	0.166265	0.292146	0.025643	0.954460			
M6411 1 1 0 2 0 2 2 2 0 4	0.138524	0.108739	0.036552	0.310070			
M64X1 1 1 0 3 0 3 1 1 0 4	0.086480	0.052775	0.019186	0.154685			
M7410 1 0 0 3 0 3 2 0 0 4	0.159670	0.335967	0.026041	1.096281			
M8411 1 1 0 0 3 3 2 0 0 4	0.138209	0.287494	0.021854	0.954892			
M9411 1 1 0 2 2 2 1 1 0 4	0.153386	0.073954	0.025431	0.270938			
M0411 1 1 0 2 2 2 0 2 0 4	0.039940	0.025320	0.017761	0.103136			
M04X1 1 1 0 3 2 2 0 1 0 4	0.029798	0.017604	0.017026	0.071446			
MA411 1 1 0 2 2 2 2 0 0 4	0.120036	0.054979	0.028348	0.216146			
MA4X1 1 1 0 2 3 2 1 0 0 4	0.199056	0.240233	0.062169	0.859039			

Appendix C
CMA # IFIST = 0

N = 500

SUBROUTINE TAFLA:

MODEL	INF.	I	VRN			
			MEAN	DEV	MIN	MAX
M1310	1 0 0	0 0 8 0 0 0 3	0.639077	0.000000	0.639077	0.639077
M2310	1 0 0	4 0 4 0 0 0 3	0.153121	0.044914	0.087114	0.228170
M3411	1 1 0	0 4 4 0 0 0 4	0.639077	0.000000	0.639077	0.639077
M4411	1 1 0	3 0 3 0 2 0 4	0.169720	0.025983	0.125577	0.199573
M5411	1 1 0	0 2 2 2 2 0 4	0.696735	0.793455	0.032226	2.584596
M54X1	1 1 0	0 3 3 1 1 0 4	0.348535	0.409058	0.010199	1.285505
M6411	1 1 0	2 0 2 2 2 0 4	0.899463	1.594644	0.090072	5.033643
M64X1	1 1 0	3 0 3 1 1 0 4	0.259013	0.232944	0.077212	0.840200
M7410	1 0 0	3 0 3 2 0 0 4	0.513677	0.855287	0.108424	2.784766
M8411	1 1 0	0 3 3 2 0 0 4	0.300780	0.352510	0.016853	1.211449
M9411	1 1 0	2 2 2 1 1 0 4	1.180834	1.756288	0.066687	5.308486
M0411	1 1 0	2 2 2 0 2 0 4	0.160445	0.076171	0.079742	0.325797
M04X1	1 1 0	3 2 2 0 1 0 4	0.189039	0.080230	0.072934	0.365490
MA411	1 1 0	2 2 2 2 0 0 4	0.511855	0.572982	0.063528	1.936498
MA4X1	1 1 0	2 3 2 1 0 0 4	0.722027	0.984287	0.066245	2.601852

Appendix C
CMA # IFIST = 0

N = 2000

SUBROUTINE TAFLA:

MODEL INF.	FN IPR IST IFII A F B D C K M	VE			
		MEAN	DEV	MIN	MAX
M1310 1 0 0 0 0 8 0 0 0 3		0.136381	0.005550	0.124904	0.142690
M2310 1 0 0 4 0 4 0 0 0 3		0.035390	0.002470	0.031554	0.039954
M3411 1 1 0 0 4 4 0 0 0 4		0.137820	0.039680	0.106568	0.225857
M4411 1 1 0 3 0 3 0 2 0 4		0.035969	0.003981	0.030896	0.044941
M5411 1 1 0 0 2 2 2 2 0 4		0.045908	0.015674	0.030096	0.086168
M54X1 1 1 0 0 3 3 1 1 0 4		0.038267	0.008851	0.029627	0.057080
M6411 1 1 0 2 0 2 2 2 0 4		0.040037	0.006551	0.030758	0.050262
M64X1 1 1 0 3 0 3 1 1 0 4		0.037629	0.003670	0.033629	0.044434
M7410 1 0 0 3 0 3 2 0 0 4		0.039283	0.012589	0.030778	0.072881
M8411 1 1 0 0 3 3 2 0 0 4		0.038567	0.010958	0.029916	0.068426
M9411 1 1 0 2 2 2 1 1 0 4		0.040374	0.004310	0.031660	0.048503
M0411 1 1 0 2 2 2 0 2 0 4		0.036007	0.003598	0.031515	0.041160
M04X1 1 1 0 3 2 2 0 1 0 4		0.035998	0.002818	0.031157	0.040223
MA411 1 1 0 2 2 2 2 0 0 4		0.040120	0.003595	0.033807	0.045801
MA4X1 1 1 0 2 3 2 1 0 0 4		0.041519	0.005971	0.035641	0.053957

Appendix C
CMA # IFIST = 0

N = 2000

SUBROUTINE TAFLA:

MODEL INF.							VRS							
FN	IPR	IST	IFII	A	F	B	D	C	K	M	MEAN	DEV	MIN	MAX
M1310	1	0	0	0	0	8	0	0	0	3	0.216658	0.014496	0.201383	0.240266
M2310	1	0	0	4	0	4	0	0	0	3	0.037914	0.003391	0.034509	0.045074
M3411	1	1	0	0	4	4	0	0	0	4	0.029623	0.012747	0.014453	0.057828
M4411	1	1	0	3	0	3	0	2	0	4	0.022724	0.003766	0.018744	0.028999
M5411	1	1	0	0	2	2	2	2	0	4	0.144571	0.267107	0.018688	0.864284
M54X1	1	1	0	0	3	3	1	1	0	4	0.045803	0.062863	0.018447	0.220174
M6411	1	1	0	2	0	2	2	2	0	4	0.051504	0.042902	0.020144	0.126416
M64X1	1	1	0	3	0	3	1	1	0	4	0.052326	0.031314	0.019025	0.088661
M7410	1	0	0	3	0	3	2	0	0	4	0.141541	0.315100	0.021705	1.023547
M8411	1	1	0	0	3	3	2	0	0	4	0.039399	0.058290	0.018321	0.205137
M9411	1	1	0	2	2	2	1	1	0	4	0.111850	0.055526	0.022020	0.210069
M0411	1	1	0	2	2	2	0	2	0	4	0.029207	0.022023	0.016989	0.090751
M04X1	1	1	0	3	2	2	0	1	0	4	0.027774	0.017532	0.016004	0.063125
MA411	1	1	0	2	2	2	2	0	0	4	0.086789	0.032692	0.033433	0.142156
MA4X1	1	1	0	2	3	2	1	0	0	4	0.078764	0.044511	0.025545	0.194619

Appendix C
CMA # IFIST = 0

N = 2000

SUBROUTINE TAFLA:

MODEL	INF.	I	VRN										
			A	F	B	D	C	K	M	MEAN	DEV	MIN	MAX
M1310	1	0	0	0	0	0	0	0	3	0.639077	0.000000	0.639077	0.639077
M2310	1	0	0	4	0	4	0	0	3	0.136972	0.019069	0.107930	0.164765
M3411	1	1	0	0	4	4	4	0	0	0.639077	0.000000	0.639077	0.639077
M4411	1	1	0	3	0	3	0	2	0	0.148089	0.029485	0.118807	0.213277
M5411	1	1	0	0	2	2	2	2	0	0.580185	0.971431	0.021603	2.924808
M54X1	1	1	0	0	3	3	1	1	0	0.145081	0.188433	0.011220	0.614478
M6411	1	1	0	2	0	2	2	2	0	0.209498	0.146837	0.111681	0.548258
M64X1	1	1	0	3	0	3	1	1	0	0.160951	0.032825	0.126182	0.235066
M7410	1	0	0	3	0	3	2	0	0	0.449379	0.854657	0.117734	2.850376
M8411	1	1	0	0	3	3	2	0	0	0.203035	0.477979	0.007800	1.560137
M9411	1	1	0	2	2	2	1	1	0	0.290913	0.173616	0.065695	0.588783
M0411	1	1	0	2	2	2	0	2	0	0.118836	0.029603	0.059421	0.169149
M04X1	1	1	0	3	2	2	0	1	0	0.154887	0.050057	0.062746	0.221368
MA411	1	1	0	2	2	2	2	0	0	0.160244	0.091507	0.077017	0.375647
MA4X1	1	1	0	2	3	2	1	0	0	0.223494	0.244078	0.054598	0.719730

Appendix C
CMA # IFIST = 50

N = 100

SUBROUTINE TAFLA:

MODEL INF.		I	MEAN	I	DEV	I	VE	I	I
FN	IPR	IST	IFII						
A	F	B	D	C	K	M	I		
M34Z1	1	1	50	I				I	I
0	4	4	0	0	0	4	I	0.345687	I
							I	0.252056	I
							I	0.156741	I
							I	1.029811	I
M44Z1	1	1	50	I				I	I
3	0	3	0	2	0	4	I	0.042825	I
							I	0.009140	I
							I	0.030178	I
							I	0.061591	I
M54Z1	1	1	50	I				I	I
0	2	2	2	2	0	4	I	0.050968	I
							I	0.010463	I
							I	0.030158	I
							I	0.072094	I
X54Z1	1	1	50	I				I	I
0	3	3	1	1	0	4	I	0.046476	I
							I	0.007784	I
							I	0.031460	I
							I	0.055471	I
M64Z1	1	1	50	I				I	I
2	0	2	2	2	0	4	I	0.048808	I
							I	0.012177	I
							I	0.031090	I
							I	0.076179	I
X64Z1	1	1	50	I				I	I
3	0	3	1	1	0	4	I	0.042726	I
							I	0.008041	I
							I	0.030986	I
							I	0.054557	I
M74Z0	1	1	50	I				I	I
3	0	3	2	0	0	4	I	0.040126	I
							I	0.006725	I
							I	0.029637	I
							I	0.050658	I
M84Z1	1	1	50	I				I	I
0	3	3	2	0	0	4	I	0.046644	I
							I	0.006593	I
							I	0.033541	I
							I	0.055380	I
M94Z1	1	1	50	I				I	I
2	2	2	1	1	0	4	I	0.048264	I
							I	0.010797	I
							I	0.034777	I
							I	0.071172	I
M04Z1	1	1	50	I				I	I
2	2	2	0	2	0	4	I	0.050935	I
							I	0.013779	I
							I	0.030123	I
							I	0.081138	I
X04Z1	1	1	50	I				I	I
3	2	2	0	1	0	4	I	0.048589	I
							I	0.016214	I
							I	0.029893	I
							I	0.034963	I
MA4Z1	1	1	50	I				I	I
2	2	2	2	0	0	4	I	0.049131	I
							I	0.011082	I
							I	0.031830	I
							I	0.065455	I
XA4Z1	1	1	50	I				I	I
2	3	2	1	0	0	4	I	0.049633	I
							I	0.007930	I
							I	0.033739	I
							I	0.061507	I

Appendix C
CMA # IFIST = 50

N = 100

SUBROUTINE TAFLA:

MODEL	INF.	I	VRS	I	I										
FN	IPR	IST	IFII	I	I	I	I								
A	F	B	D	C	K	M	I	MEAN	I	DEV	I	MIN	I	MAX	I
M34Z1	1	1	50	I					I		I		I		I
0	4	4	0	0	0	4	I	4.516824	I	11.879302	I	0.266741	I	38.312447	I
M44Z1	1	1	50	I					I		I		I		I
3	0	3	0	2	0	4	I	0.068922	I	0.025278	I	0.033162	I	0.110355	I
M54Z1	1	1	50	I					I		I		I		I
0	2	2	2	2	0	4	I	0.105234	I	0.056418	I	0.022407	I	0.183155	I
X54Z1	1	1	50	I					I		I		I		I
0	3	3	1	1	0	4	I	0.085804	I	0.034904	I	0.046782	I	0.143760	I
M64Z1	1	1	50	I					I		I		I		I
2	0	2	2	2	0	4	I	0.092722	I	0.051389	I	0.036502	I	0.212120	I
X64Z1	1	1	50	I					I		I		I		I
3	0	3	1	1	0	4	I	0.090644	I	0.038141	I	0.039008	I	0.152616	I
M74Z0	1	1	50	I					I		I		I		I
3	0	3	2	0	0	4	I	0.060720	I	0.020307	I	0.028575	I	0.097069	I
M84Z1	1	1	50	I					I		I		I		I
0	3	3	2	0	0	4	I	0.072502	I	0.027654	I	0.024288	I	0.112870	I
M94Z1	1	1	50	I					I		I		I		I
2	2	2	1	1	0	4	I	0.152027	I	0.122180	I	0.038593	I	0.463090	I
M04Z1	1	1	50	I					I		I		I		I
2	2	2	0	2	0	4	I	0.098280	I	0.057192	I	0.028207	I	0.218662	I
X04Z1	1	1	50	I					I		I		I		I
3	2	2	0	1	0	4	I	0.062319	I	0.028522	I	0.024734	I	0.114927	I
MA4Z1	1	1	50	I					I		I		I		I
2	2	2	2	0	0	4	I	0.125158	I	0.040709	I	0.072302	I	0.170121	I
XAAZ1	1	1	50	I					I		I		I		I
2	3	2	1	0	0	4	I	0.113112	I	0.039853	I	0.053420	I	0.173590	I

Appendix C
CMA # IFIST = 50

N = 100

SUBROUTINE TAFLA:

MODEL	INF.	I	VRN	I											
FN	IPR	IST	IFII	I											
A	F	B	D	C	K	M	I	MEAN	I	DEV	I	MIN	I	MAX	I
M34Z1	1	1	50	I	I	I	I	0.639077	I	0.000000	I	0.639077	I	0.639077	I
0	4	4	0	0	0	4	I	0.639077	I	0.000000	I	0.639077	I	0.639077	I
M44Z1	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
3	0	3	0	2	0	4	I	0.245016	I	0.121941	I	0.102216	I	0.454445	I
M54Z1	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
0	2	2	2	2	0	4	I	0.224607	I	0.217364	I	0.048722	I	0.734478	I
X54Z1	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
0	3	3	1	1	0	4	I	0.278931	I	0.492977	I	0.018196	I	1.607566	I
M64Z1	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
2	0	2	2	2	0	4	I	0.208884	I	0.129933	I	0.057399	I	0.457301	I
X64Z1	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
3	0	3	1	1	0	4	I	0.256878	I	0.162208	I	0.063164	I	0.650561	I
M74Z0	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
3	0	3	2	0	0	4	I	0.184289	I	0.122297	I	0.083766	I	0.503028	I
M84Z1	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
0	3	3	2	0	0	4	I	0.509842	I	1.121060	I	0.004539	I	3.680140	I
M94Z1	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
2	2	2	1	1	0	4	I	0.692453	I	1.632071	I	0.083331	I	5.326800	I
M04Z1	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
2	2	2	0	2	0	4	I	0.249953	I	0.170328	I	0.078025	I	0.617256	I
X04Z1	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
3	2	2	0	1	0	4	I	0.265869	I	0.180019	I	0.109861	I	0.738064	I
MA4Z1	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
2	2	2	2	0	0	4	I	0.249002	I	0.256989	I	0.062763	I	0.812273	I
XAAZ1	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
2	3	2	1	0	0	4	I	0.738690	I	1.759630	I	0.072418	I	5.735079	I

Appendix C
CMA # IFIST = 50

N = 500

SUBROUTINE TAFLA:

MODEL	INF.	I	VE	I	I											
FN	IPR	IST	IFII	I	I	I										
A	F	B	D	C	K	M	I	MEAN	I	DEV	I	MIN	I	MAX	I	
M34Z1	1	1	50	I					I		I		I		I	
0	4	4	0	0	0	4	I	0.395696	I	0.706264	I	0.127958	I	2.404092	I	
M44Z1	1	1	50	I					I		I		I		I	
3	0	3	0	2	0	4	I	0.037167	I	0.003526	I	0.032891	I	0.041973	I	
M54Z1	1	1	50	I					I		I		I		I	
0	2	2	2	2	0	4	I	0.038012	I	0.003689	I	0.033260	I	0.043592	I	
X54Z1	1	1	50	I					I		I		I		I	
0	3	3	1	1	0	4	I	0.036219	I	0.002462	I	0.032281	I	0.039107	I	
M64Z1	1	1	50	I					I		I		I		I	
2	0	2	2	2	0	4	I	0.038171	I	0.004202	I	0.032905	I	0.045827	I	
X64Z1	1	1	50	I					I		I		I		I	
3	0	3	1	1	0	4	I	0.037421	I	0.002957	I	0.033480	I	0.041818	I	
M74Z0	1	1	50	I					I		I		I		I	
3	0	3	2	0	0	4	I	0.035573	I	0.002316	I	0.032611	I	0.038493	I	
M84Z1	1	1	50	I					I		I		I		I	
0	3	3	2	0	0	4	I	0.036339	I	0.002337	I	0.032763	I	0.039610	I	
M94Z1	1	1	50	I					I		I		I		I	
2	2	2	1	1	0	4	I	0.038609	I	0.002962	I	0.033811	I	0.043760	I	
M04Z1	1	1	50	I					I		I		I		I	
2	2	2	0	2	0	4	I	0.038589	I	0.003929	I	0.032991	I	0.046663	I	
X04Z1	1	1	50	I					I		I		I		I	
3	2	2	0	1	0	4	I	0.037796	I	0.004466	I	0.032857	I	0.046358	I	
MA4Z1	1	1	50	I					I		I		I		I	
2	2	2	2	0	0	4	I	0.039717	I	0.003571	I	0.033714	I	0.044762	I	
XA4Z1	1	1	50	I					I		I		I		I	
2	3	2	1	0	0	4	I	0.040520	I	0.002676	I	0.035031	I	0.043116	I	

Appendix C
CMA # IFIST = 50

N = 500

SUBROUTINE TAFLA:

MODEL	INF.	I	VRS	I											
FN	IPR	IST	IFII	I	I	I	I	I							
A	F	B	D	C	K	M	I	MEAN	I	DEV	I	MIN	I	MAX	I
M34Z1	1	1	50	I					I		I		I		I
0	4	4	0	0	0	4	I	0.200082	I	0.306100	I	0.028330	I	1.048513	I
M44Z1	1	1	50	I					I		I		I		I
3	0	3	0	2	0	4	I	0.029651	I	0.007113	I	0.018443	I	0.042103	I
M54Z1	1	1	50	I					I		I		I		I
0	2	2	2	2	0	4	I	0.027673	I	0.011764	I	0.016939	I	0.053149	I
X54Z1	1	1	50	I					I		I		I		I
0	3	3	1	1	0	4	I	0.028745	I	0.009241	I	0.016621	I	0.045531	I
M64Z1	1	1	50	I					I		I		I		I
2	0	2	2	2	0	4	I	0.032818	I	0.020828	I	0.019026	I	0.089934	I
X64Z1	1	1	50	I					I		I		I		I
3	0	3	1	1	0	4	I	0.043129	I	0.019690	I	0.018336	I	0.078457	I
M74Z0	1	1	50	I					I		I		I		I
3	0	3	2	0	0	4	I	0.028298	I	0.005983	I	0.020357	I	0.038604	I
M84Z1	1	1	50	I					I		I		I		I
0	3	3	2	0	0	4	I	0.027538	I	0.009669	I	0.016443	I	0.047901	I
M94Z1	1	1	50	I					I		I		I		I
2	2	2	1	1	0	4	I	0.046003	I	0.029274	I	0.021160	I	0.112251	I
M04Z1	1	1	50	I					I		I		I		I
2	2	2	0	2	0	4	I	0.034521	I	0.019629	I	0.020542	I	0.087769	I
X04Z1	1	1	50	I					I		I		I		I
3	2	2	0	1	0	4	I	0.025769	I	0.011221	I	0.016964	I	0.055213	I
MA4Z1	1	1	50	I					I		I		I		I
2	2	2	2	0	0	4	I	0.060768	I	0.019289	I	0.042743	I	0.108400	I
XA4Z1	1	1	50	I					I		I		I		I
-2	3	2	1	0	0	4	I	0.077755	I	0.026391	I	0.027701	I	0.129580	I

Appendix C
CMA # IFIST = 50

N = 500

SUBROUTINE TAFLA:

MODEL	INF.	I	VRN	I											
FN	IPR	IST	IFII	I											
A	F	B	D	C	K	M	I	MEAN	I	DEV	I	MIN	I	MAX	I
M34Z1	1	1	50	I	I	I	I	0.639077	I	0.000000	I	0.639077	I	0.639077	I
0	4	4	0	0	0	4	I	0.174880	I	0.030486	I	0.129388	I	0.204763	I
M44Z1	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
3	0	3	0	2	0	4	I	0.093397	I	0.089349	I	0.013322	I	0.271416	I
M54Z1	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
0	2	2	2	2	0	4	I	0.114951	I	0.139562	I	0.009060	I	0.340736	I
X54Z1	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
0	3	3	1	1	0	4	I	0.150056	I	0.031931	I	0.104040	I	0.191205	I
M64Z1	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
2	0	2	2	2	0	4	I	0.143264	I	0.038736	I	0.092389	I	0.208349	I
X64Z1	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
3	0	3	1	1	0	4	I	0.151857	I	0.046720	I	0.071427	I	0.225008	I
M84Z1	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
0	3	3	2	0	0	4	I	0.182264	I	0.040293	I	0.109921	I	0.238426	I
M94Z1	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
2	2	2	1	1	0	4	I	0.153576	I	0.048111	I	0.088776	I	0.223753	I
XAA4Z1	1	1	50	I	I	I	I	I	I	I	I	I	I	I	I
2	3	2	1	0	0	4	I	0.134189	I	0.053945	I	0.079032	I	0.220350	I

Appendix C
CMA # IFIST = 50

N = 2000

SUBROUTINE TAFLA:

MODEL	INF.	I	VE	I												
FN	IPR	IST	IFII	I												
A	F	B	D	C	K	M	I	MEAN	I	DEV	I	MIN	I	MAX	I	
M34Z1	1	1	50	I					I		I		I		I	
0	4	4	0	0	0	4	I	0.183211	I	0.195619	I	0.105191	I	0.739877	I	
M44Z1	1	1	50	I					I		I		I		I	
3	0	3	0	2	0	4	I	0.035070	I	0.002812	I	0.030710	I	0.040149	I	
M54Z1	1	1	50	I					I		I		I		I	
0	2	2	2	2	0	4	I	0.033844	I	0.002667	I	0.030088	I	0.038707	I	
X54Z1	1	1	50	I					I		I		I		I	
0	3	3	1	1	0	4	I	0.033314	I	0.002406	I	0.029494	I	0.037839	I	
M64Z1	1	1	50	I					I		I		I		I	
2	0	2	2	2	0	4	I	0.034899	I	0.002925	I	0.030889	I	0.040076	I	
X64Z1	1	1	50	I					I		I		I		I	
3	0	3	1	1	0	4	I	0.035833	I	0.002485	I	0.031371	I	0.040061	I	
M74Z0	1	1	50	I					I		I		I		I	
3	0	3	2	0	0	4	I	0.034273	I	0.002523	I	0.030749	I	0.038967	I	
M84Z1	1	1	50	I					I		I		I		I	
0	3	3	2	0	0	4	I	0.033359	I	0.002365	I	0.029624	I	0.037721	I	
M94Z1	1	1	50	I					I		I		I		I	
2	2	2	1	1	0	4	I	0.035811	I	0.002536	I	0.032816	I	0.039800	I	
X04Z1	1	1	50	I					I		I		I		I	
3	2	2	0	1	0	4	I	0.035391	I	0.002859	I	0.031113	I	0.040604	I	
MA4Z1	1	1	50	I					I		I		I		I	
2	2	2	2	0	0	4	I	0.036922	I	0.003107	I	0.032049	I	0.041852	I	
XA4Z1	1	1	50	I					I		I		I		I	
2	3	2	1	0	0	4	I	0.038020	I	0.002894	I	0.033695	I	0.042296	I	

Appendix C
CMA # IFIST = 50

N = 2000

SUBROUTINE TAFLA:

MODEL INF.		VRS				I	
FN	IFR	IST	IFII	I	I	I	I
A	F	B	D	C	K	M	I
				MEAN	DEV	MIN	MAX
M34Z1	1	1	50	I	I	I	I
0	4	4	0	0	0	0	I
				0.029855	0.013428	0.016954	0.056691
M44Z1	1	1	50	I	I	I	I
3	0	3	0	2	0	4	I
				0.021119	0.003034	0.017484	0.028715
M54Z1	1	1	50	I	I	I	I
0	2	2	2	2	0	4	I
				0.019771	0.001712	0.017699	0.022254
X54Z1	1	1	50	I	I	I	I
0	3	3	1	1	0	4	I
				0.020473	0.002716	0.016566	0.026515
M64Z1	1	1	50	I	I	I	I
2	0	2	2	2	0	4	I
				0.021952	0.004128	0.018913	0.032851
X64Z1	1	1	50	I	I	I	I
3	0	3	1	1	0	4	I
				0.031864	0.022247	0.018840	0.075172
M74Z0	1	1	50	I	I	I	I
3	0	3	2	0	0	4	I
				0.023163	0.001874	0.020631	0.026838
M84Z1	1	1	50	I	I	I	I
0	3	3	2	0	0	4	I
				0.019808	0.002252	0.016746	0.024462
M94Z1	1	1	50	I	I	I	I
2	2	2	1	1	0	4	I
				0.029573	0.015327	0.019385	0.065491
M04Z1	1	1	50	I	I	I	I
2	2	2	0	2	0	4	I
				0.024194	0.014156	0.018278	0.064312
X04Z1	1	1	50	I	I	I	I
3	2	2	0	1	0	4	I
				0.020608	0.002762	0.016527	0.025827
MA4Z1	1	1	50	I	I	I	I
2	2	2	2	0	0	4	I
				0.045989	0.018530	0.035175	0.097624
XA4Z1	1	1	50	I	I	I	I
2	3	2	1	0	0	4	I
				0.062696	0.014483	0.022898	0.070963

Appendix C
CMA # IFIST = 50

N = 2000

SUBROUTINE TAFLA:

MODEL INF.		I	VRN				I
FN	IFR	IST	IFII	I	I	I	I
A	F	B	D	C	K	M	I
				MEAN	I	DEV	I
					I	I	I
M34Z1	1	1	50	I	I	I	I
0	4	4	0	0	0	4	I
				0.639077	I	0.000000	I
					I	0.639077	I
					I	0.639077	I
M44Z1	1	1	50	I	I	I	I
3	0	3	0	2	0	4	I
				0.140407	I	0.025216	I
					I	0.111819	I
					I	0.173215	I
M54Z1	1	1	50	I	I	I	I
0	2	2	2	2	0	4	I
				0.035887	I	0.028681	I
					I	0.013051	I
					I	0.093679	I
X54Z1	1	1	50	I	I	I	I
0	3	3	1	1	0	4	I
				0.044351	I	0.033672	I
					I	0.014319	I
					I	0.109518	I
M64Z1	1	1	50	I	I	I	I
2	0	2	2	2	0	4	I
				0.119367	I	0.014687	I
					I	0.096449	I
					I	0.143325	I
X64Z1	1	1	50	I	I	I	I
3	0	3	1	1	0	4	I
				0.158821	I	0.014243	I
					I	0.138203	I
					I	0.187658	I
M74Z0	1	1	50	I	I	I	I
3	0	3	2	0	0	4	I
				0.132286	I	0.010818	I
					I	0.117392	I
					I	0.148318	I
M84Z1	1	1	50	I	I	I	I
0	3	3	2	0	0	4	I
				0.031971	I	0.033262	I
					I	0.006254	I
					I	0.097672	I
M94Z1	1	1	50	I	I	I	I
2	2	2	1	1	0	4	I
				0.137582	I	0.039493	I
					I	0.044946	I
					I	0.167240	I
M04Z1	1	1	50	I	I	I	I
2	2	2	0	2	0	4	I
				0.117595	I	0.015727	I
					I	0.079464	I
					I	0.134709	I
X04Z1	1	1	50	I	I	I	I
3	2	2	0	1	0	4	I
				0.165906	I	0.013365	I
					I	0.145344	I
					I	0.188609	I
MA4Z1	1	1	50	I	I	I	I
2	2	2	2	0	0	4	I
				0.130906	I	0.024297	I
					I	0.071661	I
					I	0.150932	I
XA4Z1	1	1	50	I	I	I	I
2	3	2	1	0	0	4	I
				0.095182	I	0.027344	I
					I	0.069003	I
					I	0.154856	I

Program Listings

Ref.: H. Gunnarsson:
Recursive Identification using
a General Model Structure.
A Program Package and Simulations.

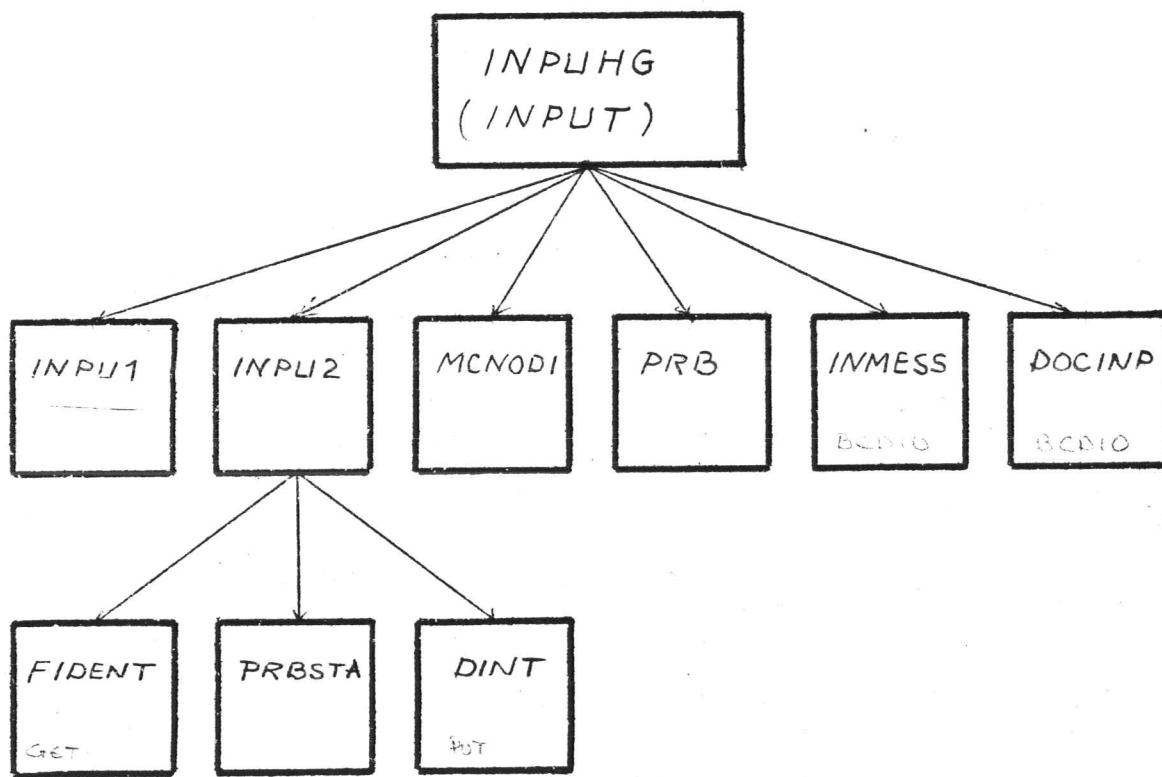
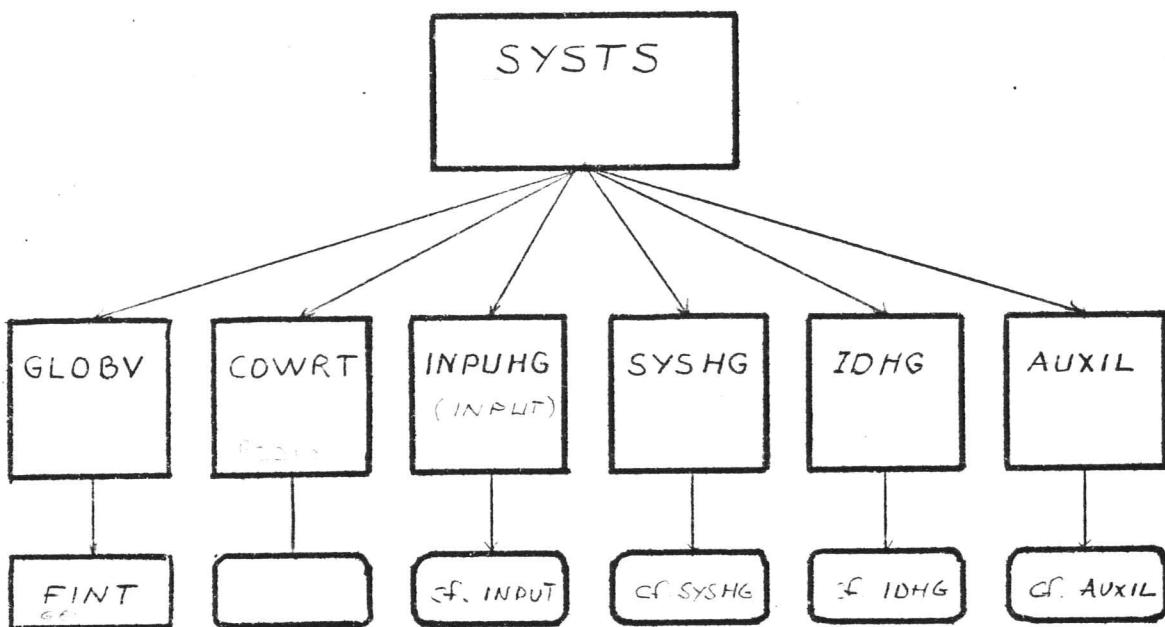
All programs are written in STANDARD FORTRAN with the exceptions given below. The following remarks may be of use for a prospective user.

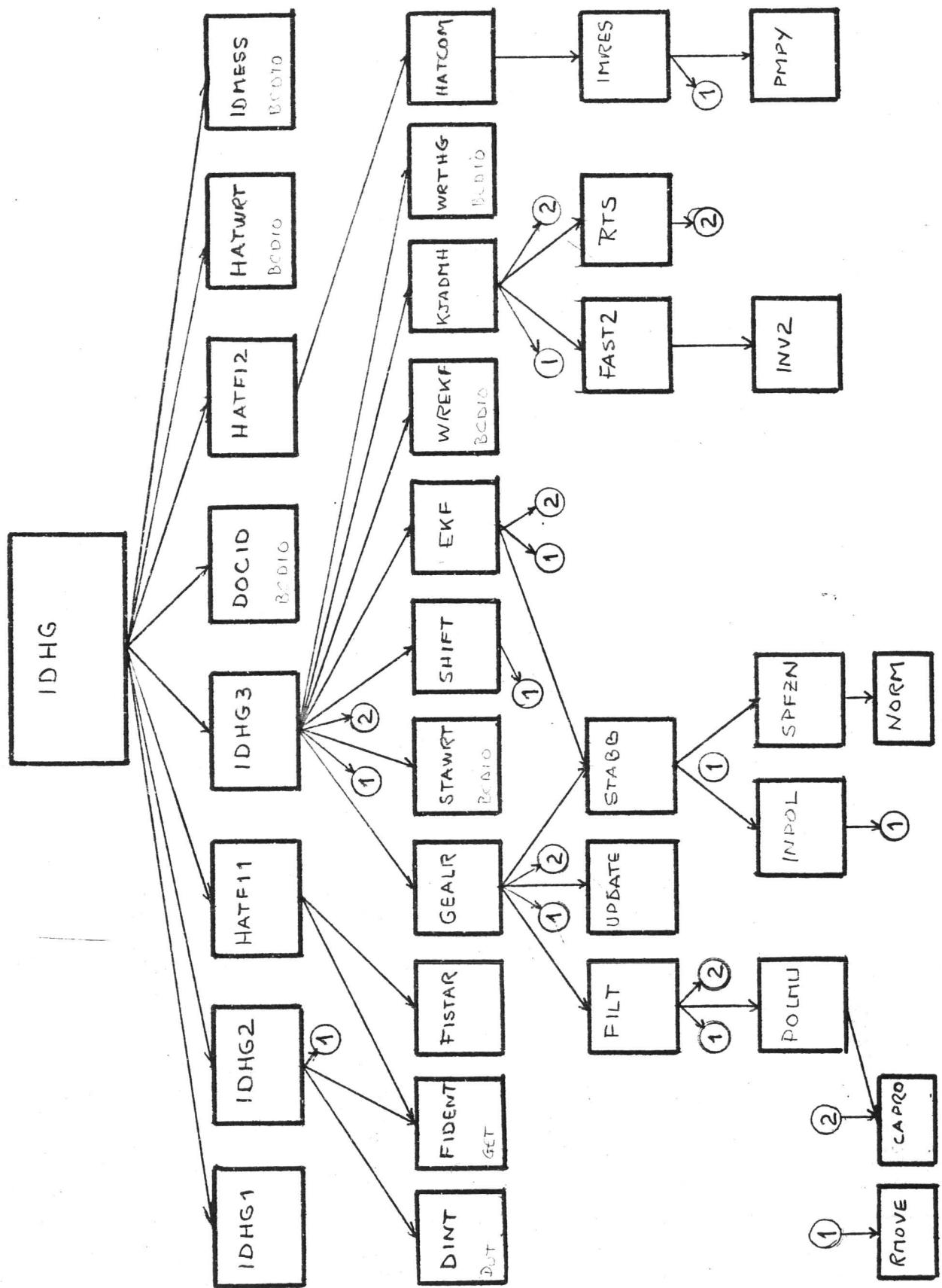
The library subroutine FILES (PDP-15) turned out to exist in more than one version so that the system routines FSTAT, SEEK, ENTER, CLOSE (and DLETE, RNAM) were used instead (cf. the PDP-manuals). These may have to be changed for use on other computers.

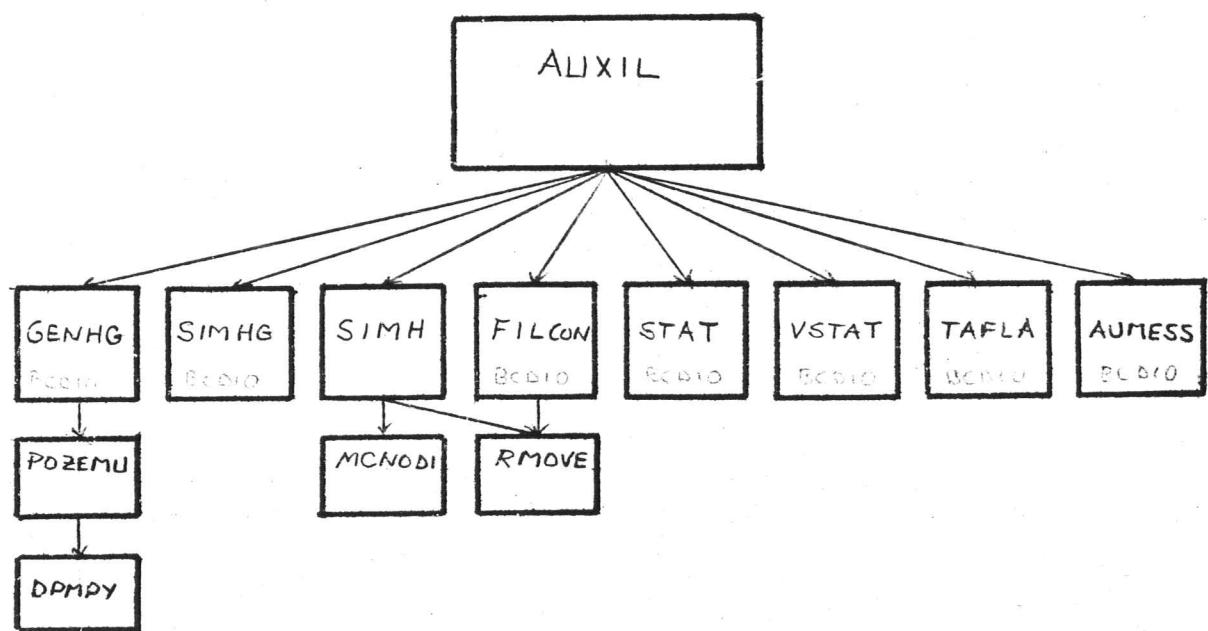
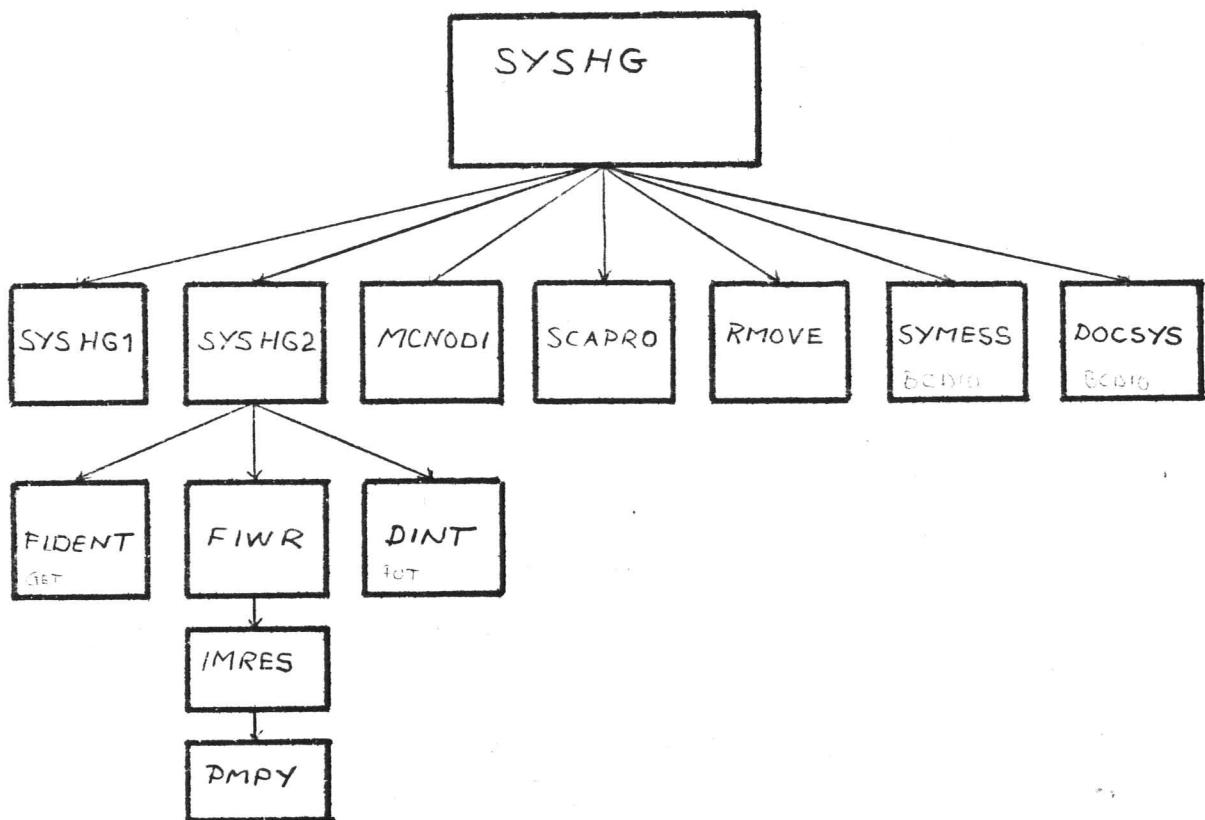
In the subsystem AUXIL the programs ask for input values. To get the cursor to stop at the end of the type-out on the terminal a special FORTRAN construction was used. May not work on other computers.

The library subroutines RMOVE, SCAPRO, POLMU, MCNODI, PRB and PRBSTA must be available or the programs must be changed accordingly. The SIMNON/INTRAC routines IDENT, INPUT, OUTPUT, PAR, PARV, TSAMP, FINT, DINT, FIDENT are assumed to function in the same manner as on the PDP-15.

The figures below show the subroutine trees i.e. the program structure. May be helpful when designing an overlay core memory structure. Note that each subsystem is self contained i.e. with its own error routine and does not have to be run together with the other subsystems. No changes or only minor ones are needed to run the subsystems with other SIMNON subsystems written in FORTRAN viz. changes to avoid conflicts with the other programs in the use of blank COMMON.







NUMBER:

NAME: HGC0M

SUBTITLE: BLANK COMMON IN HGPAC

LANGUAGE: STANDARD FORTRAN

AUTHOR AND
IMPLEMENTOR: HALLGRIMUR GUNNARSSON

DATE: 1978-06-22

INSTITUTE:

DEPARTMENT OF AUTOMATIC CONTROL
LUND INSTITUTE OF TECHNOLOGY, SWEDEN

ACCEPTED:

VERSION:

LOGICAL LSTOP,LDARK,MSTOP
LOGICAL SA,IV,LFILT,PRERE,STABC,LSPFZCOMMON/DESTIN/IDUM,IPART
COMMON/TIME/T
COMMON/USER/LSTOP,LDARKCOMMON LDK1,LDK2,KMESS,MSTOP,INHG,ISYSH,IDLH,LINES,DOC,IYEAR,
* MONTH, IDAY, ISIMN, LDK3, IDM2, IDM3, IDM4

COMMON FNRS,FNRN,FNIM,FNST,FNWX,FNWy,DM5,DM6

COMMON TYP,RIODD,RNBIT,RKNEP,RISTA,RNC1,RNC2,BPD,IBP,
* IXBP,K2,TSI,DTI,EI,SD,PRBS,U1,U2,W1(11),NC1,NC2,NTYP,IODD,
* NBIT,LA,IX,AMP,YI,FILN,ISTAR,KNEP,DM13,DM14COMMON RNFS,RNAS,RNBS,RNDS,RNCS,RNODD,RKDS,RIMR,DM15,DM16,
* DM17,NIMR,NPMAX,KDMAX,DM18,DM19,DM20,DM21,US,YS,TSS,DTS,
* RLAMB,YLEV,THS(30),SPHI(30),OLDU(7),NFS,NAS,NBS,NDS,NCS,NST1,
* NST2,NST3,NST4,NST5,NPS1,NPS2,NPAR,NP1,KDS,KDX,NODD,V1,Z1,ES,Y1,
* DM22,DM23,DM24,DM25,DM26COMMON IDM27,DM28,DM29,DM30,RMET0,RKD,RSTAB,RPRER,RFIST,
* FIGE,UINVA,RNFST,RWRT,RWRT1,RWRTN,RHAT,RHATN,WTI,RNF,RNA,RNB,
* RND,RNC,PEST,TH0(10),PO(10),TH10(10),P10(10),ISTAB,IPRER,DM31,
* IDM32,DM33,DM34,METOD,IWRT,IWRT1,IWRTN,IHAT,IHATN,NSH(5),
* ICK,ISAMP,IFIST,SA,IV,LFILT,PRERE,STABC,LSPFZ,DM1,
* DM2,NF,NA,NB,ND,NC,KD,NPDIM,IPDIM,IST1,IST2,IST3,IST4,IST5,
* IPS1,IPS2,NPD1,INVAU,DM35,FIGE,NFST,WV,V,WTO,TS,DT,WRES,RLIM,
* DELTA,Y,WT,RES,U,RKJ,W01(6),R1(10),P(10,10),TH(10),S(5,20),
* PHI(10),OLDTH(10),Z(10),WPSI(10),TH1(10),Z2(20),FI(100),
* P1(10,10),TK(100),TA(100,2),TB(100,2),E(2,2)

COMMON RSUB

STOP
END

Main and Common Programs

C NAME: SYSTS NUMBER:
C -----
C
C SUBTITLE: PROGRAM TO LINK HGPAC TO SIMNON
C -----
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SUBROUTINE
C -----
C

IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1978-06-22

INSTITUTE:

DEPARTMENT OF AUTOMATIC CONTROL
LUND INSTITUTE OF TECHNOLOGY, SWEDEN

ACCEPTED:

VERSION:

SUBROUTINES REQUIRED:

GLOBV	SYSHG	IDHG2	IMRES	STABB	STAT
COWRT	SYSHG1	IDHG3	WRTHG	EKF	FILCON
NAMES	SYSHG2	SHIFT	DOCID	KJADMH	AUMESS
INPUHG	SYMESS	HATFI1	IDMESS	AUXIL	
INPU1	DOCSYS	HATFI2	STAWRT	GENHG	
INPU2	FIWR	FISTAR	GEALR	POZEMU	
INMESS	IDHG	HATCOM	FILT	SIMHG	
DOCINP	IDHG1	HATWR	UPDATE	SIMH	

SPFZN	INPOL	RTS	FAST2	INV2	PMPY	DPMPY
-------	-------	-----	-------	------	------	-------

LIBRARY SUBROUTINES:

FIDENT	FINT	DINT	RMOVE	SCAPRO	
NORM	MCNODI	PRB	PRBSTA	GET	PUT

Main and Common Programs

```
C
C
C      REF.
C      H.GUNNARSSON:    RECURSIVE IDENTIFICATION USING A
C                      GENERAL MODEL STRUCTURE. A PROGRAM
C                      PACKAGE AND SIMULATIONS.
C
C
C-----  

C          SUBROUTINE SYSTS
C
C          COMMON/DESTIN/ISYST,IPART
C          COMMON/NSYSTS/NSYST
C          COMMON/NBLCOM/IBLC
C
C          COMMON IDM1(9),IYEAR
C
C          NSYST=5
C          IBLC=2505
C
C
C          IF(IPART.EQ.1.OR.IPART.EQ.4) CALL GLOBV
C          IF(IYEAR.EQ.-901) CALL COWRT
C
C          GO TO(1,2,3,4,5),ISYST
C
C          1  CALL INPUHG
C             RETURN
C
C          2  CALL SYSHG
C             RETURN
C
C          3  CALL IDHG
C             RETURN
C
C          4  CALL AUXIL
C             RETURN
C
C          5  CONTINUE
C             RETURN
C
C          END
```

Main and Common Programs

C NAME: GLOBV NUMBER:
C -----
C
C SUBTITLE: TO GET VALUES OF GLOBAL VARIABLES
C -----
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SUBROUTINE
C -----
C
C AUTHOR AND
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1978-06-22
C -----
C
C INSTITUTE:
C -----
C DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN

C ACCEPTED: VERSION:
C -----
C-----
C-----

C SUBROUTINES REQUIRED: FINT GET
C-----
C-----
C SUBROUTINE GLOBV
C
C LOGICAL LSTOP,MSTOP
C
C COMMON/USER/LSTOP
C COMMON LUN1,LUN2
C COMMON KMESS,MSTOP,KDUM(4),IDOC,IYEAR,MONTH,IDAY,ISIMAN,LUN3
C
C DATA RLU1,RLU2,RLU3/'LUN1','LUN2','LUN3'/
C
C CALL FINT(5HISIMN,5H ,ISIMAN,IND1)
C IF(IND1.LE.0) GO TO 10
C ISIMAN=0
C
C 10 CALL FINT(5HIYEAR,5H ,IYEAR,IND1)
C IF(IND1.LE.0) GO TO 20
C IYEAR=0
C
C 20 CALL FINT(5HMONTH,5H ,MONTH,IND1)
C IF(IND1.LE.0) GO TO 30
C MONTH=0
C
C 30 CALL FINT(4HIDAY,4H ,IDAY,IND1)

Main and Common Programs

```
        IF(IND1.LE.0) GO TO 40
        IDAY=0
C      40  CALL FINT(4HLUN1,4H      ,LUN1,IND1)
        IF(IND1.LE.0) GO TO 45
        LUN1=5
        GO TO 50
      45  IF(LUN1.GE.1.AND.LUN1.LE.16) GO TO 50
          WRITE(9,1000) RLU1
          GO TO 99
C      50  CALL FINT(4HLUN2,4H      ,LUN2,IND1)
        IF(IND1.LE.0) GO TO 55
        LUN2=7
      55  IF(LUN2.GE.1.AND.LUN2.LE.16.AND.LUN1.NE.LUN2) GO TO 60
          WRITE(9,1000) RLU2
          GO TO 99
C      60  CALL FINT(4HLUN3,4H      ,LUN3,IND1)
        IF(IND1.LE.0) GO TO 65
        LUN3=3
      65  IF(LUN3.GE.1.AND.LUN3.LE.16.AND.LUN3.NE.LUN1.AND.LUN3.NE.LUN2)
          * GO TO 70
          WRITE(9,1000) RLU3
          GO TO 99
C      70  CALL FINT(4HIDOC,4H      ,IDOC,IND1)
        IF(IND1.LE.0) GO TO 80
        IDOC=0
C      1000 FORMAT(1X,A5,' HAS BAD VALUE')
C
C      80  RETURN
C
      99  LSTOP=.TRUE.
          KMESS=100
          RETURN
          END
```

Main and Common Programs

C NAME: IMRES NUMBER:
C -----
C
C SUBTITLE:
C -----
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SUBROUTINE
C -----
C
C KEYWORDS:
C -----
C
C AUTHOR AND
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1978-06-22
C -----
C
C INSTITUTE:
C -----
C DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
C -----
C
C-----
C
C PURPOSE:
C -----
C GIVEN A PARAMETER VECTOR TH THE SUBROUTINE COMPUTES THE FIRST
C 100 IMPULSE RESPONSE COEFFICIENTS (VECTOR H) OF EITHER THE
C DETERMINISTIC PART (ITYP=0) OR THE NOISE PART (ITYP=1)
C
C PARAMETERS:
C -----
C IMRES(ITYP,N,NSTART,TH,H)
C TH - VECTOR OF PARAMETER ESTIMATES
C (F,A,B,D,C) CF.MODEL BELOW
C N(1)=NF NSTART(1)=1
C N(2)=NA NSTART(2)=1+NF
C N(3)=NB NSTART(3)=1+NF+NA
C N(4)=ND NSTART(4)=1+NF+NA+N
C N(5)=NC NSTART(5)=1+NF+NA+N+ND
C
C B 1+C
C (1+F)*Y(T)= *U(T) + *BC(T)
C 1+A 1+D
C
C ITYP=0 ITYP=1

Main and Common Programs

```

C      SUBROUTINES REQUIRED:    PMPY      RMOVE
C
C-----  

C      SUBROUTINE IMRES(ITYP,N,NSTART,TH,H)
C
C      DIMENSION BC(30),FAD(30),U(130),Y(130),W1(30),X(30)
*   ,N(1),NSTART(1),TH(1),H(1)
C
C      K=2*ITYP
C      NP=N(K+2)
C      NN=N(K+3)
C      NST1=NSTART(K+2)
C      NST2=NSTART(K+3)
C      FAD(1)=1.
C      BC(1)=1.
C      CALL RMOVE(TH(NST1),1,FAD(2),1,NP)
C      CALL RMOVE(TH(NST2),1,BC(2),1,NN)
C
C      IFAD=NP+1
C      IBC=NN+1
C
C      IF(N(1).EQ.0) GO TO 60
C      W1(1)=1.
C      NF=N(1)
C      CALL RMOVE(TH(1),1,W1(2),1,NF)
C      CALL PMPY(X,IX,FAD,IFAD,W1,NF+1)
C      IFAD=IX
C      NP=IFAD-1
C      DO 10 I=1,IX
10    FAD(I)=X(I)
C
C      INITIALIZATION
60    DO 70 I=1,130
        U(I)=0.
70    Y(I)=0.
        U(31)=1.
C
C      COMPUTATION OF THE FIRST 100 IMPULSE RESPONSE COEFFICIENTS
DO 110 I=31,130
IF(NP.LE.0) GO TO 90
DO 80 J=1,np
80    Y(I)=Y(I)-FAD(J+1)*Y(I-J)
90    DO 100 J=1,IBC
100   Y(I)=Y(I)+BC(J+1-ITYP)*U(I-J+ITYP)
110   H(I-30)=Y(I)
C
C      RETURN
END

```

Main and Common Programs

```

C      NAME: PMPY                      NUMBER:
C      -----
C
C      SUBTITLE: MULTIPLIES TWO REAL POLYNOMIALS
C      -----
C
C      LANGUAGE: STANDARD FORTRAN
C      -----
C
C      PROGRAM TYPE: SUBROUTINE
C      -----
C
C      INSTITUTE:
C      -----
C      DEPARTMENT OF AUTOMATIC CONTROL
C      LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C      ACCEPTED:                         VERSION:
C      -----
C
C
C
C-----  

C
C      SUBROUTINE PMPY(Z,IDIMZ,X,IDIMX,Y,IDIMY)
C
C      DIMENSION Z(1),X(1),Y(1)
C
C      IF(IDIMX*IDIMY) 10,10,20
10    IDIMZ=0
      GO TO 50
C
20    IDIMZ=IDIMX+IDIMY-1
      DO 30 I=1,IDIMZ
30    Z(I)=0.
C
      DO 40 I=1,IDIMX
      DO 40 J=1,IDIMY
      K=I+J-1
40    Z(K)=X(I)*Y(J)+Z(K)
50    RETURN
      END

```

Subsystem INPUT

```

C      NAME: INPUHG                      NUMBER:
C      -----
C
C      LANGUAGE: STANDARD FORTRAN
C      -----
C
C      PROGRAM TYPE:
C      -----
C      SIMNON STRUCTURED SUBROUTINE
C
C      AUTHOR AND
C      IMPLEMENTOR: HALLGRIMUR GUNNARSSON      DATE: 1978-06-22
C      -----
C
C      INSTITUTE:
C      -----
C      DEPARTMENT OF AUTOMATIC CONTROL
C      LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C      ACCEPTED:                         VERSION:
C      -----
C
C-----  

C
C      PURPOSE:
C      =====
C      TO GENERATE, OR READ FROM A FILE, INPUT SIGNALS TO
C      OTHER SIMNON PROGRAMS.
C
C
C      THE PROGRAM GIVES DIFFERENT OUTPUTS, DEPENDING ON THE
C      PARAMETER NTYP
C
C      NTYP=1  - GIVES OUTPUT E AS WHITE NOISE WITH STANDARD
C              DEVIATION SD.
C      NTYP=2  - GIVES OUTPUT PRBS AS PSEUDO RANDOM BINARY
C              SEQUENCE
C      NTYP=3  - GIVES OUTPUT U1 (AND U2 OPT.) BY READING FROM
C              A DATA FILE AT EVERY SAMPLING EVENT.
C
C
C      GLOBAL VARIABLES: (DEFAULT VALUES [ ] )
C      -----
C      LDK1   - [5] LOGICAL UNIT NO. (.DAT SLOT)
C      LDK2   - [7]          DO.
C      IYEAR  - [0]
C      MONTH  - [0]
C      IDAY   - [0]
C      IDOC   - [0] IF IDOC=1 A DOCUMENTATION PAGE IS PRINTED OUT
C                  AT THE END OF EVERY SIMULATION
C      NB.    THESE VARIABLES ARE SET OUTSIDE INPUHG BY A CALL
C             TO THE SUBROUTINE GLOBV FROM SYSTS
C      FILN   - THE NAME OF THE FILE TO BE READ

```

Subsystem INPUT

```

C
C      OUTPUTS:
C      -----
C      E      - WHITE NOISE OUTPUT
C      PRBS   - PSEUDO RANDOM BINARY SEQUENCE OUTPUT
C      U1     - OUTPUT READ FROM A DATA FILE COLNR.=NC1
C      U2     - OUTPUT READ FROM A DATA FILE COLNR.=NC2
C              VALID ONLY IF NC2>0
C
C
C      SIMNON* PARAMETERS/PROGRAM VARIABLES      DEFAULT VALUE: [ ]
C      -----
C
C      NTYP*   - [0] TYPE OF OUTPUT (SEE ABOVE)
C
C      IODD*   - [95] ODD NUMBER,STARTING VALUE FOR THE NOISE GENERATOR
C      SD*     - [1.] STANDARD DEVIATION
C
C      IBP*    - [1] BASIC PERIOD
C      NBIT*   - [7] NUMBER OF BITS IN THE SHIFT REGISTER RANGE (3,17)
C      AMP*    - [1.] AMPLITUDE OF THE OUTPUT SIGNAL (PRBS)
C      KNEP*   - [0] 1=FOA-KNEP 0=NO KNEP
C      ISTAR*  - [1] SPECIFIES A STARTING POINT IN THE SEQUENCE 1,2,3,4
C      LA      - THE FEEDBACK POLYNOMIAL
C      IX      - THE SHIFT REGISTER
C      Y       - OUTPUT FROM PRB
C
C      NC1*    - [1] COLUMN NUMBER IN DATA FILE FOR OUTPUT U1
C      NC2*    - [0] COLUMN NUMBER IN DATA FILE FOR OUTPUT U2
C      FILN    - THE NAME OF THE FILE TO BE READ
C      K2      - NUMBER OF COLUMNS IN FILE
C
C      DT*     - [1.] THE SAMPLING INTERVAL
C      TS*     - TSAMP
C      W1      - WORK VECTOR          SIZE(11)
C
C
C      CHARACTERISTICS:
C      -----
C
C      SUBROUTINES REQUIRED:          (LIBRARY)
C      -----
C      INPU1           FIDENT
C      INPU2           DINT
C      INMESS          MCNODE
C      DOCINP          PRB
C                           PRBSTA
C
C
C-----
```

Subsystem INPUT

```

        SUBROUTINE INPUHG
        =====
C
C      LOGICAL LSTOP,MSTOP
C
C      COMMON/DESTIN/IDUM,IPART
C      COMMON/TIME/T
C      COMMON/USER/LSTOP
C
C      COMMON LDK1,LDK2,KMESS,MSTOP,IDL1(4),IDOC,IDL2(38),IBP,IXBP,K2,
C      * TS,DT,E,SD,PRBS,U1,U2,W1(11),NC1,NC2,NTYP,IODD,NBIT,LA,IX,AMP,Y
C
C      GO TO(1,1,1,4,5,6,7,8),IPART
C-----
C
C      IDENTIFICATION-DECLARATIONS-CONSTANT ASSIGNMENTS
C      =====
C
1      CALL INPU1
      RETURN
C
C-----  

C
C      INITIAL
C      =====
4      CALL INPU2
      RETURN
C
C-----  

C
C      OUTPUT
C      =====
5      GO TO (51,52,53),NTYP
C
51     CALL MCNODI(IODD,E)
      E=SD*E
      RETURN
C
52     IXBP=IXBP-1
      IF(IXBP.GT.0) RETURN
      CALL PRB(NBIT,LA,IX,AMP,Y)
      PRBS=Y
      IXBP=IBP
      RETURN
C
53     READ(LDK2,END=90) (W1(I),I=1,K2)
      U1=W1(1)
      IF(NC2.GT.0) U2=W1(NC2)
      RETURN
C
C-----  

C
C      DYNAMICS
C      =====

```

Subsystem INPUT

```
6      TS=T+DT
      RETURN
C
C-----7      RETURN
C
C-----C      FINAL COMPUTATIONS
C-----=====
8      IF(NTYP.EQ.3) CALL CLOSE(LDK2)
      IF(MSTOP)CALL INMESS
      IF(KMESS.EQ.1.AND.IDOC.EQ.1) CALL DOCINP
      RETURN
C
C-----C
C-----C
90      KMESS=11
91      MSTOP=.TRUE.
      LSTOP=.TRUE.
      RETURN
      END
```

Subsystem INPUT

```

C      NAME: INPU1                               NUMBER:
C      -----
C
C      LANGUAGE: STANDARD FORTRAN
C      -----
C
C      PROGRAM TYPE:
C      -----
C      SIMNON STRUCTURED SUBROUTINE
C
C      AUTHOR AND
C      IMPLEMENTOR: HALLGRIMUR GUNNARSSON        DATE: 1978-06-22
C      -----
C
C      INSTITUTE:
C      -----
C      DEPARTMENT OF AUTOMATIC CONTROL
C      LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C      ACCEPTED:                                VERSION:
C      -----
C
C
C
C-----PURPOSE:
C-----TO PERFORM PARTS 1,2 AND 3 OF INPUHG
C CF. COMMENTS TO INPUHG
C
C-----SUBROUTINE INPU1
C-----LOGICAL LSTOP,MSTOP
C
C      COMMON/DESTIN/IDUM,IPART
C      COMMON/USER/LSTOP
C
C      COMMON IDM1(2),KMESS,MSTOP,INHG,ISYSH,IDH,IDL2(24),TYP,RIODD,
C      * RNBIT,RKNEP,RISTA,RNC1,RNC2,BPD,IBP,IXBP,K2,TS,DT,E,SD,PRBS,
C      * U1,U2,IDL2(27),LA,IX,AMP,Y
C
C
C-----GO TO(1,2,3,99,99,99,99,99)
C-----IPART

```

Subsystem INPUT

```
C          IDENTIFICATION
C          =====
C  1  CALL IDENT(5HDISCR,5HINPUT)
C      INHG=0
C      ISYSH=0
C      IDH=0
C      RETURN
C
C-----  
C          DECLARATIONS
C          =====
C
C  2  CALL OUTPUT(E,4HE   )
C      CALL OUTPUT(PRBS,4HPRBS)
C      CALL OUTPUT(U1,4HU1   )
C      CALL OUTPUT(U2,4HU2   )
C
C      CALL PAR(TYP,4HNTYP)
C
C      CALL PAR(RIODD,4HIODD)
C      CALL PAR(SD,4HSD   )
C
C      CALL PAR(BPD,4HIBP )
C      CALL PAR(RNBIT,4HNBIT)
C      CALL PAR(AMP,4HAMP )
C      CALL PAR(RKNEP,4HKNEP)
C      CALL PAR(RISTA,5HISTAR)
C
C      CALL PAR(RNC1,4HNC1 )
C      CALL PAR(RNC2,4HNC2 )
C
C      CALL PAR(DT,4HDT  )
C      CALL TSAMP(TS,4HTS  )
C
C      RETURN
C
C-----  
C          CONSTANT ASSIGNMENTS
C          =====
C
C  3  MSTOP=.FALSE.
C      KMESS=1
C
C      RIODD=95.
C      SD=1.
C      E=0.
C
C      BPD=1.0
C      PRBS=0.
C      AMP=1.
C      RKNEP=0.
```

Subsystem INPUT

```
LA=0
IX=0
Y=0.
RISTA=1.
RNBIT=7.

C
RNC1=1.
RNC2=0.
U1=0.
U2=0.

C
DT=1.
INHG=1

C
RETURN
C-----  
99 LSTOP=.TRUE.
MSTOP=.TRUE.
RETURN
END
```

Subsystem INPUT

```

C      NAME: INPU2          NUMBER:
C      -----
C
C      LANGUAGE: STANDARD FORTRAN
C      -----
C
C      PROGRAM TYPE: SUBROUTINE
C      -----
C
C      AUTHOR AND           DATE: 1978-06-22
C      IMPLEMENTOR: HALLGRIMUR GUNNARSSON
C      -----
C
C      INSTITUTE:
C      -----
C      DEPARTMENT OF AUTOMATIC CONTROL
C      LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C      ACCEPTED:           VERSION:
C      -----
C
C
C-----PURPOSE:
C-----TO PERFORM PART 4 OF INPUHG
C      CF. COMMENTS TO INPUHG
C-----SUBROUTINE INPU2
C-----LOGICAL LSTOP,MSTOP
C-----DIMENSION FNAM(2)
C-----COMMON/USER/LSTOP
C
C      COMMON LDK1,LDK2,KMESS,MSTOP,INHG,ISYSH,IDH,IDL1(5),ISIMN,
*      IDM2(18),TYP,RIODD,RNBIT,RKNEP,RISTA,RNC1,RNC2,BPD,IBP,IXBP,
*      K2,IDL4(26),KOD(10),NC1,NC2,NTYP,IODD,NBIT,LA,IX,AMP,Y,FILN,
*      ISTAR,KNEP
C
C      DATA FNAM(2)/*' BIN'/
C

```

Subsystem INPUT

```

C-----
C
C      INITIAL
C      =====
C
4   MSTOP=.FALSE.
KMESS=1
IXBP=1
C
NTYP=TYP+0.1
IODED=RIODD+0.1
C
IBP=BPD+0.1
NBIT=RNBIT+0.1
KNEP=RKNEP+0.1
ISTAR=RISTA+0.1
C
NC1=RNC1+0.1
NC2=RNC2+0.1
C
C
IF(NTYP.LT.1.OR.NTYP.GT.3) KMESS=2
IF(MOD(IODED,2).EQ.0.OR.IODED.LT.1) KMESS=3
IF(NBIT.LT.3.OR.NBIT.GT.17) KMESS=4
IF(KNEP.LT.0.OR.KNEP.GT.1) KMESS=5
IF(ISTAR.LT.1.OR.ISTAR.GT.4) KMESS=6
IF(NC1.LT.1) KMESS=7
IF(KMESS.GT.1) GO TO 99
C
C
IF(NTYP.NE.3) GO TO 20
CALL FIDENT('FILN',4H      ,FILN,IND1)
IF(IND1.EQ.0) GO TO 5
KMESS=9
GO TO 99
C
5   FNAM(1)=FILN
CALL FSTAT(LDK2,FNAM,J)
IF(J.EQ.0) GO TO 91
CALL SEEK(LDK2,FNAM)
READ(LDK2,END=90) (KOD(I),I=1,10)
K2=KOD(2)
IF(NC1.GT.11.OR.NC2.GT.11.OR.NC1.GT.K2.OR.NC2.GT.K2) KMESS=10
IF(KMESS.GT.1) GO TO 99
C
C
20  IF(NTYP.EQ.2) CALL PRBSTA(NBIT,LA,IX,AMP,Y,ISTAR,KNEP)
IF(IDH.EQ.1.OR.ISYSH.EQ.1) RETURN
ISIMN=ISIMN+1
CALL DINT(' ISIMN',4H      ,ISIMN,IND1)
IF(IND1.GT.0) GO TO 92
RETURN
C

```

Subsystem INPUT

C-----
C
90 KMESS=11
GO TO 99
91 KMESS=12
GO TO 99
92 KMESS=8
99 MSTOP=.TRUE.
100 LSTOP=.TRUE.
RETURN
END

Subsystem INPUT

C NAME: INMESS NUMBER:
C ----
C
C SUBTITLE: ERROR MESSAGES
C -----
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SUBROUTINE
C -----
C
C AUTHOR AND
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1978-06-22
C -----
C
C INSTITUTE:
C -----
C DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN

C ACCEPTED: VERSION:
C -----
C
C
C-----

C GIVES ERROR MESSAGES FOR THE SYSTEM INPUT (INPUHG) WHEN
C SIMULATIONS HAVE TO BE STOPPED
C-----

C
C SUBROUTINE INMESS
C
C LOGICAL MSTOP
C
C COMMON IDM1(2),KMESS,MSTOP,IDL2(93),FILN
C
C IF(KMESS.GE.13) RETURN
C
C LU=9
C MSTOP=.FALSE.
C
C WRITE(LU,1000)
C 1000 FORMAT(' SYSTEM INPUT')
C
C GO TO(1,2,3,4,5,6,7,8,9,10,11,12),KMESS
C-----

Subsystem INPUT

```

1   WRITE(LU,101)
2   GO TO 100
2   WRITE(LU,102)
3   GO TO 100
3   WRITE(LU,103)
4   GO TO 100
4   WRITE(LU,104)
5   GO TO 100
5   WRITE(LU,105)
6   GO TO 100
6   WRITE(LU,106)
7   GO TO 100
7   WRITE(LU,107)
8   GO TO 100
8   WRITE(LU,108)
9   GO TO 100
9   WRITE(LU,109)
10  GO TO 100
10  WRITE(LU,110) FILN
11  GO TO 100
11  WRITE(LU,111) FILN
12  GO TO 100
12  WRITE(LU,112) FILN
100 RETURN
C
C
101 FORMAT(' HVERNIG TOKST DETTA*** FEL I PROGRAM***')
C
C
102 FORMAT(' PAR NTYP MUST BE 1,2 OR 3')
103 FORMAT(' PAR IODD MUST BE AN ODD NUMBER IN THE RANGE 0-131072')
104 FORMAT(' PAR NBIT MUST BE IN THE RANGE (3,17)')
105 FORMAT(' PAR KNEP MUST BE EQUAL TO ZERO OR 1')
106 FORMAT(' PAR ISTAR MUST BE 1,2,3 OR 4')
107 FORMAT(' PAR NC1 MUST BE GREATER OR EQUAL TO ONE')
108 FORMAT(' THE DEPOSIT OF A NEW VALUE FOR THE GLOBAL
* VARIABLE ISIMN FAILED')
109 FORMAT(' FILN IS UNDEFINED')
110 FORMAT(' PAR NC1(OR NC2)>11 OR NC1(OR NC2)> NUMBER OF COLUMNS IN
* THE INPUT FILE ',A5)
111 FORMAT(' EOF     END OF FILE ',A5)
112 FORMAT(' FILE ',A5,' NOT FOUND')

C
C
END

```

Subsystem INPUT

```

C      NAME: DOCINP          NUMBER:
C      -----
C
C      SUBTITLE: DOCUMENTATION FOR THE SYSTEM INPUT (INPUHG)
C      -----
C
C      LANGUAGE: STANDARD FORTRAN
C      -----
C
C      PROGRAM TYPE: SUBROUTINE
C      -----
C
C      AUTHOR AND           DATE: 1978-06-22
C      IMPLEMENTOR: HALLGRIMUR GUNNARSSON
C      -----
C
C      INSTITUTE:
C      -----
C      DEPARTMENT OF AUTOMATIC CONTROL
C      LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C      ACCEPTED:           VERSION:
C      -----
C
C
C-----SUBROUTINE DOCINP
C
C      COMMON IDM1(7),LINES,IDOC,IYEAR,MONTH,IDAY,ISIMN,IDL2(20),RIODD,
*     IDM3(12),IBP,IDL5(4),DTI,EI,SD,IDL4(28),NC1,NC2,NTYP,IODD,NBIT,
*     LA,IX,AMP,YI,FILN,ISTAR,KNEP
C
C      LODD=RIODD+0.1
C
C
C      WRITE(6,10) ISIMN
10   FORMAT('1DOCUMENTATION',35X,'SIMU. NO:',I11)
      WRITE(6,20) IYEAR,MONTH,IDAY
20   FORMAT(' ****',35X,'DATE    :',I5,'-',I2,'-',I2)
      LINES=2
C
C      WRITE(6,30)
30   FORMAT(// ' SYSTEM INPUT:')
      WRITE(6,40)
40   FORMAT(' -----')
      WRITE(6,50) NTYP
50   FORMAT(' NTYP =',I9)
      WRITE(6,60) NBIT,NC1
60   FORMAT(25X,'NBIT =',I9,9X,'NC1  =',I9)
      WRITE(6,70) LODD,KNEP,NC2
70   FORMAT(' IODD =',I9,9X,'KNEP =',I9,9X,'NC2  =',I9)
      WRITE(6,80) SD,ISTAR,FILN

```

Subsystem INPUT

```
80  FORMAT(' SD   =',G13.6,5X,'ISTAR=',I9,9X,'FILN =',4X,A5)
    WRITE(6,85) IBP
85  FORMAT(25X,'IBP  =',I9)
    WRITE(6,90) DTI,AMP
90  FORMAT(' DT   =',G13.6,5X,'AMP  =',G13.6)
    LINES=LINES+10
C
    RETURN
    END
```

Subsystem SYSHG

C NAME: SYSHG NUMBER:
C -----
C
C SUBTITLE:
C -----
C SIMULATION OF A SINGLE INPUT, SINGLE OUTPUT
C SYSTEM OF A GENERAL STRUCTURE.
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SIMNON STRUCTURED SUBROUTINE
C -----
C
C KEYWORDS:
C -----
C
C AUTHOR AND
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1979-02-18
C -----
C
C INSTITUTE:
C -----
C DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN

C ACCEPTED: VERSION:
C -----
C
C-----

C PURPOSE:
C -----
C TO COMPUTE THE OUTPUT FROM A SINGLE INPUT, SINGLE OUTPUT
C SYSTEM OF A GENERAL STRUCTURE (GIVEN BELOW).
C

C THE SYSTEM STRUCTURE:

$$C \quad \frac{B}{(1+F)*Y_1(T)} = \frac{1+C}{1+A} *U(T-KD) + \frac{-1}{1+D} *E(T) \quad (1)$$

$$C \quad Y(T) = Y_1(T) + YLEV \quad (2)$$

C WHERE F,A,B,D AND C ARE POLYNOMIALS IN Q (THE BACKWARDS SHIFT
C OPERATOR) OF ORDERS NFS,NAS,NBS,NDS AND NCS RESPECTIVELY SUCH
C THAT F(0)=0, A(0)=0 ETC.
C Y(T) IS THE OUTPUT, U(T) IS THE INPUT AND E(T) IS A SEQUENCE OF
C INDEPENDENT RANDOM N(0,LAMB) VARIABLES. YLEV IS A CONSTANT AND
C KD THE TIME DELAY.

Subsystem SYSHG

```

C
C      INTRODUCE:
C
C          B
C      Z(T) = --- *U(T-KD)    OR    Z(T) = -A*Z(T) + B*U(T-KD)      (3)
C          1+A
C
C          1+C
C      V(T) = --- *E(T)        OR    V(T) = -D*V(T) + C*E(T)      (4)
C          1+D
C
C      THE OUTPUT Y IS COMPUTED AS:
C
C      Y1(T) = PHI(T) *THETA + E(T)      (# THE TRANSPOSED VECTOR) (5)
C
C      Y(T) = Y1(T) + YLEV             (6)
C
C      WHERE:
C
C          I -Y1(T-1)      I          I F(1)      I
C          I :           I          I :       I
C          I :           I          I :       I
C          I -Y1(T-NFS)    I          I F(NFS)   I
C          I -Z(T-1)       I          I A(1)     I
C          I :           I          I :       I
C          I :           I          I :       I
C          I -Z(T-NAS)    I          I A(NAS)   I
C          I U(T-KD-1)    I          I B(1)     I
C          I :           I          I :       I
C      PHI(T) = I :           I          AND THETA = I :       I      (7), (8)
C          I :           I          I :       I
C          I :           I          I B(NBS)   I
C          I U(T-KD-NBS)  I          I D(1)     I
C          I -V(T-1)       I          I :       I
C          I :           I          I :       I
C          I :           I          I D(NDS)   I
C          I -V(T-NDS)    I          I C(1)     I
C          I E(T-1)       I          I :       I
C          I :           I          I :       I
C          I E(T-NCS)    I          I C(NCS)   I
C
C
C      GLOBAL VARIABLES:  (DEFAULT VALUES [ ] )
C
C      -----
C      LDK1   - [5] LOGICAL UNIT NO. (.DAT SLOT)
C      LDK2   - [7]           DO.
C      IYEAR  - [0]
C      MONTH  - [0]
C      IDAY   - [0]

```

Subsystem SYSHG

C IDOC - [0] IF IDOC=1 A DOCUMENTATION PAGE IS PRINTED
 C AT THE END OF EVERY SIMULATION
 C NB: THESE VARIABLES ARE SET OUTSIDE SYSHG BY A CALL
 C TO THE SUBROUTINE GLOBV FROM SYSTS
 C FNRS - FILE NAMES FOR THE SYSTEM RESP. NOISE IMPULSE
 C FNRN RESPONSES. SEE PAR NIMR.

C OUTPUT:

C -----
 C Y - THE OUTPUT OF THE SYSTEM CF.EQ.4

C INPUT:

C -----
 C U - THE INPUT TO THE SYSTEM CF.EQ.4

C PARAMETERS:

C -----
 C NFS - THE ORDER OF THE F-POLYNOMIAL
 C NAS - THE ORDER OF THE A-POLYNOMIAL
 C NBS - THE ORDER OF THE B-POLYNOMIAL
 C NDS - THE ORDER OF THE D-POLYNOMIAL
 C NCS - THE ORDER OF THE C-POLYNOMIAL
 C KD - THE TIME DELAY NOTE: NPAR=NFS+NAS+NBS+NDS+NCS<31
 C THS - VECTOR OF SYSTEM PARAMETERS (THETA) SEE EQ.8
 (FPAR,APAR,BPAR,DPAR,CPAR)
 C YLEV - CONSTANT ADDED TO THE OUTPUT OF THE SYSTEM
 C LAMB - STANDARD DEVIATION OF THE NOISE
 C NODD - STARTING VALUE FOR THE RANDOM NUMBER GENERATOR
 C DT - SAMPLING PERIOD
 C NIMR - PARAMETER TO DECIDE WHETHER THE IMPULSE RESPONSES
 C OF THE DETERMINISTIC AND THE NOISE PARTS OF THE SYSTEM
 C ARE TO BE COMPUTED AND PLACED ON FILES FNRS,FNRN
 C NIMR=0 NOT COMPUTED
 C NIMR=1 COMPUTED

C STARTING POINTS OF THE SYSTEM PARAMETERS IN THETA
 C NST1=1
 C NST2=1+NFS
 C NST3=1+NFS+NAS
 C NST4=1+NFS+NAS+NBS
 C NST5=1+NFS+NAS+NBS+NDS
 C NPS1=NAS+NBS
 C NPS2=NDS+NCS
 C NP1=NPAR-1
 C KDX=KD+1

C OBSERVE THAT A CHANGE HAS BEEN MADE IN NOTATIONS,
 C CF. DECLARATIONS SEC.2 SYSHG1 AND THE SUBROUTINE DOCSYS.

C THE MODEL AS THE USER SEES IT, IS:

Subsystem SYSHG

```

C
C           B          1+C
C   (1+A)*Y1(T) = --- *U(T-KD) + --- *E(T)
C           1+F          1+D
C
C
C-----=====
C
C
C   CHARACTERISTICS:
C   =====
C
C   SUBROUTINES REQUIRED:          (LIBRARY)
C   -----
C   SYSHG1                         SCAPRO
C   SYSHG2                         RMOVE
C   SYMESS                          MCNODI
C   DOCSYS                          DINT
C   FIWR                            FIDENT
C   IMRES
C   PMPY
C
C-----=====
C
C   SUBROUTINE SYSHG
C
C   LOGICAL MSTOP
C
C   COMMON/DESTIN/IDUM,IPART
C   COMMON/TIME/T
C
C   COMMON IDM1(2),KMESS,MSTOP,IDL2(4),IDOC,IDL3(120),U,Y,TS,DT,
*   RLAMB,YLEV,THS(30),PHI(30),OLDU(7),NFS,NAS,NBS,NDS,NCS,NST1,
*   NST2,NST3,NST4,NST5,NPS1,NPS2,NPAR,np1,KD,KDX,NODD,V1,Z1,E,Y1
C
C   GO TO(1,1,1,4,5,6,7,8),IPART
C
C-----=====
C
C   IDENTIFICATION-DECLARATIONS-CONSTANT ASSIGNMENTS
C   =====
C
C   1  CALL SYSHG1
C      RETURN
C
C-----=====
C
C   INITIAL
C   =====
C
C   4  CALL SYSHG2
C      RETURN

```

Subsystem SYSHG

```

C
C-----
C
C      OUTPUTS
C      =====
C
5   CALL MCNODI(NODD,E)
E=RLAMB+E
Y1=SCAPRO(PHI(1),1,THS(1),1,NPAR)+E
Y=Y1+YLEV
RETURN
C
C-----
C
C      DYNAMICS
C      =====
C
6   IF(NAS.GT.0) Z1=SCAPRO(PHI(NST2),1,THS(NST2),1,NPS1)
IF(NDS.GT.0) V1=SCAPRO(PHI(NST4),1,THS(NST4),1,NPS2)+E
C
IF(NP1.GT.0) CALL RMOVE(PHI(NP1),-1,PHI(NPAR),-1,NP1)
IF(KD.GT.0) CALL RMOVE(OLDU(KD),-1,OLDU(KDX),-1,KD)
C
OLDU(1)=U
IF(NFS.GT.0) PHI(NST1)=-Y1
IF(NAS.GT.0) PHI(NST2)=-Z1
IF(NBS.GT.0) PHI(NST3)=OLDU(1+KD)
IF(NDS.GT.0) PHI(NST4)=-V1
IF(NCS.GT.0) PHI(NST5)=E
C
TS=T+DT
C
RETURN
C
C-----7
7   RETURN
C
C
C      FINAL COMPUTATIONS
C      =====
C
8   IF(MSTOP) CALL SYMESS
IF(KMESS.EQ.1.AND.IDOC.EQ.1) CALL DOCSYS
RETURN
END

```

Subsystem SYSHG

C NAME: SYSHG1 NUMBER:
C -----
C
C SUBTITLE:
C -----
C SIMULATION OF A SINGLE INPUT, SINGLE OUTPUT
C SYSTEM OF A GENERAL STRUCTURE.
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SIMNON STRUCTURED SUBROUTINE
C -----
C
C KEYWORDS:
C -----
C
C AUTHOR AND DATE: 1979-02-18
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON

INSTITUTE:

DEPARTMENT OF AUTOMATIC CONTROL
LUND INSTITUTE OF TECHNOLOGY, SWEDEN

ACCEPTED: [REDACTED] VERSION: [REDACTED]

BURPOSE: TO PERFORM PARTS 1,2 AND 3 OF SYSHG

SUBROUTINE SYSHG1

LOGICAL LSTOP,MSTOP

DIMENSION RN(5)

COMMON/DESTIN/IDUM,IPART
COMMON/USER/LSTOP

* COMMON IDM1(3),MSTOP,INHG,ISYSH,IDH,IDL2(96),RNFS,RNAS,RNBS,
* RNDS,RNCS,RNODD,RKD,RIMR,IDL3(4),NPMAX,KDMAX,IDL4(4),U,Y,TS,
* DT,BLAMP,VLEV,THS(30)

EQUivalence (RN(1),RNES)

Subsystem SYSHG

```
C  
C  
C  
C  
KDMAX=6  
NPMAX=30  
C  
GO TO(1,2,3,99,99,99,99,99)  
C-----  
C  
C      IDENTIFICATION  
C      =====  
C  
1   CALL IDENT(5HDISCR,5HSYSHG)  
INHG=0  
ISYSH=0  
IDH=0  
RETURN  
C-----  
C  
C      DECLARATIONS  
C      =====  
C  
2   CALL INPUT(U,4HU    )  
CALL OUTPUT(Y,4HY    )  
C  
CALL PAR(RNFS,4HNFS )  
CALL PAR(RNAS,4HNFS )  
CALL PAR(RNBS,4HNBS )  
CALL PAR(RNDS,4HNDS )  
CALL PAR(RNCS,4HNCS )  
CALL PAR(RKD,4HKDS )  
C  
CALL PARV(THS,NPMAX,4HTHS )  
CALL PAR(YLEV,4HYLEV)  
C  
CALL PAR(RNODD,4HNODD)  
CALL PAR(RLAMB,4HLAMB)  
C  
CALL PAR(RIMR,4HNIMR)  
C  
CALL PAR(DT,4HDT  )  
CALL TSAMP(TS,4HTS  )  
C  
RETURN  
C-----  
C  
C      CONSTANT ASSIGNMENTS  
C      =====
```

Subsystem SYSHG

```
      3   DO 31 I=1,5
 31   RN(I)=0.
C
C       DO 32 I=1,NPMAX
 32   THS(I)=0.
C
C       RKD=0.
C       YLEV=0.
C       DT=1.
C       RNODD=19.
C       RLAMB=1.
C       RIMR=0.
C       ISYSH=1
C
C       RETURN
C
C-----
```

```
 99   LSTOP=.TRUE.
      MSTOP=.TRUE.
      RETURN
      END
```

Subsystem SYSHG

Subsystem SYSHG

```

* NFS,NAS,NBS,NDS,NCS,NST1,NST2,NST3,NST4,NST5,NPS1,NPS2,NPAR,
* NP1,KD,KDX,NODD
C
C           EQUIVALENCE (RN(1),RNFS),(N(1),NFS),(NST(1),NST1)
C
C           DATA FNAM(2)//' BIN'
C
C
C-----
```

C C INITIAL
=====

C 4 MSTOP=.FALSE.
KMESS=1
EPS=0.1

C DO 41 I=1,30
41 PHI(I)=0.

C DO 42 I=1,7
42 OLDU(I)=0.

C NPAR=0
NST1=1
DO 43 I=1,5
N(I)=RN(I)+EPS
IF(N(I).LT.0) GO TO 90
IF(I.GT.1) NST(I)=NST(I-1)+N(I-1)
43 NPAR=NPAR+N(I)

C NP1=NPAR-1
KD=RKD+EPS

C NODD=RNODE+EPS
NIMR=RIMR+EPS

C KDX=KD+1
NPS1=NAS+NBS
NPS2=NDS+NCS

C IF(NPAR.GT.NPMAX.OR.NPAR.LT.1) KMESS=16
IF(KD.LT.0.OR.KD.GT.KDMAX) KMESS=17
IF(MOD(NODD,2).EQ.0.OR.NODD.LT.1) KMESS=18
IF(NIMR.LT.0.OR.NIMR.GT.1) KMESS=19
IF(KMESS.GT.1) GO TO 99

C IF(NIMR.NE.1) GO TO 49
CALL FIDENT('FNRS',4H ,FNRS,IND1)
IF(IND1.EQ.0) GO TO 46
KMESS=23
GO TO 99

Subsystem SYSHG

```

46  FNAM(1)=FNRS
    CALL FSTAT(LDK1,FNAM,J)
    CALL CLOSE(LDK1)
    IF(J.EQ.-1) GO TO 91
C
    CALL FIDENT('FNRN',4H      ,FNRN,IND1)
    IF(IND1.EQ.0) GO TO 48
    KMESS=23
    GO TO 99
48  FNAM(1)=FNRN
    CALL FSTAT(LDK1,FNAM,J)
    CALL CLOSE(LDK1)
    IF(J.EQ.-1) GO TO 92
    ITYP=0
    CALL FIWR(ITYP,N,NST,THS,FNRS)
    ITYP=1
    CALL FIWR(ITYP,N,NST,THS,FNRN)
C
49  IF(IDH.EQ.1) RETURN
    ISIMN=ISIMN+1
    CALL DINT('ISIMN',4H      ,ISIMN,IND1)
    IF(IND1.GT.0) GO TO 93
    RETURN
C
C-----
C
90  KMESS=20
    GO TO 99
91  KMESS=21
    GO TO 99
92  KMESS=22
    GO TO 99
93  KMESS=15
99  MSTOP=.TRUE.
100 LSTOP=.TRUE.
    RETURN
    END

```

Subsystem SYSHG

```

C      NAME: FIWR                               NUMBER:
C      -----
C
C      SUBTITLE:
C      -----
C
C      LANGUAGE: STANDARD FORTRAN
C      -----
C
C      PROGRAM TYPE: SUBROUTINE
C      -----
C
C      KEYWORDS:
C      -----
C
C      AUTHOR AND
C      IMPLEMENTOR: HALLGRIMUR GUNNARSSON        DATE: 1978-06-22
C      -----
C
C      INSTITUTE:
C      -----
C      DEPARTMENT OF AUTOMATIC CONTROL
C      LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C      ACCEPTED:                                VERSION:
C      -----
C
C
C
C-----PURPOSE: TO GENERATE A FILE , FN, WITH THE IMPULSE RESPONSE
C             OF THE SYSTEM DEFINED BY ITYP,N,NST,THS)
C             CF. COMMENTS TO IMRES
C-----SUBROUTINE FIWR(ITYP,N,NST,THS,FN)
C
C      DIMENSION H(100),N(1),NST(1),THS(1),FI(2),KOD(10)
C
C      COMMON LDK1,LDK2
C
C      DATA FI(2)/' BIN'/
C
C      FI(1)=FN
C      DO 10 I=1,10
10    KOD(I)=0
      KOD(1)=100
      KOD(2)=1
      KOD(4)=50
      CALL ENTER(LDK1,FI)
      WRITE(LDK1) (KOD(I),I=1,10)

```

Subsystem SYSHG

```
      CALL IMRES(ITYP,N,NST,THS,H)
C      DO 20 I=1,100
20    WRITE(LDK1) H(I)
C      CALL CLOSE(LDK1)
      RETURN
      END
```

Subsystem SYSHG

C	NAME: SYMESS	NUMBER:
C	-----	-----
C	SUBTITLE: ERROR MESSAGES	
C		41

Subsystem SYSHG

```

ISMESS=KMESS-14
C      GO TO(15,16,17,18,19,20,21,22,23),ISMESS
C
15    WRITE(LU,115)
      GO TO 100
16    WRITE(LU,116)
      GO TO 100
17    WRITE(LU,117)
      GO TO 100
18    WRITE(LU,118)
      GO TO 100
19    WRITE(LU,119)
      GO TO 100
20    WRITE(LU,120)
      GO TO 100
21    WRITE(LU,121) FNRS
      GO TO 100
22    WRITE(LU,122) FNRN
      GO TO 100
23    WRITE(LU,123)
      GO TO 100
100   RETURN
C
C
115   FORMAT(' THE DEPOSIT OF A NEW VALUE FOR THE GLOBAL
* VARIABLE ISIMN FAILED')
C
116   FORMAT(' NPAR=NAS+NFS+NBS+NDS+NCS MUST BE.GT.ZERO.AND.LE.30')
117   FORMAT(' PAR KD MUST BE IN THE RANGE (0,6)')
118   FORMAT(' PAR NODD MUST BE AN ODD NUMBER IN THE RANGE 0-131072')
119   FORMAT(' PAR NIMR MUST BE EITHER 0 OR 1')
120   FORMAT(' NFS,NAS,NBS,NDS,NCS MUST ALL BE .GT.OR.EQ. TO ZERO')
121   FORMAT(' A FILE WITH THE NAME ',A5,' IS PRESENT ON DISK,
* ','ASSIGN A NEW NAME TO FNRS')
122   FORMAT(' A FILE WITH THE NAME ',A5,' IS PRESENT ON DISK,
* 'ASSIGN A NEW NAME TO FNRN')
123   FORMAT(' FNRS OR FNRN UNDEFINED')
C
END

```

Subsystem SYSHG

C NAME: DOCSYS NUMBER:
C -----
C
C SUBTITLE: DOCUMENTATION FOR THE SYSTEM SYSHG
C -----
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SUBROUTINE
C -----
C
C KEYWORDS:
C -----
C
C AUTHOR AND DATE: 1978-06-22
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON -----
C
C INSTITUTE:
C -----
C DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
C -----
C-----
C
C SUBROUTINE DOCSYS
C
C LOGICAL MSTOP
C
C COMMON IDM1(4),INHG,IDM2(2),LINES,DOC,IYEAR,MONTH,IDAD,ISIMN,
* IDM3(4),FNRS,FNRN,IDL4(92),RNODD,IDL5(7),NIMR,IDL6(12),DTS,
* RLAMB,YLEV,THS(30),IDL7(74),NFS,NAS,NBS,NDS,NCS,IDL8(7),NPAR
C
C LNODD=RNODD+0.1
C
C IF(INHG.EQ.1) GO TO 25
C WRITE(6,10) ISIMN
10 FORMAT('1DOCUMENTATION',35X,'SIMU. NO:',I11)
C WRITE(6,20) IYEAR,MONTH,IDAD
20 FORMAT('*****',35X,'DATE :',I5,'-',I2,'-',I2)
C LINES=2
C
25 WRITE(6,110)
110 FORMAT(// ' SYSTEM SYSHG: ')
C WRITE(6,40)
40 FORMAT(' -----')

Subsystem SYSHG

```

      WRITE(6,120) NFS,KDS,RLAMB
120  FORMAT(' NFS  =',I9,9X,'KDS  =',I9,9X,'LAMB =',G13.6)
      WRITE(6,130) NAS,LNODD,YLEV
130  FORMAT(' NFS  =',I9,9X,'NODD =',I9,9X,'YLEV =',G13.6)
      WRITE(6,140) NBS,NIMR,DTS
140  FORMAT(' NBS  =',I9,9X,'NIMR =',I9,9X,'DT    =',G13.6)
      WRITE(6,150) NDS,FNRS
150  FORMAT(' NDS  =',I9,33X,'FNRS =',4X,A5)
      WRITE(6,160) NCS,FNRN
160  FORMAT(' NCS  =',I9,33X,'FNRN =',4X,A5/)
      K=MOD(NPAR,3)
      KK=NPAR-K
      WRITE(6,161) (I,THS(I),I=1,KK)
161  FORMAT(3(' THS(',I2,')=',G13.6,2X))
      KK=KK+1
      IF(K.EQ.1) WRITE(6,162) KK,THS(KK)
162  FORMAT(' THS(',I2,')=',G13.6)
      IF(K.EQ.2) WRITE(6,163) (I,THS(I),I=KK,NPAR)
163  FORMAT(2(' THS(',I2,')=',G13.6,2X))
      LINES=LINES+10+KK/3
      IF(K.GT.0) LINES=LINES+1
C
      RETURN
      END

```

Subsystem IDHG

C NAME: IDHG NUMBER:
C -----
C
C SUBTITLE: RECURSIVE IDENTIFICATION
C -----
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SIMNON STRUCTURED SUBROUTINE
C -----
C
C AUTHOR AND DATE: 1978-06-22
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON -----
C
C INSTITUTE: DEPARTMENT OF AUTOMATIC CONTROL
C
C ACCEPTED: VERSION:
C -----
C

C SUBROUTINES REQUIRED: LIBRARY
C -----
C IDHG1 HATFI2 WRTHG FILT SPFZN FIDENT NORM
C IDHG2 FISTAR DOCID UPDATE INPOL DINT MCNODE
C IDHG3 HATCOM IDMESS STABB FAST2 INV2 PRB
C SHIFT HATWRT STAWRT EKF RTS RMOVE PRBSTA
C HATFI1 IMRES GEALR KJADMH PMPY SCAPRO
C
C REF.: H. GUNNARSSON RECURSIVE IDENTIFICATION USING A GENERAL
C MODEL STRUCTURE. A PROGRAM PACKAGE AND
C SIMULATIONS.

C SUBROUTINE IDHG
C
C LOGICAL MSTOP
C COMMON/DESTIN/IDUM,IPART
C COMMON IDM1(2),KMESS,MSTOP,IDL2(4),IDOC
C
C GO TO(1,1,1,4,5,5,5,8),IPART
C
C 1 CALL IDHG1
C RETURN
C
C 4 CALL IDHG2
C CALL HATFI1
C RETURN
C

Subsystem IDHG

```
5   CALL IDHG3
     RETURN
C
8   IF(KMESS.GT.1) GO TO 90
     IF(IDOC.EQ.1) CALL DOCID
     CALL HATFI2
     CALL HATWRT
90  IF(MSTOP) CALL IDMESS
     RETURN
     END
```

Subsystem IDHG

C NAME: IDHG1 NUMBER: _____
C
C SUBTITLE: RECURSIVE IDENTIFICATION
C _____
C LANGUAGE: STANDARD FORTRAN
C _____
C PROGRAM TYPE: SIMNON STRUCTURED SUBROUTINE
C _____
C AUTHOR AND DATE: 1978-06-22
C HALLGRIMUR GUNNARSSON

AUTHOR AND
IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1978-06-22

INSTITUTE:

DEPARTMENT OF AUTOMATIC CONTROL
LUND INSTITUTE OF TECHNOLOGY, SWEDEN

ACCEPTED =

VERSTON:

PURPOSE: TO PERFORM PARTS 1,2 AND 3 OF IDHG

SUBROUTINE IDHG1

LOGICAL | STOP|MSTOP

DIMENSION BN(5)

COMMON/DESTIN/IDUM,IPART
COMMON/USER/LSTOP

```

* COMMON IDM1(3),MSTOP,INHG,ISYSH,IDH,IDM2(10),FDUM(6),IDM3(280),
* RMETO,RKD,RSTAB,RPRER,RFIRST,FIGE,UINVA,RNFST,RWRT,RWRT1,RWRTN,
* RHAT,RHATN,WTI,RNF,RNA,RNB,RND,RNC,PFST,THO(10),PO(10),TH10(10),
* P10(10),IDM4(26),IDIM1,IDIM2,IDM5(7),IPDIM,IDM6(12),WV,V,WTO,
* TS,DT,WRES,RLIM,DELTA,Y,WT,RES,U,RKJ,IDM7(12),R1(10),IDM8(200),
* TH(10),IDM9(280),TH1(10)

```

EQUIVALENCE (RN(1), RNF)

Subsystem IDHG

```

        DATA FX//      /
C
        IDIM1=5
        IDIM2=20
        IPDIM=10
C
C
        GO TO(1,2,3,99,99,99,99),IPART
C
C-----
C
C     IDENTIFICATION
C     =====
C
1    CALL IDENT(5HIDSCR,4HIDHG)
        INHG=0
        ISYSH=0
        IDH=0
        RETURN
C-----
C
C     DECLARATIONS
C     =====
C
2    CALL INPUT(U,4HU   )
        CALL INPUT(Y,4HY   )
C
        CALL OUTPUV(TH,IPDIM,4HTH   )
        CALL OUTPUV(TH1,IPDIM,4HTF   )
C
        CALL PAR(RMETO,5HMETOD)
C
        CALL PAR(RNF,4HNA   )
        CALL PAR(RNA,4HNF   )
        CALL PAR(RNB,4HNB   )
        CALL PAR(RND,4HND   )
        CALL PAR(RNC,4HNC   )
        CALL PAR(RNFST,4HNFS)
        CALL PAR(RKD,4HKD   )
C
        CALL PAR(WTI,4HWI   )
        CALL PAR(WTO,4HWTO   )
        CALL PAR(DELTA,5HDELTA)
        CALL PARV(R1,IPDIM,4HR1   )
C
        CALL PAR(RPRER,5HIPRER)
        CALL PAR(RLIM,4HRLIM)
        CALL PAR(RSTAB,5HISTAB)
        CALL PAR(RFIRST,5HIFIRST)
        CALL PAR(UINVA,5HINVAU)
        CALL PAR(RKJ,4HKJ   )
C
        CALL PARV(THO,IPDIM,4HTHO )

```

Subsystem IDHG

```

CALL PARV(TH1O,IPDIM,4HTFO )
CALL PARV(PO,IPDIM,4HPO )
CALL PARV(P1O,IPDIM,4HP1O )
CALL PAR(PFST,4HPFST)

C
CALL PAR(RWRT,4HIWRT)
CALL PAR(RWRT1,5HIWRT1)
CALL PAR(RWRTN,5HIWRTN)
CALL PAR(RHAT,5SHIHAT)
CALL PAR(RHATN,5SHIHATN)
CALL PAR(FIGE,5SHIFIGE)

C
CALL VAR(RES,4HRES )
CALL VAR(WRES,4HWRES)
CALL VAR(V,4HV )
CALL VAR(WV,4HWV )
CALL VAR(WT,4HWT )

C
CALL PAR(DT,4HDT )
CALL TSAMP(TS,4HTS )
RETURN
C-----
C
C      CONSTANT ASSIGNMENTS
C      =====
C
C
3     RMETO=0.0
C
310   DO 310 I=1,1D1M1
      RN(I)=0.
      RNFST=0.
      RKD=0.0
C
      WTI=1.
      WTO=1.
      DELTA=0.
C
      RPWER=0.
      RLIM=-1.
      RSTAB=0.
      RFIRST=0.
      UINVA=0.
      RKJ=0.
C
      DO 320 I=1,IPDIM
      THO(I)=0.
      TH1O(I)=0.
      R1(I)=0.
      PO(I)=100.
320    P1O(I)=100.
      PFST=100.
C

```

Subsystem IDHG

```
RWRT1=0.0
RWRT=-5.
RWRTN=100.

C
RHAT=-20.
RHATN=500.
FIGE=0.

C
DO 330 I=1,6
330 FDUM(I)=FX
DT=1.

C
IDH=1

C
RETURN

C
C-----
C
99 LSTOP=.TRUE.
MSTOP=.TRUE.
RETURN
END
```

Subsystem IDHG

C NAME: IDHG2 NUMBER:
C -----
C
C SUBTITLE: RECURSIVE IDENTIFICATION
C -----
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SUBROUTINE
C -----
C
C KEYWORDS:
C -----
C
C AUTHOR AND DATE: 1978-06-22
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON
C -----
C
C INSTITUTE:
C -----
C DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN

C ACCEPTED: VERSION:
C -----
C
C
C
C-----
C
C PURPOSE: TO PERFORM PART 4 OF IDHG
C-----

C
C SUBROUTINE IDHG2
C
C LOGICAL LSTOP,MSTOP,SA,IV,Lfilt,Stabck,Preres,Lspfzn
C
C DIMENSION RN(5),N(5),Rmovo(984),NSTart(5)
C
C COMMON/USER/LSTOP
C
C COMMON IDM1(2),KMESS,MSTOP,IDL2(8),ISIMN,IDL3(296),
* RMETO,RKD,RSTAB,RPRER,RFIRST,FIGE,UINVA,RNFST,
* RWRT,RWRT1,RWRTN,RHAT,RHATN,WTI,RNF,RNA,RNB,RND,RNC,PFST,
* THO(10),PO(10),TH10(10),P10(10),ISTAB,IPRER,
* IDM4(4),METOD,IWRT,IWRIT1,IWRITN,IHAT,IHATN,Nsh(5),
* ICK,ISAMP,IFIRST,SA,IV,Lfilt,Preres,Stabck,Lspfzn,IDL1,
* IDL2,NF,NA,NB,ND,NC,KD,NPDIM,IPDIM,NST1,NST2,NST3,NST4,NST5,
* NPS1,NPS2,NP1,INVAU,IDL5,IFIQE,NFST,WV,V,WTO,TS,DT,WRES,RLIM,

Subsystem IDHG

```

*   DELTA,Y,WT,RES,U,RKJ,WOI(6),R1(10),P(10,10),TH(10),S(5,20),
*   PHI(10),OLDTH(10),Z(10),WPSI(10),TH1(10),Z2(20),FI(100),
*   P1(10,10),TK(100),TA(100,2),TB(100,2),E(2,2)

```

C

C

C

EQUIVALENCE (RN(1),RNF)

EQUIVALENCE (N(1),NF), (NSTART(1),NST1), (P(1,1),RMOVD(1))

C

C-----

C

INITIAL

=====

C

***** RESET *****

```

4   EPS=0.1
      KMESS=1
      MSTOP=.FALSE.
      SA=.FALSE.
      IV=.FALSE.
      LFILT=.FALSE.
      PRERES=.FALSE.
      STABCK=.FALSE.
      LSPFZN=.FALSE.
      ISAMP=0
      NPDIM=0
      NST1=1

```

C

```

      DO 410 I=1,984
410   RMOVO(I)=0.0

```

C

C

***** METHOD *****

```

METOD=RMETD+EPS
IF(METOD.LT.1.OR.METOD.GT.7) KMESS=24
IF(METOD.EQ.1.OR.METOD.EQ.2) SA=.TRUE.
IF(METOD.EQ.2.OR.METOD.EQ.4) LFILT=.TRUE.
IF(METOD.EQ.5) IV=.TRUE.

```

C

C

***** MODEL STRUCTURE *****

```

KD=RKD+EPS
IF(KD.LT.0)KMESS=34
NFST=RNFST+EPS

```

C

```

      DO 420 I=1,1DIM1
      N(I)=RN(I)+EPS
      IF(N(I).LT.0) KMESS=25
      NPDIM=NPDIM+N(I)
      IF(NPDIM.GT.1PDIM)KMESS=27
      IF(I.GT.1) NSTART(I)=NSTART(I-1)+N(I-1)
      IF(KMESS.GT.1)GO TO 99

```

420 CONTINUE

Subsystem IDHG

```

C
      DO 421 I=1,1DIM1
 421  NSH(I)=N(I)
C
      IF(.NOT.LFILT) GO TO 423
      DO 422 I=1,3
 422  NSH(I)=MAX0(1+ND,N(I))
C
 423  NSH(3)=NSH(3)+KD
C
      DO 425 I=1,1DIM1
      IF(NSH(I).GT.1DIM2) KMESS=26
      IF(KMESS.GT.1) GO TO 99
 425  CONTINUE
C
      NPS1=NA+NB
      NPS2=ND+NC
      NP1=NPDIM-1
C
      IF(NA.EQ.0.AND.ND.EQ.0.AND.NC.EQ.0) LFILT=.FALSE.
      IF(.NOT.LFILT.AND.METOD.EQ.2) METOD=1
      IF(.NOT.LFILT.AND.METOD.EQ.4) METOD=3
      IF(IV.AND.(NA.GT.0.OR.ND.GT.0.OR.NC.GT.0))KMESS=28
C
      IF(METOD.EQ.6.AND.NA,NB....) KMESS=29
      IF(METOD.EQ.7.AND.(NA.GT.0.OR.ND.GT.0)) KMESS=30
C
      IF(METOD.NE.6) GO TO 440
      DO 430 I=1,5
 430  NSH(I)=20
C
C
***** SPEC PAR *****
 440  IPRER=RPRER+EPS
      IF(IPRER.LT.0.OR.IPRER.GT.1) KMESS=31
      IF(IPRER.EQ.0) PRERES=.TRUE.
      ISTAB=RSTAB+EPS
      IF(ISTAB.LT.0.OR.ISTAB.GT.2) KMESS=32
      IF(ISTAB.EQ.1.OR.ISTAB.EQ.2) STABCK=.TRUE.
      IF(ISTAB.EQ.2) LSPFZN=.TRUE.
      IF(NA.EQ.0.AND.NC.EQ.0) STABCK=.FALSE.
C
      IFIRST=RFIRST+EPS
      INVAU=UINVA+EPS
C
C
***** INITIAL VALUES *****
      CALL RMOVE(TH0(1),1,TH(1),1,NPDIM)
      CALL RMOVE(TH10(1),1,TH1(1),1,NPDIM)
C
      DO 450 I=1,NPDIM
      P(I,I)=PO(I)
 450  P1(I,I)=P10(I)
C

```

Subsystem IDHG

```
IF(METOD.LE.2) P(1,1)=1./P(1,1)
WT=WTI
V=0.0
WV=0.0
E(1,1)=1./PFST
E(2,2)=1./PFST
C
***** PRINT-OUT *****
IWRT=RWRIT+EPS
IWRTN=RWRTN+EPS
IWRT1=RWRIT1+EPS
C
***** ACCURACY *****
IHAT=RHAT+EPS
IHATN=RHATN+EPS
IFIGE=FIGE+EPS
IF(IFIGE.LT.0.OR.IFIGE.GT.3) KMESS=39
IF(IFIGE.GT.0.AND.IFIGE.LT.4.AND.IHAT.LT.0) KMESS=33
C
IF(KMESS.GT.1) GO TO 99
ISIMN=ISIMN+1
CALL DINT('ISIMN',4H      ,ISIMN,IND1)
IF(IND1.GT.0) GO TO 98
RETURN
C
C-----
C
98  KMESS=29
99  MSTOP=.TRUE.
LSTOP=.TRUE.
RETURN
END
```

Subsystem IDHG

C NAME: IDHG3 NUMBER:
C -----
C
C SUBTITLE: RECURSIVE IDENTIFICATION
C -----
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SIMNON STRUCTURED SUBROUTINE
C -----
C
C AUTHOR AND DATE: 1978-06-22
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON -----
C
C INSTITUTE: DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
C -----
C
C-----
C PURPOSE: TO PERFORM PARTS 5,6 AND 7 OF IDHG
C -----
C-----
C
C SUBROUTINE IDHG3
C
C LOGICAL LSTOP,MSTOP
C
C COMMON/DESTIN/IDUM,IPART
C COMMON/TIME/T
C COMMON/USER/LSTOP
C
C COMMON LDK1,LDK2,KMESS,MSTOP,IDL1(431),
* METOD,IWRT,IWRT1,IWRTN,IHAT,IHATN,NSH(5),ICK,
* ISAMP,IDL2(7),IDIM1,IDIM2,NF,NA,NB,ND,NC,KD,NPDIM,IPDIM,NST1,
* NST2,NST3,NST4,NST5,NPS1,NPS2,np1,INVAU,IDL3(3),WV,V,
* WTO,TS,DT,WRES,RLIM,DELTA,Y,WT,RES,U,IDL5(234),
* TH(10),S(5,20),PHI(10),OLDTH(10),Z(10),WPSI(10),TH1(10)
C
C GO TO(99,99,99,99,5,6,7,99),IPART
C-----
C
C OUTPUT
C -----
5 GO TO(51,51,51,51,51,52,53),METOD
C
51 CALL GEALR

Subsystem IDHG

```

        IF(ICK.EQ.10) CALL STAWRT(ISAMP,TH,OLDTH,NPDIM)
        RETURN

C      52  INKA=1
        CALL KJADMH(INKA)
        RETURN

C      53  CALL EKF
        RETURN
C-----
C----- DYNAMICS
C----- =====
       6  WT=WTO*WT+1.-WTO
       ISAMP=ISAMP+1
       TS=T+DT
       V=V+RES*RES
       WV=WV+WRES*WRES

C      IF(IWRT.LE.0) GO TO 600
       L=MOD(ISAMP,IWRDN)
       IF(ISAMP.GT.IWRT1.AND.L.NE.0) GO TO 600
       IF(METOD.EQ.7) CALL WREKF
       IF(METOD.LE.6) CALL WRTHG

C      600 IF(IHAT.LT.0) GO TO 601
       L=MOD(ISAMP,IHATN)
       IF(ISAMP.NE.IHAT.AND.L.NE.0) GO TO 601
       WRITE(LDK1) ISAMP,V,WV,(TH(I),I=1,NPDIM),(TH1(J),J=1,NPDIM)

C      601 CALL SHIFT(S,IDLIM1,NSH)
       S(1,1)=-Y
       IF(METOD.EQ.6) GO TO 602
       S(3,1)=U
       S(5,1)=RES

C      602 GO TO(61,61,61,61,62,63,64),METOD

C      61  IF(NA.GT.0) S(2,1)=-SCAPRO(PHI(NST2),1,TH(NST2),1,NPS1)
        IF(ND.GT.0) S(4,1)=-SCAPRO(PHI(NST4),1,TH(NST4),1,NPS2)-RES
        RETURN

C      62  IF(INVAU.LE.0) Z1=SCAPRO(Z(1),1,TH(1),1,NPDIM)
        IF(NP1.GT.0) CALL RMOVE(Z(NP1),-1,Z(NPDIM),-1,NP1)
        IF(INVAU.GT.0) GO TO 620
        Z(1)=-Z1
        Z(NST3)=S(3,KD+1)
        RETURN

C      620 Z(1)=S(3,KD+1)
        RETURN
C

```

Subsystem IDHG

```
63    INKA=2
      CALL KJADMH(INKA)
      RETURN
C
64    RETURN
C
C-----7  RETURN
C-----99  LSTOP=.TRUE.
          MSTOP=.TRUE.
          RETURN
          END
```

Subsystem IDHG

```

C      NAME: SHIFT                               NUMBER:
C      -----
C
C      LANGUAGE: STANDARD FORTRAN
C      -----
C
C      PROGRAM TYPE: SUBROUTINE
C      -----
C
C      AUTHOR AND
C      IMPLEMENTOR: HALLGRIMUR GUNNARSSON        DATE: 1978-06-22
C      -----
C
C      INSTITUTE:
C      -----
C      DEPARTMENT OF AUTOMATIC CONTROL
C      LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C      ACCEPTED:                                VERSION:
C      -----
C
C
C
C-----PURPOSE: TO SHIFT A MATRIX S ALONG LINES
C           S          - THE MATRIX TO BE SHIFTED
C           IS         - DECLARED FIRST DIMENSION OF S
C           NSH(IS)    - VECTOR CONTAINING THE NUMBER OF
C                           ELEMENTS TO BE SHIFTED IN EACH LINE
C
C-----SUBROUTINE SHIFT(S,IS,NSH)
C
C      DIMENSION S(IS,1),NSH(1)
C
C
C      DO 10 I=1,IS
C      NS=NSH(I)
C      NS1=NS-1
C      IF(NS.LE.1) GO TO 10
C      CALL RMOVE(S(I,NS1),-IS,S(I,NS),-IS,NS1)
C 10    CONTINUE
C
C      RETURN
C      END

```

Subsystem IDHG

C NAME: GEALR NUMBER:
C -----
C
C SUBTITLE: ONE STEP OF A GENERAL RECURSIVE
C IDENTIFICATION ALGORITHM
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SUBROUTINE
C -----
C
C KEYWORDS: RECURSIVE IDENTIFICATION
C -----
C
C AUTHOR AND
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1978-06-26
C -----
C
C INSTITUTE: DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
C -----
C
C
C
C-----

C PURPOSE:
C ======
C TO COMPUTE ONE STEP OF A GENERAL RECURSIVE IDENTIFICATION
C ALGORITHM ACCORDING TO THE DESCRIPTION GIVEN BELOW.

C THE MODEL USED FOR THE IDENTIFICATION IS:

$$C \quad (1+F)Y(T) = \frac{B}{1+A} * U(T-KD) + \frac{1+C}{1+D} * E(T)$$

C $\begin{matrix} -1 & -1 & -1 & -1 & -1 & -1 \end{matrix}$
C WHERE $F=F(Q^{-1})$, $A=A(Q^{-1})$, $B=B(Q^{-1})$, $D=D(Q^{-1})$, $C=C(Q^{-1})$ (Q^{-1} IS
C THE BACKWARD SHIFT OPERATOR) ARE POLYNOMIALS OF ORDERS
C NF, NA, NB, ND, NC RESPECTIVELY SUCH THAT $F(0)=0$, $A(0)=0$ ETC.

C INTRODUCE:

$$C \quad Z(T) = \frac{B}{1+A} * U(T-KD) \quad \text{AND} \quad V(T) = \frac{1+C}{1+D} * E(T)$$

Subsystem IDHG

C
C OLD SIGNAL VALUES ARE TO BE STORED IN THE S-MATRIX
C AS FOLLOWS:
C

I -Y(T-1),-Y(T-2),-Y(T-3),.....I
I -Z(T-1),-Z(T-2),-Z(T-3),.....I
S = I U(T-1),U(T-2),U(T-3),.....I
I -V(T-1),-V(T-2),-V(T-3),.....I
I E(T-1),E(T-2),E(T-3),.....I
C
C

THE ALGORITHM:

RES=E(T)=Y(T)-PHI(T) *THETA(T-1) (1)

THETA(T)=THETA(T-1)+K(T)*E(T) (2)

K(T)= $\frac{P(T-1)*ZV(T)}{WT+WPSI(T) *P(T-1)*ZV(T)}$ (3)

P(T)=[P(T-1)-K(T)*WPSI(T) *P(T-1)]/WT (4)

WHERE:

I -Y(T-1)	I	I F(1)	I
I :	I	I :	I
I :	I	I :	I
I -Y(T-NF)	I	I F(NF)	I
I -Z(T-1)	I	I A(1)	I
I :	I	I :	I
I :	I	I :	I
I -Z(T-NA)	I	I A(NA)	I
I U(T-KD-1)	I	I B(1)	I
I :	I	I :	I
PHI(T) = I :	I	AND THETA = I :	I
I :	I	I :	I
I :	I	I B(NB)	I
I U(T-KD-NB)	I	I D(1)	I
I -V(T-1)	I	I :	I
I :	I	I :	I
I :	I	I D(ND)	I
I -V(T-ND)	I	I C(1)	I
I E(T-1)	I	I :	I
I :	I	I :	I
I :	I	I C(NC)	I
I E(T-NC)	I		

Subsystem IDHG

C REMARK 1.: Z(T) = WPSI(T) EXCEPT WHEN THE INSTRUMENTAL
C VARIABLES METHOD IS USED. IN THAT CASE THE
C ZV-VECTOR CONSISTS OF THE INSTRUMENTAL
C VARIABLES.

C REMARK 2.: WPSI(T)=PHI(T) WHEN THE SUBROUTINE FILT IS
C NOT USED. WPSI(T)= OLD FILTERED SIGNAL
C VALUES WHEN THE SUBROUTINE FILT IS USED.
C CF. COMMENTS TO FILT.

C REMARK 3.: ADJUSTMENTS TO IMPROVE THE STABILITY OF
C THE ALGORITHM ARE IMPLEMENTED IN THE UPDATING
C SUBROUTINE UPDATE (R1,DELTA). FOR
C FURTHER REFERENCE SEE COMMENTS TO UPDATE.

C STOCHASTIC APPROXIMATION VERSION

$$\text{RES} = Y(T) - \overset{T}{\text{PHI}(T)} * \overset{T}{\text{THETA}(T-1)} \quad (1)$$

$$P_1(T) = WT * P_1(T-1) + WPSI(T) * \overset{T}{WPSI(T)} \quad (P_1=P[1,1]) \quad (6)$$

$$\text{THETA}(T) = \text{THETA}(T-1) + RES * WPSI(T) / P_1(T) \quad (7)$$

C ARGUMENTS:

* GEALRI(S,ISDIM1,P,NPDIM,IPDIM,THETA,PHI,Z,TEE,KD,N,NSTART,R1,Y,
* WT,RES,ISAMP,IFIRST,RLIM,SA,IV,LFILT,PRERES,STABCK,LSPFZN,OLDTH,
* WPSI,W1,W2,W3,DELTA,WRES,ICK,PX,RX)

S - MATRIX CONTAINING OLD SIGNAL VALUES CF. DESCRIPT- (I)
C ION GIVEN ABOVE. DIMENSIONED(ISDIM1,1)

ISDIM1 - DECLARED FIRST DIMENSION OF S AND TEE. (I)

P - THE COVARIANCE MATRIX (I/O)
C SIZE(NPDIM,NPDIM), DIMENSIONED(IPDIM,1)

NPDIM - ACTUAL DIMENSION OF P, ACTUAL NUMBER OF PARAMETERS (I)

IPDIM - DECLARED FIRST DIMENSION OF P (I/O)

THETA - VECTOR OF PARAMETER ESTIMATES, SIZE(NPDIM) (I/O)

PHI - VECTOR CONTAINING OLD SIGNAL VALUES CORRESPONDING (O)
C TO THE PARAMETERS. SIZE(NPDIM)

Z - VECTOR CONTAINING OLD SIGNAL VALUES E.G. THE (I)
C INSTRUMENTAL VARIABLES SIZE(NPDIM)

TEE - MATRIX CONTAINING OLD FILTERED SIGNAL VALUES (I/O)
C SIZE(ISDIM1,1), DIMENSIONED(ISDIM1,1)

KD - TIME DELAY (I)

N - VECTOR DEFINING THE MODEL STRUCTURE CF. MODEL (I)
C GIVEN ABOVE. SIZE(ISDIM1)
N(1)=NF
N(2)=NA
N(3)=NB

Subsystem IDHG

C N(4)=ND
C N(5)=NC
C NSTART - VECTOR CONTAINING THE STARTING POINTS OF THE (I)
C PARAMETERS IN THETA. SIZE(ISDIM1)
C NST1 NSTART(1)=1
C NST2 NSTART(2)=1+NF
C NST3 NSTART(3)=1+NF+NA
C NST4 NSTART(4)=1+NF+NA+NB
C NST5 NSTART(5)=1+NF+NA+NB+ND
C R1 - VECTOR CONTAINING THE DIAGONAL ELEMENTS FROM THE (I)
C COVARIANCE MATRIX OF THE PARAMETER NOISE SIZE(NPDIM)
C Y - LAST OUTPUT VALUE (I)
C WT - WEIGHTING PARAMETER (FORGETTING PROFILE) (I)
C RES - RESIDUAL (O)
C ISAMP - SAMPLING TIME (I)
C IFIRST - STARTING TIME (I)
C A) LFILT=.TRUE. FOR FILTERING OLD SIGNAL VALUES
C B) IV=.TRUE. FOR INSTRUMENTAL VAR. TO BE USED
C RLIM - LIMITATION ON THE ABSOLUTE VALUE OF THE RESIDUALS, (I)
C IF NEGATIVE NO LIMITATION.
C SA - LOGICAL PARAMETER (I)
C SA=.FALSE. THE PARAMETER VECTOR AND THE COVARIANCE
C MATRIX ARE UPDATED BY USE OF EQ. (1)-(4)
C SA=.TRUE. STOCHASTIC APPROXIMATION EQ. (5)-(7)
C IV - LOGICAL PARAMETER (I)
C IV=.FALSE. ZV=WPSI IN EQ. (1)-(4)
C IV=.TRUE. THE INSTRUMENTAL VARIABLES METHOD
C CAN BE STARTED-UP BY USING THE LS-METHOD
C FOR IFIRST NUMBER OF STEPS.
C ZV= THE INSTRUMENTAL VARIABLES
C LFILT - LOGICAL PARAMETER (I)
C LFILT=.FALSE. LIP APPROACH, SUBROUTINE FILT NOT USED
C LFILT=.TRUE. CMA APPROACH, SUBROUTINE FILT USED
C PRERES - LOGICAL PARAMETER DEFINING HOW THE RESIDUAL IS (I)
C TO BE COMPUTED.
C PRERES=.FALSE. THE RESIDUAL COMPUTATION IS BASED
C ON THE UPDATED PARAMETER ESTIMATE.
C PRERES=.TRUE. THE RESIDUAL COMPUTATION IS BASED
C ON THE PREVIOUS PARAMETER ESTIMATE.
C STABCK - LOGICAL PARAMETER (STABILITY CHECK) (I)
C STABCK=.FALSE. NO STABILITY CHECK
C STABCK=.TRUE. THE STABILITY OF THE A AND C POLY-
C NOMIALS (CF.MODEL) IS CHECKED. IF
C UNSTABLE THE PARAMETER VECTOR IS ADJUSTED HALFWAY
C TOWARDS THE LAST VALUE AND STABILITY CHECKED
C AGAIN. THIS IS REPEATED UNTIL THE POLYNOMIAL HAS
C ALL ZEROES INSIDE THE UNIT CIRCLE. IF THE LOGICAL
C PARAMETER LSPFZN=.TRUE. THEN THE POLYNOMIAL IS
C FACTORED TO GIVE A POLYNOMIAL WITH ZEROS INSIDE
C THE UNIT CIRCLE BY USING THE SUBROUTINE SPFZN.
C LSPFZN - LOGICAL PARAMETER (SEE STABCK) (I)
C OLDTH - VECTOR OF OLD PARAMETER ESTIMATES SIZE(NPDIM) (I/O)
C WPSI - VECTOR CONTAINING OLD (FILTERED) SIGNAL VALUES

Subsystem IDHG

C CORRESPONDING TO THE PARAMETERS SIZE(NPDIM)
C W1 - WORK VECTOR SIZE(NPDIM)
C W2 - WORK VECTOR SIZE(NPDIM)
C W3 - WORK VECTOR SIZE(NPDIM)
C PX - WORK MATRIX SIZE(NPDIM,NPDIM)
C RX - WORK MATRIX SIZE(NPDIM,NPDIM)
C DELTA - ADJUSTMENT TO IMPROVE THE STABILITY OF THE (I)
C ALGORITHM.
C WRES - WEIGHTED RESIDUAL (I)
C ICK - CONTROL PARAMETER STABILITY CHECK (O)
C IF THE SUBROUTINE STABB HAS FAILED TO ADJUST THE
C THETA-VECTOR TO STABILITY ICK AND THETA ARE
C RETURNED: ICK=10
C THETA=OLDTH

C

C

C

CHARACTERISTICS:

=====

C SUBROUTINES REQUIRED: (LIBRARY)

FILT	SCAPRO
UPDATE	RMOVE
STABB	POLMU
	INPOL
	SPFZN

C

C

REF. H. GUNNARSSON: RECURSIVE IDENTIFICATION USING A
GENERAL MODEL STRUCTURE. A PROGRAM
PACKAGE AND SIMULATIONS.

C

C

C SUBROUTINE GEALRI(S,ISDIM1,P,NPDIM,IPDIM,THETA,PHI,Z,TEE,KD,N,
C * NSTART,R1,Y,WT,RES,ISAMP,IFIRST,RLIM,SA,IV,LFILT,PRERES,STABCK,
C * LSPFZN,OLDTH,WPSI,W1,W2,W3,DELTA,WRES,ICK,PX,RX)

C

LOGICAL SA,IV,LFILT,PRERES,STABCK

C

C DIMENSION S(ISDIM1,1),P(IPDIM,1),TEE(ISDIM1,1),THETA(1),R1(1),
C * N(1),NSTART(1),Z(1),PHI(1),OLDTH(1),WPSI(1),W1(1),W2(1),W3(1),
C * PX(IPDIM,1),RX(IPDIM,1)

C

C

SUBROUTINE GEALR

C

LOGICAL SA,IV,LFILT,PRERES,STABCK,LSPFZN

Subsystem IDHG

```

C      DIMENSION W1(10),W2(10),W3(10),TEE(5,10),N(5),NSTART(5),
*     PX(10,10),RX(10,10)

C      COMMON KDUM1(435),METOD,IWRT,IWRT1,IWRTRN,IHAT,IHATN,NSH(5),
*     ICK,ISAMP,IFIRST,SA,IV,LFILT,PRERES,STABCK,LSPFZN,ISDIM1,
*     ISDIM2,NF,NA,NB,ND,NC,KD,NPDIM,IPDIM,NST1,NST2,NST3,NST4,NST5,
*     NPS1,NPS2,NP1,INVAU,IDM35,IFIGE,NFST,WV,V,WTO,TS,DT,WRES,RLIM,
*     DELTA,Y,WT,RES,U,RKJ,WOI(6),R1(10),P(10,10),TH(10),S(5,20),
*     PHI(10),OLDTH(10),Z(10),WPSI(10),TH1(10),Z2(20),FI(100),
*     P1(10,10),TK(100)

C      EQUIVALENCE (TH1(1),W1(1)),(Z2(1),W2(1)),(Z2(11),W3(1))
C      EQUIVALENCE (FI(1),TEE(1,1)),(PX(1,1),P1(1,1)),(RX(1,1),TK(1))
C      EQUIVALENCE (N(1),NF),(NSTART(1),NST1)

C      FORM PHI  (FROM S)

C      J1=0
DO 20 I=1,ISDIM1
K1=0
N1=N(I)
IF(N1.LE.0) GO TO 20
IF(I.EQ.3) K1=KD
DO 10 J=1,N1
J1=J1+1
K2=K1+J
PHI(J1)=S(I,K2)
10 WPSI(J1)=PHI(J1)
20 CONTINUE

C      COMPUTE RESIDUAL

C      RES=Y-SCAPRO(PHI(1),1,TH(1),1,NPDIM)
IF(RLIM.GT.0.AND.ABS(RES).GT.RLIM) RES=SIGN(RLIM,RES)

C      IF(LFILT.AND.ISAMP.GT.IFIRST) CALL FILT(S,TEE,TH,N,WPSI,KD,
*     NSTART,ISDIM1,W1,W2,W3)

C      IF(STABCK) CALL RMOVE(TH(1),1,OLDTH(1),1,NPDIM)

C      CALL UPDATE(P,NPDIM,IPDIM,WPSI,Z,TH,RES,R1,DELTA,WT,SA,IV,W1,
*     W2,W3,WRES,ISAMP,IFIRST)

C      IF(STABCK) CALL STABB(TH,OLDTH,N,NSTART,NPDIM,LSPFZN,Z,W1,
*     W2,W3,ICK,IPDIM,PX,RX)

C      IF(PRERES) GO TO 30
RES=Y-SCAPRO(PHI(1),1,TH(1),1,NPDIM)
IF(RLIM.GT.0.AND.ABS(RES).GT.RLIM) RES=SIGN(RLIM,RES)

```

Subsystem IDHG

30 RETURN
END

Subsystem IDHG

C NAME: FILT NUMBER:
C -----
C
C SUBTITLE: FILTERING OF OLD SIGNAL VALUES FOR
C ----- RECURSIVE IDENTIFICATION ALGORITHMS
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SUBROUTINE
C -----
C
C KEYWORDS: RECURSIVE IDENTIFICATION
C -----
C
C AUTHOR AND
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1978-06-22
C -----
C
C INSTITUTE: DEPARTMENT OF AUTOMATIC CONTROL
C ----- LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
C -----
C
C -----
C
C PURPOSE: TO FILTER OLD SIGNAL VALUES, CORRESPONDING TO THE
C ===== PARAMETERS, TO GET A VECTOR PSI. PSI IS USED TO
C UPDATE THE COVARIANCE MATRIX IN THE CRITERION
C MINIMIZATION APPROACH TO RECURSIVE IDENTIFICATION ALGORITHMS.
C
C THE MODEL USED FOR THE IDENTIFICATION IS:
C
C
$$(1+F)Y(T) = \frac{B}{1+A} * U(T-KD) + \frac{1+C}{1+D} * E(T)$$

C
C
$$\begin{matrix} -1 & -1 & -1 & -1 & -1 & -1 \end{matrix}$$

C WHERE $F=F(Q^{-1})$, $A=A(Q^{-1})$, $B=B(Q^{-1})$, $D=D(Q^{-1})$, $C=C(Q^{-1})$ (Q^{-1} IS
C THE BACKWARD SHIFT OPERATOR) ARE POLYNOMIALS OF ORDERS NF,NA,
C NB,ND,NC AND $F(0)=0, A(0)=0$ ETC.

C
C THE OLD SIGNAL VALUES ARE TO BE STORED AS FOLLOWS:

C
C $S = [$ $\begin{matrix} -Y(T-1), -Y(T-2) \dots \end{matrix}]$
C $\begin{matrix} -Z(T-1), -Z(T-2) \dots \end{matrix}]$
C $\begin{matrix} U(T-1), U(T-2) \dots \end{matrix}]$
C $\begin{matrix} V(T-1), V(T-2) \dots \end{matrix}]$
C $\begin{matrix} E(T-1), E(T-2) \dots \end{matrix}]$

Subsystem IDHG

```

C
C
C      THE PSI-VECTOR IS DEFINED RECURSIVELY AS:
C
C      (1+C)*YPSI(T)=(1+D)*YPHI(T)
C      (1+C)*(1+A)*ZPSI(T)=(1+D)*ZPHI(T)
C      (1+C)*(1+A)*UPSI(T)=(1+D)*UPHI(T)
C      (1+C)*VPSI(T)=VPHI(T)
C      (1+C)*EPSI(T)=EPHI(T)
C
C
C      YPSI(T)=[YW(T-1)...YW(T-NF)] AND YPHI(T)=[-Y(T-1)...-Y(T-NF)]
C      ETC. YPSI,ZPSI ETC. FORM THE PSI VECTOR WHICH CORRESPONDS TO THE
C      PHI-VECTOR (WHICH IT REPLACES WHEN UPDATING THE COVARIANCE
C      MATRIX) AND THE PARAMETER VECTOR THETA I.E.
C
C      I YW(T-1)   I           I -Y(T-1)   I           I F(1)   I
C      I :       I           I :       I           I :       I
C      I YW(T-NF)  I           I -Y(T-NF)  I           I F(NF)  I
C      I ZW(T-1)   I           I -Z(T-1)   I           I A(1)   I
C      I :       I           I :       I           I :       I
C      I ZW(T-NA)  I           I -Z(T-NA)  I           I A(NA)  I
C      I UW(T-1)   I           I U(T-1)   I           I B(1)   I
C      PSI(T)=I :       I   PHI(T)=I :       I   THETA=I :       I
C      I UW(T-NB)  I           I U(T-NB)  I           I B(NB)  I
C      I VW(T-1)   I           I -V(T-1)   I           I D(1)   I
C      I :       I           I :       I           I :       I
C      I VW(T-ND)  I           I -V(T-ND)  I           I D(ND)  I
C      I EW(T-1)   I           I E(T-1)   I           I C(1)   I
C      I :       I           I :       I           I :       I
C      I EW(T-NC)  I           I E(T-NC)  I           I C(NC)  I
C
C
C      THE OLD FILTERED SIGNAL VALUES ARE STORED IN THE TEE-MATRIX
C      IN THE FOLLOWING MANNER:
C
C      I YW(T-1),YW(T-2)..... I
C      I ZW(T-1),ZW(T-2)..... I
C      TEE = I UW(T-1),UW(T-2)..... I
C      I VW(T-1),VW(T-2)..... I
C      I EW(T-1),EW(T-1)..... I
C
C
C
C      ARGUMENTS:
C      -----
C
C      S      - MATRIX CONTAINING OLD SIGNAL VALUES CF. THE MODEL  (I)
C                  GIVEN ABOVE, SIZE (ISDIM, )
C      TEE    - MATRIX CONTAINING OLD FILTRATED SIGNAL VALUES   (I/O)
C                  SIZE (ISDIM, )
C      THETA - VECTOR OF PARAMETER ESTIMATES SIZE(NF+NA+NB+ND+NC) (I)

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C      N      - VECTOR CONTAINING NUMBER OF PARAMETERS (I)
C      N(1)=NF
C      N(2)=NA
C      N(3)=NB
C      N(4)=ND
C      N(5)=NC
C      PSI     - VECTOR OF OLD FILTERED SIGNAL VALUES CORRESPONDING (O)
C                  TO THE PARAMETERS SIZE (NF+NA+NB+ND+NC)
C      KD      - TIME DELAY (I)
C      NSTART  - VECTOR CONTAINING THE STARTING POINTS OF THE (I)
C                  PARAMETERS IN THETA
C      NSTART(1)=1
C      NSTART(2)=1+NF
C      NSTART(3)=1+NF+NA
C      NSTART(4)=1+NF+NA+NB
C      NSTART(5)=1+NF+NA+NB+ND
C      ISDIM   - DECLARED FIRST DIMENSION OF S AND TEE (I)
C      W1      - WORK VECTOR
C      W2      - WORK VECTOR
C      W3      - WORK VECTOR
C
C-----
```

```

C      LIBRARY SUBROUTINES REQUIRED:    RMOVE    POLMU    SCAPRO
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C      REF.: H. GUNNARSSON, RECURSIVE IDENTIFICATION USING A GENERAL
C                  MODEL STRUCTURE. A PROGRAM PACKAGE AND
C                  SIMULATIONS.
```

```

C      SUBROUTINE FILT(S,TEE,THETA,N,PSI,KD,NSTART,ISDIM,W1,W2,W3)
C
C      DIMENSION S(ISDIM,1),TEE(ISDIM,1),THETA(1),N(1),PSI(1)
C      DIMENSION NSTART(1),W1(1),W2(1),W3(1)
C
C      J1=0
C
C      NA=N(2)
C      ND=N(4)
C      NC=N(5)
C
C      NAST=NSTART(2)
C      NDST=NSTART(4)
C      NCST=NSTART(5)
C
C      NU=NA+NC
C      NU1=NU-1
C
C      NK=MAX0(ND,NA+NC,N(1),N(3))
C      NK1=NK-1
C
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Subsystem IDHG

```

C
IF(NA.LE.0.OR.NC.LE.0) GO TO 10
NW1=NA-1
NW2=NC-1
CALL RMOVE(THETA(NAST),1,W1(1),1,NA)
CALL RMOVE(THETA(NCST),1,W2(1),1,NC)
CALL POLMU(W1,W2,NW1,NW2,W3)

C
C
10  DO 60 I=1,ISDIM
N1=N(I)
K1=0
IF(N1.LE.0) GO TO 60
IF(I.EQ.3) K1=KD
W=S(I,K1+1)

C
GO TO(30,20,20,40,40),I

C
20  IF(NA.GT.0) W=W-SCAPRO(TEE(I,1),ISDIM,THETA(NAST),1,NA)
IF(NA.GT.0.AND.NC.GT.0) W=W-SCAPRO(TEE(I,2),ISDIM,W3(1),1,NU1)
30  IF(ND.GT.0) W=W+SCAPRO(S(I,K1+2),ISDIM,THETA(NDST),1,ND)
40  IF(NC.GT.0) W=W-SCAPRO(TEE(I,1),ISDIM,THETA(NCST),1,NC)

C
CALL RMOVE(TEE(I,NK1),-ISDIM,TEE(I,NK),-ISDIM,NK1)
TEE(I,1)=W

C
DO 50 J=1,N1
J1=J1+1
50  PSI(J1)=TEE(I,J)
60  CONTINUE
RETURN
END

```

Subsystem IDHG

C NAME: UPDATE NUMBER:
C
C SUBTITLE:
C
C COVARIANCE MATRIX AND PARAMETER VECTOR UPDATING
C FOR RECURSIVE IDENTIFICATION ALGORITHMS.
C
C LANGUAGE: STANDARD FORTRAN
C
C
C PROGRAM TYPE: SUBROUTINE
C
C
C KEYWORDS: RECURSIVE IDENTIFICATION
C
C
C AUTHOR AND
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1978-03-17
C
C
C INSTITUTE: DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
C

PURPOSE: TO UPDATE THE COVARIANCE MATRIX P AND THE PARAMETER
VECTOR THETA ACCORDING TO THE EQUATIONS GIVEN BELOW.

$$P(T+1) = [P(T) - \frac{[P(T)*Z(T+1)*\Phi(T+1)*P(T)]}{W+P(T+1)*P(T)*Z(T+1)}]/WT \quad (1)$$

WHERE MEANS THE TRANSPOSED MATRIX

THE DIAGONAL ELEMENTS OF P CAN BE ADJUSTED BY

P[T+1](I,I)=P[T+1](I,I)+[ER(I)-DELT A*P[T](I,I)**2]/WT

$$\text{THETA}(T+1) = \text{THETA}(T) + BK(T+1) * BES \quad (3)$$

WHERE:

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$$C \\ C \quad R K(T+1) = \frac{P(T)*Z(T+1)}{WT+\Phi(T+1)*P(T)*Z(T+1)} \quad (4)$$

C REMARK: Z = PHI EXCEPT WHEN IV = .TRUE.

$$C \quad WRES = RES/[WT+\Phi(T+1)*P(T)*Z(T+1)] \quad (5)$$

C STOCHASTIC APPROXIMATION EQUATIONS:

$$C \quad P[1,1](T+1)=WT*P[1,1](T)+\Phi(T+1)*\Phi(T+1) + \text{DELTA} \quad (6)$$

$$C \quad \text{THETA}(T+1)=\text{THETA}(T)+RES*\Phi(T+1)/P[1,1](T+1) \quad (7)$$

$$C \quad WRES = RES/[WT+\Phi(T+1)*\Phi(T+1)/P(1,1)] \quad (8)$$

C ARGUMENTS:

C UPDATE(P,NPDIM,IPDIM,PHI,Z,THETA,RES,R,DELTA,WT,SA,IV,RK,W2,
C W3,WRES,ISAMP,IFIRST)

P	- THE COVARIANCE MATRIX, SIZE (NPDIM*NPDIM),	(I/O)
	DIMENSIONED (IPDIM,)	
NPDIM	- ACTUAL DIMENSION OF P, ACTUAL NUMBER OF PARAMETERS	(I)
IPDIM	- DECLARED FIRST DIMENSION OF P	(I)
PHI	- VECTOR CONTAINING OLD SIGNAL VALUES CORRESPONDING TO THE PARAMETERS SIZE (NPDIM)	(I)
Z	- VECTOR CONTAINING OLD SIGNAL VALUES FOR THE INSTRUMENTAL VARIABLES SIZE (NPDIM)	(I)
THETA	- VECTOR OF PARAMETER ESTIMATES SIZE (NPDIM)	(I/O)
RES	- RESIDUAL	(I)
R	- VECTOR CONTAINING THE DIAGONAL ELEMENTS FROM THE COVARIANCE MATRIX OF THE PARAMETER NOISE SIZE (NPDIM)	(I)
DELTA	- ADJUSTMENT TO IMPROVE STABILITY OF THE ALGORITHM	(I)
WT	- WEIGHTING PARAMETER	(I)
SA	- LOGICAL VARIABLE STOCHASTIC APPROXIMATION SA=.FALSE. THE PARAMETER VECTOR AND THE COVARIANCE MATRIX ARE UPDATED BY USE OF EQUATIONS (1)-(4)	(I)
	SA=.TRUE. THE PARAMETER VECTOR AND THE COVARIANCE MATRIX ARE UPDATED BY THE METHOD OF STOCHASTIC APPROXIMATION.	
IV	- LOGICAL VARIABLE INSTRUMENTAL VARIABLES METHOD IV=.FALSE. Z=PHI IN EQUATIONS (1)-(4)	(I)

Subsystem IDHG

```

C           IV=.TRUE.  P AND THETA ARE UPDATED BY USE OF Z
C           THE INSTRUMENTAL VARIABLES METHOD CAN BE
C           STARTED-UP BY USING THE LS-METHOD FOR
C           IFIRST NUMBER OF STEPS.
C
C     RK      - WORK VECTOR SEE EQ.(3) SIZE (NPDIM)
C     W2      - WORK VECTOR SIZE (NPDIM)
C     W3      - WORK VECTOR SIZE (NPDIM)
C     WRES    - WEIGHTED RESIDUAL          (O)
C     ISAMP   - SAMPLING TIME            (I)
C     IFIRST  - STARTING TIME FOR THE IV-METHOD        (I)
C
C
C-----C
C-----C
C-----C
C-----C
C-----C-----CHARACTERISTICS:
C-----C
C-----C-----LIBRARY SUBROUTINES REQUIRED:
C-----C-----SCAPRO
C-----C
C-----C-----SUBROUTINE UPDATE(P,NPDIM,IPDIM,PHI,Z,THETA,RES,R1,DELTA,WT,SA,
C-----* IV,RK,W2,W3,WRES,ISAMP,IFIRST)
C-----LOGICAL SA,IV
C-----DIMENSION P(IPDIM,1),PHI(1),Z(1),THETA(1),R1(1),RK(1),W2(1),
C-----* W3(1)
C-----IF(SA) GO TO 120
C-----***** THE DELTA ADJUSTMENT COMPUTATION: *****
C-----IF(DELTA.LE.0.0) GO TO 20
C-----DO 10 I=1,NPDIM
C-----10 W3(I)=DELTA*P(I,I)**2/WT
C-----***** UPDATE P-MATRIX *****
C-----20 DO 30 I=1,NPDIM
C-----30 W2(I)=SCAPRO(PHI(1),1,P(1,I),1,NPDIM)
C-----IF(IV.AND.IFIRST.LT.ISAMP) GO TO 50
C-----***** THE SYMMETRIC CASE *****
C-----GAMMA=WT+SCAPRO(W2(1),1,PHI(1),1,NPDIM)
C-----DO 40 I=1,NPDIM
C-----RK(I)=W2(I)/GAMMA
C-----DO 40 J=1,I
C-----P(I,J)=(P(I,J)-RK(I)*W2(J))/WT
C-----40 P(J,I)=P(I,J)
C-----GO TO 70
C

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Subsystem IDHG

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***** THE UNSYMMETRIC CASE *****
50    GAMMA=WT+SCAPRO(W2(1),1,Z(1),1,NPDIM)
      DO 60 I=1,NPDIM
      RK(I)=SCAPRO(P(I,1),IPDIM,Z(1),1,NPDIM)/GAMMA
      DO 60 J=1,NPDIM
      60    P(I,J)=(P(I,J)-RK(I)*W2(J))/WT
C
C
***** THE R1-ADJUSTMENT TO P *****
70    DO 80 I=1,NPDIM
    80    P(I,I)=P(I,I)+R1(I)/WT
C
***** THE DELTA-ADJUSTMENT TO P *****
IF(DELTA.LE.0.0) GO TO 100
DO 90 I=1,NPDIM
  90    P(I,I)=P(I,I)-W3(I)
C
C
***** UPDATE PARAMETER ESTIMATES *****
100   DO 110 I=1,NPDIM
110   THETA(I)=THETA(I)+RES*RK(I)
      WRES=RES/GAMMA
      RETURN
C
C
***** STOCHASTIC APPROXIMATION VERSION *****
120   VN=SCAPRO(PHI(1),1,PHI(1),1,NPDIM)
      P(1,1)=WT*P(1,1)+VN+DELTA
      DO 130 I=1,NPDIM
130   THETA(I)=THETA(I)+RES*PHI(I)/P(1,1)
      WRES=RES/(WT+VN/P(1,1))
      RETURN
END

```

Subsystem IDHG

C NAME: STABB NUMBER:
C ----
C
C SUBTITLE: STABILITY CHECK
C -----
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SUBROUTINE
C -----
C
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1978-06-22
C -----
C
C INSTITUTE: DEPARTMENT OF AUTOMATIC CONTROL
C ----- LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
C -----
C
C-----
C
C
C PURPOSE: TO CHECK THE STABILITY OF THE A AND C POLYNOMIALS
C ===== (CF. THE MODEL GIVEN BELOW) FOR USE IN RECURSIVE
C IDENTIFICATION ALGORITHMS. IF EITHER POLYNOMIAL IS UNSTABLE
C THE PROGRAM REACTS IN ONE OF TWO WAYS:
C
C A) LSPFZN=.FALSE. THE PARAMETER VECTOR IS ADJUSTED HALFWAY
C TOWARDS THE LAST VALUE (OLDTH) AND STABILITY
C CHECKED AGAIN. THIS IS REPEATED UNTIL ALL
C ZEROES LIE INSIDE THE UNIT CIRCLE.
C
C B) LSPFZN=.TRUE. THE POLYNOMIAL IS FACTORED TO GIVE A
C POLYNOMIAL WITH ZEROES INSIDE THE UNIT
C CIRCLE BY USING THE SUBROUTINE SPFZN

C
C
C THE MODEL USED FOR THE IDENTIFICATION IS:

$$\frac{B}{1+A} \cdot \frac{1+C}{1+D} = (1+F) * Y(T) - U(T-KD) + E(T)$$

C
C
C -1 -1 -1 -1 -1 -1 WHERE F=F(Q), A=A(Q), B=B(Q), D=D(Q), C=C(Q) (Q IS
C THE BACKWARD SHIFT OPERATOR) ARE POLYNOMIALS OF ORDERS NF,NA,NB,
C ND,NC AND F(0)=0, A(0)=0 ETC.

Subsystem IDHG

C ARGUMENTS:

C STABB(THETA,OLDTH,N,NSTART,NPDIM,LSPFZN,DIFF,W1,W2,W3,ICK,IPDIM,
 C * PX,RX)

C THETA - VECTOR OF PARAMETER ESTIMATES SIZE(NPDIM) (I/O)
 C OLDTH - VECTOR OF OLD PARAMETER ESTIMATES SIZE(NPDIM) (I)
 C N - VECTOR CONTAINING NUMBER OF PARAMETERS (I)
 C N(1)=NF
 C N(2)=NA
 C N(3)=NB
 C N(4)=ND
 C N(5)=NC
 C NSTART - VECTOR CONTAINING THE STARTING POINTS OF THE (I)
 C PARAMETERS IN THETA
 C NSTART(1)=1
 C NSTART(2)=1+NF
 C NSTART(3)=1+NF+NA
 C NSTART(4)=1+NF+NA+NB
 C NSTART(5)=1+NF+NA+NB+ND
 C IPDIM - DECLARED FIRST DIMENSION OF PX AND RX (I)
 C NPDIM - ACTUAL NUMBER OF PARAMETERS (=DIM. COVM) (I)
 C LSPFZN - LOGICAL VARIABLE (I)
 C DIFF - WORK VECTOR SIZE (NPDIM)
 C W1 - WORK VECTOR SIZE (NPDIM)
 C W2 - WORK VECTOR SIZE (NPDIM)
 C W3 - WORK VECTOR SIZE (NPDIM)
 C PX - WORK MATRIX SIZE (NPDIM*NPDIM)
 C RX - WORK MATRIX SIZE (NPDIM*NPDIM)
 C ICK - CONTROL PARAMETER (O)
 C ICK IS RETURNED ICK=10 IF THE SUBROUTINE HAS
 C FAILED TO ADJUST THE THETA VECTOR TO STABILITY.
 C IN THAT CASE THETA IS RETURNED THETA=OLDTH.

C LIBRARY SUBROUTINES REQUIRED:

C RMOVE INPOL
 C NORM SPFZN

C SUBROUTINE STABB(THETA,OLDTH,N,NSTART,
 C * W2,W3,ICK,IPDIM,PX,RX)

C LOGICAL LSPFZN,INPOL

C DIMENSION THETA(1),OLDTH(1),N(1),NST
 C DIMENSION W3(1),PX(IPDIM,1),RX(IPDIM,1)

C RMIN=RMACON(1)
 C TEST=100.*RMIN

Subsystem IDHG

```

ICK=0
S1=1.
C
      DO 10 I=1,NPDIM
10    DIFF(I)=THETA(I)-OLDTH(I)
C
C
C
      DO 60 J=2,5,3
      IF(N(J).LE.0) GO TO 60
      NPAR=N(J)
      NST=NSTART(J)
      K=NST+NPAR-1
C
      IF(LSPFZN) GO TO 50
C
C
***** ALTERNATIVE A SEE ABOVE *****
20    W1(1)=1.
      CALL RMOVE(THETA(NST),1,W1(2),1,NPAR)
      IF(INPOL(W1,NPAR,1.,W2,W3)) GO TO 60
      S1=AMAX1(S1/2.,TEST)
      DO 30 I=1,NPDIM
30    THETA(I)=THETA(I)-S1*DIFF(I)
C
      DMAX=0.0
      DO 40 I=NST,K
      XX=S1*DIFF(I)/THETA(I)
      X=ABS(XX)
      IF(X.GT.DMAX) DMAX=X
40    CONTINUE
      IF(DMAX.LT.TEST) GO TO 70
      GO TO 20
C
C
***** ALTERNATIVE B SEE ABOVE *****
50    W1(1)=1.
      CALL RMOVE(THETA(NST),1,W1(2),1,NPAR)
      IF(INPOL(W1,NPAR,1.,W2,W3)) GO TO 60
      CALL SPFZN(W1,W2,C0,NPAR,TEST,ICK,IPDIM,PX,RX)
      IF(ICK.EQ.1) GO TO 70
      CALL RMOVE(W2(1),1,THETA(NST),1,NPAR)
C
C
      60  CONTINUE
      RETURN
C
C
      70  CALL RMOVE(OLDTH(1),1,THETA(1),1,NPDIM)
      ICK=10
      RETURN
      END

```

Subsystem IDHG

```

SUBROUTINE POLMU(P1,P2,NP1,NP2,P)
C
C      MULTIPLIES TWO REAL POLYNOMIALS
C
C      P1(1)*S**NP1 + P1(2)*S**NP1-1 + ... + P1(NP1+1)
C      P2(1)*S**NP2 + P2(2)*S**NP2-1 + ... + P2(NP2+1)
C
C      TO FORM THE PRODUCT
C
C      P(1)*S**NP + P(2)*S**NP-1 + ... + P(NP+1) , WHERE NP=NP1+NP2
C
C      P1      - VECTOR CONTAINING COEFFICIENTS FOR POLYNOMIAL *1,
C                  SIZE NP1+1, (I)
C      P2      - VECTOR CONTAINING COEFFICIENTS FOR POLYNOMIAL *2,
C                  SIZE NP2+1, (I)
C      NP1     - DEGREE OF POLYNOMIAL *1, (I)
C      NP2     - DEGREE OF POLYNOMIAL *2, (I)
C      P       - VECTOR RETURNED CONTAINIG COEFFICIENTS FOR THE
C                  RESULTING POLYNOMIAL, SIZE (NP1+NP2+1), (O)
C
C      SUBROUTINES REQUIRED:
C          SCAPRO
C
C      AUTHORS ULF BORISSON AND JAN HOLST 1971-03-09
C      REVISED CLAES KALLSTROM 1972-05-17
C      REVISED JAN STERNBY 1975-02-17
C
C      DIMENSION P1(1),P2(1),P(1)
C
C      NP11=NP1+1
C      NP12=NP1+2
C      NP21=NP2+1
C      NPTVA=NP12+NP2
C      NMIN=MINO(NP1,NP2)
C
C      IF(NMIN.EQ.0) GO TO 150
C      DO 100 I=1,NMIN
C          P(I)=SCAPRO(P1(1),1,P2(I),-1,I)
C          P(NPTVA-I)=SCAPRO(P1(NP12-I),1,P2(NP21),-1,I)
C100    CONTINUE
C
C      150  IF(NMIN.EQ.NP1) GO TO 300
C
C      DO 200 I=NP21,NP11
C          P(I)=SCAPRO(P1(I-NP2),1,P2(NP21),-1,NP21)
C200    CONTINUE
C
C      RETURN
C
C      DO 400 I=NP11,NP21
C          P(I)=SCAPRO(P1(1),1,P2(I),-1,NP11)
C400    CONTINUE
C

```

Subsystem IDHG

RETURN
END

Subsystem IDHG

```

LOGICAL FUNCTION INPOL(A,N,R, W1,W2)
C
C      TESTS IF ALL ZEROES OF THE REAL POLYNOMIAL
C      A(1)*S**N + A(2)*S**(N-1)+...+A(N+1)
C      LIE INSIDE A CIRCLE WITH RADIUS R
C
C      AUTHORS:    ULF BORISSON AND JAN HOLST 1971-03-09
C      REVISED TOMAS SCHONTHAL 1976-07-29
C
C      REFERENCE: K.J. ASTROM : INTRODUCTION TO STOCHASTIC
C                           CONTROL THEORY, CHAP.5
C
C      INPOL   - RETURNED .TRUE. IF ALL ZEROES LIE INSIDE THE
C                  CIRCLE
C                  RETURNED .FALSE. IF AT LEAST ONE ZERO LIES
C                  OUTSIDE OR ON THE CIRCLE
C      A       - VECTOR CONTAINING THE COEFFICIENTS OF THE
C                  POLYNOMIAL SIZE (N+1)
C      N       - DEGREE PF THE POLYNOMIAL
C      R       - RADIUS OF THE CIRCLE
C      W1      - WORK VECTOR, SIZE (N+1)
C      W2      - WORK VECTOR, SIZE (N+1)
C
C      NOTE: A ZERO ON THE CIRCLE MAY UNDER SOME CIRCUMSTANCES
C      CAUSE INPOL TO BE .TRUE. DUE TO THE BINARY REPRESENTATION
C
C      SUBROUTINES REQUIRED:
C          RMOVE
C
C
C      DIMENSION A(1), W1(1),W2(1)
C
C      NA=N
C      NN=NA+1
C      CALL RMOVE(A,1, W1,1, NN)
C      RR=R
C      IF(W1(1).GE. 0.0) GOTO 5
C
C      RR=-RR
C      W1(NN)=-W1(NN)
C
C      DO 10 I=1,NA
C      J=NN-I
C      W1(J)=W1(J)*RR
C      RR=RR*R
C      CONTINUE
C
C      10
C      S=W1(NN)/W1(1)
C      W2(1)=W1(1)-S*W1(NN)
C      IF(W2(1).LE. 0.0) GOTO 70
C
C      IF(NA.LE.1) GOTO 60
C

```

Subsystem IDHG

```
DO 50 I=2,NA
W2(I)=W1(I)-S*W1(NN-I+1)
50    CONTINUE
C
CALL RMOVE(W2,1, W1,1, NA)
NN=NA
NA=NA-1
GO TO 20
C
60    INPOL=.TRUE.
      RETURN
C
70    INPOL=.FALSE.
      RETURN
END
```

Subsystem IDHG

```

SUBROUTINE SPFZN(B,C,CO,N,EPS,IND,IW,P,R)
C THIS SUBROUTINE DETERMINES A POLYNOMIAL
C   C(Z)= CO*(Z**N+C(1)*Z**(N-1)+...+C(N))
C WITH ZEROES INSIDE THE UNIT CIRCLE SUCH THAT
C   C(Z)*C(Z)=B(Z)*B(Z)
C WHERE
C   B(Z)=Z**N+B(1)*Z**(N-1)+...+B(N)
C
C AND B DENOTES THE RECIPROCAL POLYNOMIAL
C
C REFERENCE K.J. ASTROM & SPECTRAL FACTORIZATION ALGORITHM
C
C AUTHOR K.J. ASTROM 1971-12-29
C
C   B - VECTOR CONTAINING COEFFICIENTS OF POLYNOMIAL
C       TO BE FACTORED. IT IS ASSUMED THAT LEADING
C       COEFFICIENT OF B IS 1.
C   C - VECTOR CONTAINING COEFFICIENTS OF THE FACTORED
C       POLYNOMIAL AS GIVEN ABOVE. NOTICE THAT
C       THE COEFFICIENTS ARE NORMALIZED BY CO
C   CO - COEFFICIENT OF LEADING TERM OF POLYNOMIAL C
C   N - DEGREE OF POLYNOMIALS B AND C (MAX 15)
C   EPS- TEST QUANTITY TO STOP ITERATION OF RICCATI EQUATION
C   IND- INDICATOR RETURNED AS 1 IF THE ITERATION
C       DOES NOT CONVERGE RETURNED AS -NLOOP OTHERWISE
C
C   SUBROUTINES REQUIRED
C       NORM
C
C   DIMENSION B(1),C(1)
C   DIMENSION P(IW,1),R(IW,1)
C
C   NLOOP=1000
C   NP1=N+1
C   DO 10 I=1,NP1
C   DO 10 J=1,NP1
C     R(I,J)=0.0
C10  P(I,J)=0.0
C   DO 11 I=1,N
C   P(I,I)=1.
C   NLOOP=0
C
C   MAIN LOOP COMPUTE SOLUTION OF RICCATI EQUATION
C
C20  RI=1./(1.+P(1,1))
C   NLOOP=NLOOP+1
C   DO 21 I=1,N
C   DO 21 J=1,N
C21  R(I,J)=P(I,J)
C   DO 22 I=1,N
C   DO 22 J=1,N
C22  P(I,J)=B(I)*B(J)+R(I+1,J+1)-(R(I+1,1)+B(I))*(R(J+1,1)+B(J))*RI
C   DO 25 I=1,N

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Subsystem IDHG

```
DO 25 J=1,N
25   R(I,J)=P(I,J)-R(I,J)
C
C      TEST FOR STEADY STATE
C
CALL NORM(R,N,IW,RNORM)
CALL NORM(P,N,IW,PNORM)
IF(RNORM-EPS*PNORM) 24,24,23
24   IND=-NLOOP
      GO TO 29
23   IF(NLOOP-NLOOP) 20,20,28
28   IND=1
C
C      COMPUTE C
C
29   T=1.+P(1,1)
      RI=1./T
      DO 30 I=1,N
30   C(I)=(P(I+1,1)+B(I))*RI
      CO=SQRT(T)
      RETURN
      END
```

Subsystem IDHG

```

        SUBROUTINE NORM(A,N,IA,S)
C
C      THE SUBROUTINE COMPUTES THE MINIMAXNORM OF A WHERE
C      A=N*N-MATRIX.
C      AUTHOR, K.MORTENSSON 1967-07-31.
C
C      A- MATRIX OF ORDER N*N.
C      N- ORDER OF THE MATRIX A (NO MAX, MIN 1).
C      IA- DIMENSION PARAMETER.
C      S- RESULTING NORM.
C
C      SUBROUTINE REQUIRED
C          NONE
C
C      DIMENSION A(1,1)
C
C      S=0.
C      S1=0.
C      DO 20 J=1,N
C          R=0.
C          DO 10 I=1,N
C              R=R+ABS(A(I,J))
10       CONTINUE
15       IF(R-S1) 20,20,15
15       S1=R
20       CONTINUE
C
C      S1 NOW CONTAINS MAX OVER THE COLUMNS.
C
C      DO 40 I=1,N
C          R=0.
C          DO 30 J=1,N
C              R=R+ABS(A(I,J))
30       CONTINUE
35       IF(R-S) 40,40,35
35       S=R
40       CONTINUE
C
C      S NOW CONTAINS MAX OVER THE ROWS.
C
C      IF(S-S1) 60,60,50
50       S=S1
60       RETURN
END

```


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```

C           I Y(T-1)  I   I  O  I   I  1  I   I  O  I
C           I :  I   I :  I   I  O  I   I :  I   I :  I
C           I :  I   I :  I   I :  I   I :  I   I :  I
C           I Y(T-NF) I   I  O  I   I :  I   I :  I   I :  I
C           I U(T-1)  I   I  1  I <NF+1> I :  I   I :  I
C           I :  I   I  O  I   I :  I   I :  I   I :  I
C           X(T) = I :  I   B=I :  I   K=I :  I   V=I :  I
C           I :  I   I :  I   I :  I   I :  I   I :  I
C           I U(T-NB) I   I :  I   I  O  I   I  O  I
C           I E(T-1)  I   I :  I   I  1  I < NF+NB+1 > I-1 I
C           I :  I   I :  I   I  O  I   I  O  I
C           I :  I   I :  I   I :  I   I :  I
C           I E(T-NC) I   I  O  I   I  O  I   I  O  I
C
C
C           I 0.....0   I   I -F(1)  I
C           I 10....0   I   I :
C           I 0 :       0   0   I   NF ROWS   I :       I
C           I : :       I   I   I :       I
C           I 0...010   I   I -F(NF) I
C           I          0.....0   I   I B(1)  I
C           I          10....0   I   I :
C           FF= I 0     0 :       0   I   NB ROWS   TH(T) = I :       I
C           I :       :       I   I   I :       I
C           I 0 010    I   I B(NB) I
C           I          0.....0 I   I C(1)  I
C           I          10....0 I   I :
C           I 0     0   0 :       I   NC ROWS   I :       I
C           I          :       I   I   I :       I
C           I          0...010 I   I C(NC) I
C
C           H = I
C
C           THIS RESULTS IN THE FOLLOWING ALGORITHM DERIVED FROM THE
C           MODEL (6.1) AND EQUATIONS (8.18) IN REF. 1.
C
C           X(T+1)=(FF+(V+K)*TH(T))*X(T)+B*U(T-KD)+K*E(T)
C
C           E(T)=Y(T)-TH(T)ΛX(T)
C
C           TH(T+1)=TH(T)+L(T)*E(T)
C
C           L(T)=[P2(T)ΛTH(T)+P3(T)*X(T)]/ST
C
C           ST=X(T)ΛP3(T)*X(T)+2*[X(T)ΛP2(T)ΛTH(T)]+1
C
C           P2(T+1)=FF*P2(T)+V*[TH(T)ΛP2(T)+X(T)ΛP3(T)]
C
C           P3(T+1)=P3(T)-L(T)*ST*L(T)±DELTA*P3(T)*P3(T)
C
C           CF:
C           Y(T)+F(1)*Y(T-1)+...+F(NF)*Y(T-NF)=B(1)*U(T-1)+...+B(NB)*U(T-NB)

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C          +E(T)+C(1)*E(T-1)+...+C(NC)*E(T-NC)

C
C      ARGUMENTS:
C
C      EKF(TH,P2,P3,IPDIM,NPDIM,X,Y,U,RES,DELTA,N,NSTART,RL,WP3X,WP2TH,
C      * WL,PX,S,ISDIM,KD,STABCK,LSPFZN,ICK,OLDTH,WD,W2,W3,W4,RX)
C      TH      - VECTOR OF PARAMETER ESTIMATES  SIZE(NPDIM)           (I/O)
C      P2      - COVARIANCE MATRIX, SIZE(NPDIM,NPDIM)                 (I/O)
C      P3      - COVARIANCE MATRIX, SIZE(NPDIM,NPDIM)                 (I/O)
C      IPDIM   - DECLARED FIRST DIMENSION OF P                      (I)
C      NPDIM   - ACTUAL DIMENSION OF P, ACTUAL NUMBER OF             (I)
C                  PARAMETERS
C      X       - STATE VECTOR SIZE(NPDIM)                           (I/O)
C      Y       - LAST OUTPUT CF. MODEL                            (I)
C      U       - LAST INPUT CF. MODEL                            (I)
C      RES     - RESIDUAL                                     (I)
C      DELTA   - ADJUSTMENT TO IMPROVE THE STABILITY AND THE        (I)
C                  CONVERGENCE RATE OF THE ALGORITHM
C      N       - VECTOR WITH MODEL/PARAMETER INFORMATION          (I)
C      NSTART  - VECTOR WITH PARAMETER INFORMATION
C                  N(1)=NF          NSTART(1)=NST1=1
C                  N(2)            NSTART(2) NOT USED
C                  N(3)=NB         NSTART(3)=NST3=1+NF
C                  N(4)            NSTART(4) NOT USED
C                  N(5)=NC         NSTART(5)=NST5=1+NF+NB
C      S       - MATRIX CONTAINING OLD SIGNAL VALUES
C                  S(1,-)        OLD -Y
C                  S(2,-)        NOT USED
C                  S(3,-)        OLD U
C                  S(4,-)        NOT USED
C                  S(5,-0)       OLD RES
C      ISDIM   - DECLARED FIRST DIMENSION OF S (=5)                (I)
C      KD      - THE TIME DELAY                                     (I)
C      STABCK - LOGICAL PARAMETER (STABILITY CHECK)               (I)
C                  .FALSE.        NO STABILITY CHECK
C                  .TRUE.         THE STABILITY OF THE C-POLYNOMIAL IS
C                  CHECKED. THIS IS EQUIVALENT TO A
C                  STABILITY CHECK OF THE MATRIX A(TH)-K(TH)*C(TH).
C                  IF THE POLYNOMIAL IS UNSTABLE THEN THE PARAMETER
C                  VECTOR IS ADJUSTED HALFWAY TOWARDS THE LAST
C                  VALUE AND STABILITY CHECKED AGAIN. THIS IS REPEATED
C                  UNTIL THE POLYNOMIAL HAS ALL ZEROES INSIDE THE UNIT
C                  CIRCLE. IF THE LOGICAL PARAMETER LSPFZN IS .TRUE.
C                  THEN THE POLYNOMIAL IS FACTORED TO GIVE A POLYNOMIAL
C                  WITH ZEROES INSIDE THE UNIT CIRCLE BY USING THE
C                  SUBROUTINE SPFZN.
C      LSPFZN - LOGICAL PARAMETER (SEE STABCK)                   (I)
C      ICK     - CONTROL PARAMETER STABILITY CHECK
C                  IF THE SUBROUTINE STABB HAS FAILED TO ADJUST THE
C                  TH-VECTOR TO STABILITY THEN ICK AND TH ARE
C                  RETURNED : ICK=10                                (O)

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```

C          TH=OLDTH
C      PX      - WORK MATRIX      SIZE(NPDIM,NPDIM)
C      RX      - DO.             DO.
C      RL      - WORK VECTOR     SIZE(NPDIM)
C      WL      - DO.             DO.
C      WP3X    - DO.             DO.
C      WP2TH   - DO.             DO.
C      OLDTH   - DO.             DO.
C      WD      - DO.             DO.
C      W2      - DO.             DO.
C      W3      - DO.             DO.
C      W4      - DO.             DO.
C
C      SUBROUTINES REQUIRED:    STABB   SCAPRO  RMOVE   INPOL
C                               SPFZN   NORM
C
C      REFERENCES:
C
C      1. L.LJUNG      THE EXTENDED KALMAN FILTER AS A PARAMETER ESTI-
C                      MATOR FOR LINEAR SYSTEMS. REPORT LITH-ISY-I-0154
C      2. L.LJUNG      CONVERGENCE OF AN ADAPTIVE FILTER ALGORITHM
C                      REPORT LITH-ISY-I-0120 }

C      } DEPARTMENT OF ELECTRICAL ENGINEERING
C      LINKOPING UNIVERSITY
C
C-----SUBROUTINE EKF(TH,P2,P3,IPDIM,NPDIM,X,Y,U,RES,DELTA,N,NSTART,RL,
C      * WP3X,WP2TH,WL,PX,S,ISDIM,KD,STABCK,LSPFZN,ICK,OLDTH,WD,W2,W3,
C      * W4,RX)
C
C      DIMENSION TH(1),P2(IPDIM,1),P3(IPDIM,1),X(1),NSTART(1),N(1)
C      DIMENSION RL(1),WP3X(1),WP2TH(1),WL(1),PX(IPDIM,1),S(ISDIM,1)
C      DIMENSION OLDTH(1),WD(1),W2(1),W3(1),W4(1),RX(IPDIM,1)
C
C      NP1=NPDIM-1
C
C-----SUBROUTINE EKF
C
C      LOGICAL SA,IV,Lfilt,Preres,Stabck,Lspfzn
C
C      DIMENSION WP3X(10),WP2TH(10),WL(10),NSTART(5),N(5),RX(10,10)
C      DIMENSION P2(10,10),P3(10,10),X(10),RL(10),PX(10,10),W2(10)
C      DIMENSION W3(10),WD(10),W4(10)
C
C      COMMON KDUM1(435),METOD,IWRT,IWRT1,IWRTN,IHAT,IHATN,NSH(5),
C      * ICK,ISAMP,IFIST,SA,IV,Lfilt,Preres,Stabck,Lspfzn,ISDIM1,
C      * ISDIM2,NF,NA,NB,ND,NC,KD,NPDIM,IPDIM,NST1,NST2,NST3,NST4,NST5,
C      * NPS1,NPS2,NP1,INVAU,IAINT,IFIGE,NFST,WV,V,WTO,TS,DT,WRES,RLIM,
C      * DELTA,Y,WT,RES,U,RKJ,SIGMA(6),R1(10),P(10,10),TH(10),S(5,20),
C      * PHI(10),OLDTH(10),Z(10),WPSI(10),TH1(10),Z2(20),FI(100),

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* P1(10,10),TK(100),TA(100,2),TB(100,2),E(2,2)
C
EQUIVALENCE (TH1(1),WP3X(1)),(Z2(1),WP2TH(1)),(Z2(11),WL(1))
EQUIVALENCE (P2(1,1),TK(1)),(P3(1,1),P1(1,1)),(X(1),PHI(1))
EQUIVALENCE (RL(1),WPSI(1)),(PX(1,1),FI(1)),(N(1),NF)
EQUIVALENCE (RX(1,1),TA(1,1)),(W2(1),TB(1,1)),(W3(1),TB(1,2))
EQUIVALENCE (WD(1),Z(1)),(W4(1),TB(11,1)),(NSTART(1),NST1)

C
C
***** COMPUTE RESIDUAL *****
RES=Y-SCAPRO(TH(1),1,X(1),1,NPDIM)
IF(RLIM.GT.0.AND.ABS(RES).GT.RLIM) RES=SIGN(RLIM,RES)

C
C
***** P3 SYMMETRIC THEREFORE X4P3 = X4P3 = (P3*X) *****
*** COMPUTE P3*X ***
DO 10 I=1,NPDIM
10 WP3X(I)=SCAPRO(P3(I,1),IPDIM,X(1),1,NPDIM)

C
C
***** COMPUTE P24TH *****
DO 20 I=1,NPDIM
20 WP2TH(I)=SCAPRO(P2(1,I),1,TH(1),1,NPDIM)

C
C
***** COMPUTE ST AND L(T) *****
ST=SCAPRO(WP3X(1),1,X(1),1,NPDIM)+2*SCAPRO(X(1),1,WP2TH(1),1,
*NPDIM)+1
DO 30 I=1,NPDIM
WL(I)=WP2TH(I)+WP3X(I)
30 RL(I)=WL(I)/ST

C
C
***** COMPUTE TH *****
IF(STABCK) CALL RMOVE(TH(1),1,OLDTH(1),1,NPDIM)
C
DO 40 I=1,NPDIM
40 TH(I)=TH(I)+RL(I)*RES
IF(STABCK) CALL STABB(TH,OLDTH,N,NSTART,NPDIM,LSPFZN,WD,W4,W2
*,W3,ICK,IPDIM,PX,RX)

C
C
***** COMPUTE NEW STATE VECTOR X *****
CALL RMOVE(X(NP1),-1,X(NPDIM),-1,NP1)
X(1)=Y
X(NST3)=U
IF(KD.GT.0) X(NST3)=S(3,KD)
X(NST5)=RES

C
C
***** UPDATE P2 *****
*** MULTIPLICATION BY F MEANS THAT ALL ROWS ARE MOVED ***
*** ONE STEP DOWNWARDS AND ROWS 1,NF+1,NF+NB+1 BECOME ZERO. ***

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Subsystem IDHG

```

        DO 45 I=1,NP1
        KDIM=NPDIM-I+1
        DO 45 J=1,NPDIM
45      P2(KDIM,J)=P2(KDIM-1,J)
        DO 50 I=1,NPDIM
        P2(1,I)=0.0
        P2(NST3,I)=0.0
50      P2(NST5,I)=0.0
C***** THE MULTIPLICATION V*[TH4P2 + X4P3] = 0 EVERYWHERE *****
C*** EXCEPT ROW NF+NB+1 WHICH EQUALS -WL COMPUTED ABOVE ***
        DO 60 I=1,NPDIM
60      P2(NST5,I)=-WL(I)

C
C***** UPDATE P3 *****
C*** COMPUTE DELTA*P3*P3 ***

        DO 70 I=1,NPDIM
        DO 70 J=1,I
        PX(I,J)=DELTA*SCAPRO(P3(I,1),IPDIM,P3(1,J),1,NPDIM)
70      PX(J,I)=PX(I,J)
C***** L(T) * ST * L(T) = WL * RL COMPUTED ABOVE *****
        DO 80 I=1,NPDIM
        DO 80 J=1,I
        P3(I,J)=P3(I,J)-WL(I)*RL(J)-PX(I,J)
80      P3(J,I)=P3(I,J)

C
C***** COMPUTE A POSTERIORI RESIDUAL *****
        IF(PRERES) GO TO 90
        RES=Y-SCAPRO(TH(1),1,X(1),1,NPDIM)
        IF(RLIM.GT.0.AND.ABS(RES).GT.RLIM) RES=SIGN(RLIM,RES)
        X(NST5)=RES

C
90      RETURN
        END

```

Subsystem IDHG

C NAME: KJADMH NUMBER:
C -----
C
C SUBTITLE:
C -----
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SUBROUTINE
C -----
C
C KEYWORDS:
C -----
C
C AUTHOR: IVAR GUSTAFSSON
C REVISED: HALLGRIMUR GUNNARSSON
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1978-06-22
C -----
C
C INSTITUTE:
C -----
C DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
C -----
C
C
C-----
C
C SUBROUTINE KJADMH(INKA)
C
C DIMENSION W1(10),W2(10),W3(10),N(5)
C
C COMMON/TIME/T
C COMMON KDUM1(455),ISDIM1,ISDIM2,NF,NA,NB,ND,NC,KD,NPDIM,
* IPDIM,KDUM2(11),NFST,KDUM3(14),
* DELTA,Y,WT,RES,U,RKJ,WOI(6),R1(10),P(10,10),TH(10),S(5,20),
* PHI(10),OLDTH(10),Z(10),WPSI(10),TH1(10),Z2(20),FI(100),
* P1(10,10),TK(100),TA(100,2),TB(100,2),E(2,2)
C
C EQUIVALENCE (OLDTH(1),W1(1)),(Z(1),W2(1)),(WPSI(1),W3(1))
C EQUIVALENCE (N(1),NF)
C
C GO TO(10,210), INKA
C
10 TTS=T+1.
CALL FAST2(TA,TB,FI,TK,E,NFST,U,Y,RES,TTS,WT)

Subsystem IDHG

```

C
J1=0
DO 30 I=1,3
K1=0
IF(I.EQ.2) K1=KD
N1=N(I)
IF(N1.LE.0) GO TO 30
DO 20 J=1,N1
J1=J1+1
K2=K1+J
20 PHI(J1)=S(I,K2)
30 CONTINUE
C
WOI(4)=Y-SCAPRO(PHI(1),1,TH(1),1,NPDIM)
IF(RKJ.LT.0.5) WOI(4)=WOI(4)-RES
C
CALL RTS(PHI,WOI(4),WT,R1,DELTA,TH,P,NPDIM,IPDIM,W1,W2,W3)
C
NAB=N(1)+N(2)
NCK=N(3)
IF(NCK.LE.0) RETURN
C
WOI(1)=Y+SCAPRO(TH(NAB+1),1,S(4,1),ISDIM1,NCK)
WOI(2)=U-SCAPRO(TH(NAB+1),1,S(5,1),ISDIM1,NCK)
WOI3=SCAPRO(TH(NAB+1),1,Z2(1),1,NCK)
WOI(3)=RES-WOI3
C
J1=0
DO 60 I=4,5
K1=0
IF(I.EQ.5) K1=KD
N1=N(I-3)
IF(N1.LE.0) GO TO 60
DO 50 J=1,N1
J1=J1+1
K2=K1+J
50 PHI(J1)=S(I,K2)
60 CONTINUE
C
DO 70 I=1,NCK
J1=J1+1
70 PHI(J1)=Z2(I)
C
C
RES3=WOI(1)-SCAPRO(PHI(1),1,TH1(1),1,NPDIM)+WOI3
IF(RKJ.LT.0.5) RES3=RES3-RES
C
C
CALL RTS(PHI,RES3,WT,R1,DELTA,TH1,P1,NPDIM,IPDIM,W1,W2,W3)
C
C
C
RETURN

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Subsystem IDHG

```
C
C
C
210  S(2,1)=U
      S(3,1)=RES
C
      IF(N(3).LE.0) RETURN
      CALL RMOVE(Z2(19),-1,Z2(20),-1,19)
C
      S(4,1)=-WOI(1)
      S(5,1)=WOI(2)
      Z2(1)=WOI(3)
C
C
C
      RETURN
C
      END
```

Subsystem IDHG

```

SUBROUTINE FAST2(TA,TB,FI,TK,E,N,UU,YY,RES1,TTK,WT)
C
C      PERFORMS EXTENDED LEAST SQUARES IDENTIFICATION OF THE
C      PARAMETERS OF THE MODEL
C      Y(T)+A(1)*Y(T-1)+...+A(N)*Y(T-N)=B(1)*U(T-1)+...+
C      +B(N)*U(T-N)+E(T)
C      USING A FAST VERSION.
C      REF.: MORF,LJUNG: FAST ALGORITHMS FOR RECURSIVE IDENTI-
C      FICATION
C
C      N IS THE ORDER OF THE MODEL /MAX=50/
C      UU IS THE LAST INPUT
C      YY IS THE LAST OUTPUT
C      RES1: RESIDUAL COMPUTED
C      TTK IS THE TIME NORMALIZING FACTOR
C
C      SUBROUTINES REQUIRED
C          INV2
C
C      DIMENSION TA(100,2),TB(100,2),FI(100),TK(100),E(2,2)
C      DIMENSION TC(100,2),TKBAR(102),RES(2),ETA(2)
C      DIMENSION EI(2,2),TEMP(2,2),TEMPI(2,2)
C
10     N2=2*N
      N2M=N2-2
      N2P=N2+2
C
50     SL=YY
      DO 110 I=1,N2
110    SL=SL+TA(I,1)*FI(I)
      RES(1)=SL
      RES1=SL
      SL=-UU
      DO 120 I=1,N2
120    SL=SL+TA(I,2)*FI(I)
      RES(2)=SL
C
      DO 130 I=1,N2
      DO 130 J=1,2
130    TA(I,J)=TA(I,J)-TK(I)*RES(J)
C
      G=1.
      DO 135 I=1,N2
135    G=G-FI(I)*TK(I)
C
      DO 140 I=1,2
      DO 140 J=1,2
140    E(I,J)=E(I,J)+(G*RES(I)*RES(J)-E(I,J))/(TTK+1.)
C
      CALL INV2(E,EI)
C
      DO 160 I=1,2
160    SL=0.

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Subsystem IDHG

```

      DO 150 J=1,2
150   SL=SL+G*EI(I,J)*RES(J)
      TKBAR(I)=SL/(TTK+1.)
      DO 180 I=3,N2P
      SL=TK(I-2)
      DO 170 J=1,2
170   SL=SL+TA(I-2,J)*TKBAR(J)
      TKBAR(I)=SL
C
      DO 185 I=1,2
185   ETA(I)=FI(N2M+I)
      IF(N2M) 285,285,275
275   DO 280 I=1,N2M
280   FI(N2+1-I)=FI(N2-1-I)
285   FI(1)=YY
      FI(2)=-UU
      DO 190 I=1,2
      DO 190 J=1,N2
190   ETA(I)=ETA(I)+TB(J,I)*FI(J)
C
      DO 200 I=1,2
      DO 200 J=1,2
200   TEMP(I,J)=-TKBAR(N2+I)*ETA(J)
      DO 210 I=1,2
210   TEMP(I,I)=1.+TEMP(I,I)
C
      CALL INV2(TEMP,TEMPI)
C
      DO 220 I=1,N2
      DO 220 J=1,2
220   TB(I,J)=TB(I,J)-TKBAR(I)*ETA(J)
      DO 240 I=1,N2
      DO 240 J=1,2
      SL=0.
      DO 230 K=1,2
230   SL=SL+TB(I,K)*TEMPI(K,J)
      TC(I,J)=SL
      DO 250 I=1,N2
      DO 250 J=1,2
250   TB(I,J)=TC(I,J)
C
      DO 270 I=1,N2
      SL=TKBAR(I)
      DO 260 J=1,2
260   SL=SL-TB(I,J)*TKBAR(N2+J)
      TK(I)=SL
C
      RETURN
END

```

Subsystem IDHG

```
SUBROUTINE INV2(E,EI)
C           INVERTS A SECOND ORDER MATRIX
C           DIMENSION E(2,2),EI(2,2)
C           DET=E(1,1)*E(2,2)-E(1,2)*E(2,1)
C           EI(1,1)=E(2,2)/DET
C           EI(2,2)=E(1,1)/DET
C           EI(1,2)=-E(1,2)/DET
C           EI(2,1)=-E(2,1)/DET
C
C           RETURN
C           END
```

Subsystem IDHG

C NAME: RTS NUMBER:
C -----
C
C SUBTITLE:
C -----
C UPDATING ONE STEP OF THE PARAMETER VECTOR AND THE COVARIANCE MA-
C TRIX FOR RECURSIVE IDENTIFICATION ALGORITHMS
C
C LANGUAGE: FORTRAN IV
C -----
C
C KEYWORDS:
C -----
C RECURSIVE IDENTIFICATION
C
C AUTHOR: IVAR GUSTAVSSON
C REVISED: H. GUNNARSSON
C IMPLEMENTOR: H. GUNNARSSON DATE: 1979-12-15
C -----
C
C INSTITUTE:
C -----
C DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
C -----
C-----
C
C PURPOSE:
C -----
C THE COVARIANCE MATRIX UPDATING FORMULA IS
C
$$P(N+1) = [P(N) - K(N+1) * F^T(N+1) * P(N) + R1 * I - \Delta * (P(N) * I)] / WT^2$$

C
C WHERE
C
$$K(N+1) = P(N) * F^T(N+1) / [WT + F^T(N+1) * P(N) * F(N+1)]$$

C
$$K(N+1) = P(N) * F^T(N+1) / [WT + F^T(N+1) * P(N) * F(N+1)]$$

C
C AND I IS A UNIT DIAGONAL MATRIX.
C
C THE PARAMETER ESTIMATES ARE UPDATED AS
C
C
$$T(N+1) = T(N) + K(N+1) * RES$$

C
C PROGRAM TYPE: SUBROUTINE
C -----
C
C ARGUMENTS:
C -----
C RTS(FI,RES,WT,R1,DELTA,T,P,NP,IP,W1,W2,W3)

Subsystem IDHG

```

C      FI      - VECTOR CONTAINING OLD SIGNAL VALUES CORRESPONDING TO
C      RES     - RESIDUAL, (I)
C      R1      - VECTOR CONTAINING THE DIAGONAL ELEMENTS OF THE COVARI-
C      ANCE MATRIX OF THE PARAMETER NOISE, SIZE (NP), (I)
C      DELTA   - ADJUSTMENT TO IMPROVE THE STABILITY OF THE ALGORITHM,
C                  (I)
C      T       - VECTOR OF PARAMETER ESTIMATES, SIZE (NP), (I/O)
C      P       - COVARIANCE MATRIX, SIZE (NP,NP), DIMENSIONED (IP, ), 
C                  (I/O)
C      NP     - ACTUAL NUMBER OF PARAMETERS, (I)
C      IP     - DECLARED FIRST DIMENSION OF P, (I)
C      W1     - WORK VECTOR, SIZE (NP)
C      W2     - WORK VECTOR, SIZE (NP)
C      W3     - WORK VECTOR, SIZE (NP)

C      CHARACTERISTICS:
C      =====

C      LIBRARY SUBROUTINES REQUIRED:
C      -----
C      SCAPRO

C-----
C      SUBROUTINE RTS(FI,RES,WT,R1,DELTA,T,P,NP,IP,W1,W2,W3)
C
C      DIMENSION FI(1),R1(1),T(1),P(IP,1)
C      DIMENSION W1(1),W2(1),W3(1)

C
C***** THE DELTA COMPUTATION *****
IF(DELTA.LE.0) GO TO 20
DO 10 I=1,NP
 10 W3(I)=DELTA*P(I,I)**2/WT

C
C***** UPDATING OF THE P-MATRIX *****
20  DO 30 I=1,NP
      SL=SCAPRO(P(I,1),IP,FI(1),1,NP)
      W1(I)=SL
 30  W2(I)=SL

C
      SL=WT+SCAPRO(FI(1),1,W1(1),1,NP)

C
      DO 50 I=1,NP
      W1(I)=W1(I)/SL
      DO 40 J=1,I
      P(I,J)=(P(I,J)-W1(I)*W2(J))/WT
 40  P(J,I)=P(I,J)
 50  P(I,I)=P(I,I)+R1(I)/WT
C

```

Subsystem IDHG

```
C***** THE DELTA ADJUSTMENT TO P *****
IF(DELTA.LE.0.) GO TO 70
DO 60 I=1,NP
 60  P(I,I)=P(I,I)-W3(I)
C
C***** UPDATING OF THE PARAMETER VECTOR *****
70  DO 80 I=1,NP
 80  T(I)=T(I)+RES*W1(I)
C
      RETURN
      END
```

Subsystem IDHG

C NAME: HATFI1 NUMBER:
C ----
C
C SUBTITLE:
C ----
C
C LANGUAGE: STANDARD FORTRAN
C ----
C
C PROGRAM TYPE: SUBROUTINE
C ----
C
C KEYWORDS:
C ----
C
C AUTHOR AND
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1978-06-22
C ----
C
C INSTITUTE:
C ----
C DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN

C ACCEPTED: VERSION:
C ----
C
C-----
C
C PURPOSE: TO GET FILE NAMES
C TEST THE NAMED FILES FOR PRESENCE ON DISK
C
C-----
C
C SUBROUTINE HATFI1
C
C LOGICAL LSTOP,MSTOP
C
C DIMENSION FNAM(2)
C
C COMMON/USER/LSTOP
C
C COMMON LDK1,LDK2,KMESS,MSTOP,IDL1(8),ISIMN,IDL2(4),FNRS,FNRN,
* FNIM,FNST,FNWY,IDL3(410),IHAT,IDL4(35),IFIGE
C
C DATA FNAM(2) // ' BIN' /
C
C IF(IHAT.LT.0.AND.IFIGE.NE.1) RETURN
C
C
C FILE NAME REF. SYSTEM
C CALL FIDENT('FNRS',4H ,FNRS,IND1)

Subsystem IDHG

```

        IF(IND1.EQ.0) GO TO 10
        KMESS=40
        GO TO 99
10    FNAM(1)=FNRS
        CALL FSTAT(LDK1,FNAM,J)
        IF(J.EQ.-1) GO TO 20
        KMESS=35
        GO TO 99
C
C
C    FILE NAME REF. NOISE
20    CALL FIDENT('FNRN',4H      ,FNRN,IND1)
        IF(IND1.EQ.0) GO TO 30
        KMESS=41
        GO TO 99
30    FNAM(1)=FNRN
        CALL FSTAT(LDK1,FNAM,J)
        IF(J.EQ.-1) GO TO 40
        KMESS=36
        GO TO 99
C
C
C    40    IF(IFIGE.NE.1.AND.IFIGE.NE.3) GO TO 60
C
C    FILE NAME REF/IDENTIFIED SYSTEM/NOISE
        CALL FIDENT('FNIM',4H      ,FNIM,IND1)
        IF(IND1.EQ.0) GO TO 50
        KMESS=42
        GO TO 99
50    FNAM(1)=FNIM
        CALL FSTAT(LDK1,FNAM,J)
        IF(J.EQ.0) GO TO 60
        KMESS=37
        GO TO 99
C
C
C    60    IPO=3
        IF(IFIGE.LT.2.OR.IFIGE.GT.3) GO TO 80
C
C    FILE NAME STATISTICS FILE
        IPO=1
        CALL FIDENT('FNST',4H      ,FNST,IND1)
        IF(IND1.EQ.0) GO TO 70
        KMESS=43
        GO TO 99
70    FNAM(1)=FNST
        CALL FSTAT(LDK1,FNAM,J)
        IF(J.EQ.-1) IPO=2
C
80    IF(IHAT.GE.0) CALL FISTAR(IPO)
        IF(KMESS.GT.1) GO TO 99
        RETURN

```

100

Subsystem IDHG

C
C
C

```
99    MSTOP=.TRUE.  
100    LSTOP=.TRUE.  
        ISIMN=ISIMN-1  
        CALL DINT('ISIMN',4H      ,ISIMN,IND1)  
        RETURN  
        END
```

Subsystem IDHG

C NAME: FISTAR NUMBER:
C ----
C LANGUAGE: STANDARD FORTRAN
C -----
C PROGRAM TYPE: SUBROUTINE
C -----
C AUTHOR AND DATE: 1978-06-22
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON -----
C
C INSTITUTE:
C DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
C -----
C-----
C PURPOSE: TO INITIATE WORK FILE
C TO INITIATE STATISTICS FILE, IF NOT PRESENT, OR TO
C TEST ACTUAL PARAMETERS AGAINST PARAMETER LIST IN FILE
C HEAD.
C
C-----
C SUBROUTINE FISTAR(IPO)
C
C LOGICAL MSTOP
C
C DIMENSION FNAM(2),KOD(10),RPAR(59),SPAR(59),IPAR(17),KPAR(17)
C
C COMMON/SIMARG/T1,T2
C
C COMMON LDK1,LDK2,KMESS,MSTOP,IDM1(8),ISIMN,IDM2(4),FNRS,FNRN,
* FNIM,FNST,FNWX,FNWy,IDL3(306),WTI,IDL4(10),PFST,THO(10),PO(10),
* TH10(10),P10(10),ISTAB,IPRER,IDL5(4),METOD,IDL6(3),IHAT,IHATN,
* IDM7(7),IFIST,IDL8(8),NF,NA,NB,ND,NC,KD,NPDIM,IDL9(9),INVAU,
* IDM10(2),NFST,IDL11(4),WTO,TS,DT,WRES,RLIM,DELTA,Y,WT,RES,U,
* RKJ,WOI(6),R1(10)
C
C DATA FNAM(2)/* BIN'/,FNU1X// XHGX'/,FNU2X// YHGY' /
C
C FNWX=FNU1X
C FNWy=FNU2X
C

Subsystem IDHG

```

      IF(IPO.EQ.3) GO TO 100
C
      IPAR(1)=(T2-T1)+0.1
      IPAR(2)=NPDIM
      IPAR(3)=NPDIM+11
      IPAR(4)=METOD
      IPAR(5)=NF
      IPAR(6)=NA
      IPAR(7)=NB
      IPAR(8)=ND
      IPAR(9)=NC
      IPAR(10)=NFST
      IPAR(11)=KD
      IPAR(12)=IPRER
      IPAR(13)=ISTAB
      IPAR(14)=IFIST
      IPAR(15)=INVAU
      IPAR(16)=IHAT
      IPAR(17)=IHATN
C
      RPAR(1)=WTI
      RPAR(2)=WTO
      RPAR(3)=DELTA
      RPAR(4)=RLIM
      RPAR(5)=RKJ
      RPAR(6)=PFST
      RPAR(7)=DT
      RPAR(8)=FNRS
      RPAR(9)=FNRN
C
      DO 10 I=10,19
      RPAR(I)=R1(I-9)
      RPAR(I+10)=THO(I-9)
      RPAR(I+20)=TH10(I-9)
      RPAR(I+30)=PO(I-9)
10    RPAR(I+40)=P10(I-9)
C
C
      FNAM(1)=FNST
      IF(IPO.EQ.2) GO TO 80
C
      CALL ENTER(LDK1,FNAM)
      WRITE(LDK1) (IPAR(I),I=1,17),(RPAR(J),J=1,59)
      CALL CLOSE(LDK1)
      GO TO 100
C
     80  CALL SEEK(LDK1,FNAM)
      READ(LDK1) (KPAR(I),I=1,17),(SPAR(J),J=1,59)
      CALL CLOSE(LDK1)
C
      DO 90 I=1,17
      IF(IPAR(I).NE.KPAR(I)) GO TO 998
90    CONTINUE

```

Subsystem IDHG

```
C
C
      EPS=1.E-6
      DO 95 I=1,59
      IF(RPAR(I)-SPAR(I).GT.EPS) GO TO 998
95    CONTINUE
C
C      INITIATE WORK FILE
100    FNAM(1)=FNWX
         KOD(1)=-99999
         KOD(2)=3+2*NPDIM
         KOD(3)=NPDIM
         CALL DLETE(LDK1,FNAM,J)
         CALL ENTER(LDK1,FNAM)
         WRITE(LDK1) (KOD(I),I=1,10)
         RETURN
C
998    KMESS=38
         RETURN
         END
```

Subsystem IDHG

C NAME: HATFI2 NUMBER:
C ----
C LANGUAGE: STANDARD FORTRAN
C -----
C PROGRAM TYPE: SUBROUTINE
C -----
C AUTHOR AND
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1978-06-22
C -----
C INSTITUTE: DEPARTMENT OF AUTOMATIC CONTROL
C ----- LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
C -----
C-----
C PURPOSE: TO PERFORM ACCURACY COMPUTATIONS FOR IDHG AND PLACE
C THE RESULTS ON FILE (YHGY)
C GENERATE A FILE WITH THE IDENTIFIED SYSTEM'S IMPULSE
C RESPONSE
C
C-----
C SUBROUTINE HATFI2
C
C LOGICAL LSTOP,MSTOP
C
C DIMENSION F1(2),F2(2),KOD(10),THS(10),TH1S(10),RNA(4)
C
C COMMON/USER/LSTOP
C COMMON/IMPRES/HSR(100),HNR(100),HSI(100),HNI(100)
C
C COMMON LDK1,LDK2,KMESS,MSTOP,IDL1(13),FNRS,FNRRN,FNIM,FNST,FNWX,
* FNWY,IDL2(410),IHAT,IDL3(7),ISAMP,IDL4(9),N(5),KD,NPDIM,IPDIM,
* NSTART(5),IDL5(5),IFIGE,NFST,WV,V,IDL6(254),TH(10),IDL7(280),
* TH1(10)
C
C DATA F1(2)//'BIN',//,F2(2)//'BIN',//,BLANK// ''/
C DATA RNA(1),RNA(2),RNA(3),RNA(4)//'RS','IS','RN','IN'//
C
C IF(IHAT.LT.0.AND.IFIGE.NE.1) RETURN
C CALL CLOSE(LDK1)
C
C***** READ REF. IMPULSE RESPONSES *****
C F1(1)=FNRS
C F2(1)=FNRRN

Subsystem IDHG

```

        CALL SEEK(LDK1,F1)
        READ(LDK1) (KOD(I),I=1,10)
        CALL SEEK(LDK2,F2)
        READ(LDK2) (KOD(I),I=1,10)
        DO 10 I=1,100
        READ(LDK1,END=90) HSR(I)
        READ(LDK2,END=90) HNR(I)
10      CONTINUE
C
        CALL CLOSE(LDK1)
        CALL CLOSE(LDK2)
C
        IF(IHAT.LT.0) GO TO 45
C
C***** COMPUTE LOSS FUNCTIONS AND PLACE ON FILE FNWY=YHGY *****
F1(1)=FNWX
F2(1)=FNWY
        CALL SEEK(LDK1,F1)
        READ(LDK1) (KOD(I),I=1,10)
        CALL DLETE(LDK2,F2,J)
        CALL ENTER(LDK2,F2)
        KOD(2)=NPDIM+7
        KOD(3)=NPDIM
        WRITE(LDK2) (KOD(I),I=1,10)
C
C
20      READ(LDK1,END=30) NSAMP,VS,WVS,(THS(I),I=1,NPDIM),(TH1S(J),J=1,
     * NPDIM)
        CALL HATCOM(N,NSTART,THS,HSR,HNR,HSI,HNI,V1,V2,V3,V4)
        VS=VS/FLOAT(NSAMP)
        WVS=WVS/FLOAT(NSAMP)
        WRITE(LDK2) NSAMP,VS,WVS,(THS(I),I=1,NPDIM),V1,V2,V3,V4
        GO TO 20
C
30      IF(NSAMP.GE.ISAMP) GO TO 40
        CALL HATCOM(N,NSTART,TH,HSR,HNR,HSI,HNI,V1,V2,V3,V4)
        VS=V/FLOAT(ISAMP)
        WVS=WV/FLOAT(ISAMP)
        WRITE(LDK2) ISAMP,VS,WVS,(TH(I),I=1,NPDIM),V1,V2,V3,V4
40      CALL CLOSE(LDK1)
        CALL CLOSE(LDK2)
        CALL DLETE(LDK1,F1,J)
C
C
45      IF(.NOT.(IFIGE.EQ.1.OR.IFIGE.EQ.3)) GO TO 60
C
C***** GENERATE A FILE CONTAINING REF. AND IDENTIFIED PULSE RESPONSES *
F1(1)=FNIM
        CALL ENTER(LDK1,F1)
        DO 46 I=1,10
46      KOD(I)=0
        KOD(1)=100000

```

Subsystem IDHG

```
KOD(2)=5
KOD(3)=1
KOD(10)=4
WRITE(LDK1) (KOD(I),I=1,10)
DO 47 I=1,4
47 WRITE(LDK1) RNA(I),BLANK
CALL HATCOM(N,NSTART,TH,HSR,HNR,HSI,HNI,V1,V2,V3,V4)
RT=0.0
C
DO 50 I=1,100
RT=RT+1.0
50 WRITE(LDK1) RT,HSR(I),HSI(I),HNR(I),HNI(I)
CALL CLOSE(LDK1)
C
60 RETURN
C
C
C-----
```

```
90 KMESS=40
99 MSTOP=.TRUE.
LSTOP=.TRUE.
RETURN
END
```

Subsystem IDHG

C NAME: HATCOM NUMBER:
C ----
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SUBROUTINE
C -----
C
C AUTHOR AND
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1978-06-22
C -----
C
C INSTITUTE:
C -----
C DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
C -----
C
C
C-----
C
C SUBROUTINE HATCOM(N,NSTART,TH,HU,HE,HS,HN,V1,V2,V3,V4)
C
C N,NSTART,TH SEE COMMENTS TO IMRES
C HU,HE REFERENCE SYSTEM,NOISE IMPULSE RESPONSES
C HS,HN ACTUAL(TH) SYSTEM,NOISE IMPULSE RESPONSES
C V1,V2,V3,V4 LOSS FUNCTIONS (SEE USER'S GUIDE HGPAC)
C
C
C DIMENSION HS(1),HN(1),HU(1),HE(1),N(1),NSTART(1),TH(1)
C
C
C 10 ITYP=0
C CALL IMRES(ITYP,N,NSTART,TH,HS)
C ITYP=1
C CALL IMRES(ITYP,N,NSTART,TH,HN)
C SIGMU=0.
C EHU2=0.
C SIGME=0.
C EHE2=0.
C
C DO 15 I=1,100
C SIGU=HS(I)-HU(I)
C SIGMU=SIGMU+SIGU**2
C EHU2=EHU2+HU(I)**2
C SIGE=HN(I)-HE(I)
C SIGME=SIGME+SIGE**2

Subsystem IDHG

```
15    EHE2=EHE2+HE(I)**2
C
V1=SIGMU
V2=SIGMU/EHU2
V3=SIGME
V4=SIGME/EHE2
C
RETURN
END
```

Subsystem IDHG

C NAME: HATWRT NUMBER:
C ----
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SUBROUTINE
C -----
C
C AUTOR AND
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1978-06-22
C -----
C
C INSTITUTE:
C -----
C DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN

C ACCEPTED: VERSION:
C -----
C
C
C
C-----

C PURPOSE: TO PRINT THE RESULTS OF THE ACCURACY COMPUTATIONS
C AND IF IFIGE EQ.2 OR 3 PLACE THE RESULTS ON
C FILE FNST

C SUBROUTINE HATWRT

C LOGICAL MSTOP

C DIMENSION F1(2),F2(2),KOD(10),RDUM(16),THS(10),IPAR(17),RPAR(59)
C DIMENSION IX(5)

C COMMON LDK1,LDK2,KMESS,MSTOP,IDM1(4),IDOC,IYEAR,MONTH,IDADY,
* ISIMMN,IDM2(4),FNRS,FNRN,FNST,FNWX,FNWY,IDL3(410),IHAT,
* IDM4(23),NPDIM,IDL5(11),IFIGE

C DATA F1(2)/' BIN',F2(2)/' BIN'

C
C K99=-99999
NPD6=NPDIM+6
IF(IHAT.LT.0) RETURN
IF(IHAT.EQ.0) GO TO 125
IF(IDOC.EQ.2) GO TO 125

C
WRITE(6,10) IYEAR,MONTH,IDADY,ISIMMN

Subsystem IDHG

```

10  FORMAT('1ACCURACY',34X,I4,'-',I2,'-',I2,34X,'SIMULATION NO:',
* I5,5X,'I')
      WRITE(6,20)
20  FORMAT(1X,'*****')
      WRITE(6,30)
30  FORMAT(//21X,'2',21X,'2')
      WRITE(6,40)
40  FORMAT(1X,'V = SUM[HR(I)-HI(I)]',5X,'VN = V/SUM[HR(I)]',6X,
* 'I=1,100')
      WRITE(6,50)
50  FORMAT(//17X,'2',15X,'2')
      WRITE(6,60)
60  FORMAT(1X,'ISAMP',6X,'E[RES ]',8X,'E[WRES ]',9X,'V[SYS]',10X,'VN
*[SYS]',8X,'V[NOISE]',8X,'VN[NOISE]')
      WRITE(6,70)
70  FORMAT(1X,'-----+-----+-----+-----+-----+-----+-----+')
*-----+-----+-----+-----+-----+-----+-----+-----+-----+-----+
C
C
      F1(1)=FNWY
      CALL SEEK(LDK1,F1)
      READ(LDK1) (KOD(I),I=1,10)
C
100  READ(LDK1,END=120) NSAMP,VS,WVS,(THS(I),I=1,NPDIM),V1,V2,V3,V4
      WRITE(6,110) NSAMP,VS,WVS,V1,V2,V3,V4
110  FORMAT(1X,I5,6(' I ',G13.6),' I ')
      GO TO 100
120  CALL CLOSE(LDK1)
C
125  IF(IFIGE.LT.2.OR.IFIGE.GT.3) GO TO 200
C
C
      F2(1)=FNWX
      F1(1)=FNST
      CALL SEEK(LDK2,F1)
      READ(LDK2) (IPAR(I),I=1,17),(RPAR(J),J=1,59)
      CALL ENTER(LDK1,F2)
      WRITE(LDK1) (IPAR(I),I=1,17),(RPAR(J),J=1,59)
C
130  READ(LDK2,END=150) (IX(I),I=1,5),(RDUM(J),J=1,NPD6)
      WRITE(LDK1) (IX(I),I=1,5),(RDUM(J),J=1,NPD6)
      GO TO 130
C
150  CALL CLOSE(LDK2)
      CALL DDELETE(LDK2,F1,J)
      F1(1)=FNWY
      CALL SEEK(LDK2,F1)
      READ(LDK2) (KOD(I),I=1,10)
      WRITE(LDK1) K99,ISIMN,IYEAR,MONTH,IDAY,(RDUM(I),I=1,NPD6)
C
160  READ(LDK2,END=180) NSAMP,V,WV,(THS(I),I=1,NPDIM),V1,V2,V3,V4
      WRITE(LDK1) NSAMP,(IX(J),J=1,4),(THS(I),I=1,NPDIM),V,WV,V1,V2,
*V3,V4

```

Subsystem IDHG

```
      GO TO 160
180   CALL CLOSE(LDK1)
      CALL CLOSE(LDK2)

C
C
      F1(1)=FNST
      CALL RENAM(LDK1,F2,F1,J)
      IF(J.EQ.-1) GO TO 200
190   KMESS=40
      MSTOP=.TRUE.
      RETURN

C
200   F2(1)=FNWY
      CALL DLETE(LDK1,F2,J)
      IF(J.EQ.0) GO TO 190
      RETURN

C
      END
```

Subsystem IDHG

C NAME: STAWRT NUMBER:
C -----
C
C SUBTITLE:
C -----
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SUBROUTINE
C -----
C
C AUTHOR AND DATE:
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON -----
C
C INSTITUTE: DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
C -----
C
C
C
C
C-----
C
SUBROUTINE STAWRT(ISAMP,TH,OLDTH,NPDIM)
DIMENSION TH(1),OLDTH(1)
WRITE(6,10) ISAMP
10 FORMAT(' STAWRT ISAMP=',I6,' F OR C POL NOT STABLE,OLDTH USED')
RETURN
END

Subsystem IDHG

C NAME: WRTHG NUMBER:
C
C SUBTITLE: PRINT-OUT DURING SIMULATION
C
C LANGUAGE: STANDARD FORTRAN
C
C PROGRAM TYPE: SUBROUTINE
C
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1978-06-22
C
C INSTITUTE: DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
C
C-----
C
C SUBROUTINE WRTHG
C
C LOGICAL SA,IV,Lfilt,Preres,Stabck,Lspfzn
C DIMENSION TEE(5,10),N(5)
C
* COMMON KDUM1(435),METOD,IWRT,IWRT1,IWRDN,IHAT,IHATN,NSh(5),
* ICK,ISAMP,IFIST,SA,IV,Lfilt,Preres,Stabck,Lspfzn,ISDIM1,
* ISDIM2,NF,NA,NB,ND,NC,KD,NPDIM,IPDIM,NST1,NST2,NST3,NST4,NST5,
* NPS1,NPS2,np1,INVAU,Idm35,Ifige,Nfst,WV,V,WTO,TS,DT,WRES,RLIM,
* DELTA,Y,WT,RES,U,RKJ,WOI(6),R1(10),P(10,10),TH(10),S(5,20),
* PHI(10),OLDTH(10),Z(10),WPSI(10),TH1(10),Z2(20),FI(100),
* P1(10,10),TK(100),TA(100,2),TB(100,2),E(2,2)
C
C EQUIVALENCE (FI(1),TEE(1,1)),(NF,N(1))
C
C***** WRITE ISAMP - TH - (TH1) *****
C
* WRITE(6,10) ISAMP
10 FORMAT('//0ISAMP:',I5)
* WRITE(6,20) (TH(I),I=1,NPDIM)
20 FORMAT(' TH:'/(1X,BG14.6))
* IF(METOD.EQ.6) WRITE(6,25) (TH1(I),I=1,NPDIM)
25 FORMAT(' TH:'/(1X,BG14.6))
* IF(IWRT.EQ.1) RETURN
C
C***** WRITE Y - U - RES - WRES - WT *****
C
* WRITE(6,30) Y,U,RES,WRES,WT
30 FORMAT(3H Y:,G14.6,5X,2HU:,G14.6,5X,4HRES:,G14.6,5X,5HWRES:,G14.6)

Subsystem IDHG

```

      *5X,3HWT:,G14.6)
      IF(IWRT.EQ.2) RETURN

C
C
C***** WRITE P - ( P1 - TA - E ) *****
      WRITE(6,40)
      40  FORMAT(10H P-MATRIX:)
      DO 70 I=1,NPDIM
      WRITE(6,50) (P(I,K),K=1,NPDIM)
      50  FORMAT(1X,8G14.6)
      70  CONTINUE
      IF(METOD.NE.6) GO TO 75
      WRITE(6,71)
      71  FORMAT(11H P1-MATRIX:)

C
      DO 72 I=1,NPDIM
      WRITE(6,50) (P1(I,K),K=1,NPDIM)
      72  CONTINUE

C
      WRITE(6,73)
      73  FORMAT(' TA:')
      N2=2*NFST
      WRITE(6,50) (TA(2*I-1,1),I=1,NFST)
      WRITE(6,50) (TA(2*I,1),I=1,NFST)

C
      WRITE(6,74) E(1,1),E(1,2),E(2,1),E(2,2)
      74  FORMAT(' E:/'1X,2G14.6/1X,2G14.6)
      75  IF(IWRT.EQ.3) RETURN

C
C
C***** WRITE PHI - WPSI - Z - (FI) *****
      WRITE(6,80) (PHI(I),I=1,NPDIM)
      80  FORMAT(' PHI:'/(1X,8G14.6))

C
      WRITE(6,90) (WPSI(I),I=1,NPDIM)
      90  FORMAT(' PSI:'/(1X,8G14.6))

C
      WRITE(6,100) (Z(I),I=1,NPDIM)
      100 FORMAT(' Z:'/(1X,8G14.6))

C
      IF(METOD.NE.6) GO TO 105
      WRITE(6,102) (FI(I),I=1,N2)
      102 FORMAT(' FI:'/(1X,8G14.6))
      105 IF(IWRT.EQ.4) RETURN

C
C
C***** WRITE S - (Z2) *****
      WRITE(6,110)
      110 FORMAT(' S-MATRIX:')
      DO 130 I=1,ISDIM1
      WRITE(6,50) (S(I,J),J=1,20)
      130 CONTINUE

```

Subsystem IDHG

```
      IF(METHOD.NE.6) GO TO 135
      WRITE(6,132) (Z2(I),I=1,20)
132    FORMAT(' Z2:'/(1X,8G14.6))
135    IF(IWRT.EQ.5) RETURN
C
C
***** WRITE TEE - (TK) *****
      WRITE(6,140)
140    FORMAT(' TEE-MATRIX:')
      DO 160 I=1,ISDIM1
      WRITE(6,50) (TEE(I,K),K=1,10)
160    CONTINUE
C
      IF(METHOD.NE.6) RETURN
      WRITE(6,170) (TK(I),I=1,N2)
170    FORMAT(' TK:'/(1X,8G14.6))
      RETURN
      END
```

Subsystem IDHG

C NAME: WREKF NUMBER:
C ----
C
C SUBTITLE: PRINT-OUT DURING SIMULATION
C -----
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SUBROUTINE
C -----
C
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1978-06-22
C -----
C
C INSTITUTE: DEPARTMENT OF AUTOMATIC CONTROL
C ----- LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
C -----
C
C-----
C
C SUBROUTINE WREKF
C
C LOGICAL SA,IV,Lfilt,Preres,Stabck,Lspfzn
C DIMENSION N(5),NSTART(5),WP3X(10),WP2TH(10),WL(10)
C DIMENSION P2(10,10),P3(10,10),X(10),RL(10),PX(10,10)
C
C COMMON KDUM1(435),METOD,IWRT,IWRT1,IWRDN,IHAT,IHATN,NSH(5),
* ICK,ISAMP,IFIST,SA,IV,Lfilt,Preres,Stabck,Lspfzn,ISDIM1,
* ISDIM2,NF,NA,NB,ND,NC,KD,NPDIM,IPDIM,NST1,NST2,NST3,NST4,NST5,
* NPS1,NPS2,np1,INVAU,IDM35,IFIGE,NFST,WV,V,WTO,TS,DT,WRES,RLIM,
* DELTA,Y,WT,RES,U,RKJ,WOI(6),R1(10),P(10,10),TH(10),S(5,20),
* PHI(10),OLDTH(10),Z(10),WPSI(10),TH1(10),Z2(20),FI(100),
* P1(10,10),TK(100),TA(100,2),TB(100,2),E(2,2)
C
C EQUIVALENCE (TH1(1),WP3X(1)),(Z2(1),WP2TH(1)),(Z2(11),WL(1))
C EQUIVALENCE (P2(1,1),TK(1)),(P3(1,1),P1(1,1)),(X(1),PHI(1))
C EQUIVALENCE (RL(1),WPSI(1)),(PX(1,1),FI(1))
C EQUIVALENCE (N(1),NF),(NSTART(1),NST1)
C
C
C DATA A1,A2,A3,A4// ISAMP,,TH:,,P3-MA,,P2-MA//
C DATA A5,A6,A7,A8// PX-MA,,S -MA,,TRIX:,,X://
C DATA A9,A10,A11,A12// WP3X:,,WP2TH:,,WL:,,RL://
C DATA A13,A14,A15// Y:,,U:,,RES://
C
C 10 FORMAT(//1X,A5,I5)
C 20 FORMAT(1X,A5/(1X,8G14.6))

Subsystem IDHG

```

30   FORMAT(1X,2A5)
40   FORMAT(1X,8G14.6)
50   FORMAT(1X,3(A5,4X,G14.6))

C
C
C
***** WRITE ISAMP - TH *****
      WRITE(6,10) A1,ISAMP
      WRITE(6,20) A2,(TH(I),I=1,NPDIM)
      IF(IWRT.EQ.1) RETURN

C
C
***** WRITE Y - U - RES *****
      WRITE(6,50) A13,Y,A14,U,A15,RES
      IF(IWRT.EQ.2) RETURN

C
C
***** WRITE P3 - P2 *****
      WRITE(6,30) A3,A7
      DO 55 I=1,NPDIM
55      WRITE(6,40) (P3(I,K),K=1,NPDIM)
      WRITE(6,30) A4,A7
      DO 60 I=1,NPDIM
60      WRITE(6,40) (P2(I,K),K=1,NPDIM)
      IF(IWRT.EQ.3) RETURN

C
C
***** WRITE X - RL *****
      WRITE(6,20) A8,(X(I),I=1,NPDIM)
      WRITE(6,20) A12,(RL(I),I=1,NPDIM)
      IF(IWRT.EQ.4) RETURN

C
C
***** WRITE S *****
      WRITE(6,30) A6,A7
      DO 70 I=1,ISDIM1
70      WRITE(6,40) (S(I,J),J=1,20)
      IF(IWRT.EQ.5) RETURN

C
C
***** WRITE WP3X - WP2TH - WL - PX *****
      WRITE(6,20) A9,(WP3X(I),I=1,NPDIM)
      WRITE(6,20) A10,(WP2TH(I),I=1,NPDIM)
      WRITE(6,20) A11,(WL(I),I=1,NPDIM)
      WRITE(6,30) A5,A7
      DO 80 I=1,NPDIM
80      WRITE(6,40) (PX(I,K),K=1,NPDIM)
      RETURN
      END

```

Subsystem IDHG

C NAME: DOCID NUMBER:
C -----
C
C SUBTITLE: DOCUMENTATION OF PARAMETERS
C ----- FOR THE SUBSYSTEM IDHG
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SUBROUTINE
C -----
C
C AUTHOR AND
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1978-06-22
C -----
C
C INSTITUTE:
C -----
C DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
C -----
C-----
C
C SUBROUTINE DOCID
C
C LOGICAL MSTOP,SA,IV,Lfilt,Preres,Stabck,Lspfzn
C
C DIMENSION A(7)
C
C COMMON IDM1(2),KMESS,MSTOP,INHG,ISYSH,IDLINES,DOC,IYEAR,
* MONTH,IDAD,ISIMN,DM2(4),FNRS,FNRN,FNIM,FNST,DM3(310),WTI,
* DM4(10),PFST,THO(10),PO(10),TH10(10),P10(10),ISTAB,IPRER,
* DM5(4),METOD,IWRT,IWRTR,IHAT,IHATN,NSH(5),
* ICK,ISAMP,IFIST,SA,IV,Lfilt,Preres,Stabck,Lspfzn,ISDIM1,
* ISDIM2,NF,NA,NB,ND,NC,KD,NPDIM,IPDIM,NST1,NST2,NST3,NST4,NST5,
* NPS1,NPS2,NP1,INVAU,DM35,IFIGE,NFST,WV,V,WTO,TS,DT,WRES,RLIM,
* DELTA,Y,WT,RES,U,RKJ,WOI(6),R1(10),P(10,10),TH(10),S(5,20),
* PHI(10),OLDTH(10),Z(10),WPSI(10),TH1(10),Z2(20),FI(100),
* P1(10,10),TK(100),TA(100,2),TB(100,2),E(2,2)
C
C DATA A(1) //'LIP'/,A(2) //'CMA'/,A(3) //'LIP'/,A(4) //'CMA'/,A(5) //'IV'/
C DATA A(6) //'KJADM'/,A(7) //'EKF'/,B1 //'SA'/,B2 //' '
C
C B=B2
C IF(METOD.LE.2) B=B1
C IF(INHG.EQ.1.OR.ISYSH.EQ.1) GO TO 115
C WRITE(6,10) ISIMN
10 FORMAT(' 1DOCUMENTATION',35X,'SIMU. NO:',I11)
C WRITE(6,20) IYEAR,MONTH,IDAD
20 FORMAT(' *****',35X,'DATE :,I5,'=,I2,'=,I2)

Subsystem IDHG

```

        LINES=2
C
115  WRITE(6,180)
180  FORMAT(//' SYSTEM IDHG:' )
      WRITE(6,40)
40   FORMAT(' -----')
      WRITE(6,190) METOD,A(METOD),B
190  FORMAT(' IDENTIFICATION METHOD:',I2,2X,A5,2X,A5)
      WRITE(6,200) NF,IPRER,IWRT
200  FORMAT(' NA   =',I9,9X,' IPRER=',I9,9X,' IWRT =',I9)
      WRITE(6,210) NA,IFIST,IWRT1
210  FORMAT(' NF   =',I9,9X,' IFIST=',I9,9X,' IWRT1=',I9)
      WRITE(6,220) NB,ISTAB,IWRDN
220  FORMAT(' NB   =',I9,9X,' ISTAB=',I9,9X,' IWRDN=',I9)
      WRITE(6,230) ND,INVAU,IHAT
230  FORMAT(' ND   =',I9,9X,' INVAU=',I9,9X,' IHAT =',I9)
      WRITE(6,240) NC,IHATN
240  FORMAT(' NC   =',I9,33X,' IHATN=',I9)
      WRITE(6,250) KD,NFST,IFIGE
250  FORMAT(' KD   =',I9,9X,' NFST =',I9,9X,' IFIGE=',I9)

C
260  WRITE(6,260) WTI,PFST,FNRS
260  FORMAT(//' WTI   =',G13.6,5X,' PFST =',G13.6,5X,' FNRS =',4X,A5)
      WRITE(6,270) WTO,RKJ,FNRN
270  FORMAT(' WTO  =',G13.6,5X,' RKJ  =',G13.6,5X,' FNRN =',4X,A5)
      WRITE(6,280) RLIM,FNIM
280  FORMAT(' RLIM =',G13.6,29X,' FNIM =',4X,A5)
      WRITE(6,290) DELTA,DT,FNST
290  FORMAT(' DELTA=',G13.6,5X,' DT    =',G13.6,5X,' FNST =',4X,A5/)

C
300  DO 320 I=1,NPDIM
      IF(I.LT.10) WRITE(6,300) I,TH(I),I,THO(I),I,PO(I)
      *       FORMAT(' TH(',I1,')  =',G13.6,3X,' THO(',I1,') =',G13.6,3X,' PO(',I1,')
      *       =',G13.6)
      IF(I.GE.10) WRITE(6,310) I,TH(I),I,THO(I),I,PO(I)
310  FORMAT(' TH(',I2,')  =',G13.6,3X,' THO(',I2,') =',G13.6,3X,' PO(',I2,')
      *       =',G13.6)
320  CONTINUE
      WRITE(6,325)
325  FORMAT(1X)
      LINES=LINES+18+NPDIM+1

C
326  IF(METOD.NE.6) GO TO 360
      IF(64-LINES.GT.NPDIM) GO TO 326
      WRITE(6,10) ISIMN
      WRITE(6,370)
      LINES=1
326  DO 350 I=1,NPDIM
      IF(I.LT.10) WRITE(6,330) I,TH1(I),I,TH10(I),I,P10(I)
      *       FORMAT(' TH1(',I1,') =',G13.6,3X,' TFO(',I1,') =',G13.6,3X,' P10(',I1,')
      *       =',G13.6)
      IF(I.GE.10) WRITE(6,340) I,TH1(I),I,TH10(I),I,P10(I)
340  FORMAT(' TH1(',I2,') =',G13.6,3X,' TFO(',I2,') =',G13.6,3X,' P10(',I2,')
      *
```

Subsystem IDHG

```
* I2,')=',G13.6)
350  CONTINUE
      WRITE(6,325)
      LINES=LINES+NPDIM+1
C
360  IF(64-LINES.GT.NPDIM) GO TO 380
      WRITE(6,10) ISIMN
      WRITE(6,370)
370  FORMAT('+',15X,'(CONT)'')
C
380  DO 410 I=1,NPDIM
      IF(I.LT.10) WRITE(6,390) I,R1(I)
390  FORMAT(' R1('',I1,'') =',G13.6)
      IF(I.GE.10) WRITE(6,400) I,R1(I)
400  FORMAT(' R1('',I2,'') =',G13.6)
410  CONTINUE
C
      RETURN
      END
```

Subsystem IDHG

C NAME: IDMESS NUMBER:
C -----
C
C SUBTITLE: ERROR MESSAGES WHEN SIMULATIONS HAVE TO BE STOPPED
C -----
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SUBROUTINE
C -----
C
C AUTHOR AND DATE: 1978-06-22
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON -----
C
C INSTITUTE:
C -----
C DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
C -----
C
C
C
C-----
C
C SUBROUTINE IDMESS
C
C LOGICAL MSTOP
C
C COMMON IDM1(2),KMESS,MSTOP,IDL2(13),FNRS,FNRN,FNIM,FNST
C
C DATA FN1,FN2,FN3,FN4// FNRS', 'FNRN', 'FNIM', 'FNST' /
C
C IF(KMESS.LE.23.OR.KMESS.GT.43) RETURN
C
C
C LU=9
C MSTOP=.FALSE.
C
C WRITE(LU,3000)
C 3000 FORMAT(' SYSTEM IDHG')
C
C IDMES=KMESS-22
C
C GO TO (1,24,25,26,27,28,29,30,31,32,33,34,35,36,37,38,39,40,41,
C * 42,43),IDMES
C

Subsystem IDHG

C

```

1   WRITE(LU,101)
   GO TO 100
24  WRITE(LU,124)
   GO TO 100
25  WRITE(LU,125)
   GO TO 100
26  WRITE(LU,126)
   GO TO 100
27  WRITE(LU,127)
   GO TO 100
28  WRITE(LU,128)
   GO TO 100
29  WRITE(LU,129)
   GO TO 100
30  WRITE(LU,130)
   GO TO 100
31  WRITE(LU,131)
   GO TO 100
32  WRITE(LU,132)
   GO TO 100
33  WRITE(LU,133)
   GO TO 100
34  WRITE(LU,134)
   GO TO 100
35  WRITE(LU,135) FNRS
   GO TO 100
36  WRITE(LU,135) FNRN
   GO TO 100
37  WRITE(LU,137) FNIM
   GO TO 100
38  WRITE(LU,138) FNST
   GO TO 100
39  WRITE(LU,139)
   GO TO 100
40  WRITE(LU,140) FN1
   GO TO 100
41  WRITE(LU,140) FN2
   GO TO 100
42  WRITE(LU,140) FN3
   GO TO 100
43  WRITE(LU,140) FN4
   GO TO 100
100 RETURN

```

C

C

```
101  FORMAT(' HVERNIG TOKST DETTA** FEL I PROGRAM**')
```

C

C

```

124  FORMAT(' PAR METOD MUST BE IN THE RANGE (1,7)')
125  FORMAT(' NA,NF,NB,ND,NC MUST ALL BE GREATER OR EQUAL TO ZERO')
126  FORMAT(' PARAMETERS NB+KD MUST BE LESS THAN 20')
127  FORMAT(' NPDIM=NA+NF+NB+ND+NC TOO LARGE,MUST BE LESS THAN 10')
```

Subsystem IDHG

```
128  FORMAT(' IV IDENTIFIES ONLY THE A AND B POLYNOMIALS, THEREFORE
      * MUST NF=ND=NC=0')
129  FORMAT(' THE DEPOSIT OF THE GLOBAL VARIABLE ISIMN FAILED')
130  FORMAT(' EKF IDENTIFIES ONLY THE A,B AND C POLYNOMIALS'
      * ' NF AND ND MUST BE ZERO')
131  FORMAT(' IPRER MUST BE EQUAL TO ZERO OR 1')
132  FORMAT(' PAR ISTAB MUST BE EQUAL TO ZERO ,1 OR 2')
133  FORMAT(' IF PAR IFIGE .GT. 1 THEN PAR IHAT MUST BE .GE.0')
134  FORMAT(' PAR KD NEG,MUST BE GREATER OR EQUAL TO ZERO')
135  FORMAT(' FILE ',A5,' NOT FOUND')
137  FORMAT(' THE FILE ',A5,' IS PRESENT ON DISK// DELETE, CHANGE'
      * ', THE NAME OR ASSIGN A NEW NAME TO FNIM')
138  FORMAT(' THE FILE ',A5,' REFERS TO SIMULATIONS WITH OTHER
      * PARAMETERS THAN THOSE PRESENT// ASSIGN A NEW NAME TO FNST OR
      * CHANGE PARAMETERS')
139  FORMAT(' PAR IFIGE MUST BE 0,1,2 OR 3')
140  FORMAT(1X,A5,' IS UNDEFINED')
```

C

END

Subsystem AUXIL

C NAME: AUXIL NUMBER:
C -----
C
C SUBTITLE: AUXILIARY SUBSYSTEM TO INCLUDE THE SUBROUTINES
C ----- GENHG,SIMHG,FILCON AND STAT IN HGPAC
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SUBROUTINE
C -----
C
C KEYWORDS:
C -----
C
C AUTHOR AND
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE:
C -----
C
C INSTITUTE: DEPARTMENT OF AUTOMATIC CONTROL
C ----- LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
C -----
C
C
C
C-----
C SUBROUTINES REQUIRED: GENHG POZEMU DPMPY SIMHG WRRESU
C SIMH FILCON STAT AUMESS
C LIBRARY: MCNODEI
C
C REF. H. GUNNARSSON: RECURSIVE IDENTIFICATION USING A GENERAL
C MODEL STRUCTURE. A PROGRAM PACKAGE AND
C SIMULATIONS.
C
C-----
C
C SUBROUTINE AUXIL
C
C LOGICAL LSTOP,MSTOP
C COMMON/DESTIN>IDUM,IPART
C COMMON/USER/LSTOP
C
C COMMON IDM1(2),KMESS,MSTOP,INHG,ISYSH,IDH,IDM2(2485),
C * KODD(11),RSUB
C
C GO TO (1,2,3,4,5,6,7,8),IPART
C
C***** IDENTIFICATION *****
C 1 CALL IDENT(5HDISCR,5HAUXIL)

Subsystem AUXIL

```

INHG=0
ISYSH=0
IDH=0
RETURN
C
C
***** DECLARATIONS *****
2   CALL PAR(RSUB,4HISUB)
      CALL PAR(DT,4HDT )
      CALL TSAMP(TS,4HTS )
      RETURN
***** CONSTANT ASSIGNMENT *****
3   RSUB=0.
      DT=1.0
      RETURN
C
C
***** INITIAL *****
4   KMESS=1
      MSTOP=.FALSE.
      IF(INHG.EQ.1.OR.ISYSH.EQ.1.OR.IDH.EQ.1) GO TO 99
      ISUB=RSUB+0.1
      IF(ISUB.LT.1.OR.ISUB.GT.5) GO TO 98
C
C
      GO TO(41,42,43,44,45),ISUB
C
41   CALL GENHG
      GO TO 49
C
42   CALL SIMHG(KODD,SNR,FNIN,FNUT,NCOL)
      IF(NCOL.LT.0) GO TO 49
      CALL SIMH(KODD,SNR,FNIN,FNUT,NCOL)
      IF(KMESS.GT.1) GO TO 100
      GO TO 49
C
43   CALL STAT
      GO TO 49
C
44   CALL FILCON
      GO TO 49
C
45   CALL WRRESU
      GO TO 49
C
49   LSTOP=.TRUE.
      RETURN
C
C
5   LSTOP=.TRUE.
      RETURN
C
6   TS=T+DT

```

Subsystem AUXIL

```
        RETURN
C      7  RETURN
C
C      8  IF(MSTOP) CALL AUMESS
        RETURN
C
        98  KMESS=54
        GO TO 100
        99  KMESS=53
100  MSTOP=.TRUE.
        LSTOP=.TRUE.
        RETURN
        END
```

Subsystem AUXIL

C NAME: GENHG NUMBER:
C -----
C
C SUBTITLE: PROGRAM FOR GENERATION OF IMPULSE
C ----- RESPONSES TO BE USED FOR SIMULATION.
C
C LANGUAGE: STANDARD FORTRAN
C -----
C
C PROGRAM TYPE: SUBROUTINE
C -----
C
C KEYWORDS:
C -----
C
C AUTHOR AND
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE:
C -----
C
C INSTITUTE: DEPARTMENT OF AUTOMATIC CONTROL
C ----- LUND INSTITUTE OF TECHNOLOGY, SWEDEN
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C ACCEPTED: VERSION:
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C SUBROUTINES REQUIRED: POZEMU DPMPY
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C
C SUBROUTINE GENHG
C
C
C LOGICAL MSTOP
C DOUBLE PRECISION A,B,C,E,G,S1,S2
C DIMENSION FNAM(2)
C
C COMMON LDK1,LDK2,KMESS,MSTOP,IDL1(531),A(3),B(30),C(30),E(30),
C * U(130),Y(130),IFIH(10),G,S1,S2
C
C***** THE PROGRAM USES A PART OF THE BLANK COMMON AREA IN HGPAC *****
C** THE VECTOR A STARTS IN THE FIRST CELL USED BY THE COVARIANCE **
C** MATRIX P IN SUBSYSTEM IDHG. SEE HGCOM.
C
C

Subsystem AUXIL

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C
DATA FNAM(2)//' BIN '//,TYPO//' ONE '//,TYP1//' NO  '//,ST//' STOP '///
DATA TEX1//' POLE '//,TEX2//' ZERO '//,IALTM/ 764000/
DATA YES//'Y  '//,RNO//'N  '//,BLANK//  '/

C
C***** READ TYP=ONE OR NO ; TYP=ONE MEANS ONE TIME DELAY IN THE *****
C**      NUMERATOR, TYP=NO MEANS NO DELAY; IF TYP=STOP ; STOP      **
C
C      IMAX=30

C
10   WRITE(9,20) IALTM
20   FORMAT(//' PROGRAM GENHG: GENERATION OF IMPULSE RESPONSES' //
*   ' TYP=STOP : STOP'/
*   ' TYP=ONE  : ONE TIME DELAY IN THE NUMERATOR'/
*   ' TYP=NO   : NO TIME DELAY'//
*   ' TYP=  ,A1)

C
C      ITYP=-99
READ(8,30) TYP
30   FORMAT(A4)
IF(TYP.EQ.TYPO) ITYP=0
IF(TYP.EQ.TYP1) ITYP=1
IF(TYP.EQ.ST) GO TO 310
IF(ITYP.EQ.-99) GO TO 10

C
C      WRITE(6,40) TYP
40   FORMAT(' 1PROGRAM GENHG:',64X,'I'//1X,A4,'TIME DELAY')

C
C      CALL POZEMU(B,A,C,IB,IMAX,TEX1)
CALL POZEMU(E,A,C,IE,IMAX,TEX2)

C
C***** DENOMINATOR AND NUMERATOR POLYNOMIALS ARE NOW COMPUTED. *****
C**      IF TYP=ONE COMPUTE STEADY STATE GAIN G AND DIVIDE THE      **
C**      NUMERATOR COEFFICIENTS BY G TO GET A TRANSFER FUNCTION WITH  **
C**      STEADY STATE GAIN EQUAL TO 1.                                **

C
50   IF(ITYP.EQ.1) GO TO 90
S1=0.
DO 60 I=1,IB
60   S1=S1+B(I)
S2=0.
DO 70 I=1,IE
70   S2=S2+E(I)
G=S2/S1
DO 80 I=1,IE
80   E(I)=E(I)/G

C
C
C***** WRITE DENOMINATOR AND NUMERATOR POLYNOMIALS *****
90   WRITE(6,100)
100  FORMAT(/' NUMERATOR POLYNOMIAL:'')
WRITE(6,105) (E(I),I=1,IE)
105  FORMAT(5D15.6)

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Subsystem AUXIL

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        WRITE(6,110)
110    FORMAT('' DENOMINATOR POLYNOMIAL:'')
        WRITE(6,105) (B(I),I=1,IB)

C
C***** INITIALIZATION *****
DO 120 I=1,130
U(I)=0.
120   Y(I)=0.
U(31)=1.

C
C***** COMPUTATION OF THE FIRST 100 IMPULSE RESPONSE COEFFICIENTS. ****
C
IBM1=IB-1
DO 150 I=31,130
Y(I)=0.
DO 130 J=1,IBM1
130   Y(I)=Y(I)-B(J+1)*Y(I-J)
DO 140 J=1,IE
140   Y(I)=Y(I)+E(J)*U(I-J+ITYP)
150   CONTINUE

C
C
C***** WRITE THE COEFFICIENTS *****
WRITE(6,160)
160   FORMAT('' IMPULSE RESPONSE COEFFICIENTS:'')
DO 180 I=0,24
K=I+75
WRITE(6,170) (J,Y(J+31),J=I,K,25)
170   FORMAT(4(1X,I2,1X,G14.6,1X))
180   CONTINUE

C
C
C***** GET FILE NAME AND WRITE THE COEFF. ONTO THE FILE *****
190   WRITE(9,200) IALTM
200   FORMAT('' FILE NAME FOR COEFFICIENTS OF IMPULSE RESPONSE:''
*, IF FILE NAME=STOP THEN NO FILE IS GENERATED'' FILE NAME='',A1)
210   READ(8,220) FN
220   FORMAT(A5)
IF(FN.EQ.ST) GO TO 10
DO 215 I=1,10
215   IFIH(I)=0
IFIH(1)=100000
IFIH(2)=2
IFIH(3)=1
IFIH(10)=1
FNAM(1)=FN
CALL FSTAT(LDK1,FNAM,J)
IF(J.EQ.-1) GO TO 260
230   WRITE(6,240) FN
240   FORMAT('' FILE NAME:'',A5/)
CALL ENTER(LDK1,FNAM)
WRITE(LDK1) (IFIH(I),I=1,10)
WRITE(LDK1) TYP,BLANK

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Subsystem AUXIL

```
RT=0.0
DO 250 I=31,130
RT=RT+1.0
WRITE(LDK1) RT,Y(I)
250 CONTINUE
C
CALL CLOSE(LDK1)
C
GO TO 10
C
260 WRITE(9,270) FN,IALTM
270 FORMAT(' A FILE NAMED ',A5,' IS PRESENT ON DISK //'
* ' DO YOU WANT IT DELETED **-* TYPE Y OR N (YES OR NO) ',A1)
READ(8,280) YN
280 FORMAT(A1)
IF(YN.EQ.YES) GO TO 230
IF(YN.EQ.RNO) GO TO 290
GO TO 260
290 WRITE(9,300) IALTM
300 FORMAT(' CHOOSE ANOTHER NAME =',A1)
GO TO 210
C
310 RETURN
END
```

Subsystem AUXIL

C NAME: POZEMU NUMBER:
C
C SUBTITLE: READS AND MULTIPLIES ROOTS (POLES OR
C ZEROES) TO GIVE THE POLYNOMIAL.
C
C LANGUAGE: STANDARD FORTRAN
C
C
C PROGRAM TYPE: SUBROUTINE
C
C
C KEYWORDS:
C
C
C AUTHOR AND
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE:
C
C
C INSTITUTE: DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
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C
C SUBROUTINES REQUIRED: DPMPY
C
C-----
C
C
C
C SUBROUTINE POZEMU(X,Y,Z,IX,IMAX,TEX)
C
C DOUBLE PRECISION X,Y,Z
C
C DIMENSION X(1),Y(1),Z(1)
C
C DATA ST//'STOP '//,RR//R //,CC// C //,IALTM/ 764000/
C
C
C IX=1
C Y(1)=1.
C X(1)=1.
C
C
C***** READ TYPE OF POLE OR ZERO *****

Subsystem AUXIL

```

10    WRITE(9,20) TEX,TEX,TEX,TEX
20    FORMAT(//' READ ',A4,'S'// T=STOP : NO MORE ',A4,'S'/
*   ' T=R      : A REAL ',A4// T=C      : COMPLEX ',A4,'S'/)
C
30    WRITE(9,40) IALTM
40    FORMAT(' T= ',A1)
READ(8,50) T
50    FORMAT(A4)
K=0
IF(T.EQ.ST) RETURN
IF(T.EQ.RR) GO TO 60
IF(T.EQ.CC) GO TO 100
GO TO 10
C
C
***** REAL POLE OR ZERO *****
60    WRITE(9,70) TEX,IALTM
70    FORMAT(' REAL ',A4,' = ',A1)
READ(8,80) Y2
80    FORMAT(F10.6)
Y(2)=-Y2
WRITE(6,90) TEX,Y2
90    FORMAT(' REAL ',A4,5X,'=',F8.5)
K=1
GO TO 140
C
C
***** COMPLEX POLES OR ZEROES *****
100   WRITE(9,110) IALTM
110   FORMAT(' REAL PART      = ',A1)
READ(8,80) Y2
WRITE(9,120) IALTM
120   FORMAT(' IMAGINARY PART = ',A1)
READ(8,80) Y3
Y(2)=-2.*Y2
Y(3)=Y2*Y2+Y3*Y3
WRITE(6,130) TEX,Y2,Y3
130   FORMAT(' COMPLEX ',A4,'S = ',F8.5,' +/- ',F8.5)
K=2
C
C
***** MULTIPLICATION *****
140   CALL DPMPY(Z,IZ,Y,K+1,X,IX)
IX=IZ
DO 150 I=1,IZ
150   X(I)=Z(I)
IF(IX.EQ.IMAX) GO TO 160
GO TO 30
C
C
160   WRITE(9,170) TEX
170   FORMAT(' ARRAY LIMITS REACHED, NO MORE ',A4,'S POSSIBLE')
RETURN

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Subsystem AUXIL

END

Subsystem AUXIL

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C      NAME: DPMPY                      NUMBER:
C      -----
C
C      SUBTITLE: MULTIPLIES TWO REAL POLYNOMIALS
C      ----- IN DOUBLE PRECISION.
C
C      LANGUAGE: STANDARD FORTRAN
C      -----
C
C      PROGRAM TYPE: SUBROUTINE
C      -----
C
C      KEYWORDS:
C      -----
C
C      INSTITUTE: DEPARTMENT OF AUTOMATIC CONTROL
C      ----- LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C      ACCEPTED:                         VERSION:
C      -----
C
C
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C-----  

C
C      SUBROUTINE DPMPY(Z,IDIMZ,X,IDIMX,Y,IDIMY)
C
C      DOUBLE PRECISION Z,X,Y
C
C
C      DIMENSION Z(1),X(1),Y(1)
C
C      IF(IDIMX*IDIMY) 10,10,20
10     IDIMZ=0
      GO TO 50
C
20     IDIMZ=IDIMX+IDIMY-1
      DO 30 I=1,IDIMZ
30     Z(I)=0.
C
      DO 40 I=1,IDIMX
      DO 40 J=1,IDIMY
      K=I+J-1
40     Z(K)=X(I)*Y(J)+Z(K)
50     RETURN
      END

```

Subsystem AUXIL

C NAME: SIMHG NUMBER:
C
C SUBTITLE: SIMULATION USING IMPULSE RESPONSE MODEL
C
C LANGUAGE: STANDARD FORTRAN
C
C PROGRAM TYPE: SUBROUTINE
C
C KEYWORDS:
C
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1978-06-22
C
C INSTITUTE:
C DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
C
C
C-----
C
C SUBROUTINE SIMHG(KODD,SNR,FNIN,FNUT,NCOL)
C LOGICAL MSTOP
C DIMENSION FNAM(2),KODD(11)
C COMMON LDK1,LDK2,KMESS,MSTOP,IDL1(531),ZU(100),ZE(100),KOD(10),
* Z(4)
C DATA FNAM(2)//' BIN'//,IALTM/ 764000/
C
C WRITE(9,10)
10 FORMAT(' PROGRAM SIMHG/// PROGRAM FOR SIMULATION',
* ' USING IMPULSE RESPONSE MODEL')
C
C***** READ FILE NAME FOR COEFFICIENTS OF SYSTEM IMPULSE RESPONSE*****
C***** READ COEFFICIENTS *****
20 WRITE(9,30) IALTM
30 FORMAT(' FILE NAME FOR COEFFICIENTS OF SYSTEM IMPULSE RESPONSE'/
* ' FILE NAME = ',A1)
READ(8,40) F1

Subsystem AUXIL

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40  FORMAT(A5)
FNAM(1)=F1
CALL FSTAT(LDK1,FNAM,J)
IF(J.EQ.0) GO TO 290
CALL SEEK(LDK1,FNAM)
READ(LDK1,END=310) (KOD(I),I=1,10)
DO 50 I=1,100
READ(LDK1,END=310) Z(1)
50  ZU(I)=Z(1)
CALL CLOSE(LDK1)
***** READ FILE NAME FOR COEFFICIENTS OF NOISE IMPULSE RESPONSE.*****
***** READ COEFFICIENTS *****
WRITE(9,60) IALTM
60  FORMAT('// FILE NAME FOR COEFFICIENTS OF NOISE IMPULSE RESPONSE'/
* ' FILE NAME = ',A1)
READ(8,40) F2
FNAM(1)=F2
CALL FSTAT(LDK1,FNAM,J)
IF(J.EQ.0) GO TO 290
CALL SEEK(LDK1,FNAM)
READ(LDK1,END=310) (KOD(I),I=1,10)
DO 70 I=1,100
READ(LDK1,END=310) Z(1)
70  ZE(I)=Z(1)
CALL CLOSE(LDK1)

C
C
***** READ FILE NAME WITH THE INPUT DATA *****
WRITE(9,80) IALTM
80  FORMAT('// FILE NAME WITH INPUT DATA = ',A1)
READ(8,40) FNIN
FNAM(1)=FNIN
CALL FSTAT(LDK1,FNAM,J)
IF(J.EQ.0) GO TO 290
CALL SEEK(LDK1,FNAM)
READ(LDK1) (KOD(I),I=1,10)
IF(KOD(1).LT.2101) GO TO 310
CALL CLOSE(LDK1)

C
C
***** READ NCOL INPUT *****
90  WRITE(9,100) FNIN,IALTM
100  FORMAT('// COLUMN NR. OF INPUT DATA IN',A6//' NCOL= ',A1)
READ(8,110) NCOL
110  FORMAT(I2)
IF(NCOL.LE.KOD(2).AND.NCOL.GT.0) GO TO 125
WRITE(9,120)
120  FORMAT(' BAD VALUE FOR NCOL')
GO TO 90

C
***** READ STARTING VALUE(S) FOR THE NOISE GENERATOR *****
125  IK=1
130  WRITE(9,140) IALTM

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Subsystem AUXIL

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140  FORMAT(' ODD NUMBER FOR THE NOISE GENERATOR://
      *  ' ONE NUMBER FOR EACH SIMULATION, AND A NEGATIVE NUMBER ',A1)
      *  ' TO STOP'// KODD = ',A1)
      READ(8,150) KODDI
150  FORMAT(I5)
      KODD(IK)=KODDI
      IF(KODDI.LE.0) GO TO 180
      IF(MOD(KODDI,2).EQ.1) GO TO 170
      WRITE(9,160)
160  FORMAT(' KODD MUST BE AN ODD NUMBER')
      GO TO 130
170  IK=IK+1
      IF(IK.LT.11) GO TO 130
      KODD(11)=-1

C
C
***** READ SIGNAL TO NOISE RATIO *****
180  WRITE(9,190) IALTM
190  FORMAT(' DESIRED SIGNAL TO NOISE RATIO'// SNR= ',A1)
      READ(8,200) SNR
200  FORMAT(F10.6)
      IF(SNR.LE.0) GO TO 180
***** READ FILE NAME FOR THE GENERATED DATA *****
210  WRITE(9,220) IALTM
220  FORMAT(' FILE NAME FOR THE GENERATED DATA = ',A1)
      READ(8,40) FNUT

C
C
***** PRINT-OUT *****
      WRITE(6,10)
      WRITE(6,230) F1,F2
230  FORMAT(' FILE NAME SYSTEM RESPONSE : ',A5/
      * ' FILE NAME NOISE RESPONSE : ',A5)
C
      WRITE(6,240) FNIN,NCOL
240  FORMAT(' FILE NAME INPUT DATA      : ',A5/
      * ' COLUMN NR. INPUT FILE     : ',I2)
C
      WRITE(6,250) FNUT
250  FORMAT(' FILE NAME GENERATED DATA  : ',A5/
      * 21X,'COL 1: INPUT SIGNAL')

C
      IK=2
260  WRITE(6,270) IK,KODD(IK-1)
270  FORMAT(21X,'COL ',I2,' OUTPUT SIGNAL',5X,'KODD =',I6)
      IK=IK+1
      IF(KODD(IK-1).LE.0) GO TO 275
      GO TO 260

C
      275  WRITE(6,280) SNR
280  FORMAT(' SIGNAL TO NOISE RATIO      : ',F8.4)
      RETURN

C

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Subsystem AUXIL

```
C
***** ERROR MESSAGES *****
290  WRITE(9,300) FNAM(1)
300  FORMAT(' FILE ',A5,' NOT FOUND')
      NCOL=-9
      RETURN
C
310  CALL CLOSE(LDK1)
      WRITE(9,320) FNAM(1)
320  FORMAT(' FILE ',A5,' WRONG SIZE')
      NCOL=-9
      RETURN
C
C
      END
```

Subsystem AUXIL

C NAME: SIMH NUMBER:
C
C SUBTITLE: SIMULATION USING IMPULSE RESPONSE MODEL
C CF. PROGRAM SIMHG.
C
C LANGUAGE: STANDARD FORTRAN
C
C
C PROGRAM TYPE: SUBROUTINE
C
C
C IMPLEMENTOR: HALLGRIMUR GUNNARSSON DATE: 1978-06-22
C
C
C INSTITUTE:
C
C DEPARTMENT OF AUTOMATIC CONTROL
C LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C ACCEPTED: VERSION:
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C
C-----
C
C SUBROUTINE SIMH(KODD,SNR,FNIN,FNUT,NCOL)
C
C LOGICAL MSTOP
C DIMENSION FIN(2),FUT(2),FW1(2),FW2(2),FW3(2),KODD(11)
C
C COMMON LDK1,LDK2,KMESS,MSTOP,IDL1(9),LDK3,IDL2(521),ZU(100),
* ZE(100),KOD(10),Z(4),EA(110),UA(110),Z1(4),W(30)
C
C
C DATA FIN(2),FUT(2),FW1(2),FW2(2),FW3(2)/5*' BIN' /
C DATA FW1(1)/* XHGX' /,FW2(1)/* YHGY' /,FW3(1)/* ZHGZ' /
C
C
C FIN(1)=FNIN
C FUT(1)=FNUT
C IK=1
10 IKODD=KODD(IK)
C IF(IKODD.LE.0) RETURN
C CALL SEEK(LDK1,FIN)
C READ(LDK1,END=900) (KOD(I),I=1,10)
C KOD(1)=2001
C KOD(2)=3
C KOD(4)=50
C CALL ENTER(LDK2,FW1)
C WRITE(LDK2) (KOD(I),I=1,10)
C
C ***** SIMULATION LOOP *****

Subsystem AUXIL

```

SUMY=0.
SUMY2=0.
SUME=0.
SUME2=0.

C
DO 40 I=1,2101
CALL MCNODI(IKODD,E)
READ(LDK1,END=900) (Z(J1),J1=1,NCOL)
EA(1)=E
UA(1)=Z(NCOL)
IF(I.LE.100) GO TO 30
YU=SCAPRO(ZU(1),1,UA(1),1,100)
YE=SCAPRO(ZE(1),1,EA(1),1,100)

C
30    CALL RMOVE(UA(99),-1,UA(100),-1,99)
      CALL RMOVE(EA(99),-1,EA(100),-1,99)

C
C
IF(I.LE.100) GO TO 40
Z(1)=UA(1)
Z(2)=YU
Z(3)=YE
SUMY=SUMY+YU
SUMY2=SUMY2+YU**2
SUME=SUME+YE
SUME2=SUME2+YE**2
WRITE(LDK2) (Z(J2),J2=1,3)

40    CONTINUE
      CALL CLOSE(LDK1)
      CALL CLOSE(LDK2)

C
C
***** COMPUTE SKAL *****
VARY=SUMY2/2000-SUMY**2/2001/2000
VARE=SUME2/2000-SUME**2/2001/2000
SKAL=SQRT(VARY/VARE/SNR)

C
C
***** COMPUTE OUTPUT SIGNAL, PLACE ON FILE FW2 *****
CALL SEEK(LDK1,FW1)
READ(LDK1,END=900) (KOD(I),I=1,10)
KOD(1)=2001
KOD(2)=2
KOD(4)=50
CALL ENTER(LDK2,FW2)
WRITE(LDK2) (KOD(I),I=1,10)

C
45    READ(LDK1,END=50) (Z(J4),J4=1,3)
      Z1(1)=Z(1)
      Z1(2)=Z(2)+SKAL*Z(3)
      WRITE(LDK2) (Z1(J3),J3=1,2)
      GO TO 45

50    CONTINUE

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Subsystem AUXIL

```

        CALL CLOSE(LDK1)
        CALL CLOSE(LDK2)
        CALL DLETE(LDK1,FW1,J)

C
C
C***** TRANSFER OUTPUT SIGNAL TO FUT *****
IF(IK.GT.1) GO TO 60
CALL RENAM(LDK1,FW2,FUT,J)
GO TO 80

C
60   CALL SEEK(LDK1,FUT)
      READ(LDK1) (KOD(I),I=1,10)
      K=KOD(2)
      K1=K+1
      KOD(2)=K1
      CALL SEEK(LDK2,FW2)
      READ(LDK2)
      CALL ENTER(LDK3,FW3)
      WRITE(LDK3) (KOD(I),I=1,10)
65   READ(LDK1,END=70) (W(J),J=1,K)
      READ(LDK2) RIN,RUT
      W(K1)=RUT
      WRITE(LDK3) (W(J),J=1,K1)
      GO TO 65

C
70   CALL CLOSE(LDK1)
      CALL CLOSE(LDK2)
      CALL CLOSE(LDK3)

C
CALL DLETE(LDK1,FW2,J)
CALL DLETE(LDK1,FUT,J)
CALL RENAM(LDK1,FW3,FUT,J)

C
C
80   IK=IK+1
      GO TO 10

C
C
900  KMESS=51
      MSTOP=.TRUE.
      CALL CLOSE(LDK1)
      CALL CLOSE(LDK2)
      CALL CLOSE(LDK3)
      RETURN
      END

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Subsystem AUXIL

```

C      NAME: FILCON          NUMBER:
C      -----
C
C      SUBTITLE: CONVERSION OF SIMNON-GENERATED DATA
C      ----- FILES TO IDPAC COMPATIBLE FILES.
C
C      LANGUAGE: STANDARD FORTRAN
C      -----
C
C      PROGRAM TYPE: SUBROUTINE
C      -----
C
C      KEYWORDS:
C      -----
C
C      IMPLEMENTOR: HALLGRIMUR GUNNARSSON      DATE:
C      -----
C
C      INSTITUTE: DEPARTMENT OF AUTOMATIC CONTROL
C      ----- LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C      ACCEPTED:          VERSION:
C      -----
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C-----  

C
C      SUBROUTINE FILCON
C
C      DIMENSION FNIN(2),FNUT(2),FNW(2)
C
C      COMMON LDK1,LDK2,IDM(1293),IT(10),VNAM(2),RTDAT(50),WTDAT(50)
C
C      DATA STANZ,FNIN(2),FNUT(2),FNW(2),IALTM/'STOP',3*' BIN', 764000/
C      DATA RJA/' YES',FNW(1)/*QHGQ*/
C
C
C
C***** START *****
EPS=1.E-6
WRITE(9,10)
10 FORMAT(//' PROGRAM FILCON://
* ' INPUT FILE NAME=STOP : STOP//' PRESS RETURN')
READ(8,20)
20 FORMAT(1X)
C
C***** INPUT FILE-NAME *****
30 WRITE(9,40) IALTM
40 FORMAT(' INPUT FILE NAME=',A1)
READ(8,50) FNIN(1)

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Subsystem AUXIL

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50   FORMAT(A5)
     IF(FNIN(1).EQ.8) RETURN
     CALL FSTAT(LDK1,FNIN,J)
     IF(J.EQ.-1) GO TO 70
     WRITE(9,60) FNIN(1)
60   FORMAT(' FILE ',A5,' NOT FOUND')
     GO TO 30
C
70   CALL SEEK(LDK1,FNIN)
     READ(LDK1) (IT(J),J=1,10)
***** OUTPUT FILE NAME *****
     WRITE(9,80) IALTM
80   FORMAT('// OUTPUT FILE NAME=',A1)
     READ(8,50) FNUT(1)
C
***** SAMPLE INTERVAL *****
     WRITE(9,90) IALTM
90   FORMAT('// SAMPLE INTERVAL=',A1)
     READ(8,100) DT
100  FORMAT(F10.6)
C
***** WRITE FILE HEAD AND VARIABLES IN INPUT-FILE *****
     WRITE(9,120) IT
120  FORMAT('// INPUT FILE HEAD: /1X,10I6)
     I=IT(10)
     NVAR=I+1
C
     WRITE(9,130)
130  FORMAT(' VARIABLES IN INPUT FILE:')
     DO 150 J=1,I
     READ(LDK1) VNAM(1),VNAM(2)
     WRITE(9,140) VNAM(1),VNAM(2)
140  FORMAT(1X,A5,2X,A5)
     150 CONTINUE
C
***** COUNT DATA RECORDS, GET START TIME *****
     NV=0
     READ(LDK1,END=170) (RTDAT(J),J=1,NVAR)
     NV=1
     T1=RTDAT(1)
160  READ(LDK1,END=170)
     NV=NV+1
     GO TO 160
C
     170 CALL CLOSE(LDK1)
     WRITE(9,180) NV
180  FORMAT(' NUMBER OF DATA RECORDS IN INPUT FILE:',I6)
C
***** DELETE TIME COLUMN OR NOT *****
     WRITE(9,185) IALTM
185  FORMAT('// DELETE TIME COLUMN *-*0 ',A1)
     KSV=1
     READ(8,50) SVAR

```

Subsystem AUXIL

```

        IF(SVAR.EQ.RJA) KSV=2
        NUVAR=NVAR-KSV+1
C
C
C
C***** CONVERSION TO IDPAC FORMAT *****
        CALL SEEK(LDK1,FNIN)
        READ(LDK1)
        DO 190 J=1,I
 190     READ(LDK1)
C
        IT(1)=NV
        IT(10)=0
        IT(2)=NUVAR
        DX=DT/0.02
        IT(4)=IFIX(DX)
        CALL ENTER(LDK2,FNUT)
        WRITE(LDK2) (IT(KK),KK=1,10)
C
        NS=0
C
C***** FIND T (=RTDAT(1)) = T1 *****
 200     IF(ABS(T1-RTDAT(1)).LT.EPS) GO TO 210
        READ(LDK1,END=220) (RTDAT(J),J=1,NVAR)
        GO TO 200
C
C***** FIND LAST T = T1 AND THEN WRITE WTDAT ONTO OUTPUT FILE *****
 210     CALL RMOVE(RTDAT(1),1,WTDAT(1),1,NVAR)
        READ(LDK1,END=215) (RTDAT(J),J=1,NVAR)
        IF(ABS(T1-RTDAT(1)).LT.EPS) GO TO 210
        WRITE(LDK2) (WTDAT(J),J=KSV,NVAR)
        T1=T1+DT
        NS=NS+1
        GO TO 200
C
 215     WRITE(LDK2) (WTDAT(J),J=KSV,NVAR)
        NS=NS+1
C
 220     CALL CLOSE(LDK1)
        CALL CLOSE(LDK2)
C
C
        CALL SEEK(LDK1,FNUT)
        READ(LDK1) (IT(J),J=1,10)
        IT(1)=NS
        CALL ENTER(LDK2,FNW)
        WRITE(LDK2) (IT(J),J=1,10)
C
 230     READ(LDK1,END=240) (RTDAT(J),J=1,NUVAR)
        WRITE(LDK2) (RTDAT(J),J=1,NUVAR)
        GO TO 230
C
 240     CALL CLOSE(LDK1)

```

Subsystem AUXIL

```
      CALL CLOSE(LDK2)
      CALL DLETE(LDK1,FNUT,J)
      CALL RENAM(LDK1,FNW,FNUT,J)
C
      WRITE(9,250) IALTM
250   FORMAT(// DO YOU WANT THE INPUT-FILE DELETED ** : ',A1)
      READ(8,50) SVAR
      IF(SVAR.EQ.RJA) CALL DLETE(LDK1,FNIN,J)
      GO TO 30
C
      END
```

Subsystem AUXIL

```

C      NAME: STAT                      NUMBER:
C      -----
C
C      SUBTITLE:
C      -----
C      COMPUTATION OF MEANS AND STANDARD DEVIATIONS
C      OF IDENTIFICATION RESULTS FROM IDHG.
C
C      LANGUAGE: STANDARD FORTRAN
C      -----
C
C      PROGRAM TYPE: SUBROUTINE
C      -----
C
C      KEYWORDS:
C      -----
C
C      AUTHOR AND
C      IMPLEMENTOR: HALLGRIMUR GUNNARSSON      DATE:
C      -----
C
C      INSTITUTE: DEPARTMENT OF AUTOMATIC CONTROL
C      ----- LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C      ACCEPTED:                                VERSION:
C      -----
C
C
C
C
C-----SUBROUTINE STAT
C
C      DIMENSION LPOL(5),FNAM(2),N(5),KVF(6)
C
C      COMMON LDK1,LDK2,IDM(1293),TH(10),SUM(16),SUMKV(16),ST(16),
C      * RMEAN(16),RDEV(16),IPAR(17),RPAR(59)
C
C      EQUIVALENCE (IPAR(5),N(1))
C
C      DATA FNAM(2)//' BIN',//,IALTM// 764000//,STANZ//STOP //,LPOL(5)//' C' /
C      DATA LPOL(1),LPOL(2),LPOL(3),LPOL(4)//' A','F','B','D'/
C      DATA KVF(1),KVF(2),KVF(3),KVF(4)//' E ','WE','S ','RS'/
C      DATA KVF(5),KVF(6)//' N ','RN'/
C
C
C
C***** START, GET FILE NAME *****
10  WRITE(9,20)
20  FORMAT(//' PROGRAM STAT: '// IF FILE NAME = STOP : STOP //
*   ' PRESS RETURN')

```

Subsystem AUXIL

```

        READ(8,30)
30      FORMAT(1X)
40      WRITE(9,50) IALTM
50      FORMAT(' FILE NAME = ',A1)
       READ(8,60) FNAM(1)
60      FORMAT(A5)
       IF(FNAM(1).EQ.STANZ) RETURN
       CALL FSTAT(LDK1,FNAM,J)
       IF(J.EQ.-1) GO TO 80
       WRITE(9,70) FNAM(1)
70      FORMAT(' FILE ',A5,' NOT FOUND')
       GO TO 40

C
C***** WRITE OUTPUT PAGE HEAD *****
80      WRITE(6,90)
90      FORMAT(' 1SUBROUTINE STAT:',55X,'I'/' -----' '/')
       WRITE(6,100)
100     FORMAT(19X,'2',19X,'2',26X,'2')
       WRITE(6,110)
110     FORMAT(' V=SUM[HR(I)-HI(I)]',5X,'VR=V/SUM[HR(I)]',5X,'(I=1
      *,100)',5X,'VE=E[RES ]')
       WRITE(6,120)
120     FORMAT(/11X,'2')
       WRITE(6,130)
130     FORMAT(' VWE=E[WRES ]  VS=V[SYS]  VRS=VR[SYS]
      *VN=V[NOISE]  VRN=VR[NOISE]')
       WRITE(6,140)
140     FORMAT(/' -----
      *-----' /)

C
C
C***** PRINT DATA ON REALIZATIONS *****
       WRITE(6,150) FNAM(1)
150     FORMAT(' STATISTICS OF THE FOLLOWING REALIZATIONS://
      * ' N SIMULATION NO.    DATE',23X,'FILE NAME : ',A5)
       CALL SEEK(LDK1,FNAM)
       READ(LDK1) (IPAR(I),I=1,17),(RPAR(J),J=1,59)
       NPDIM=IPAR(2)
       NPS=NPDIM+6
       KANT=0
       KPOINT=0

C
160     READ(LDK1,END=190) K,NSIM,IYEAR,MONTH,IDAD
       IF(K.NE.-99999) GO TO 180
       KANT=KANT+1
       WRITE(6,170) KANT,NSIM,IYEAR,MONTH,IDAD
170     FORMAT(1X,I2,5X,I4,8X,I4,'-',I2,'-',I2)
       GO TO 160

C
180     KPOINT=KPOINT+1
       GO TO 160

C
190     CALL CLOSE(LDK1)

```

Subsystem AUXIL

```

C
C
***** START STATISTICS COMPUTATIONS *****
IF(MOD(KPOINT,KANT).NE.0) GO TO 390
KPOINT=KPOINT/KANT
RK=FLOAT(KANT)
LINES=KANT+14
C
C
      DO 340 NX=1,KPOINT
C
      DO 200 I=1,16
      SUM(I)=0.
200   SUMKV(I)=0.
C
      CALL SEEK(LDK1,FNAM)
      READ(LDK1)
      J=NPS+4
      LINES=LINES+J
      IF(64-LINES.GE.0) GO TO 220
      WRITE(6,210) FNAM(1)
210   FORMAT('1STAT CONT.',39X,'FILE NAME : ',A5)
      LINES=1+J
220   CONTINUE
C
      DO 230 I=1,NX
230   READ(LDK1,END=350)
C
240   READ(LDK1,END=370) ISAMP,K1,K2,K3,K4,(ST(I),I=1,NPS)
      DO 250 I=1,NPS
      SUM(I)=SUM(I)+ST(I)
250   SUMKV(I)=SUMKV(I)+ST(I)**2
C
      DO 260 I=1,KPOINT
260   READ(LDK1,END=270)
      GO TO 240
C
270   CALL CLOSE(LDK1)
      DO 280 I=1,NPS
      RMEAN(I)=SUM(I)/RK
      RDEV(I)=(SUMKV(I)-SUM(I)**2/RK)/(RK-1.)
      IF(RDEV(I).LE.0) RDEV(I)=0.0
280   RDEV(I)=SQRT(RDEV(I))
C
***** PRINT RESULTS *****
      WRITE(6,290) ISAMP
290   FORMAT(//' TIME=',I5)
      WRITE(6,300)
300   FORMAT(5X,' PAR/LOSSF.',6X,' MEAN',12X,' DEVIATION')
      KPS=N(1)
      KPOL=1
      KPAR=1
      DO 320 I=1,NPDIM

```

Subsystem AUXIL

```
302 IF(I.LE.KPS.AND.KPS.NE.0) GO TO 305
      KPOL=KPOL+1
      KPS=KPS+N(KPOL)
      KPAR=1
      GO TO 302
305 WRITE(6,310) LPOL(KPOL),KPAR,RMEAN(I),RDEV(I)
310 FORMAT(10X,A1,I2,5X,G14.6,4X,G14.6)
      KPAR=KPAR+1
320 CONTINUE
C
      K=NPDIM+1
      DO 340 I=K,NPS
      LL=I-NPDIM
      WRITE(6,330) KVF(LL),RMEAN(I),RDEV(I)
330 FORMAT(10X,'V',A2,5X,G14.6,4X,G14.6)
340 CONTINUE
      GO TO 40
C
C
C***** ERROR MESSAGES *****
350 WRITE(9,360)
360 FORMAT(' FEL OUT 230')
      RETURN
C
370 WRITE(9,380)
380 FORMAT(' FEL OUT 240')
      RETURN
C
390 WRITE(9,400)
400 FORMAT(' FEL OUT 190+')
      RETURN
      END
```

Subsystem AUXIL

```

C      NAME: VSTAT           NUMBER:
C      ----
C
C      SUBTITLE: PRINT RESULTS OF SIMULATIONS
C      -----
C
C      LANGUAGE: STANDARD FORTRAN
C      -----
C
C      PROGRAM TYPE: SUBROUTINE
C      -----
C
C      AUTHOR AND
C      IMPLEMENTOR: HALLGRIMUR GUNNARSSON      DATE:
C      -----
C
C      INSTITUTE: DEPARTMENT OF AUTOMATIC CONTROL
C      ----- LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C      ACCEPTED:           VERSION:
C      -----
C
C
C
C-----SUBROUTINE VSTAT
C
C      DIMENSION FNAM(2),A(7)
C
C      COMMON LDK1,LDK2,IDM(1293),THS(10),R1(10),PO(10),THO(10),
* X1(10),X2(10),SUM(3),QSUM(3),VMIN(3),VMAX(3),RMEAN(3),DEV(3),
* VV(3)
C
C      DATA FNAM(2)//' BIN',//,IALTM// 764000//,STANZ//' STOP '//
C      DATA A(1)//' LIP',//,A(2)//' CMA',//,A(3)//' LIP',//,A(4)//' CMA',//,A(5)//' IV'//
C      DATA A(6)//' KJADM',//,A(7)//' EKF',//,B1//' SA',//,B2//'   '//,
C      DATA RM//' MEAN://,DE//' DEV.://,VMI//' MIN ://,VMA//' MAX ://,
C
C
C***** START, GET FILE NAME *****
10  WRITE(9,20)
20  FORMAT(//' PROGRAM VSTAT://// IF FILE NAME = STOP : STOP //'
*   ' PRESS RETURN')
    READ(8,30)
30  FORMAT(1X)
40  WRITE(9,50) IALTM
50  FORMAT(//' FILE NAME = ',A1)
    READ(8,60) FNAM(1)
60  FORMAT(A5)
    IF(FNAM(1).EQ.STANZ) RETURN
    CALL FSTAT(LDK1,FNAM,J)
    IF(J.EQ.-1) GO TO 80

```

Subsystem AUXIL

```

      WRITE(9,70) FNAM(1)
70   FORMAT(' FILE ',A5,' NOT FOUND')
      GO TO 40
C
80   WRITE(9,75) IALTM
75   FORMAT(' PRINT-OUT FOR ISAMP = IHAT, IHATN, N*KH*IHATN',
* ' N=1,2..... // KH = ',A1)
      READ(8,76) KH
76   FORMAT(I5)
C
C***** WRITE OUTPUT PAGE HEAD *****
      WRITE(6,90)
90   FORMAT(' 1SUBROUTINE VSTAT:',53X,'I'/' -----')
      WRITE(6,100)
100  FORMAT(21X,'2',12X,'2')
      WRITE(6,110)
110  FORMAT(' V = SUM[HR(I)-HI(I)] /SUM[HR(I)]',6X,'I=1,100')
      WRITE(6,120)
120  FORMAT(/9X,'2')
      WRITE(6,130)
130  FORMAT(' VE=E[RES ]      VRS=V[SYS]      VRN=V[NOISE]')
C
C
C***** PRINT DATA ON REALIZATIONS *****
      WRITE(6,150) FNAM(1)
150  FORMAT(///' RESULTS OF THE FOLLOWING REALIZATIONS://
* ' N SIMULATION NO.    DATE',23X,'FILE NAME : ',A5)
C
      CALL SEEK(LDK1,FNAM)
      READ(LDK1) IST,NPDIM,IX1,METOD,NF,NA,NB,ND,NC,NFST,KD,IPRER,
* ISTAB,IFIST,INVAU,IHAT,IHATN,WTI,WTO,DELTA,RLIM,RKJ,PFST,DT,
* FNRS,FNRN,(R1(I),I=1,10),(THO(J),J=1,10),(X1(II),II=1,10),
* (PO(JJ),JJ=1,10),(X2(IJ),IJ=1,10)
C
C
      KANT=0
      KPOINT=0
C
160  READ(LDK1,END=190) K,NSIM,IYEAR,MONTH,IDAD
      IF(K.NE.-99999) GO TO 180
      KANT=KANT+1
      WRITE(6,170) KANT,NSIM,IYEAR,MONTH,IDAD
170  FORMAT(1X,I2,5X,I4,8X,I4,'-',I2,'-',I2)
      GO TO 160
C
180  KPOINT=KPOINT+1
      GO TO 160
C
190  CALL CLOSE(LDK1)
C
C
C
      B=B2

```

Subsystem AUXIL

```

        IF(METOD.LE.2) B=B1
        WRITE(6,195) METOD,A(METOD),B
195    FORMAT(////' IDENTIFICATION METHOD:',I2,2X,A5,2X,A5)
        WRITE(6,200) NF,IPRER,IHAT
200    FORMAT(' NA   =',I9,9X,'IPRER=',I9,9X,'IHAT =',I9)
        WRITE(6,210) NA,IFIST,IHATN
210    FORMAT(' NF   =',I9,9X,'IFIST=',I9,9X,'IHATN=',I9)
        WRITE(6,220) NB,ISTAB,FNRS
220    FORMAT(' NB   =',I9,9X,'ISTAB=',I9,9X,'FNRS =',4X,A5)
        WRITE(6,230) ND,INVAU,FNRN
230    FORMAT(' ND   =',I9,9X,'INVAU=',I9,9X,'FNRN =',4X,A5)
        WRITE(6,240) NC,NFST
240    FORMAT(' NC   =',I9,9X,'NFST =',I9)
        WRITE(6,250) KD,DT
250    FORMAT(' KD   =',I9,33X,'DT    =',G13.6)

C
        WRITE(6,260) WTI,PFST,RLIM
260    FORMAT(//' WTI  =',G13.6,5X,'PFST =',G13.6,5X,'RLIM =',G13.6)
        WRITE(6,270) WTO,RKJ,DELTA
270    FORMAT(' WTO  =',G13.6,5X,'RKJ   =',G13.6,5X,'DELTA=',G13.6//)

C
        DO 320 I=1,NPDIM
        IF(I.LT.10) WRITE(6,300) I,R1(I),I,THO(I),I,PO(I)
300    FORMAT(' R1(',I1,')  =',G13.6,3X,'THO(',I1,') =',G13.6,3X,'PO(',I1,')
     *      =',G13.6)
        IF(I.GE.10) WRITE(6,310) I,R1(I),I,THO(I),I,PO(I)
310    FORMAT(' R1(',I2,')  =',G13.6,3X,'THO(',I2,') =',G13.6,3X,'PO(',I2,')
     *      =',G13.6)
320    CONTINUE
        WRITE(6,350) FNAM(1)

C
C
C***** START PRINT-OUT *****
C
        IF(MOD(KPOINT,KANT).NE.0) GO TO 460
        KPOINT=KPOINT/KANT

C
        WRITE(6,335)
335    FORMAT(/' ISAMP  I',7X,'VE',7X,'I',6X,'VRS',7X,'I',6X,'VRN',7X,'
     *I'/' -----+-----+-----+-----+-----+-----+-----+')
        WRITE(6,340)

C
        LINES=4

C
        DO 410 NX=1,KPOINT

C
        ISWR=0

C
        DO 345 I=1,3
        SUM(I)=0.0
        QSUM(I)=0.0
        VMIN(I)=9.9999E+70
345    VMAX(I)=-9.9999E+70

```

Subsystem AUXIL

```

C
      CALL SEEK(LDK1,FNAM)
      READ(LDK1)
      LINES=LINES+KANT+7
      IF(64-LINES.GE.0) GO TO 360
      WRITE(6,350) FNAM(1)
350   FORMAT('1VSTAT CONT.',38X,'FILE NAME : ',A5)
      WRITE(6,335)
      WRITE(6,340)
      LINES=KANT+11
360   CONTINUE
C
340   FORMAT(8X,'I',3(16X,'I'))
C
370   DO 370 I=1,NX
      READ(LDK1,END=420)
C
380   READ(LDK1,END=440) ISAMP,K1,K2,K3,K4,(THS(I),I=1,NPDIM),
      * VV(1),WVE,V1,VV(2),V3,VV(3)
      IF(ISAMP.EQ.IHAT.OR.ISAMP.EQ.IHATN) GO TO 381
      KHH=KH*IHATN
      IF(MOD(ISAMP,KHH).EQ.0) GO TO 381
      CALL CLOSE(LDK1)
      LINES=LINES-KANT-7
      GO TO 410
C
381   DO 382 I=1,3
      SUM(I)=SUM(I)+VV(I)
      QSUM(I)=QSUM(I)+VV(I)**2
      IF(VV(I).LT.VMIN(I)) VMIN(I)=VV(I)
      IF(VV(I).GT.VMAX(I)) VMAX(I)=VV(I)
382   CONTINUE
C
      WRITE(6,385) (VV(I),I=1,3)
385   FORMAT(7X,3(' I ',G14.6),' I')
      IF(ISWR.EQ.1) GO TO 388
      WRITE(6,387) ISAMP
387   FORMAT('+',I5)
      ISWR=1
388   DO 390 I=1,KPOINT
390   READ(LDK1,END=400)
      GO TO 380
C
400   CALL CLOSE(LDK1)
      WRITE(6,340)
      RK=FLOAT(KANT)
      DO 402 I=1,3
      RMEAN(I)=SUM(I)/RK
      DEV(I)=(QSUM(I)-SUM(I)**2/RK)/(RK-1.)
      IF(VMIN(I).EQ.VMAX(I)) DEV(I)=0.0
      IF(DEV(I).LT.0) DEV(I)=0.0
402   DEV(I)=SQRT(DEV(I))
C

```

Subsystem AUXIL

```
        WRITE(6,403) RM,(RMEAN(I),I=1,3)
403    FORMAT(5X,A5,G14.6,2(' I ',G14.6),' I ')
        WRITE(6,403) DE,(DEV(I),I=1,3)
        WRITE(6,403) VMI,(VMIN(I),I=1,3)
        WRITE(6,403) VMA,(VMAX(I),I=1,3)
        WRITE(6,340)
        WRITE(6,340)

C
410    CONTINUE
      GO TO 40
C
C
***** ERROR MESSAGES *****
420    WRITE(9,430)
430    FORMAT(' FEL OUT 400')
      RETURN

C
440    WRITE(9,450)
450    FORMAT(' FEL OUT 380')
      RETURN

C
460    WRITE(9,470)
470    FORMAT(' FEL OUT 330+')
      RETURN
      END
```

Subsystem AUXIL

```

C      NAME: TAFLA          NUMBER:
C      -----
C
C      SUBTITLE: PRINT RESULTS OF SIMULATIONS
C      -----
C
C      LANGUAGE: STANDARD FORTRAN
C      -----
C
C      PROGRAM TYPE: SUBROUTINE
C      -----
C
C      AUTHOR AND           DATE:
C      IMPLEMENTOR: HALLGRIMUR GUNNARSSON
C      -----
C
C      INSTITUTE: DEPARTMENT OF AUTOMATIC CONTROL
C      ----- LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C      ACCEPTED:            VERSION:
C      -----
C
C
C
C-----SUBROUTINE TAFLA
C
C      DIMENSION FNAM(2),FNUT(2),VKJ(3)
C
C      COMMON LDK1,LDK2,IDM(1293),THS(10),R1(10),PO(10),TH0(10),
C      * X1(10),X2(10),SUM(3),QSUM(3),VMIN(3),VMAX(3),RMEAN(3),DEV(3),
C      * VV(3),RME(3),DE(3),XMI(3),XMA(3)
C
C      DATA FNAM(2)//' BIN'/,IALTM// 764000/,STANZ//'STOP'/
C      DATA RNOF//ENDFI//,FNUT(1)//'XIBHX'//,FNUT(2)//' BIN'//,NTS//NEWTS'/
C      DATA VKJ(1)//' VE'//,VKJ(2)//' VRS'//,VKJ(3)//' VRN'/
C
C      5  ISTAR=-999
C          LST=-99
C
C
C***** START, GET FILE NAME *****
10  WRITE(9,20)
20  FORMAT(//' PROGRAM TAFLA://' IF FILE NAME = STOP : STOP'/
*   ' IF FILE NAME = ENDFI : PRINT TAFLA'/
*   ' IF FILE NAME = NEWTS : NEW ISAMP'/
*   ' PRESS RETURN')
     READ(8,30)
30  FORMAT(1X)
40  WRITE(9,50) IALTM
50  FORMAT(//' FILE NAME = ',A1)
     READ(8,60) FNAM(1)

```

Subsystem AUXIL

```

60  FORMAT(A5)
    IF(FNAM(1).EQ.STANZ) RETURN
    IF(FNAM(1).EQ.RNOF) GO TO 500
    IF(FNAM(1).EQ.NTS) GO TO 80
    IF(LST.EQ.-99) GO TO 80
63  CALL FSTAT(LDK1,FNAM,J)
    IF(J.EQ.-1) GO TO 90
65  WRITE(9,70) FNAM(1)
70  FORMAT(' FILE ',A5,' NOT FOUND OR WRONG TYPE')
    GO TO 40
C
80  WRITE(9,75) IALTM
75  FORMAT('// ISAMP = ',A1)
    ISTAR=-999
    READ(8,76) KSAMP
76  FORMAT(I5)
    IF(LST.EQ.-99) GO TO 63
    GO TO 40
C
C
90  LST=0
C
    CALL SEEK(LDK1,FNAM)
    READ(LDK1) IST,NPDIM,IX1,METOD,NF,NA,NB,ND,NC,NFST,KD,IPRER,
    * ISTAB,IFIST,INVAU,IHAT,IHATN,WTI,WTO,DELTA,RLIM,RKJ,PFST,DT,
    * FNRS,FNRN,(R1(I),I=1,10),(THO(J),J=1,10),(X1(II),II=1,10),
    * (PO(JJ),JJ=1,10),(X2(IJ),IJ=1,10)
C
C
    KANT=0
    KPOINT=0
C
160  READ(LDK1,END=190) K,NSIM,IYEAR,MONTH,IDAY
    IF(K.NE.-99999) GO TO 180
    KANT=KANT+1
    GO TO 160
C
180  KPOINT=KPOINT+1
    GO TO 160
C
190  CALL CLOSE(LDK1)
C
C
    IF(ISTAR.NE.-999) GO TO 200
    CALL ENTER(LDK2,FNUT)
    ISTAR=0
C
C
200  IF(MOD(KPOINT,KANT).NE.0) GO TO 65
    KPOINT=KPOINT/KANT
C
C
    DO 345 I=1,3

```

Subsystem AUXIL

```

        SUM(I)=0.0
        QSUM(I)=0.0
        VMIN(I)=9.9999E+70
345      VMAX(I)=-9.9999E+70
C
        CALL SEEK(LDK1,FNAM)
        READ(LDK1)
C
C
380      READ(LDK1,END=65) ISAMP,K1,K2,K3,K4,(THS(I),I=1,NPDIM),
*          VV(1),WVE,V1,VV(2),V3,VV(3)
C
        IF(ISAMP.EQ.KSAMP) GO TO 381
        GO TO 380
381      DO 382 I=1,3
        SUM(I)=SUM(I)+VV(I)
        QSUM(I)=QSUM(I)+VV(I)**2
        IF(VV(I).LT.VMIN(I)) VMIN(I)=VV(I)
        IF(VV(I).GT.VMAX(I)) VMAX(I)=VV(I)
382      CONTINUE
C
        DO 390 I=1,KPOINT
390      READ(LDK1,END=400)
        GO TO 380
C
400      CALL CLOSE(LDK1)
        RK=FLOAT(KANT)
        DO 402 I=1,3
        RMEAN(I)=SUM(I)/RK
        DEV(I)=(QSUM(I)-SUM(I)**2/RK)/(RK-1.)
        IF(VMIN(I).EQ.VMAX(I)) DEV(I)=0.0
        IF(DEV(I).LT.0) DEV(I)=0.0
402      DEV(I)=SQRT(DEV(I))
C
C
410      CONTINUE
        WRITE(LDK2) FNAM(1),METOD,NF,NA,NB,ND,NC,KD,IPRER,ISTAB,
*          IFIST,(RMEAN(I),DEV(I),VMIN(I),VMAX(I),I=1,3)
        GO TO 40
C
C
500      CALL CLOSE(LDK2)
C
C
        DO 650 KJ=1,3
        CALL SEEK(LDK2,FNUT)
C
***** WRITE OUTPUT PAGE HEAD *****
        WRITE(6,520)
520      FORMAT('1SUBROUTINE TAFLA:',53X,'I'/' -----' /)
        WRITE(6,540) VKJ(KJ)
540      FORMAT(' MODEL INF.      I',22X,A3,22X,'I')
        WRITE(6,550)

```

Subsystem AUXIL

```

550  FORMAT(' -----+-----+-----+-----+
*-----+')
      WRITE(6,555)
555  FORMAT(' FN IPR IST IFII',4(11X,'I'))
      WRITE(6,556)
556  FORMAT(' A F B D C K M I',4(11X,'I'))
      WRITE(6,560)
560  FORMAT('+',14X,'I    MEAN     I    DEV     I    MIN     I    MAX',
*      '      I')
      WRITE(6,550)

C
C
565  READ(LDK2,END=600) FN,MET,IF,IA,IB,ID,IC,KD,IPR,ISTA,IFI,
*      (RME(I),DE(I),XMI(I),XMA(I),I=1,3)
C
      WRITE(6,570)
570  FORMAT(15X,'I',4(11X,'I'))
      WRITE(6,580) FN,IPR,ISTA,IFI
580  FORMAT(1X,A5,2I2,I4,' I',4(11X,'I'))
      WRITE(6,590) IF,IA,IB,ID,IC,KD,MET,RME(KJ),DE(KJ),XMI(KJ),
*      XMA(KJ)
590  FORMAT(7I2,' I ',4(F9.6,' I '))
      GO TO 565

C
600  CALL CLOSE(LDK2)
C
650  CONTINUE
C
      GO TO 5
C
      END

```

Subsystem AUXIL

```

C      NAME: AUMESS          NUMBER:
C      -----
C
C      SUBTITLE: ERROR MESSAGES FOR THE SUBSYSTEM AUXIL
C      -----
C
C      LANGUAGE: STANDARD FORTRAN
C      -----
C
C      PROGRAM TYPE: SUBROUTINE
C      -----
C
C      AUTHOR AND
C      IMPLEMENTOR: HALLGRIMUR GUNNARSSON      DATE:
C      -----
C
C      INSTITUTE: DEPARTMENT OF AUTOMATIC CONTROL
C      ----- LUND INSTITUTE OF TECHNOLOGY, SWEDEN
C
C      ACCEPTED:          VERSION:
C      -----
C
C
C
C-----SUBROUTINE AUMESS
C
C      LOGICAL MSTOP
C
C      COMMON IDM1(2),KMESS,MSTOP
C
C      IF(KMESS.LT.51.OR.KMESS.GT.54) RETURN
C
C      LU=9
C      MSTOP=.FALSE.
C      IAMMESS=KMESS-50
C
C      WRITE(LU,4000)
4000  FORMAT(' SYSTEM AUXIL')
C
C      GO TO(1,2,3,4),IAMMESS
C
1      WRITE(LU,151)
      GO TO 100
2      WRITE(LU,152)
      GO TO 100
3      WRITE(LU,153)
      GO TO 100
4      WRITE(LU,154)
      GO TO 100
C
100   RETURN

```

Subsystem AUXIL

```
C
C
153  FORMAT(' SYSTEM AUXIL IS NOT TO BE USED TOGETHER WITH OTHER '
*      'SYSTEMS')
154  FORMAT(' PAR ISUB MUST BE .GE.1.AND.LE.5')
151  FORMAT(' END OF FILE (INPUT TO SIMHG)')
152  FORMAT(' HVERNING TOKST THETTA ** FEL I PROGRAM ** ')
C
RETURN
END
```